M-Machine Floating-Point Multiplier Datapath

by

Daniel K. Hartman

Submitted to the Department of Electrical Engineering and Computer Science
in partial fulfillment of the requirements for the degrees of

Master of Engineering

and

Bachelor of Science in Computer Science and Engineering

at the

MASSACHUSETTS INSTITUTE OF TECHNOLOGY

May 1996

© Massachusetts Institute of Technology 1996. All rights reserved.

Author .....
Department of Electrical Engineering and Computer Science
May 18, 1996

Certified by .....
William J. Dally
Associate Professor
Thesis Supervisor

Accepted by .....
F. R. Morgenthaler
Chairman, Departmental Committee on Graduate Theses

M-Machine Floating-Point Multiplier Datapath

by

Daniel K. Hartman

Submitted to the Department of Electrical Engineering and Computer Science
on May 18, 1996, in partial fulfillment of the
requirements for the degrees of
Master of Engineering
and
Bachelor of Science in Computer Science and Engineering

Abstract

This thesis covers the design of a floating-point multiplier/adder unit for the M-Machine node processor. The design includes the overall architecture, the algorithms used for multiplication/addition, complete schematics and general layout guidelines for the datapath, and the logic equations to control rounding.

Thesis Supervisor: William J. Dally
Title: Associate Professor

Acknowledgments

Without a doubt, the experience of being part of the M-Machine project has been the most valuable of my educational experience by far. The opportunity to do design work for a project such as this seems to be very rare; certainly I would have never had the opportunity to build an entire floating point unit in industry without years of experience. If anyone has doubts as to whether cutting processors can come out of academia, I believe this project will demonstrate it is possible.

A big thank you goes to Professor Bill Dally for giving me the opportunity to tackle such a big project, as well as giving lots of circuit advice and being an incredibly large bank of knowledge.

Special thanks goes to Steve Keckler for giving design advice, and generally looking over my shoulder.

I would also like to express my appreciation to the rest of the M-Machine hardware team, including:

Jeff Bowers UROP Student (Responsible for Bidirectional Pads and Floating Point Divide/Square-root Unit)

Andrew Chang Research Scientist (General Manager and many other things)

Nick Carter Phd. Student (Memory Subsystem Guru)

Parag Gupta MEng Student (Circuit Designer for many units)

Whay Lee Phd. Student (Network Interface Guru)

Working with a group of highly competent people is a reward of its own.

Contents

1 The M-Machine and its Floating Point Requirements **10**

2 The Instruction Set **13**

2.1 FMUL: Double Precision Multiply 14

2.2 FADD: Double Precision Addition 15

2.3 FMULA: Double Precision Multiply and Add 16

2.4 FTOI: Double Precision to Integer Conversion 17

2.5 ITOF: Integer to Double Precision Conversion 17

3 Hardware Needed to Support Operations **19**

3.1 Double Precision Multiplication 19

3.1.1 Multiplication Techniques 20

3.1.2 Alternative Rounding Techniques 22

3.2 Double Precision Addition 24

3.2.1 Alternate rounding techniques 25

4 Possible Architectures for Multiply/Add **28**

4.1 Separate Pipelines for Multiply and Add 28

4.2 Shared resources between Multiply and Add units 29

4.3 Multiply followed by Add 29

4.4 Multiply with no rounding followed by Add 32

4.5 Chosen Architecture for Implementation 33

5 Schematic Implementation **34**

5.1 Pipeline Design 34
5.2 Multiplier Design 35
5.2.1 Booth Encoding 35
5.2.2 Multiplication Arrays 36
5.2.3 Timing Considerations 39
5.2.4 Array Combination 42
5.2.5 Multiplier Rounding 42
5.3 Addition 43
5.3.1 Alignment Shifter 43
5.3.2 Addition and Rounding 44
5.3.3 Post-normalization 45
5.4 Support for other operations 45
5.4.1 Immediate Support 45
5.4.2 Send Operations 45
5.4.3 Err-vals 46
5.4.4 Conversion Operations 46

6 Circuit Design for the Multiplier Array 47
6.1 Evaluation 53

7 Results 55

8 Conclusion 60
8.1 Lessons Learned 60

A IEEE Double Precision Format 62

B An Alternative Multiplication Scheme for Eliminating Sign Extension 64

C Draft HDCVSL Logic Paper for JSSC 67
C.1 Differential Logic Families 68
C.2 Analysis 69

C.3 XOR Folding 70
C.4 Conclusion 71

D Schematics **74**

D.1 Immediate Path and Front End 75
D.2 Stage 0 77
D.2.1 Booth Encoding Cells 78
D.3 Stage 2 83
D.3.1 Multiplier Array and Subcells 84
D.3.2 Array Combination and Subcells 104
D.4 Stage 3 112
D.5 Stage 4 113
D.5.1 Shift Sticky (Mask Generator and subcells) 114
D.6 Stage 6 124
D.6.1 Stage 6 Subcells 126
D.7 Stage 7 129
D.8 Send Unit 130
D.9 Drivers and Misc Cells 131
D.10 Shared Library Cells Used 134
D.10.1 Latches 134
D.10.2 Muxes 139
D.10.3 Leading Zero Detector 141
D.10.4 Shifters 146
D.10.5 1 bit Adders 157
D.10.6 Zero Detector 158
D.10.7 Adders 162

List of Figures

1-1 *Floating Point Pipeline* 11

4-1 *Separate Multiplier and Adder Units* 29
4-2 *Shared Add/Round Logic* 30
4-3 *Shared Add/Round and Shifter Logic* 31
4-4 *Fused Multiply/Add Units sharing the shifter* 32
4-5 *Fused Multiply/Add Units with no separate Multiplier rounding* 33

5-1 *Booth Encoder Cell - Top Level* 37
5-2 *Booth Encoder Cell - XOR Inputs* 37
5-3 *Booth Encoder Cell - Select 1,3* 38
5-4 *Booth Encoder Cell - Select 0,2,4* 38
5-5 *Timing for Evaluate Signals for Domino Logic* 40
5-6 *Interface Latch for static logic from domino signals* 41
5-7 *Array Combination using 3 stages of Full Adders* 42

6-1 *Static CMOS Full Adder* (Output Buffers not shown) 48
6-2 *Pass Transistor Full Adder* (Output Buffers not shown) 49
6-3 *Differential Cascode Voltage Switch Logic Full Adder* 49
6-4 *Hybrid DCVSL Full Adder* 50
6-5 *Differential Domino Full Adder* 51
6-6 *Example of a circuit where charge sharing can occur* 52

7-1 *Current Floorplan for the Multiple ALU Processor* 59

C-1 *2 Input XOR gates for DCMOS, DCVSL, and HDCVSL families* . . . 72
C-2 *Folded 2 Input XOR gates for DCMOS, DCVSL, and HDCVSL families* 73

List of Tables

3.1 *3-2 Adder* 21

3.2 *Radix 4 Booth Encoding Example* 22

3.3 *Multiplication Rounding Detection* 23

3.4 *Possible Rounding Results* 25

3.5 *Post-rounding Shift Detection* 26

3.6 *Effect of rounding to the right of S bit* 27

5.1 *Booth Encoding Outputs* 36

6.1 Test Vectors for Static Logic 54

7.1 *Critical Path Timing* 56

A.1 *IEEE Double Precision Examples* 63

B.1 *Typical Full Adder* 65

B.2 *First Recoded Adder* 65

B.3 *Second Recoded Adder* 66

C.1 *Results for 2 Input XOR Comparison* 69

C.2 *Results for Folded 2 Input XOR Comparison* 70

Chapter 1

The M-Machine and its Floating Point Requirements

The M-Machine project [3] is an attempt to explore various ways of utilizing parallelism at different granularities, using custom processors hooked up in a 3-D mesh network. Each node of the network contains 8 megabytes of local memory and a Multiple ALU Processor (designated the MAP chip).

The MAP chip is designed to exploit finer grain parallelism while still providing performance at a level roughly equivalent to today's microprocessors. Each map chip contains 4 *clusters*, each of which is roughly analogous to a RISC uP core. The clusters each contain an instruction cache, a register file, an integer unit, a memory unit [1], and a floating-point unit. Other features include:

- 100mhz target clock frequency
- 128Kbyte on-chip L1 cache
- Support for multi-threaded operation with zero-time switching penalty
- Network router and communication ports on-chip

[1] The memory unit can execute many of the operations that the integer unit can, along with load and store instructions

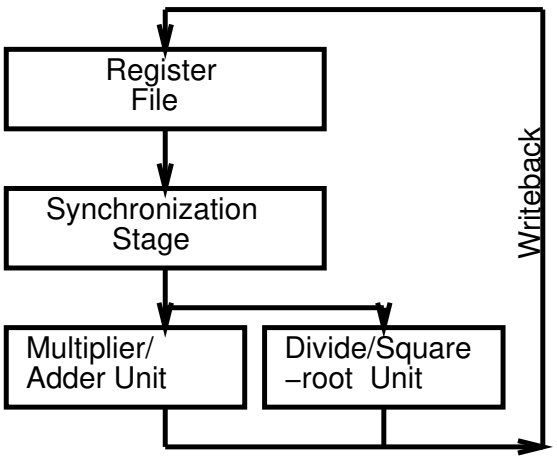


Figure 1-1: *Floating Point Pipeline*

The floating point unit consists of a 15 word by 64 bit register file, a multiplier/adder unit, and a divide/square-root unit. The pipeline model for the floating point unit is shown in figure 1-1. The first stage of the pipeline consists of a register read from the register file. Next, the synchronization stage ensures all operands are valid [2]. Then the operands are dispatched to either the multiplier/adder unit or the divide/square-root unit. Finally, output values from the two units are written back to the register file.

My work concentrated on the datapath portion of the multiplier/adder unit (designated the FPU-MULA unit), along with the rounding equations for the control logic. Because of its position in the global design, there were many design constraints on the multiplier/adder:

- Support for IEEE double-precision multiplication, addition, multiply-and-add, comparison, and conversion operations.
- Target clock period of 10ns
- Fully pipelined with target latency of 4 clock cycles

[2] This is accomplished using a scoreboard in the control logic

- Fixed Bit width of 25.2 microns (total 2mm width) and approximate total height of 3.8mm
- Ability to stall pipeline and bypass stages.

Chapter 2

The Instruction Set

The MAP Instruction set is outlined in detail in M-Machine Instruction Set Reference v1.4 [4]. Only a small subset of these instructions is executed through the FMULA unit; these instructions are

FADD Floating Point Addition

FSUB Floating Point Subtraction

FMUL Floating Point Multiply

FMULA Floating Point Multiply and Add

IMUL Integer Multiply (low word)

HMUL Integer Multiply (high word)

MOV Move Register

ITOF Signed Integer to Floating Point Conversion

FTOI Floating Point to Signed Integer Conversion

FTOIU Floating Point to Unsigned Integer Conversion

FLT Floating Point Less Than

FLE Floating Point Less Than or Equal

FEQ Floating Point Equal

FNE Floating Point Not Equal

FIMM Create 16 Bit Immediate

FSHORU Shift & OR Unsigned 16 Bit Immediate

FSND0 Send Priority 0 Message, user level

FSND0O Send Priority 0 Message, ordered, user level

FSND0P Send Priority 0 Message, physical

FSND0PO Send Priority 0 Message, physical, ordered

FSND0PNT Send Priority 0 Message, physical, no throttling

FSND0PNTO Send Priority 0 Message, physical, no throttling, ordered

FSND1PNT Send Priority 1 Message, physical, no throttling

FSND1PNTO Send Priority 1 Message, physical, no throttling, ordered

Many of these instructions are simply variants of each other, with simple control-side changes. Therefore, the datapath has been designed to accommodate the 12 *unique* instructions: FADD, FMUL, FMULA, IMUL, HMUL, MOV, ITOF, FTOI, FTOIU, FIMM, SHORU [1].

2.1 FMUL: Double Precision Multiply

This operation performs an IEEE compliant double precision [2] multiplication on two input arguments, A and B. The pseudo-code for the operation looks like:

1. res.exp = a.exp + b.exp;

[1] The Send instructions are implemented using a send unit directly copied from the Integer unit. See [5] for details

[2] See Appendix A for a short discussion of the IEEE double precision floating point format

2. res.mant = a.mant * b.mant;

3. if (res.mant >= 2) res.mant=res.mant >> 1, res.exp++;

4. if (res.mant[-1] == 1) res.mant+= lsb;

5. if (res.mant[-2:-n] == 0) res.mant[0] = 0;

6. if (res.mant >= 2) res .mant=res.mant >> 1, res.exp++;

To summarize: Add the exponents, multiply the mantissa's. If the mantissa overflows, right-shift mantissa by 1 to normalize, and increment exponent. If the bit 1 to the right of the LSB of the mantissa is 1, increment mantissa (fractional portion >= .5). If all the bits more than 1 to the right of the LSB of the mantissa are 0, force LSB of mantissa to be 0 (when fractional part == .5, round to nearest even). Finally, check mantissa for overflow, if so right-shift mantissa and increment exponent.

Checks can be easily done in parallel for invalid input arguments and overflow conditions. Gradual underflow conditions are a bit more complicated; the calculation is done on the underflowed input value as normal [3], and the final result is normalized as necessary. This ends up being an additional two steps: right-shift if result exponent is too small, and left-shift if mantissa underflows but exponent is larger than minimum value [4].

1. while (res.exp < minval) res.exp++, res.mant >> 1;

2. while ((res.exp > minval) && (res.mant < 1)) res.exp–, res.mant << 1;

2.2 FADD: Double Precision Addition

This operation performs an IEEE-compliant double precision addition on two input arguments, A and B. The pseudo-code for the operation looks like:

1. if (a.exp > b.exp) less=b,more=a else less=a,more=b;

[3] Some implementations, such as the SPARC, normalize the input values before calculation
[4] The minimum exponent is -1022

2. res.exp = more.exp;

3. while (less.exp < more.exp) less.exp++,less.mant=less.mant >> 1;

4. res.mant = less.mant + more.mant;

5. while ((res.mant < 1) && (res.exp > minexp)) res.mant=res.mant << 1, res.exp–
   ;

6. if (res.mant >= 2) res.mant=res.mant >> 1, res.exp++;

7. if (res.mant[-1] == 1) res.mant++;

8. if (res.mant[-2:n] == 0) res.mant[0] = 0;

9. if (res.mant >= 2) res.mant=res.mant >> 1, res.exp++;

The pseudo-code here first determines which of the arguments has the larger and smaller exponents; the result will have the larger exponent. The smaller number is then right shifted until the binary points are aligned. When this is achieved, the mantissas are added together. Then the result is normalized, and overflow is checked. Rounding is done as in the multiplication operation, and overflow is again checked after rounding.

Overflow and illegal numbers are again handled by the control logic. Gradual underflow is also dealt with correctly - underflowed inputs will work correctly, and the post-normalization stage will not normalize past the underflow mark.

2.3 FMULA: Double Precision Multiply and Add

This operation performs an IEEE-compliant double precision multiplication on two input arguments, A and B, than an IEEE-compliant double precision addition on the result of the multiplication and a third input argument C. This result of this operation should be indistinguishable from a separate FMUL and FADD instruction pair.

2.4 FTOI: Double Precision to Integer Conversion

This operation converts from the double-precision floating point format to a 2's complement integer result. The pseudo-code for the operation looks like:

1. res.exp = a.exp - 52;
2. res.mant = a.mant;
3. while (res.exp < 0) res.exp++,res.mant=res.mant >> 1;
4. while (res.exp > 0) res.exp–,res.mant=res.mant << 1;

The exponents is first corrected for the shift in the binary point, and the mantissa is copied. If the resultant exponent is negative, right-shift mantissa and increment exponent until 0. If the exponent is positive, left-shift mantissa and decrement exponent until 0. If one desires the conversion to be rounded as well, the following steps can be added (which are equivalent to the rounding in the addition and multiplication, except with no overflow correct).

1. if (res.mant[-1] == 1) res.mant++;
2. if (res.mant[-2:n] == 0) res.mant[0] = 0;

2.5 ITOF: Integer to Double Precision Conversion

This operation converts from a 2's complement integer to a double-precision floating point result. This pseudo-code for the operation looks like:

1. res.exp = 52;
2. res.mant = a.mant;

3. while (res.mant[63:53] > 0) res.exp++, res.mant=res.mant >> 1;

4. while (res.mant < 1) res.exp–, res.mant=res.mant << 1;

The exponent is first set to 52, on the assumption that the mantissa is correctly normalized from the given integer argument. If the high bits of the mantissa are non-zero (the bits beyond bit 52), the mantissa is right-shifted and the exponent is incremented. If the mantissa is not normalized, the mantissa is left-shifted and the exponent decremented.

Chapter 3

Hardware Needed to Support Operations

3.1 Double Precision Multiplication

The pseudo-code, and what's needed to implement it:

res.exp = a.exp + b.exp; Exponent calculation will be handled in the control logic.

res.mant = a.mant * b.mant; Mantissa multiplication will require a multiplication array of some sort; this is discussed below.

if (res.mant >= 2) res.mant=res.mant >> 1, res.exp++; This requires a single mux to select between the mantissa and the mantissa right-shifted by 1 place.

if (res.mant<-1> == 1) res.mant+= lsb; This requires an incrementer and a mux to select between the mantissa and the incremented mantissa.

if (res.mant<-2:-n> == 0) res.mant[0 = 0;] A single bit mux is needed to select between bit 0 and 0.

if (res.mant >= 2) res.mant=res.mant >> 1, res.exp++; This requires a single mux to select between the mantissa and the mantissa right-shifted by 1 place.

3.1.1 Multiplication Techniques

The most obvious algorithm for doing multiplication is that of the long-multiplication (similar to multiplying in decimal). Here, one adds a weighted version of the multiplicand whenever a bit in the multiplier is one. A simple example of a 4x4 bit multiply is shown below.

```
    0110 = 6
x   0111 = 7
--------
00000110 = 6
00001100 = 12
00011000 = 24
00000000 = 0
--------
00101010 = 42
```

To handle 2's complement signed arithmetic, things become a bit rough. Both the multiplicand and the multiplier need to be sign extended out to the full number of bits. Two examples are shown below.

```
    1101 = -3        0010 = 2
x   0110 = 6     x   1101 = -3
--------         --------
00000000 = 0     00000010 = 2
11111010 = -6    00000000 = 0
11110100 = -12   00001000 = 8
00000000 = 0     00010000 = 16
00000000 = 0     00100000 = 16
00000000 = 0     01000000 = 16
00000000 = 0     10000000 = 16
00000000 = 0     00000000 = 16
```

In0	In1	In2	Carry	Sum
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

Table 3.1: *3-2 Adder*

```
--------          --------

11101110 = -18    11111010 = -6
```

For a 64x64 bit multiply, this results in 128 partial products of 128 bits each. 128 adders, each 128 bits wide would take a considerable amount of silicon area to implement, as well as have a very long latency, both of which are unacceptable in this application.

One way around this is to not calculate the complete sum at every stage, but instead to calculate a redundant carry/sum form. Basically, at each bit, 3 bits will be summed together, forming two output bits, the carry and the sum (a 2 bit result) – see table 3.1

These outputs will be fed into the next stage (the sum bits being shifted right by 1), which will add another bit into the running sum and continue on. After all partial products have been added together, a 128 bit adder will be used to add the final two carry/sum numbers together.

This still leaves 128 stages of logic to pass through, giving quite a significant area and delay. One solution is to go to a higher radix at each stage. For radix n, each stage will add a precomputed multiple between 0 and n-1 of the multiplier, depending on log2n bits of the multiplicand. For example, radix-4 will select between 0, 1x, 2x, and 3x the multiplicand, using 2 bits of the multiplier, and reducing the number of stages to 64.

Another technique is to again use redundant encoding, this time encoding the multiplier bits. Booth encoding uses log2n bits of the multiplier at each stage, and

Bit 1	Bit 0	Last MSB	Total	Next Stage	Last Stage	Final
0	0	0	0	0	0	0
0	0	1	1	0	-1	0
0	1	0	1	0	0	+1
0	1	1	2	0	-1	+1
1	0	0	-2	+4	0	+2
1	0	1	-1	+4	-1	+2
1	1	0	-1	+4	0	+3
1	1	1	0	+4	-1	+3

Table 3.2: *Radix 4 Booth Encoding Example*

selects a multiple of the multiplicand between -n+1 and n-1. Negative multiplicands are easy to form from their positive counterpart[1], so only half the number of multiplicands need to be kept around. In addition, the sign extension bits of the multiplier can be tossed away, halving the number of partial products.

Booth encoding allows an error of up to 1/2 * log2n that can be tolerated, provided it is corrected for in the next stage. This is accomplished by examining the MSB of the previous stage, and planing on the next stage using the current MSB. By assuming the next stage will add log2n * the multiplicand is the MSB is 1, we can subtract this from the current expected multiplicand. An example table for radix 4 is shown in table 3.2.

The first two columns represent the bits that are being used. Column 3 is the MSB from the last stage, which will need to be corrected for. Column 4 shows what multiple to add in for this stage. Columns 5 and 6 show what the next and previous stage will be adding in. Column 7 shows the final answer with all correction factors, indicating the correct expected value from just columns 1 and 2.

3.1.2 Alternative Rounding Techniques

The pseudo-code for multiplication has two adds occuring. The first add occurs after the multiplier array in order to produce the 128 bit result from the redundant carry/sum result. The second add occurs in the rounding stage to increment the

[1]Invert and add 1 at the LSB

Rs	Rc	Rin	Ov	Rnd	Result	Pre-Incr	Final
0	0	0	0	1	1	0	1
0	0	0	1	1	2	0	2
0	0	1	0	1	2	0	2
0	0	1	1	1	3	0	3
0	1	0	0	1	2	1	0
0	1	0	1	1	3	1	1
0	1	1	0	1	3	1	1
0	1	1	1	1	4	1	2
1	0	0	0	1	2	1	0
1	0	0	1	1	3	1	1
1	0	1	0	1	3	1	1
1	0	1	1	1	4	1	2
1	1	0	0	1	3	1	1
1	1	0	1	1	4	1	2
1	1	1	0	1	4	1	2
1	1	1	1	1	5	1	3

Table 3.3: *Multiplication Rounding Detection*

mantissa.

By using a somewhat different strategy [8], the two adds can be combined. As noted above, rounding can be accomplished by adding 1 to the bit to the right of the LSB of the result mantissa, henceforth called the R bit. The other factors in calculating this bit are the carry/sum inputs (Rs and Rc), and the carry-in bit (Rin). Finally, if the mantissa overflows, the correct place to add the rounding 1 is the LSB; this can be accomplished by adding an additional 1 to the R position. Table 3.3 illustrates the possible inputs to the R position, and the resultant R bit.

The result bit shows that the possible values of the R bit will be in the range of 1-5. This will result of overflows into the LSB bit of 0, 1, or 2. By calculating mant, mant+1, and mant+2 in parallel, one can do select the proper result at the end, and avoid having two adds sequentially. However, calculating three possible results is computationally expensive.

With a simple technique, one can reduce the range of possible answers by observing that Rs and Rc will be calculated early. By taking the logical 'or' of this value, and adding it to the LSB position, the final range is reduced to 0-3, as shown in the last two columns. Now, the possible final results are mant and mant+1; by a

simple modification of the 64 bit adder, one can calculate mant and mant+1 with considerably less than the area of two 64 bit adders.

This strategy only implements IEEE round-to-nearest; if the fractional part is less than .5, round down, if greater than or equal to .5, round up. The prefered rounding style is IEEE round-to-nearest-even; here rounding when the fractional part is .5 will occur in the direction of the closest even number [2].

To implement round-to-nearest-even, the only change necessary is the ability to force the LSB to 0. The reason this is sufficient is that the two rounding schemes differ ONLY when the fractional part is .5 and the integer part has an LSB of 0. Round-to-nearest will round up, resulting in a integer part with LSB of 1 (but no carry into the next significant bit), round to nearest will result in a integer part with LSB of 0.

To detect when the forcing of the LSB is necessary, the value of the bits beyond the the 1/2 bit must be considered. By performing a logical OR of all these bits (resulting in the sticky bit), one can determine if the fractional part is exactly .5 (sticky bit is 0), or >.5 (sticky bit is 1).

3.2 Double Precision Addition

The pseudo-code, and what's needed to implement it:

if (a.exp > b.exp) less=b,more=a else less=a,more=b; Two 2 input muxes to select between mantissa.

res.exp = more.exp;

while (less.exp < more.exp) less.exp++,less.mant=less.mant >> 1; Right shifter to shift mantissa

res.mant = less.mant + more.mant; 64 bit adder to add mantissa's together

[2] This is an arbitrary decision, the main incentive is to split which way rounding occurs more evenly. Whether this strategy is at all valid is beyond the scope of this thesis

Subtract Operation	Negative Result	Non-Rounded Result	Rounded Result
0	-	A+B	A+B+1
1	0	A+B+1	A+B+1+1 = A+B+2
1	1	(A+B+1)	(A+B+1)+1 = (A+B)

Table 3.4: *Possible Rounding Results*

while ((res.mant < 1) && (res.exp > minexp)) res.mant=res.mant << 1, res.exp– Leading zero detector and left shifter to normalize mantissa.

if (res.mant >= 2) res.mant=res.mant >> 1, res.exp++; Mux to select between mantissa and right shifted mantissa

if (res.mant<-1> == 1) res.mant++; 64 bit incrementer to generate rounded version and 2 input mux to select incremented and non-incremented version.

if (res.mant<-2:n> == 0) res.mant[0 = 0;] 1 bit 2 input mux for forcing LSB to 0.

if (res.mant >= 2) res.mant=res.mant >> 1, res.exp++; Mux to select between mantissa and right shifted mantissa

3.2.1 Alternate rounding techniques

As in the multiplication algorithm, the add and round can be combined into one step. This technique consists of two separate parts; the first determines what the possible values from the addition are, the second selects between the non-rounded and rounded result.

The adder inputs will always be two positive mantissa values [3]. If the signs of the two input arguments vary, the operation to be done becomes a subtract. Subtraction is accomplished by inverting one of the arguments and adding 1. Finally, if a subtraction operation occurs, and the result is negative, the 2's complement of the result must be taken. Table 3.4 illustrates the possible operations.

[3]IEEE double precision format is sign-magnitude rather than 2's complement

Bit 53	Bit 52	Bit 51	Post-normalization	Effective R position	Round Vector
1	-	-	Right shift by 1 position	Bit 0 = L bit	1000
0	1	-	No Shift	Bit -1 = R bit	0100
0	0	1	Shift Left by 1	Bit -2 = G bit	0010
0	0	0	Shift Left by 2 or more	Bit -3 = S bit	0001

Table 3.5: *Post-rounding Shift Detection*

Not counting logical inverses, there are three distinct possible values: A+B, A+B+1, and A+B+2. By generating these three values, and selecting the correct two for the non-rounded and rounded cases, the rounding logic simply needs to determine which of the two remaining values to choose.

The problem remains of whether the final value needs to be incremented or not. Normally, three bits to the right of the LSB of the mantissa are kept track of. These bits, the R bit (mant[-1]), the G bit (mant[-2]) and the S bit (—mant[-3:-inf])[4] keep additional precision. Because only one of the input arguments is shifted, the R, G, and S bits will come only from the shift [5].

To determine rounding, one normally adds 1 to the R bit position and checks for overflow occuring. However rounding normally occurs after post-normalization, the R position may actually be a different position than where it is before post-normalization. To fold the rounding stage in with the addition, one needs to determine where the R position will be.

To do this, a 3 bit leading zero detect is done on the resultant mantissa. This will specify how much the result will be normalized; the possible cases are listed in the table 3.5.

The key point to note is that a shift of more than 2 to the right is equivalent to a shift of 2. This is because the S bit is copied when left shifting. When adding a rounding bit to any location right of the S bit, the exact same result will happen as if it were added to the S position, due to the copying of the S bit when shift occurs (see table 3.6). The only difference will be in the value of the bit at the rounded position,

[4]The S bit is actually the logical 'OR' of all the bits that are shifted beyond the G position

[5]The R,G, and S bits of the other input will always be 0, since IEEE double precision format does not contain these values

S bit	Round at S RGS	Rounded LRGS	Round right of S RGS...	Rounded RGS
0	000	001	000...00	000...01
1	111	000+	111...11	000...00+

Table 3.6: *Effect of rounding to the right of S bit*

which will not be truncated for the final result.

The other 'feature' of this form of rounding is that all bits right of the S bit, and including the s-bit, are guaranteed to be zero after rounding. Therefore, the normalization shifter can safely shift in 0's after the R and G positions, eliminating the high fanout from the S bit.

To accomplish rounding, first a 4-bit vector is formed from the R-G-S bits - this is equal to $4 * R + 2 * G + S$, or $R * (\ R) + 2 * (\ G) +\ \ S + 1$ in the case of a negative mantissa result when the two's complement. needs to be computed. To this vector is added the rounding vector, and the MSB of this 4 bit result is checked. A 1 here indicates an overflow into the LSB of the mantissa, and the rounded result should be selected.

bitvec = negative ? 4(R) + 2*(G) + S + 1 : 4*R + 2*G + S;*

bitvec += rndvec;

result = bitvec[3] ? rnded : nonrnded;

To accomplish round-to-nearest-even, forcing is done on the bit to the left of the rounding bit if the rounding bit position is 1, and all bits to the right are 0. This gives 4 different bit positions that could be forced, L1, L0, R, and G.

Chapter 4

Possible Architectures for Multiply/Add

Given the techniques discussed for implementing multiplication and addition, there are several possibilities for implementing a combined Multiply/Add instruction that calculates A*B + C.

4.1 Separate Pipelines for Multiply and Add

Figure 4-1 shows two independent pipelines compute the multiply and add separately. This has the advantage of giving minimal latency for the multiply instruction and the add instruction, but has a large latency for the multiply-add instruction, no better than that of a multiply followed by an add.

Given a super-scalar processor which can issue multiple instructions, this would have the advantage of being able to schedule multiply and add instructions simultaneously. Unfortunately, the M-Machine can only issue 1 floating point instruction per cycle.

Furthermore, there can be no sharing of resources needed for the multiply and add; this implementation uses the maximal amount of silicon area.

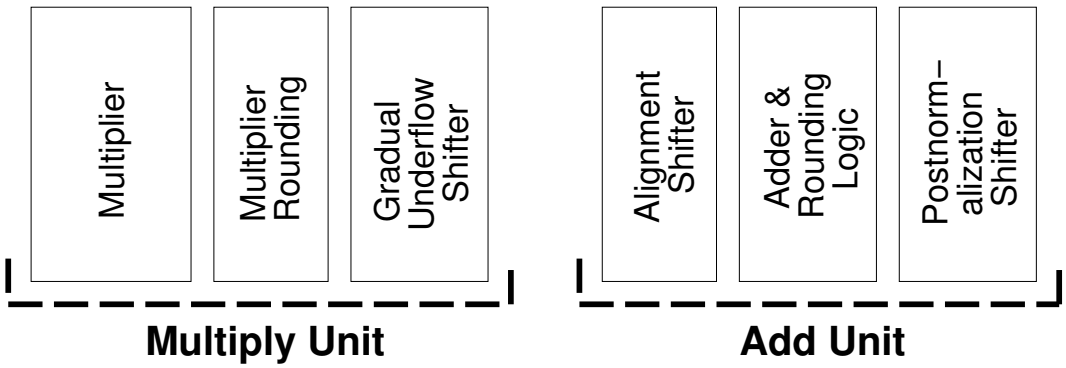


Figure 4-1: *Separate Multiplier and Adder Units*

4.2 Shared resources between Multiply and Add units

In the previous architecture, there is no resource sharing between the Multiply and Add units. However, one could easily share the adder and rounding logic between the multiplier and adder pipelines. The resultant pipeline is shown in figure 4-2.

By performing the gradual underflow shift *before* the multiply, the alignment shifter and gradual underflow shifter could be shared, as shown in figure 4-3.

Both of these approaches have the side effect of increasing the latency of the instructions do to the pipeline stages that don't quite overlap. Given a somewhat clever scheduling algorithm and the ability to feed-through stages, this effect could be reduced. However, the bigger problem is that the fused multiply-add is no longer a fully pipelined operation; two passes through the pipeline are necessary, and therefore multiply-add instructions can not be retired every cycle.

4.3 Multiply followed by Add

Figure 4-4 shows an architecture with a single multiply/add pipeline. Here, the gradual underflow shifter and the alignment shifter have been merged into one unit, otherwise the architecture is similar to the separate units placed end-to-end.

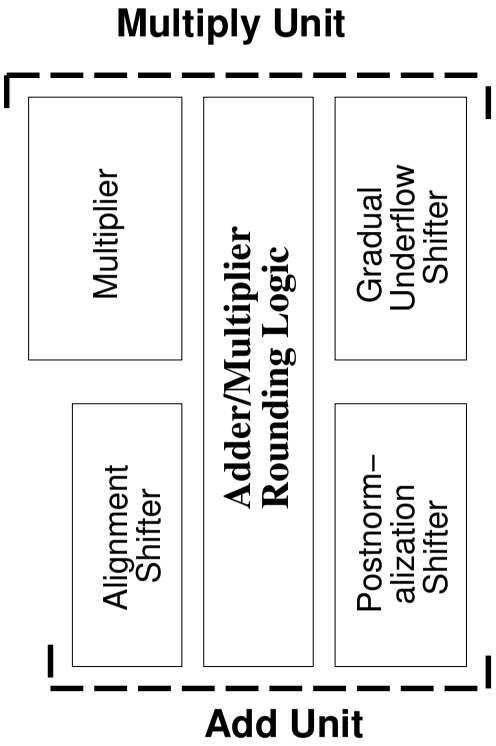


Figure 4-2: *Shared Add/Round Logic*

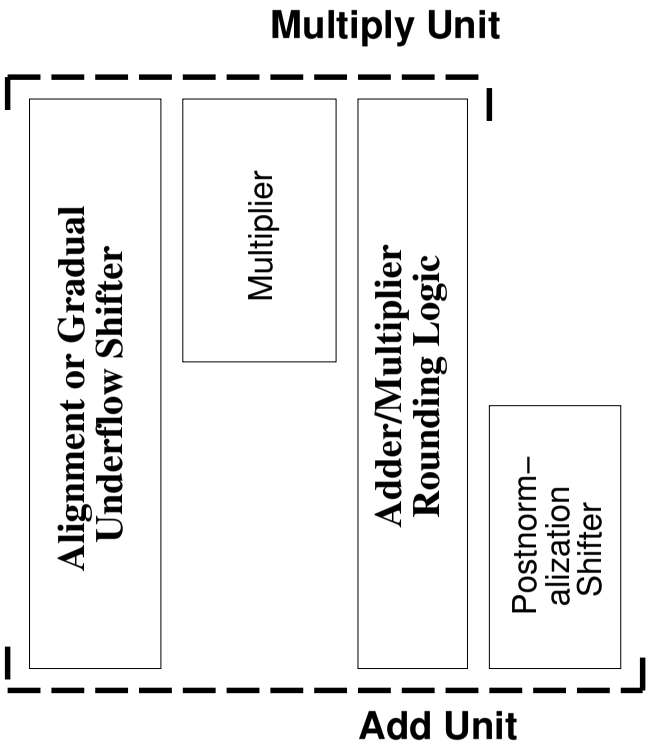


Figure 4-3: *Shared Add/Round and Shifter Logic*

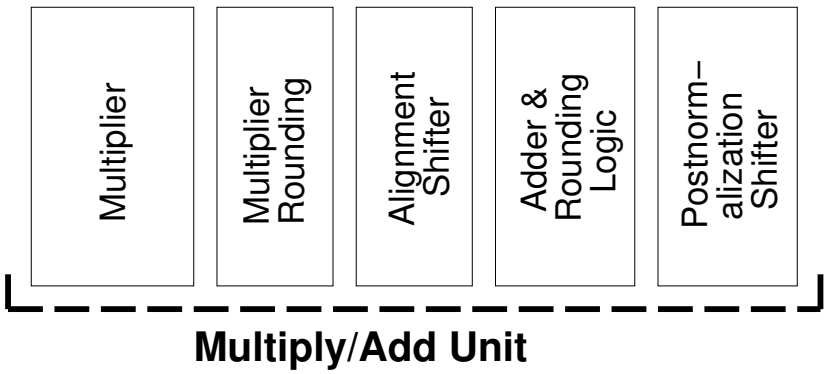


Figure 4-4: *Fused Multiply/Add Units sharing the shifter*

Fusing the two pipelines gives a smaller latency for the fused multiply-add operation, as well as some sharing of resources. However, the latency of both the multiply and the add operations has been increased to that of the full multiply-add. Some recovery of this time could be accomplished by allowing operations to drop-through the pipeline, though the scheduler must be careful to avoid two instructions retiring on the same cycle. In addition, the scheduler must be careful to avoid overlapping usage of the shared shifter.

4.4 Multiply with no rounding followed by Add

By removing the rounding stage from the multiplication operation and passing the UN-rounded sum and carry portions to the adder, the latency of the multiply-add operation can be further reduced (see figure 4-5). The main disadvantage of this over using the intermediate rounding stage is that the fused multiply/add instruction can give different results than the non-fused operations. Another disadvantage is that twice the number of wires need to be sent to the adder stage from the multiplier stage.

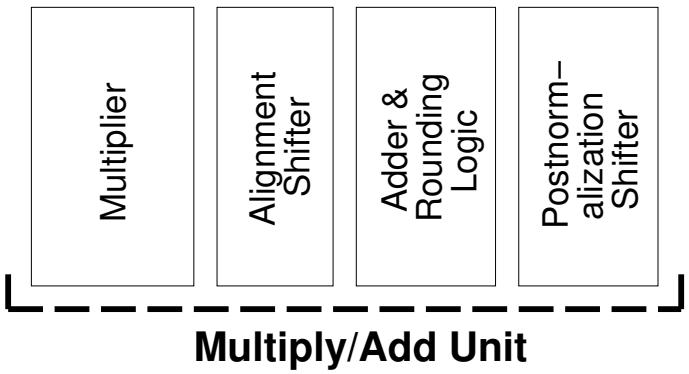


Figure 4-5: *Fused Multiply/Add Units with no separate Multiplier rounding*

4.5 Chosen Architecture for Implementation

The fused pipeline with intermediate rounding was chosen as the architecture for the floating point unit in the M-Machine.

The major reasons include:

- Ability to dispatch a fused multiply-add operation every clock cycle
- Relatively Low latency for the fused multiply-add operation
- Equivalent results from fused and non-fused multiply-add operations

Although other architectures have lower latencies for the fused multiply-add, they do don't give the same results as the non-fused operation, and therefore are unsatisfactory for this implementation.

Chapter 5

Schematic Implementation

5.1 Pipeline Design

The actual schematic implementation of the floating point multiplier-adder unit requires a 4 cycle pipeline divided into 8 stages each one-half cycle in length. These stages are:

1. Booth Encoding
2. Multiplication Arrays - First half
3. Multiplication Arrays - Second half
4. Multiplication Rounding
5. Addition Alignment - First half
6. Addition Alignment - Second half
7. Addition and Rounding
8. Post-normalization

Because of the use of transparent latches, stages can borrow time from their neighbors. The actual times for each stage, and the direction of time borrowing is shown below.

5.2 Multiplier Design

The multiplier is required to support both floating point and integer operations. To accomplish this, the entire 64x64->128 multiplication is computed, and appropriate rounding or selection of the output bits is done.

To make rounding easier, floating point inputs are aligned such that the binary point of the result will occur between bit positions 116 and 115, and the least significant bit will occur at position 64. To accomplish this, the B argument is shifted up by 12 places, putting its binary point between bits 64 and 63.

5.2.1 Booth Encoding

As mentioned earlier, a radix-8 booth encoding scheme is used to do the multiplication. Radix 8 encoding requires the partial products -4A, -3A, -2A, -1A, 0A, 1A, 2A, 3A, 4A. Generating all but the 3A and -3A partial product can be done with simple shifts and inversions; calculation of 3A requires a full adder, which occurs during this stage.

Also, the B argument will be booth-encoded into the select and invert signals for the partial product muxes. Table 5.1 shows the desired outputs for the different input vectors.

The equations used to implement this are:

t2 = Bit2 XOR Bit1

t1 = Bit2 XOR Bit0

t0 = Bit2 XOR Bit-1

SelInv = Bit2

Sel4 = t2 AND t1 AND t0

Sel3 = t2 AND (t1 XOR t0)

Sel2 = t2 XOR (t1 AND t0)

Sel1 = t2 AND (t1 XOR t0)

Sel0 = t2 AND t1 AND t0

Bit 2	Bit 1	Bit 0	Bit -1	Partial Product	Select Invert	Sel 4	Sel 3	Sel 2	Sel 1	Sel 0
0	0	0	0	0	-	0	0	0	0	1
0	0	0	1	A	0	0	0	0	1	0
0	0	1	0	A	0	0	0	0	1	0
0	0	1	1	2*A	0	0	0	1	0	0
0	1	0	0	2*A	0	0	0	1	0	0
0	1	0	1	3*A	0	0	1	0	0	0
0	1	1	0	3*A	0	0	1	0	0	0
0	1	1	1	4*A	0	1	0	0	0	0
1	0	0	0	-4*A	1	1	0	0	0	0
1	0	0	1	-3*A	1	0	1	0	0	0
1	0	1	0	-3*A	1	0	1	0	0	0
1	0	1	1	-2*A	1	0	0	1	0	0
1	1	0	0	-2*A	1	0	0	1	0	0
1	1	0	1	-A	1	0	0	0	1	0
1	1	1	0	-A	1	0	0	0	1	0
1	1	1	1	0	-	0	0	0	0	1

Table 5.1: *Booth Encoding Outputs*

Schematics implementing these functions are shown in 5-1. Figure 5-2 shows the circuitry for calculating t2, t1, and t0 by performing an XOR of each of the low bits with the high bit. Figure 5-4 and Figure 5-3 show the circuitry to calculate Sel0/Sel2/Sel4 and Sel1/Sel3 respectively [1].

5.2.2 Multiplication Arrays

In order to sum up the 22 partial products, two arrays are used to each add 11 partial products each. The results from these arrays are then combined and passed to the rounding stage.

As mentioned early, a 3 input 1 bit binary adder is used to produce 2 output bits; this way another partial product can be added for every stage of adders. Because the first stage can take in 3 products, this leads to a total of 8 stages to compute the sum of 11 partial products.

Another strategy is to use a 7 input 1 bit adder that produces 3 bits of output;

[1]The ability to factor common transistors resulted in the somewhat strange grouping circuit topologies, instead of having 5 independent circuits

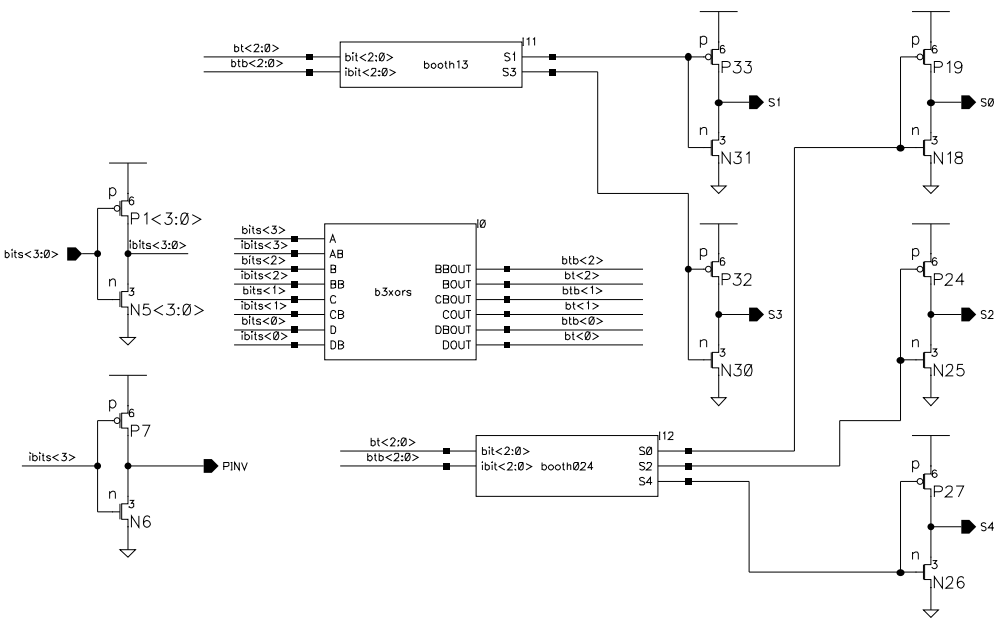


Figure 5-1: *Booth Encoder Cell - Top Level*

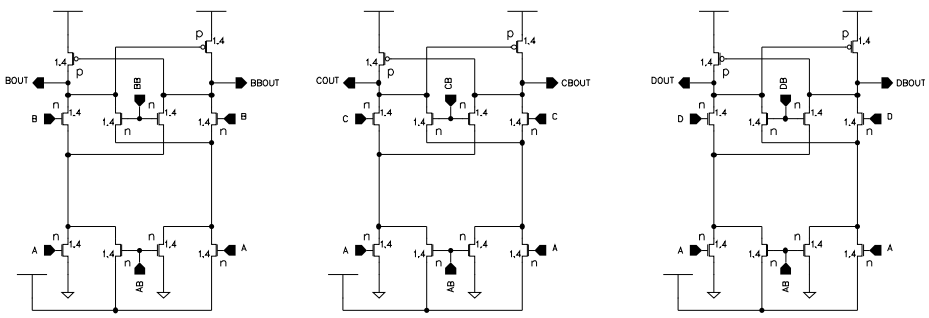


Figure 5-2: *Booth Encoder Cell - XOR Inputs*

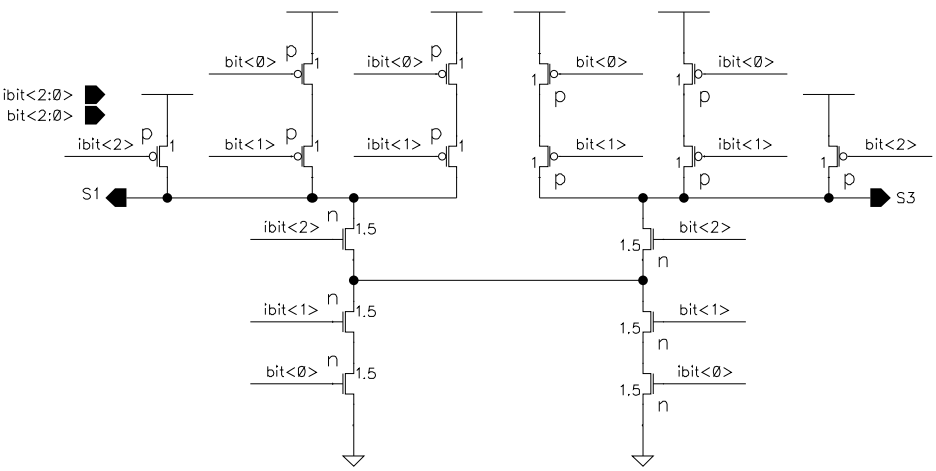


Figure 5-3: *Booth Encoder Cell - Select 1,3*

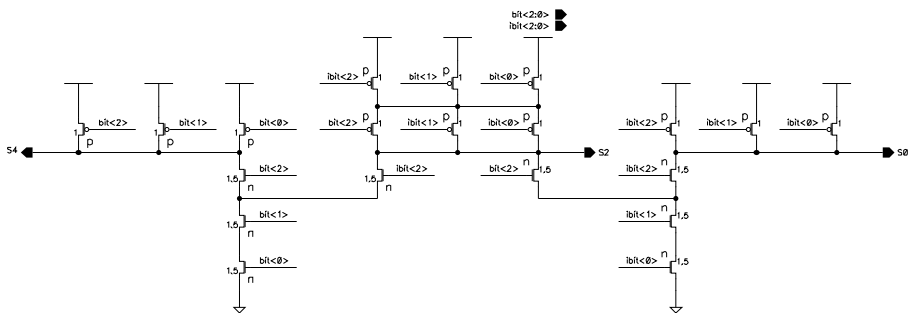


Figure 5-4: *Booth Encoder Cell - Select 0,2,4*

the potential is then that 4 partial products can be added at each stage, and only two stages would be necessary - or the whole 22 partial products could be added up in 5 stages. However, the circuit complexity is greatly increased for the 7-4 adder over the 3-2 adder; in addition, many more wiring tracks are needed, and using the 3-2 adder all the available wiring tracks are already taken.

Rather than compute a 128 bit sum every stage, only the 66 bits affected by the current partial product are summed. This allows the A and 3A wires (the inputs to the partial product muxes) to pass straight down the multiplication array, as well as reduces the area and power since redundant calculation is eliminated. However, the outputs of each stage must be sign extended since negative results are possible. This means that the load on the MSB of each addition stage has a load 3x normal [2]; in the case of the 7-4 adder this would be 12x normal, another reason not to use it.

A differential domino full-adder was selected as the base cell of the array – see figure 6-5 (the next chapter has a comparison of different circuit designs). Because of this choice, timing of the inputs to the array and the precharge/evaluate signals to the pieces becomes critical. In addition, a domino-style mux is used for the input to the full-adders.

5.2.3 Timing Considerations

Figure 5-5 shows the timing methodology for the domino portion of the arrays. A delayed-precharge timing style, similar to that used in the Intel Pentium Pro ([7]), is used. Because the isolation inverters in the domino logic are resized to provide a faster rising edge than falling edge, more than half the cycle is allocated for precharge. This is accomplished by starting the precharge of the first stage when the clock rises, halfway into the evaluation cycle, and continuing through part-way of the next cycle. The muxes will precharge right after the clock's falling edge for a short pulse, then start evaluating.

Because the first stage will not start evaluating until shortly after the clock falls,

[2]See Appendix B for a technique to alleviate this extra loading

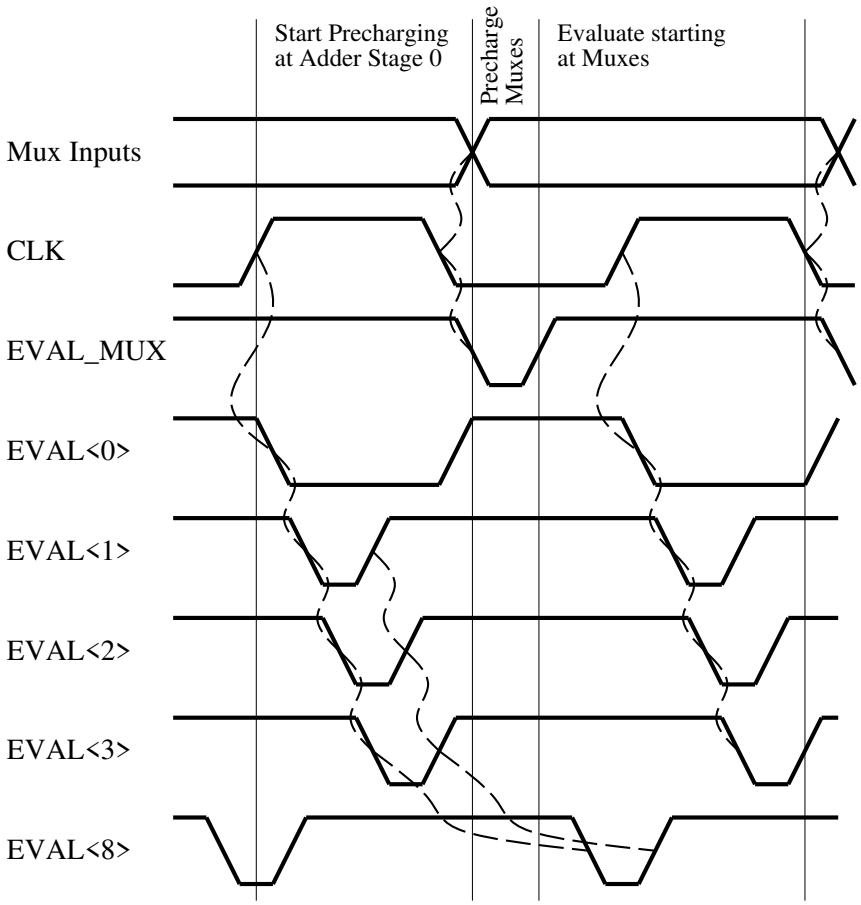


Figure 5-5: *Timing for Evaluate Signals for Domino Logic*

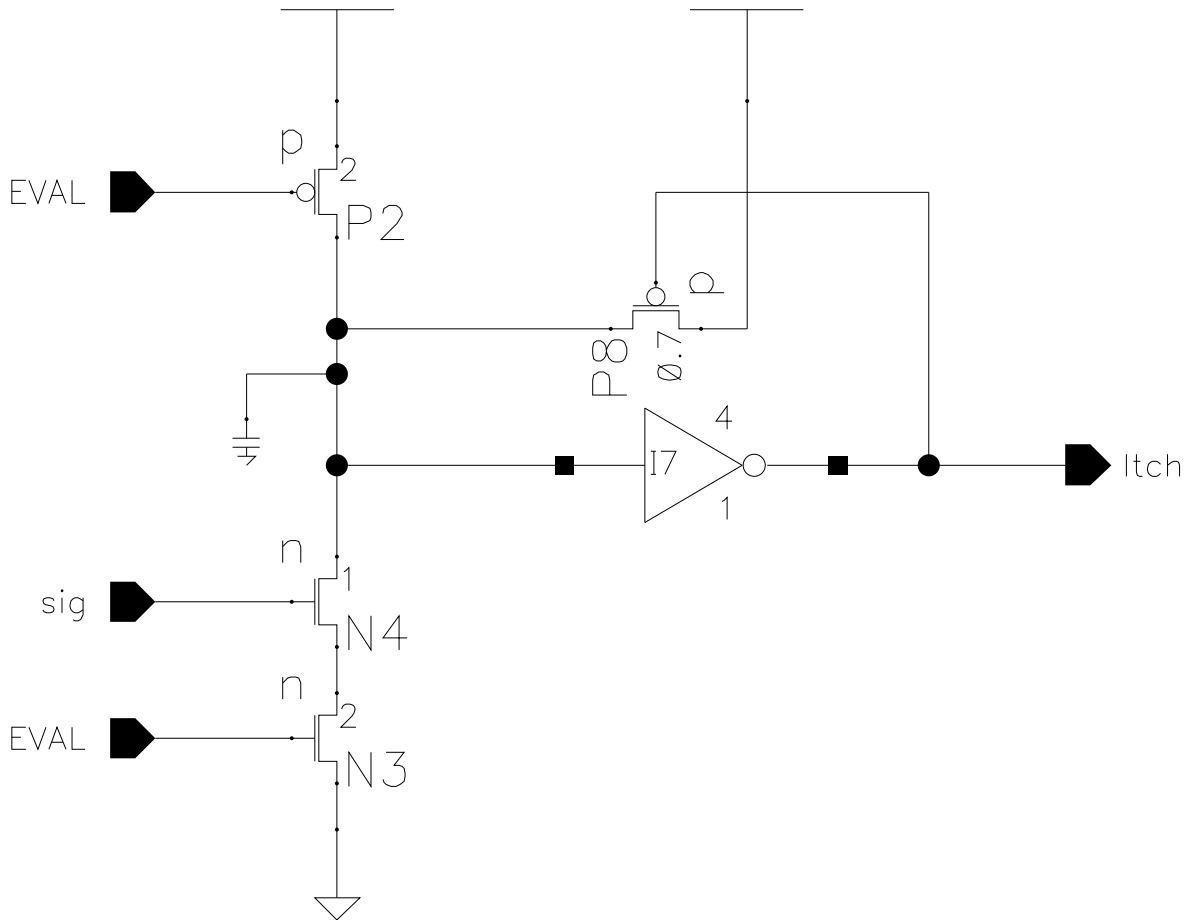


Figure 5-6: *Interface Latch for static logic from domino signals*

two of the three inputs into the next stage will not reach an assertion state (where either the signal or the complementary version goes high) until the first stage muxes evaluate. This will prevent all the rest of the next stage from evaluating, and likewise none of the latter stages will evaluate.

As a result of the staggered precharge strategy, the some of the output bits (those generated by the bits shifted off in the early stages) will not remain valid until the end of the evaluation cycle. Therefore an interface circuit needs to be added to allow seem-less integration with static cmos. For this purpose, we use a version of an RS latch (see figure 5-6) that sets on valid signal and resets on clock-low. This allows the rising edge of the output to Trigger the latch, while the falling edge caused by the precharging of the array will be ignored until the next cycle.

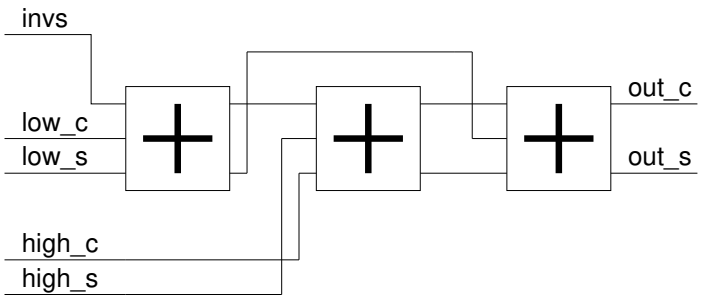


Figure 5-7: *Array Combination using 3 stages of Full Adders*

5.2.4 Array Combination

Before rounding can occur, the four 96 bit outputs from the two arrays must be combined into two 128 bit outputs. A fifth input vector consisting of the inversion selects [3] needs to be summed into the final output. This is accomplished using three stages of 1 bit adders as shown in figure 5-7. In order to simplify timing, these adders will be static hdcvsl adders rather than the domino adders inside the arrays.

5.2.5 Multiplier Rounding

The last stage of the multiplication involves combining the two 128 bit vectors from the array combination stage, adding them together, and rounding the result. Rounding is performed as discussed in Section 3.1.2 to prevent the need for two separate sequential adds.

The schematic implementation uses the shared library 64 bit adder to compute the low 64 bits of the multiplication, and a zero detector [4] on the result to calculate the sticky bit for rounding. The high 64 bits of the input vectors are first routed to a set of full-adders that add in the pre-rounding bit, then the result is fed to a specialized adder [5] that computes a+b and a+b+1. The two outputs are then muxed

[3] By simply doing adding in an inverted version of the partial product rather than a 2's complement negative version, the time to generate these partial products is greatly reduced. However, the extra 1 still needs to be added into the final result, and hence occurs here.

[4] The zero detector is a shared-library element designed by Parag Gupta [5] for the Integer Unit

[5] This is the same as the normal 64 bit adder, except with 2 global carry chain; one calculates the sum with carry in of 0, one calculates the sum with carry in of 1.

by the control and the LSB is again muxed to allow forcing of it to 0 for support of round-to-nearest-even.

For integer multiplication, the pre-rounding bit is forced to 0, and the the overflow of the low 64 bit add is used to do the selection between the possible high-word outputs; the results in a simple 128 bit add, rather than a round.

5.3 Addition

The second half of the pipeline performs the IEEE double-precision add and subtract. This requires an alignment shifter, an adder and round unit, and a post-normalization stage.

5.3.1 Alignment Shifter

The alignment shifter performs the alignment shift on the argument with the lower exponent. A 2 input mux selects between the inputs to be shifted, and a 64 bit right shifter [6] to perform the actual shift.

To support rounding, the sticky bit needs to be calculated as well. This accomplished using a generator detector circuit that passes bits that are shifted off and forces the rest of the bits to zero. The output of the mask generator is then fed to a zero-detector, and the output becomes the inverted version of the sticky bit.

The mask generator itself uses a radix 4 scheme and 4 customized cells. Each cell has two datapath inputs (inx and iny), two datapath outputs (outx and outy), and four control (sel<3:0>). The control inputs represent a shift amount as a one-hot encoding.

Each cell is effectively a comparator against a fixed constant. When the the comparison results in equally, inx and iny pass out to outx and outy without modification. In the case of the shift amount being greater than the constant, both outx and outy are set to inx. In the case of the shift amount being less than the constant, both outx

[6] The shifter used is a shared library shifted designed by UROP Jeff Bowers for the Floating Point Divide/Square Root unit [1]

and outy are set to iny. By cascading cells, an arbitrary length comparison can be made placing the cells for the MSB's first and feeding the outputs to successively less significant cells.

The entire generator is built by tiling a 2 dimensional array of these cells where each column has a comparator with a constant equal to its column number. By feeding in the value to be shifted in the x inputs, and ground into the y inputs, the y outputs at the bottom of the comparator will be equal to the inputs only for those values shifted off [7].

The non-shifted input is then muxed between itself and an inverted version; this is done to support addition in the case of the inputs having different signs (or subtractions with the same sign).

5.3.2 Addition and Rounding

The addition and rounding are a combined operation using the technique described in section 3.2.1. Three sums are computed: A+B and A+B+1 (using the dual carry chain adder) and A+B+2 (using a stage of 1 bit full-adders and the normal 64 bit adder). The results of these operations are fed into two 4 input muxes that select the two possibilities for the result (depending on if the result needs to round up or not); in addition, these muxes will invert the output in the case of negative results.

Actual rounding calculation is done inside the control logic using the two LSB's of the shift output and the sticky bit calculated. A 3 bit leading zero detector determines the rounding position [8]. A two input mux is then used to select between the rounded and non-rounded cases. Finally, another two-input mux is used to implement round-to-nearest even for forcing the LSB to be 0.

[7] In this case, the function implemented is greater-than. By altering the values places in the top inputs, less-than, less-or-equal, and greater-or-equal functions can easily be created

[8] This leading zero detector is implemented in datapath logic for speed reasons; given a slightly more relaxed cycle time, it would be preferable to implement in standard cells

5.3.3 Post-normalization

To complete the addition operation, the result needs to be normalized. A 64 bit leading zero detector is used to determine how much shifting is necessary. This result is passed to the control logic [9] and then fed to another shifter to perform the actual normalization.

The leading zero detector uses a structure similar to the 64 bit adders. 8 local chains each look at 8 bit of the input vector, and perform a leading zero detect. The results are then passed to a global chain, which determines which local chain detects the first 1. The global chain asserts one of the drive signals to a local carry chain, and that chain drives the correct bit pattern onto the output lines.

5.4 Support for other operations

The pipeline discussed supports many of the required operations. Some addition hardware is needed to support immediate instructions, send instructions, and conversion instructions. In addition, a bank of registers are used in the generation of error-vals which are generated in place of exceptions [10].

5.4.1 Immediate Support

A separate set of 4 registers is used to support immediate and move operations. These registers are wired back-to-back with muxes to allow feed-through when the pipeline is empty. A 2 input mux on the input is used to support the SHORU instruction [11].

5.4.2 Send Operations

Send operations are supported by a separate send unit, which is a duplicate of the send unit used in the integer unit [5].

[9] In the case of gradual underflow, the result should not be normalized so much that it results in an exponent ¡ -1023.

[10] See M-Machine Exception Document...

[11] SHORU A, B, C implements $C = (A << 16) + (B \& 0x3F)$

5.4.3 Err-vals

Like the immediate registers, a set of 4 registers is used to support err-val generation. When an errval is detected as one of the inputs to an operation, that value is placed in the err-val path.Otherwise, the instruction pointer along with some status bits are written into the err-val path. When the operation completes, if an err-val was detected, or a condition occurs generation an err-val (such as a 0 * infinity operation), the err-val is written back instead of the result.

5.4.4 Conversion Operations

FTOI and FTOUI conversion operations are fairly straightforward, and only require a change in the control logic to correctly post-normalize the number. ITOF, on the other hand, requires a 11 bit leading zero detect on the input integer to determine if any right-shifting is necessary. Originally, this was intended to be done in the datapath logic, but for now is being implemented in standard cells ion the control logic.

Chapter 6

Circuit Design for the Multiplier Array

Because of the large number of stages of addition in the multiplication array, considerable effort was placed on making the 3-2 adder circuit as fast as possible. 5 different designs were produced and considered, all optimized for two late arriving inputs and one early input, since the partial product is available at the start of the cycle.

Static CMOS

The first is a standard static CMOS full-adder circuit, taken from *Principles Of CMOS VLSI Design* [6] [1] - see figure n. The main disadvantage to this design is that three stages of logic separate the sum output from the inputs; one to calculate carry, one to calculate sum, and the last to invert sum. This could be reduced to 2 by using alternating between inverted-input adders and non-inverted-input adders to eliminate the final inverter [2]

Pass Transistor CMOS

The second style has the same carry calculation circuitry, but uses a 4 transistor XOR to calculate A XOR B and a final pass-transistor XOR to calculate (A XOR B) XOR

[1] The second edition circuit has a few errors

[2] actually, the inverted-input/output and noninverted-input/output adders are equivalent circuits

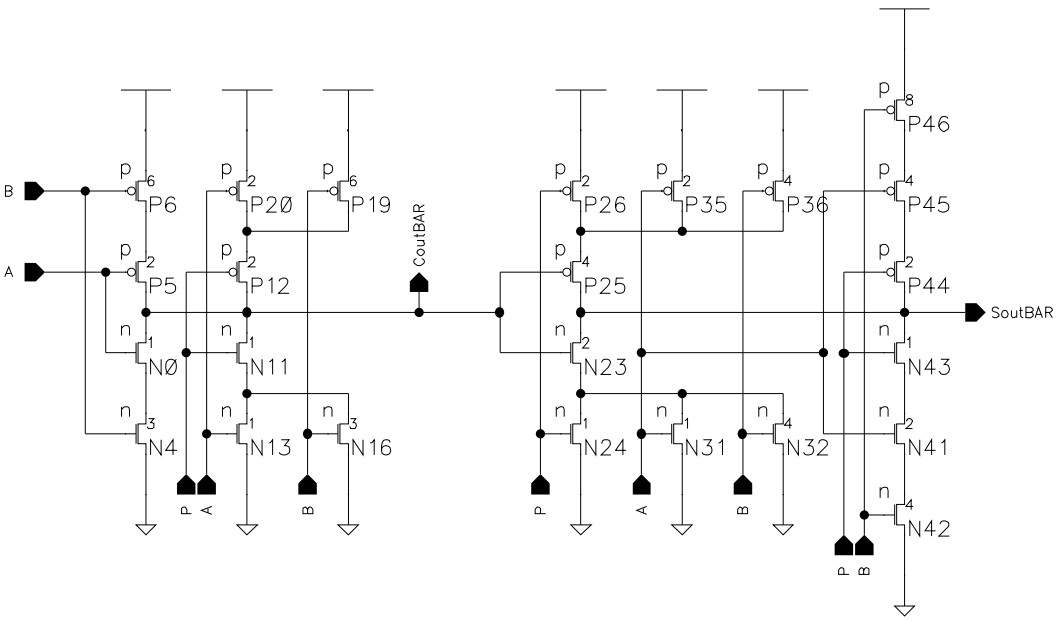


Figure 6-1: *Static CMOS Full Adder* (Output Buffers not shown)

C. See figure n

One quirk is that this version requires both true and complemented versions of input A, and produces true and complemented versions of the sum bit. This allows the number of stages to calculate the sum bit to be reduced to effectively 1, speeding up the circuit greatly.

Differential CVSL

The third style uses different CVSL circuitry to calculate both the sum and carry bits. Because it is differential, both normal and complemented forms of the inputs are available for computation, making the sum bit computation much easier. Also, the CVSL requires only pulldown circuitry, hence the input loading is much less than normal logic.

Due to the cross-coupled PFETs on the DCVSL circuit, there is an inherent difference in edge times. Because the pulldown circuit must always pull below Vdd-Vt before the pullup circuitry on the other side engages. Therefore, the falling edge will always be faster than the rising edge.

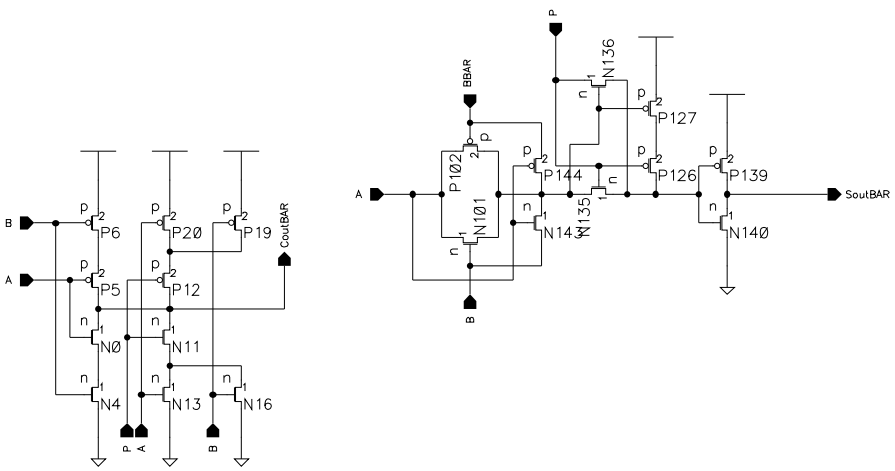


Figure 6-2: *Pass Transistor Full Adder* (Output Buffers not shown)

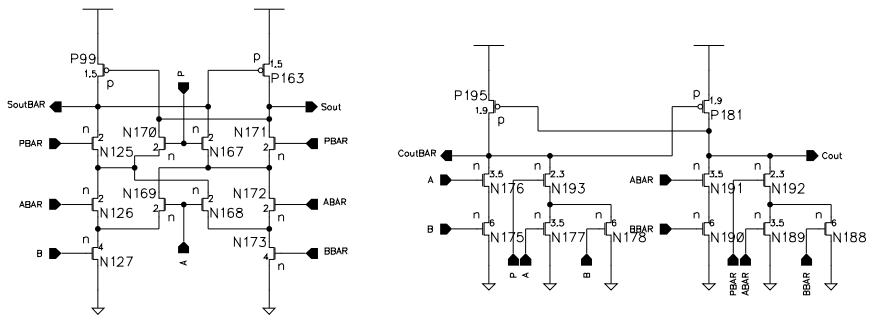


Figure 6-3: *Differential Cascode Voltage Switch Logic Full Adder*

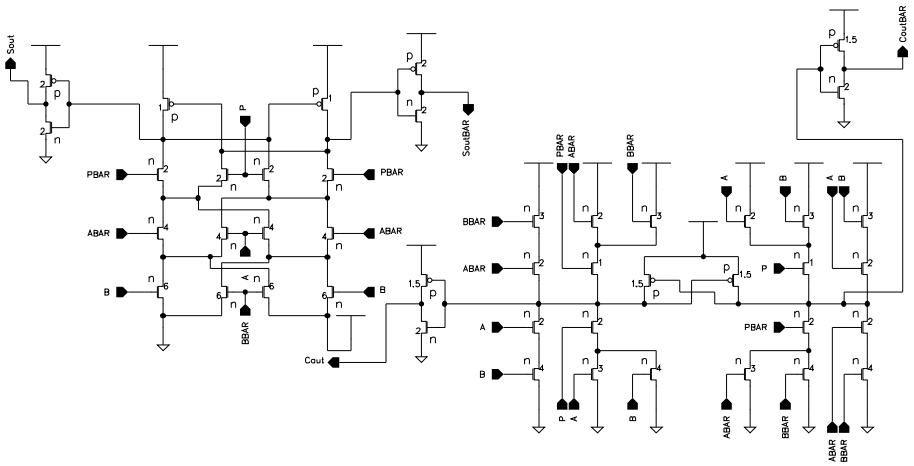


Figure 6-4: *Hybrid DCVSL Full Adder*

Given a number of consecutive stages of DCVSL circuitry, though, the problem does not become as bad. This is due to the fact that after the first stage, the falling edge will be occuring before the rising edge, and therefore the pulldown tree on one side will turn off before the pullup tree on the other side engages. Therefore, the effective worst-case delay on stages after the first will be less than the worst-case rising edge delay.

One potential concern is the sizing of the pullup pfet's versus the pulldown nfets. Given process variation with weaker nfets and stronger pfets, its possible the nfets might not be able to overcome the pfets, and cause the circuit to fail.

Hybrid Differential CVSL

The forth style is a modification of the CVSL circuitry to pull up as well as down, except using nfets exclusively. The main incentive for this is to eliminate the fight between the nfets and pfets, while still retaining reduced input loading from that of static cmos. Because of the pullup tree consisting of nfets, the two cross-coupled pfets still need to exist to bring the node voltage all the way to Vdd. However, the nfets on the pullup side can be much smaller than the pfets in static cmos.

Because of the structure of the XOR tree in the sum bit calculation, adding the circuitry to pullup consists of only two additional transistors; this greatly increases

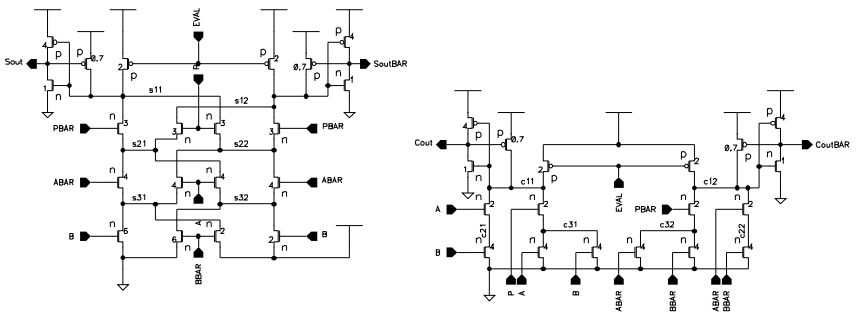


Figure 6-5: *Differential Domino Full Adder*

the speed of the sum bit calculation while only minimally impacting the input loading. Unfortunately, a full tree must exist for pulling up when calculating the carry bit, but the sizes are smaller than that of the pulldown tree.

Differential Domino

The final style analyzed is that of differential domino - a precharge/evaluate logic style that uses nfet pulldown trees and an ratio-ed inverter to isolate the precharged node. Before calculation starts, the node is charged via a single pfet. Then, the pfet is turned off, and the evaluation begins.

Again, the use of nfets only allows much reduced input capacitance. By appropriately ratioing the nfet and pfet in the isolation inverter, one can change the threshold point of the inverter, and cause it to trip earlier, and decrease the total delay through the circuit.

Unfortunately, precharge-evaluate logic families logic domino introduce a whole new set of concerns. The first is a restriction on when the inputs are valid; once evaluation starts, the signals may only be monotonically increasing. If a signal undergoes a high-to-low transition, the output signal will not necessary De-assert itself.

The second concern is that one must build a timing circuit to generate the precharge and evaluate signals at the appropriate time.

The rest of the concerns deal with the fact that the evaluate node is not necessarily driven; it is possible that once the node is left floating high, it will incorrectly be

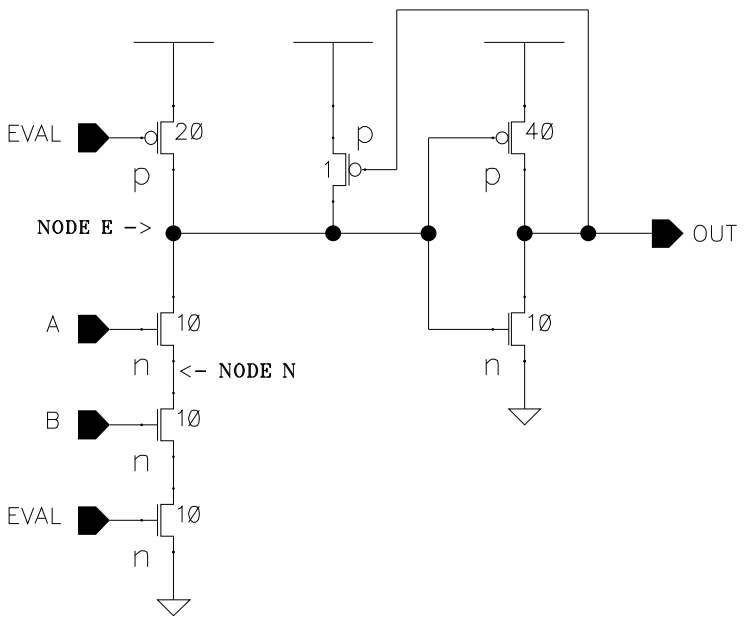


Figure 6-6: *Example of a circuit where charge sharing can occur*

discharged enough to trip the isolation inverter.

This can occur simply by charge leaking off the evaluation node. A simple way to handle this is to put a very weak P device on the evaluation node, driven by the output of the isolation inverter. This will tend to restore any high voltages on the evaluation node if its starts leaking away, but not enough to significantly slow down a proper evaluation.

Another way the node can be discharged is by charge sharing. Consider the circuit in figure 6-6. On the first cycle, signals A and B will be high during evaluate; besides discharging the evaluate node (E), this will also discharge the parasitic capacitance at node N. During the second cyle, A will be high, but B will be low. This will cause node N and E to share their charger, equalizing the voltages at these nodes. Because node N was discharge the cycle, the voltage on node E will tend to drop, possibly enough to incorrectly trip the isolation inverter; after this happens, the weak P pullup device does not help.

Finally, crosstalk capacitance between the evaluation node and some other control signals can cause premature discharge. Given a sharp pulse on the control wires, the

voltage on the evaluate node might be driven higher or lower; in the case of it being driven lower, the isolation inverter might incorrectly trip.

In order to deal with this problem, the XOR tree for the sum bit calculation was made to pull both directions, as in the Hybrid CVSL version. This ensures that the evaluate node is always driven during evaluation, and eliminates the charge sharing problems from all the intermediate nodes.

Adding the pullup circuitry on the carry bit circuit would be quite costly, however. Fortunately, charge sharing is less of an issue, since there are only 2 stacked nfets. In addition, the crosstalk capacitance needed to cause failure was determined, and shown to be much greater than the actual amount of crosstalk capacitance that will be present in the physical layout.

6.1 Evaluation

To evaluate the worst case edges for each static logic family, twenty-four test vectors were generated, as given in table 6.1. These vectors represent every possible transition of the late arriving inputs (A and B) that can occur.

Worst case delays for these families show a wide range when driving a 4x Load. Differential Domino has the best performance, approximately 550ps. HDCVSL has the best time for a static family, at 730ps. DCVSL does considerably worse with delays over 1ns, and the rest of the families are even worse.

For most families, the best and worst case edges have very little seperation; whenever possible, sacrifices on the best edge were made to speed up the worst edge. For DCVSL, the rising edges are always slower, and these edges were optimized as much as possible.

Vector	A Input	B Input	P Input
1	Rise	0	0
2	Fall	0	0
3	0	Rise	0
4	Rise	1	0
5	1	Fall	0
6	1	Rise	0
7	Fall	Fall	0
8	Rise	Rise	0
9	Fall	1	0
10	Rise	Fall	0
11	Fall	Rise	0
12	0	Fall	0
13	Rise	0	1
14	Fall	0	1
15	0	Rise	1
16	Rise	1	1
17	1	Fall	1
18	1	Rise	1
19	Fall	Fall	1
20	Rise	Rise	1
21	Fall	1	1
22	Rise	Fall	1
23	Fall	Rise	1
24	0	Fall	1

Table 6.1: Test Vectors for Static Logic

Chapter 7

Results

Verification of the design was done for both timing and functional issues. Timing verification was accomplished using the HSPICE circuit simulator to test individual pieces and obtain worst case delays for the individual units. Table 7.1 shows the worst case time-path [1] for the entire multiply add, run with a vdd of 3.0 [2] and Typical models for the transistors.

Functional verification was done by extracting the entire design to a Verilog netlist and simulating with Verilog-XL. A set of inputs designed to do path-complete testing were run through the design, along with a large number of random vectors. The results were compared against the results from the C library routines running on a Sparc system. All vectors matched exactly, except for multiplications with gradual underflow inputs, for reasons discussed earlier.

The physical layout has been completed only recently; unfortunately, the area used is 50estimated areas are shown below.

```
Width = 66 datapath cells, 1995.84 microns

Booth Encoding                  Height              Cumulative
        Adder                   270 micron          270
```

[1] Because of the use of transparent latches, the stages are allowed to borrow time from each other, and need not be less than 5ns.

[2] The voltage was reduced to give some margin in case of unaccounted for delays, such as local wiring capacitance

Unit	Subunit	Latency (TTL)
Select inputs		1 ns
Stage 0		4.7 ns
	CLA Adder	3.7 ns
	Latch	.5 ns
	Latch	.5 ns
Stage 2		7.44 ns
	Domino Mux	1 ns
	Domino Full Adder	.46 ns * 9
	HDCVSL Full Adder	.6 ns * 3
	Latch	.5 ns
Stage 3		7.8 ns
	AddBoth	4 ns
	Zero Detector	1.3ns
	Control Logic	2 ns
	Latch	.5 ns
Stage 4		3.3 ns
	Mask Generator	1.5 ns
	Latch	.5 ns
	Zero Detector	1.3 ns
	Latch	.5 ns
Stage 6		7.5 ns
	AddBoth	4 ns
	Control Logic	3 ns
	Latch	.5 ns
Stage 7		6.3 ns
	LZDetect	2.7 ns
	Control Logic	2 ns
	Shift Left	1.5 ns
	Latch	.5 ns
WB mux and driver		1 ns
Total		39.5 ns

Table 7.1: *Critical Path Timing*

	Booth Encoding Cells	25 micron	295
Multiplier Array			
2x	Latch Cell	10 micron	315
16x	Domino fadders w/ muxs	50 micron	1115
3x	CVSL fadders	30 micron	1205
	Latch	10 micron	1215
	Routing Tracks	230 micron	1446
Multiplier Rounding			
	Adder	270 micron	1715
	AdderBoth	400 micron	2115
	CVSL fadders	30 micron	2145
3x	mux2	5 micron	2160
Alignment			
4x	mux2	5 micron	2180
	uni-dir shifter	150 micron	2330
6x	Latch	10 micron	2390
	mask gen	75 micron	2465
	zero detect	27 micron	2492
Add and Round			
2x	CVSL fadder	30 micron	2552
2x	addboth	400 micron	3352
2x	mux4i	10 micron	3372
Post-Normalization			
	uni-dir shifter	150 micron	3522
	LZ Detect	125 micron	3647

Other Stuff

LZ Detect	125 micron	3772
WB driver	50 micron	3822

Area bloats were divided between the multiplier array (were the desired density was hard to achieve due to local wiring constraints) and the adder cells. Because of the large scale use of shared-library datapath cells, optimal density was not achieved; unfortunately, time and monetary constraints restricted a more custom approach.

Figure 7-1 shows the current floorplan of the Multiple ALU Processor[3]. Three FPU-MULA units are shown; due to area constraints, one of the clusters (along with its FPU-MULA unit) were eliminated. These three units are located at the right side of the die, with the data bits flowing left-to-right.

[3]The FPU-MULA unit has the dubious distinction of being the largest single block on the MAP chip

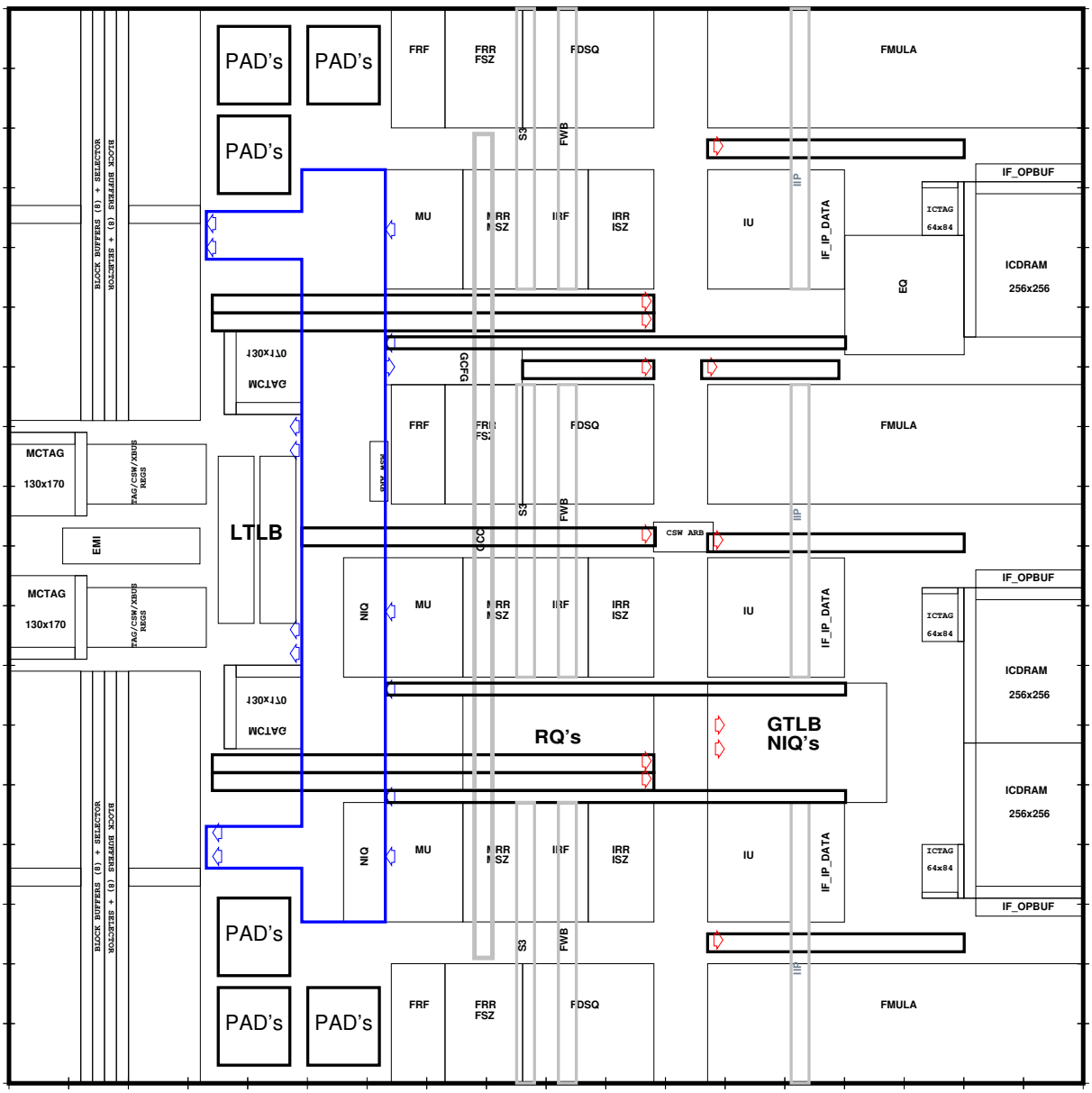


Figure 7-1: *Current Floorplan for the Multiple ALU Processor*

Chapter 8

Conclusion

Other than the original estimated area, all constraints were met. The FPU-MULA has a fairly decent 4 cycle latency, compared to the IBM PowerPC 601 [1] which has a latency of 7 cycles at a similar clock speed.

The multiply operation itself has been implemented in faster circuits than the 20ns latency used here. Many such implementations use a tree-style multiplier rather than array multiplier; however, tree-style multipliers require a bigger area because of the large number of long wires.

Another impact on timing was the use of static circuits in all areas except the actual array. Given free usage of precharge/evaluate logic style, and some of the techniques discussed in appendix B, A latency of 10ns could probably be accomplished on the given process without resorting to a tree-style multiplier.

The Multiplier/Adder unit should be instantiated in silicon when the Multiple ALU Processor enters fabrication in early 1997.

8.1 Lessons Learned

Finally, here's a brief list of lessons I've learned from the project.

[1] a RISC processor done on the same fabrication process

1. Drain capacitances can have a large impact; large, single stage muxes will be slow.

2. There is a significant more-than-linear growth of transistor strengths when increasing from minimal size.

3. Being aware of the layout constraints is key, both at a large floorplan level and a small circuit level. A good number of circuit designers seem unaware of this.

4. Precharge/evaluate style logic is very fast, though the engineering effort required to engineer it correctly and validate operation is large.

5. If one is attempting a completely new project, the estimated schedule will be WAY off.

6. A little algorithm hacking can go a long way - see alternate rounding techniques in Chapter 3, as well as Appendix C

7. As Tom Knight likes to frequently state, the wires are a very big problem indeed!

Appendix A

IEEE Double Precision Format

The Double Precision floating point format [2] fits in a 64bit word. The MSB, bit 63, represents the sign of the number; a 1 here signifies a negative number. The next 11 bits, bits 62-52, contain the exponent + 1023. Finally, the last 52 bits contain the mantissa without the leading one. The table A.1 shows some examples, plus the representations for some special types.

Bit 63 Sign	Bits 62:52 Exponent	Bits 51:0 Mantissa	Represented Value
0	0x3FF	0x0000000000000	$1.0 * 2^0 = 1.0$
1	0x3FF	0x8000000000000	$-1.5 * 2^0 = -1.5$
0	0x400	0x4000000000000	$1.25 * 2^1 = 2.5$
0	0x000	0x0000000000000	0.0
1	0x000	0x0000000000000	-0.0
0	0x000	0x8000000000000	$0.5 * 2^{-1022}$
1	0x000	0x4000000000000	$0.25 * 2^{-1022}$
0	0x7FF	0x0000000000000	+infinity
1	0x7FF	0x0000000000000	-infinity
0	0x7FF	0x8nnnnnnnnnnnn	NAN = not a number

Table A.1: *IEEE Double Precision Examples*

Appendix B

An Alternative Multiplication Scheme for Eliminating Sign Extension

As mentioned earlier, the critical path through the multiplier array is through the most significant bit of the sub-arrays; this is due to the extra loading on the outputs of the cell. Since the output words are shifted right by 3 bits for the sum and 2 bits for the carry, a sign extension of 4x and 3x respectively is required. This 4x loading greatly increases the delay. After implementation of the FPU-MULA unit was completed, an alternative technique was discovered that reduces this critical path delay.

The technique relies on a recoding of the output and input bits into the most significant bit, and uses the fact that the inputs of an adder are interchangeable.

For a given adder, there are 3 inputs, one which come from the partial product generated, two which come from the previous stage. These inputs and the results they generate are listed in table B.1 below.

The key observation is that Bits 65, 64, 63, and 62 will all receive the same Sout bit, and that Bits 65, 64, and 63 will all receive the same Cout bit; furthermore, because the inputs to Bits 65, 64, and 63 all come from the MSB cell, the order of the Sin and Cin inputs can be permuted. Therefore, a recoded Sout and Cout shown

PP	Cin	Sin	Cout	Sout
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

Table B.1: *Typical Full Adder*

PP	Cin	Sin	CoutR	SoutR
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	0	1
1	0	0	0	1
1	0	1	0	1
1	1	0	0	1
1	1	1	1	1

Table B.2: *First Recoded Adder*

in table B.2 will give valid results when added in to the next stage [1].

As shown, the truth table is now *much* simpler and can be implemented with a simple 3 input AND and a 3 input OR gate. These gates will run considerably faster than the 3 input XOR and 3 input majority gate in the normal adder, and can be scaled up to drive the excessive load much faster than the normal adder, though probably slower than the unloaded normal adder, and thus still in the critical path.

However, the recoding can be applied yet again for additional gain! Here, the observation is that for stages after the first, the MSB adder will be given two of the inputs as recoded inputs. Table B.3 shows the truth table for this new recoded adder.

This new table can now be implemented with a 2 input OR and a 2 input AND, both of which use the partial product input and one of the sum/carry inputs. This circuit can run MUCH faster than the normal adder, probably in comparable time to the unloaded normal adder when driving a 4x load.

[1] Bit 62, however, takes Sout and Cout from different adders, and therefore needs to compute the *real* Cout from the MSB.

PP	Cin	Sin	CoutR	SoutR
0	0	0	0	0
0	0	1	0	1
0	1	1	0	1
1	0	0	0	1
1	0	1	0	1
1	1	1	1	1

Table B.3: *Second Recoded Adder*

One thing to note is that the Bit 62 full adder takes as inputs Sout from the MSB and Cout from the MSB-1 adder. Therefore, the normal Sout must still be generated from the MSB adder.

This technique can also be easily applied to higher radix multiplication where even more sign extension is required, such as Radix 8 (where a 8x load occurs).

Another possible area for improvement is recoding the partial product input[2], allowing the use of adders bigger than the 3-2 adder used here. Using a 7-3, 6-3, or even 5-3 adder would allow additions of 4, 3, or 2 partial products each stage respectively. Unfortunately, not enough time was available to do substantial analysis, though a 5-3 adder with recoded partial product

[2]This input will arrive simultaneously at all stages, and therefore for latter stages of the multiplier, will arrive *much* earlier than the other inputs. Therefore, even a very complex encoding could be done on the latter stages

Appendix C

Draft HDCVSL Logic Paper for JSSC

Below is a preliminary draft of a paper intended for eventual submission to the *IEEE Journal of Solid-State Circuits*. Although Digital Equipment Corporation patented a circuit family of this type 2 years ago, the results were never published, and I 'rediscovered' the circuit family before becoming aware of this.

Unfortunately, power numbers were not available, and thus the discussion section on power is blank.

The most commonly used logic family among processes having both NFET's and PFET's is, of course, that of static CMOS. Its main advantage over other possibilities is shear simpleness of desgin. Static CMOS gates dissipate no static power, have rail-to-rail output voltages, and will function across all process corners without careful attention to device sizings. However, power, area, and delay considerations may warrant using a different logic style.

Differential Logic families can provide increased performance while still maintaining untimed operation [1]. Three different differential logic families are presented and compared.

[1]Generally, precharge-evaluate type circuits will outperform any untimed circuit, but the extra engineering effort required to engineering the timing circuitry and validate the circuits operation is enough to discourage use

C.1 Differential Logic Families

Differential CMOS (DCMOS) can be used to reduce remove inverter stages that would correct the polarity of the output. Being a differential logic style, complementary inputs are required to generate the complementary outputs. Compared to static CMOS, the total input apacitance will be about double, due to the extra set of transistors for computing the complementary output.

Differential Cascode Voltage Switch Logic [2] is one such family. By only using the pulldown chain from differerntial CMOS, the input loading is reduced by roughly a third. Pullup is accomplished by a solitary PFET that has its gate connected to the the output of the other pulldown chain. Switching occurs when one pullup tree turns on; when this ocurs, the pulldown chain overpowers the PFET and begins to reduc the voltage on this node. As this occurs, the other pulldown chain turns off, and the PFET associated with it has its gate start to turn on as the node from the first pulldown chain reduces in voltage. This action turns off the other PFET, and eventually both nodes switch.

DCVSL inherently has a slower rise time than fall time, due to the gates of the pulldown logic directly being connected to the inputs, while gates of the pullup logic is indirectly connected through pulldown logic of the other side [3]. Another problem is that incorrect ratioing of the PFET's and NFET's can cause failure of the ciruit; if the pulldown chain can not overcome the pullup PFET, the outputs will not switch. Finally, the short circuit current is much higher than that in static CMOS.

A hybrid of DCVSL, HDCVSL[4], overcomes most of these problems by adding a pullup chain to each output. The pullup chains are constructed out of NFET's rather than PFET's of differential CMOS; this provides a pullup to Vdd-Vt which is enough to seriously weaken the PFET on the side being pulled down. As the one output is pulled to ground, the PFET on the other side will complete the pullup to Vdd.

[2] Patented by International Business Machines, Inc.

[3] This effect is lessened when one DCVSL stage drives another, as the early arriving falling edge turns off the pulldown chain before the rising edges activate the pullup chain

[4] Patented by Digital Equipment Corporation

HDCVSL alleviates most of the problems inherent in CVSL. Rise and fall times can be made approximately equal, since both actions are now directly coupled to the inputs. Incorrect ratioing can no longer cause a functional malfunctioning; pulling down no longer consists of a NFET chain overcoming a PFET pullup - instead, the PFET pullup will be shut off by the NFET pullup chain on the other output. Finally, less short circuit current will flow, due to the pullup PFET being turned off early.

C.2 Analysis

Differential logic families work best when building symmetric gates – where the number of transistors and circuit topology is approximately the same between the active-high and active-low output. This gives approximately equal propagation delays for both outputs.

Two common circuits that are symmetric are the majority gate and the parity gate, both used in 1-bit adders. The two input parity (or XOR gate) has been chosen as a test circuit for comparison.

The schematic implementations of the XOR gate are shown in figure C-1. The test circuit measures the delay from input crossover to output crossover driving a fanout of 3x. Input Loading is in terms of microns of gate width. Power measurements are for only for the middle XOR (accounting for short-circuit current and output loading).

Logic Family	Tpd A Input	Tpd B Input	Input Load A	Input Load A	Power A Trans	Power B Trans	Gate Area
DCMOS	364ps	492ps	60u	60u			240u
DCVSL	456ps	579ps	20u	20u			100u
HDCVSL	410ps	456ps	40u	40u			190u

Table C.1: *Results for 2 Input XOR Comparison*

As table C.1 shows, DCMOS and HDCVSL have approximately the similar delays (DCMOS being slightly faster for the A input, HDCVSL faster for the B input), but both are considerably faster than DCVSL. DCMOS does surprisingly well – even with its high input loading – because less short circuit current is dissipated than HDCVSL

and DCVSL. With lighter loads, the performance of DCMOS relative to the other two is even better.

Insert discussion about power

In terms of gate area [5], DCVSL uses considerably less, asymptotically approaching 1/3 of DCMOS. HDCVSL is in the middle, with asymptotically 2/3rd the gate area of DCMOS.

C.3 XOR Folding

The XOR network used can be arranged in a slightly different topology, giving the circuits shown in figure C-2. This can be generalized, allowing one to implement a n-input pulldown tree (or pullup tree) using 4n-2 devices by building a crossover stage for every input.

HDCVSL allows one more degree of folding, resulting in a pullup AND pulldown tree in only 4n devices (versus 8n-4 devices for the DCMOS pullup and pulldown tree). In fact, any boolean expression of the form A xor F(A,B,C,...) can be folded to use the same pulldown tree as HDCVSL plus two additional devices.

Logic Family	Tpd A Input	Tpd B Input	Input Load A	Input Load A	Power A Trans	Power B Trans	Gate Area
DCMOS	318ps	364ps	60u	60u			180u
DCVSL	364ps	466ps	20u	20u			80u
HDCVSL	230ps	277ps	40u	40u			110u

Table C.2: *Results for Folded 2 Input XOR Comparison*

As shown in table C.2, the HDCVSL XOR is the clear winner in terms of delay; this should give similar advantages for any such foldable circuits. The DCMOS and HDCVSL have slightly less delays than the non-folded version, but are still approximately proportionate.

[5] This is at best a rather crude estimate of the area required to implement the circuit. However, both HDCVSL and DCVSL will have a clear with only needing two PFETS, and thus a very small well region for NWELL processes. DCVSL has the additional advantage of only having 1 complicated network, and could very easily have half the area of DCMOS

*** Say something about power ***

In terms of gate area [6] HDCVSL is now very close the DCVSL, and both have an area asymptotically approaching 1/3 DCMOS.

C.4 Conclusion

DCMOS remains a very good basic assembly circuit for general useage. When area is extremely critical, DCVSL can save up to 1/3 the area, but at a considerable delay penalty. HDCVSL provides a compromise between these two families.

For circuits with an XOR component, HDCVSL is the clear winner in all areas except size, where DCVSL is only marginally better. When building XOR trees, the folded HDCVSL XOR should be the circuit of choice.

[6] Again, this is a rather questionable benchmark. However, in terms of wiring complexity, HDCVSL now is very close to DCVSL, and both are much better than DCMOS. DCVSL still has a slight advantage in that VDD only connects to PFETS, which might simplify layout a bit

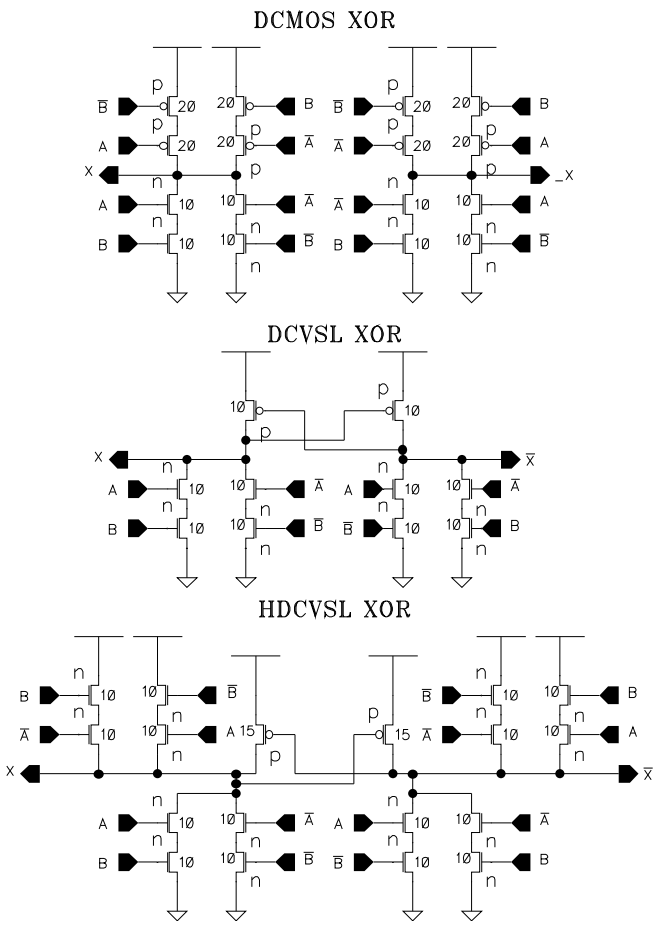


Figure C-1: *2 Input XOR gates for DCMOS, DCVSL, and HDCVSL families*

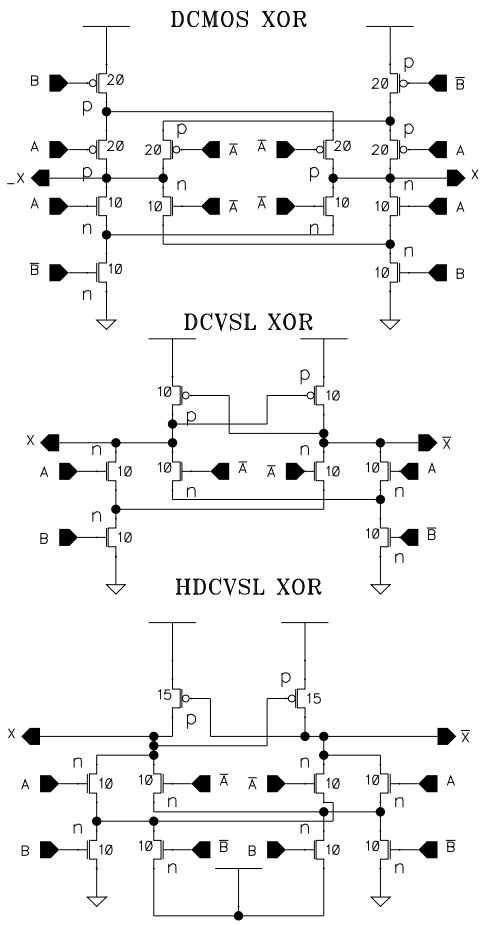
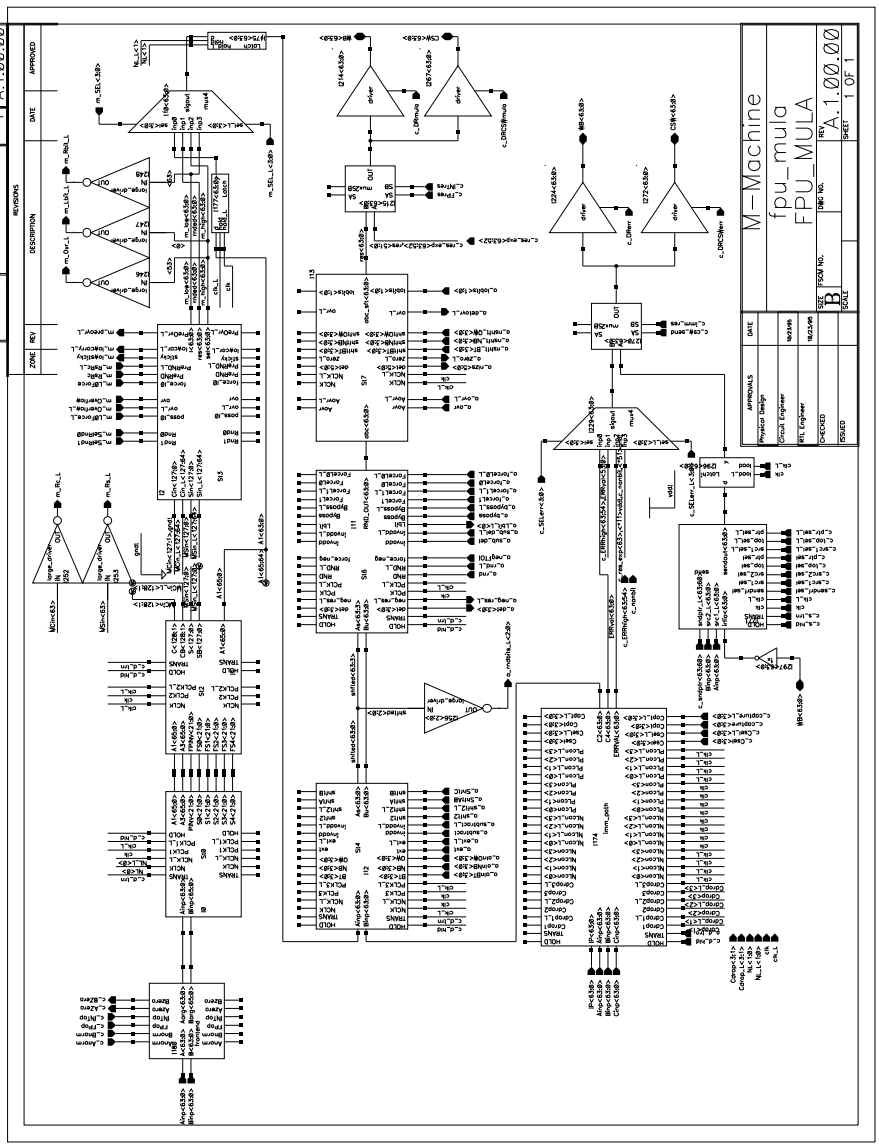


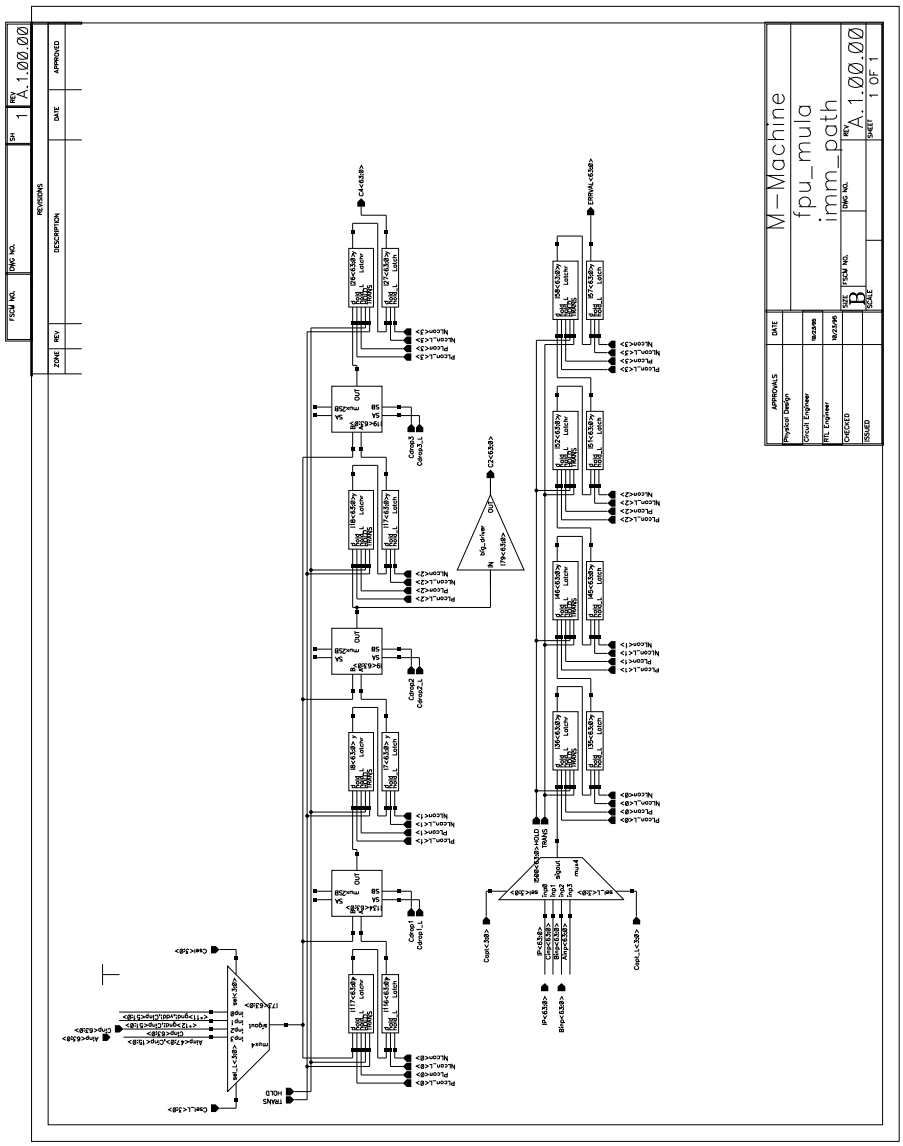
Figure C-2: *Folded 2 Input XOR gates for DCMOS, DCVSL, and HDCVSL families*

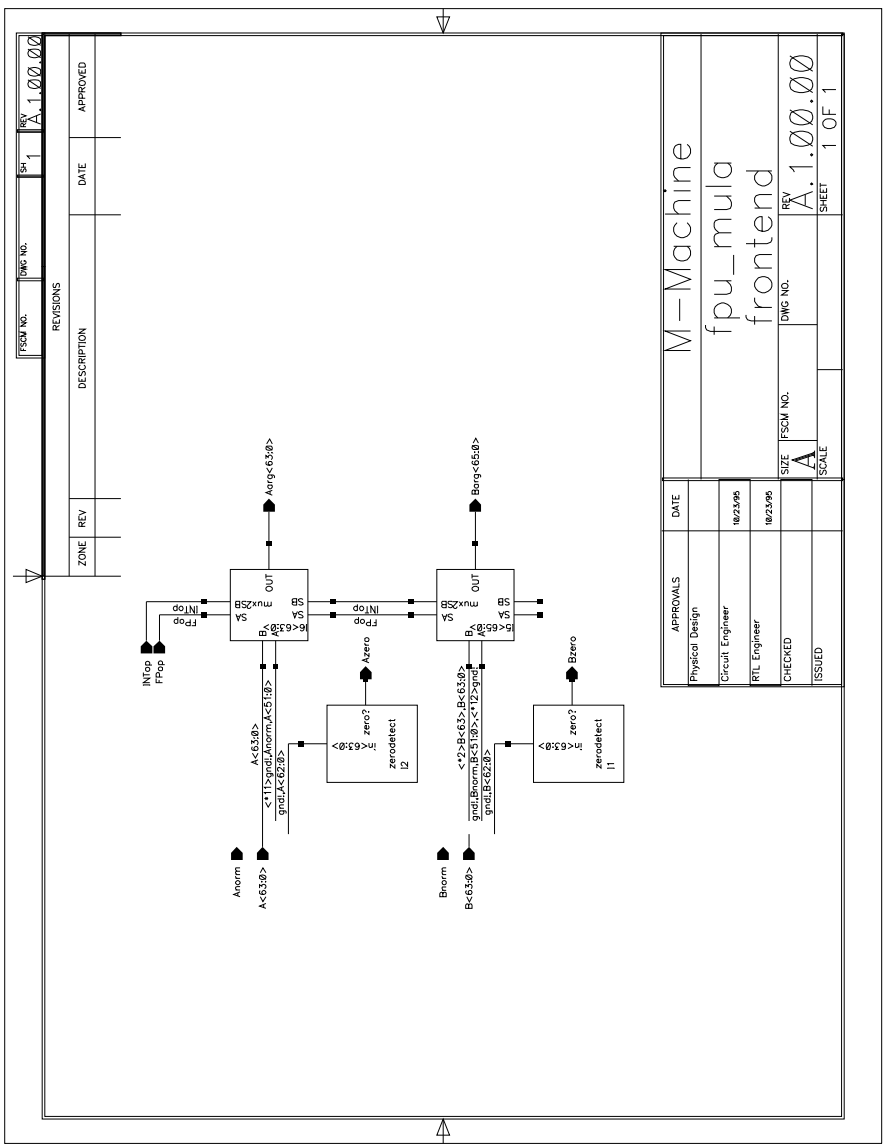
Appendix D

Schematics

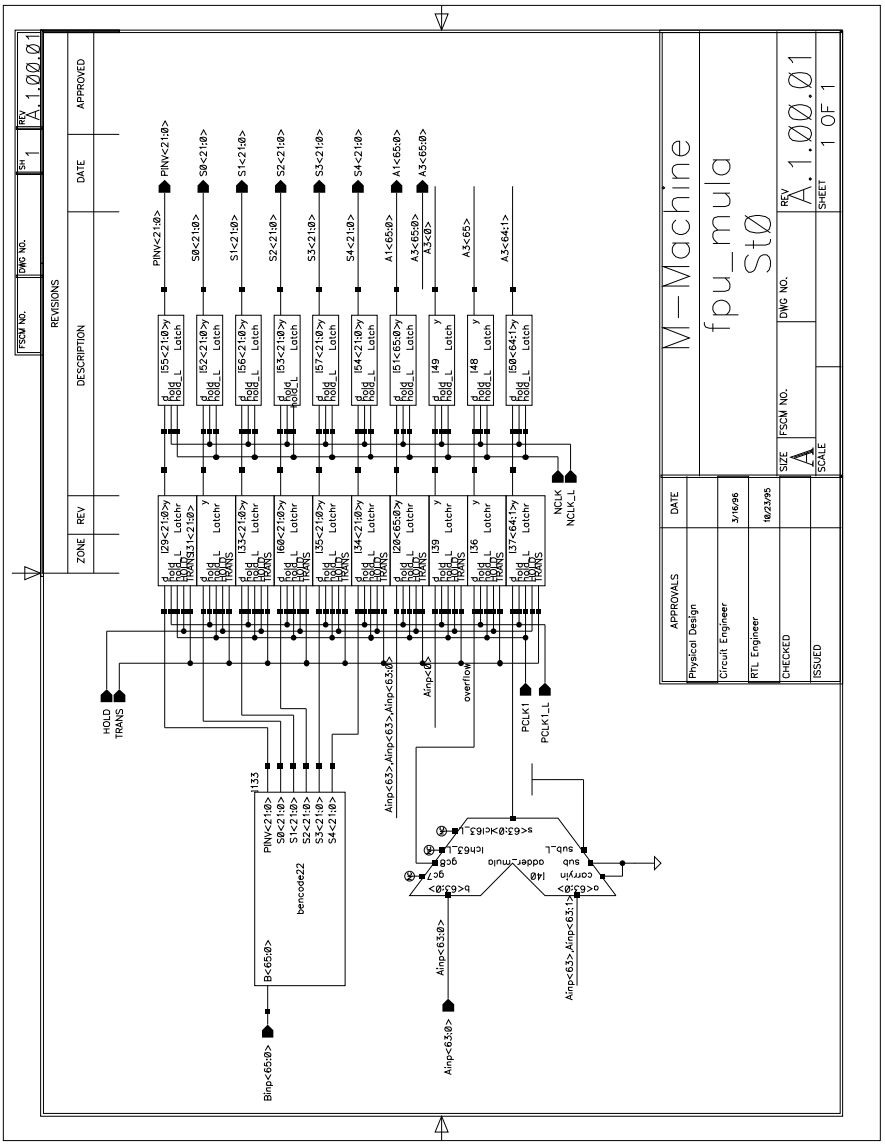


D.1 Immediate Path and Front End

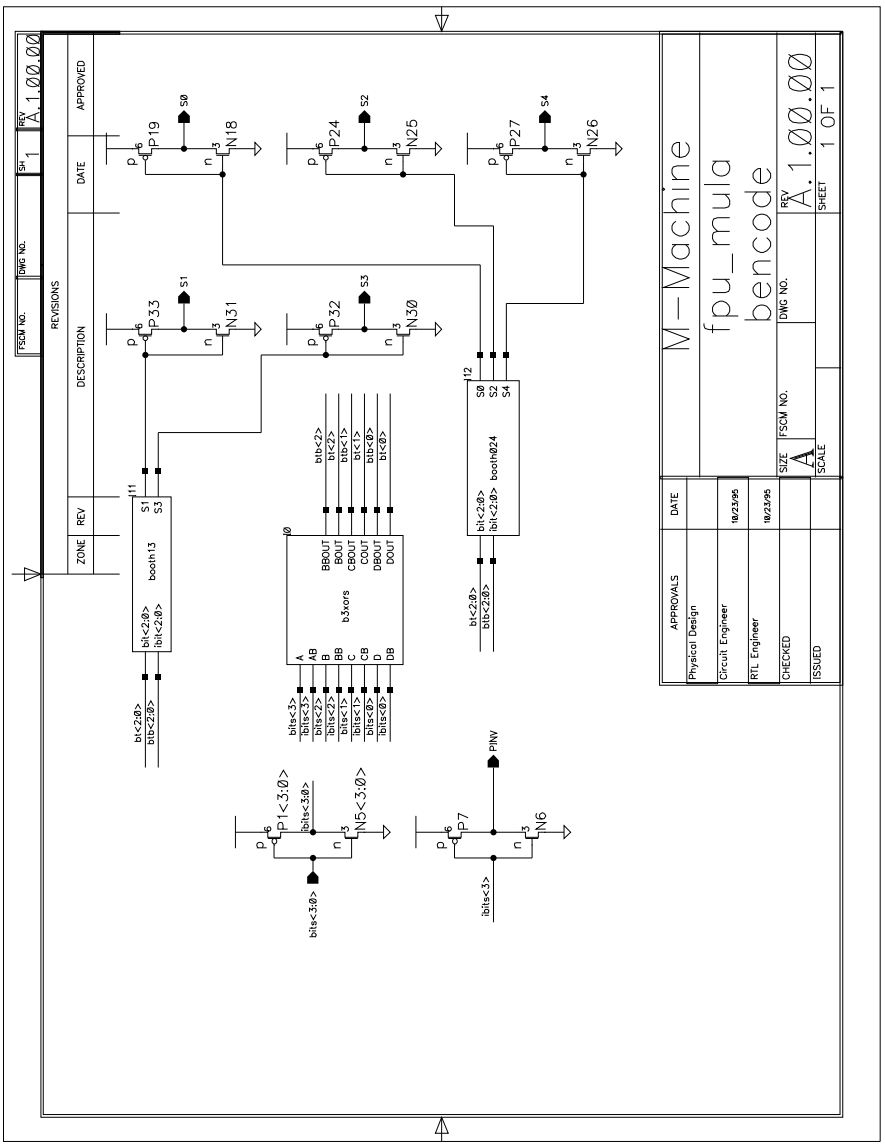



M-Machine
fpu_mula
frontend
A.1.00.00
SHEET 1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
Aarg<63:0>
Barg<65:0>
INTop
FPop
Anorm
A<63:0>
Bnorm
B<63:0>
Azero
Bzero
zerodetect
I2
zerodetect
I1
zero?

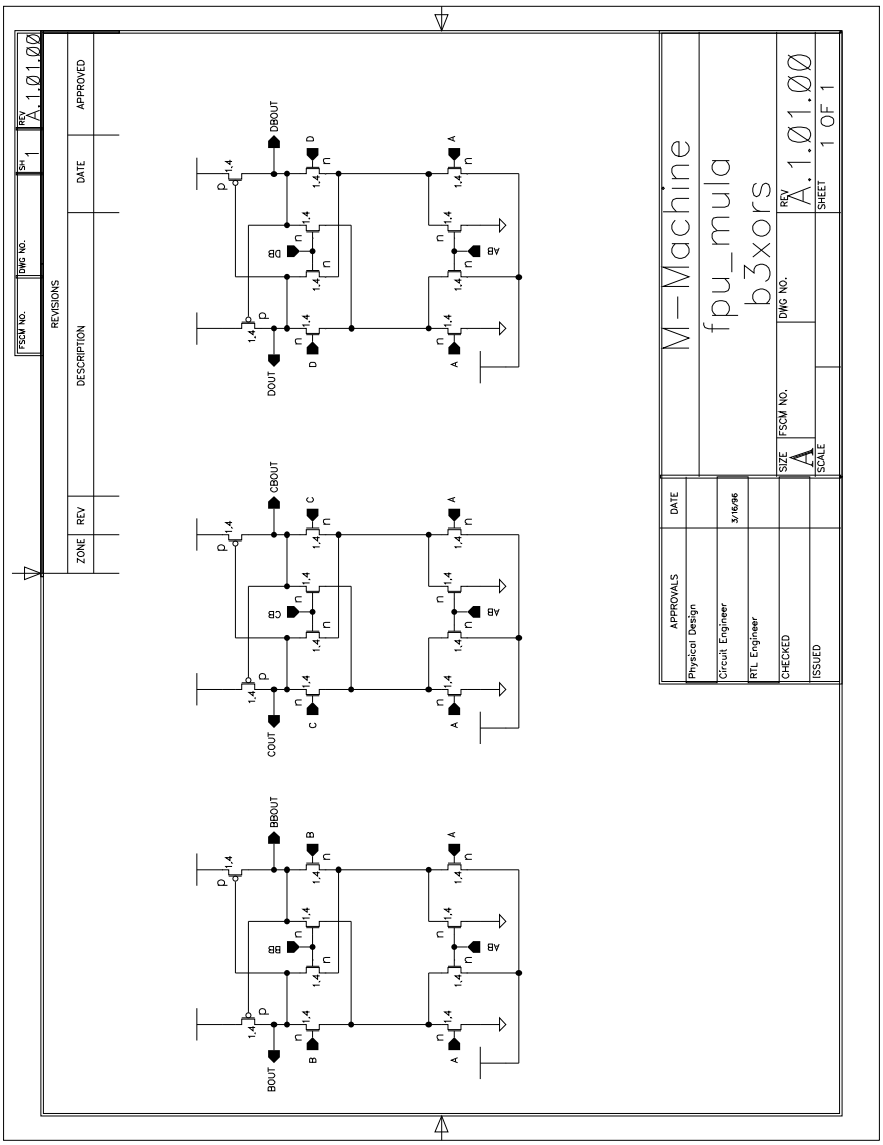
D.2 Stage 0

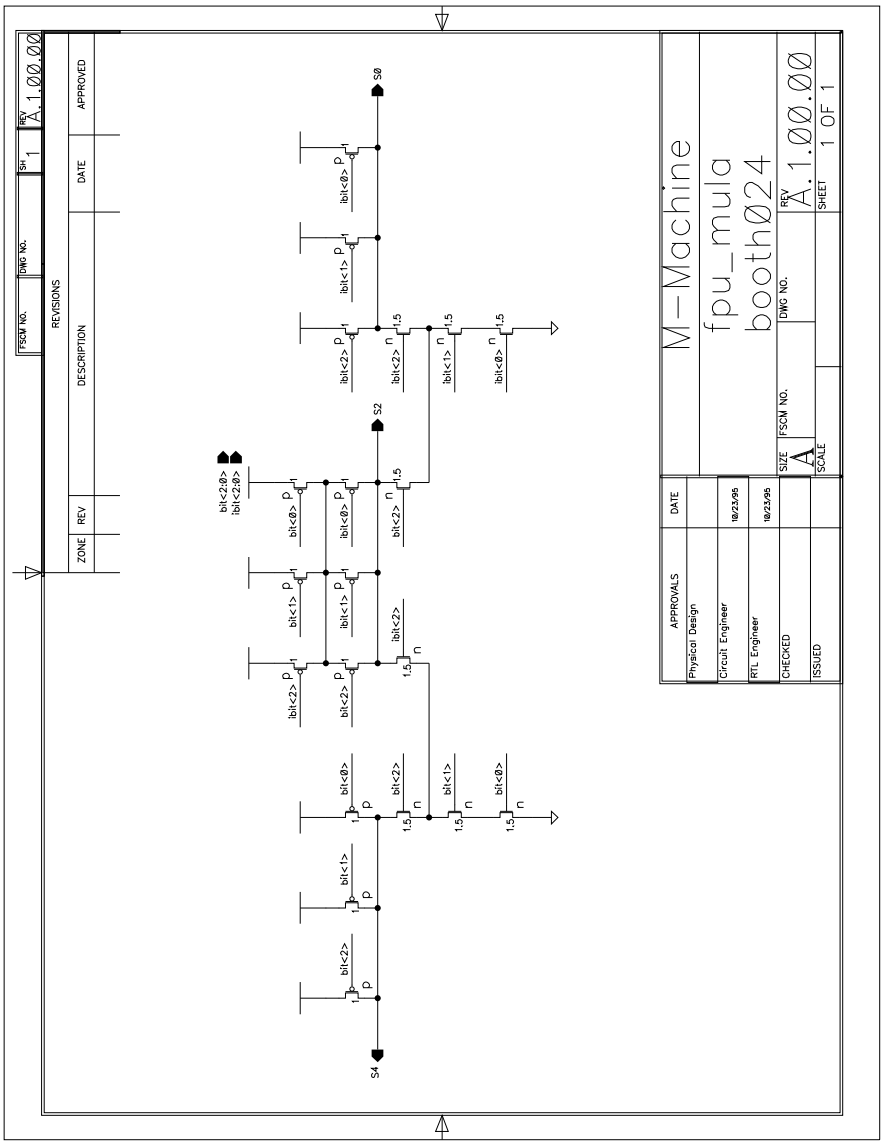

M-Machine
fpu_mula
StØ
A.1.ØØ.Ø1
SHEET 1 OF 1
SIZE A
SCALE
APPROVALS
DATE
Physical Design
Circuit Engineer
3/16/96
RTL Engineer
10/23/95
CHECKED
ISSUED
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.1.00.01
PINV<21:0>
S0<21:0>
S1<21:0>
S2<21:0>
S3<21:0>
S4<21:0>
A1<65:0>
A3<65:0>
A3<0>
A3<65>
A3<64:1>
I55<21:0>y
I52<21:0>y
I56<21:0>y
I53<21:0>y
I57<21:0>y
I54<21:0>y
I51<65:0>y
I49 y
I48 y
I50<64:1>y
Hold_L
Latch
I29<21:0>y
I33<21:0>y
I60<21:0>y
I35<21:0>y
I34<21:0>y
I20<65:0>y
I39 y
I36 y
I37<64:1>y
Latchr
HOLD
TRANS
NCLK
NCLK_L
PCLK1
PCLK1_L
Ainp<65>,Ainp<63>,Ainp<63:0>
Ainp<0>
overflow
I33
B<65:0>
Binp<65:0>
bencode22
Ainp<63:0>
Ainp<63>,Ainp<63:1>
adder_mula
sub_L
cornin
I40
gc8
gc7
s<63:0><I63_L
I<63_L
o<63:0>
b<63:0>

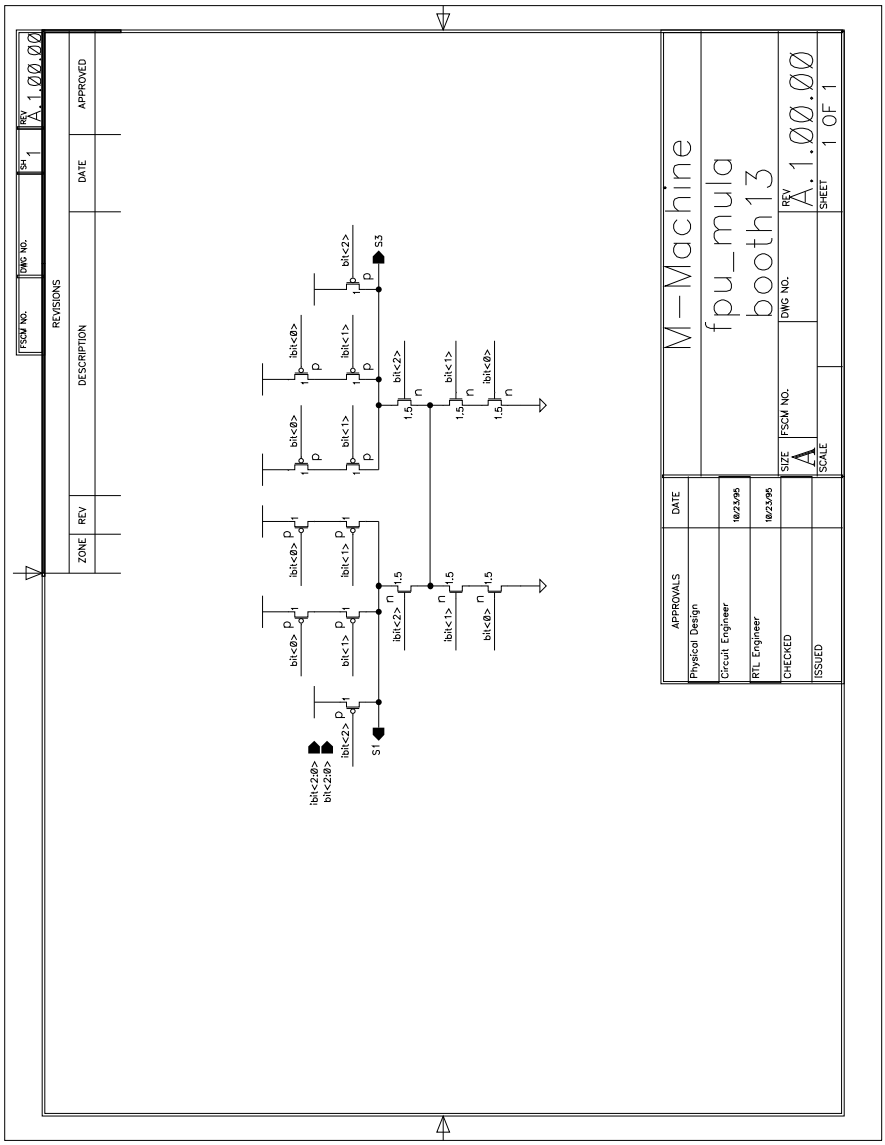
D.2.1 Booth Encoding Cells



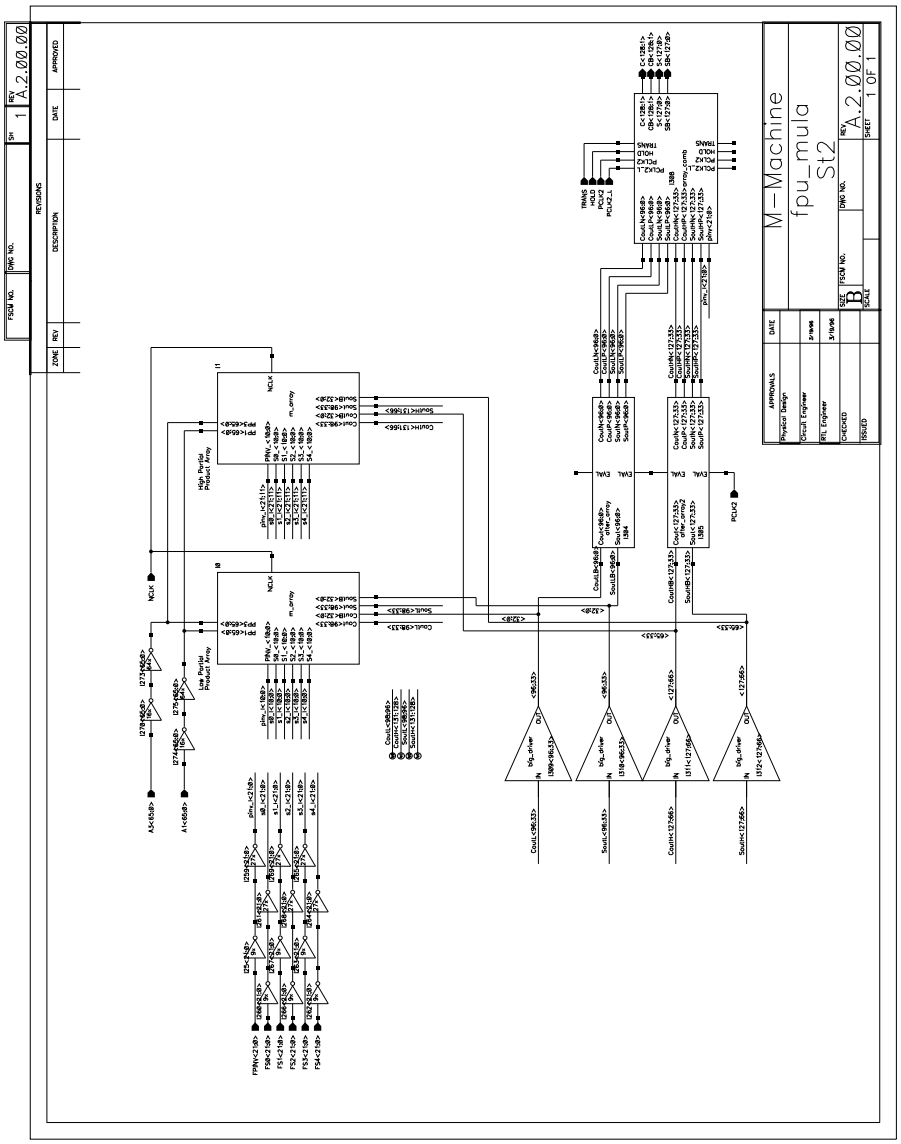
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
M-Machine
fpu_mula
bencode22
A.1.00.00
SIZE B
SHEET 1 OF 1
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
bencode


M-Machine
fpu_mula
b3xors
A.1.01.00
1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
DBOUT
CBOUT
BBOUT
DOUT
COUT
BOUT
DB
CB
BB
AB

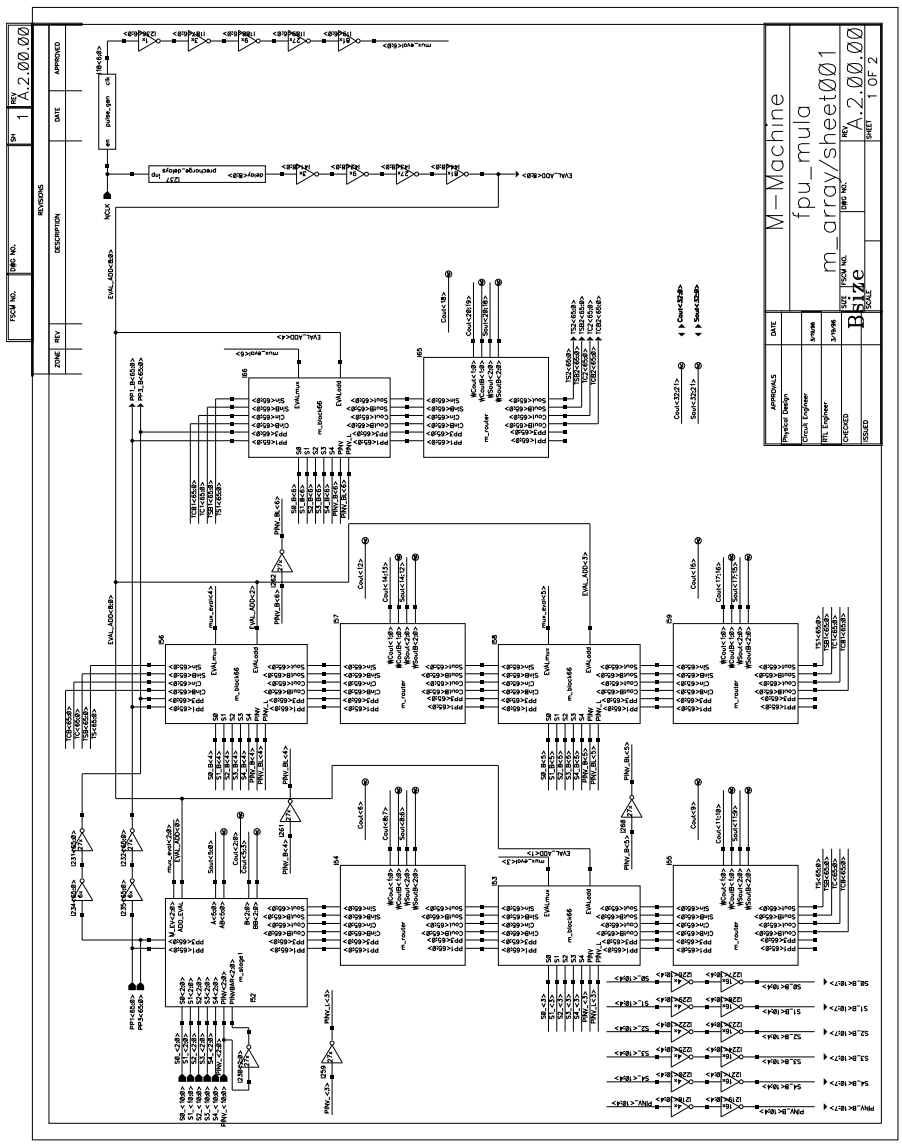

M-Machine
fpu_mula
booth024
A.1.00.00
1 OF 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
FSCM NO.
DWG NO.
SIZE
SCALE
S0
S2
S4

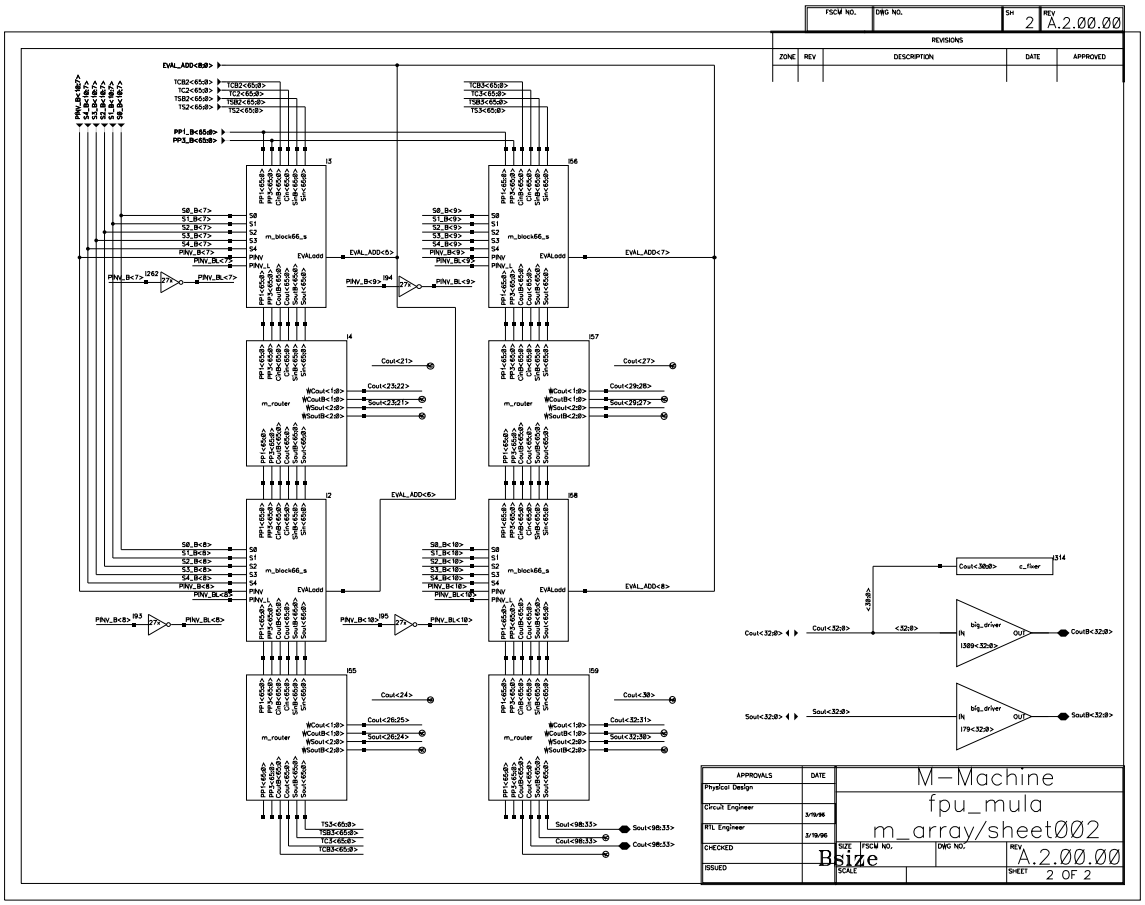

M-Machine
fpu_mula
booth13
DWG NO.
A.1.00.00
REV
SHEET 1 OF 1
SIZE A
SCALE
FSCM NO.
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/23/95
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
ibit<2:0>
bit<2:0>
S1
S3

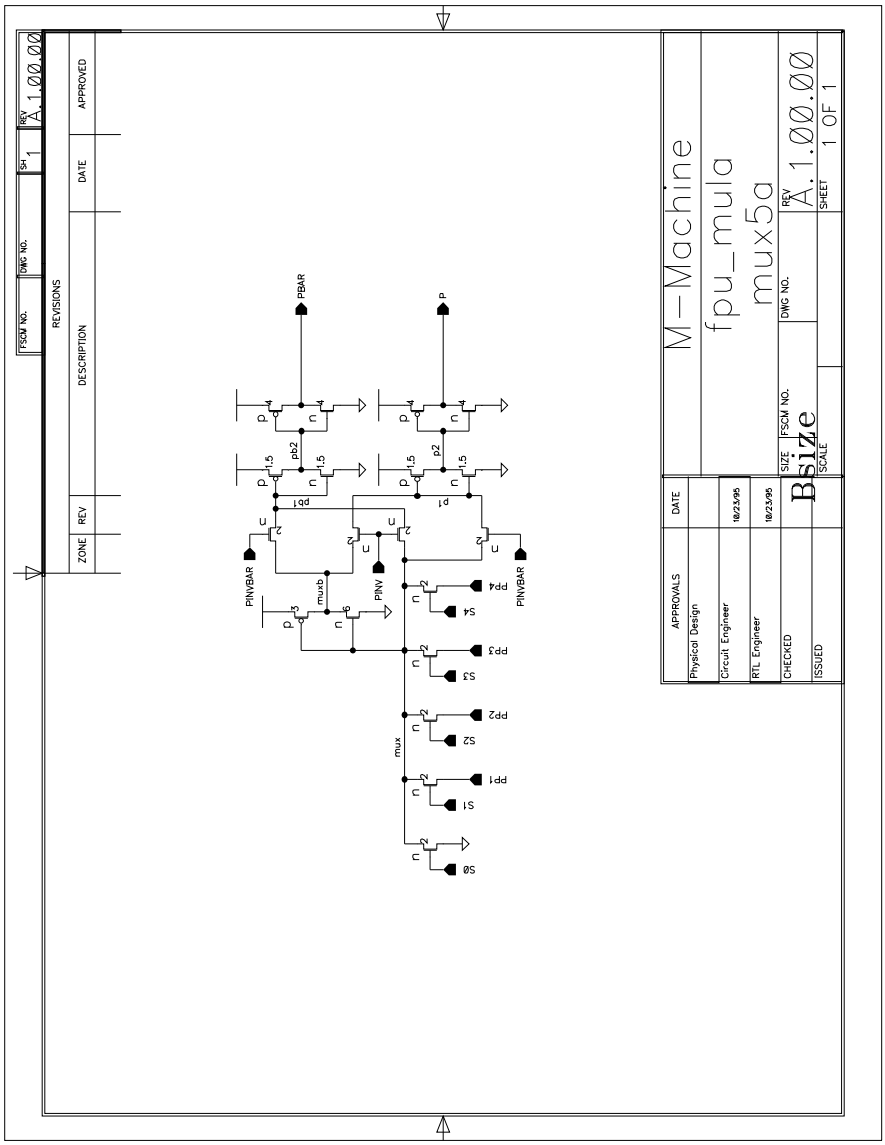
D.3 Stage 2

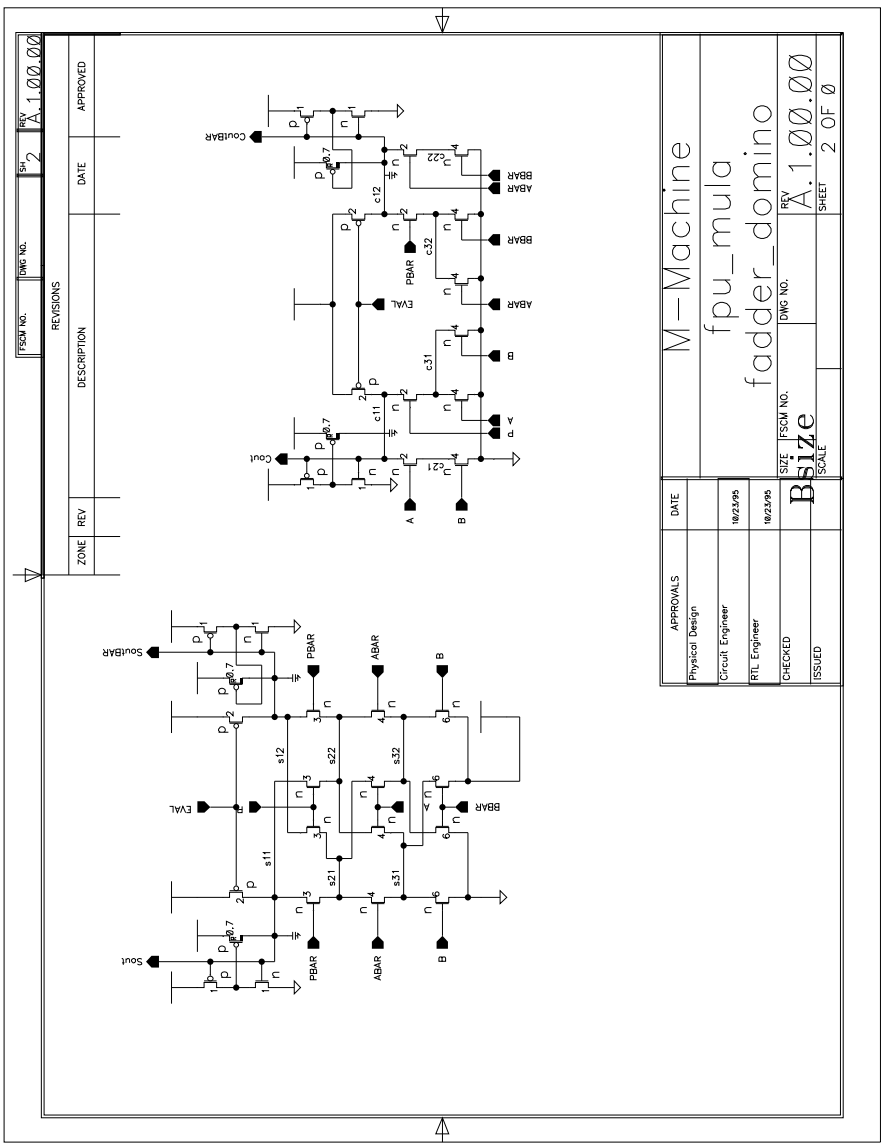

M-Machine
fpu_mula
St2
A.2.00.00
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Project Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
SIZE
B
SCALE
SHEET 1 OF 1
High Partial Product Array
Low Partial Product Array
m_array
NCLK
PCLK2
TRANS
sig_driver

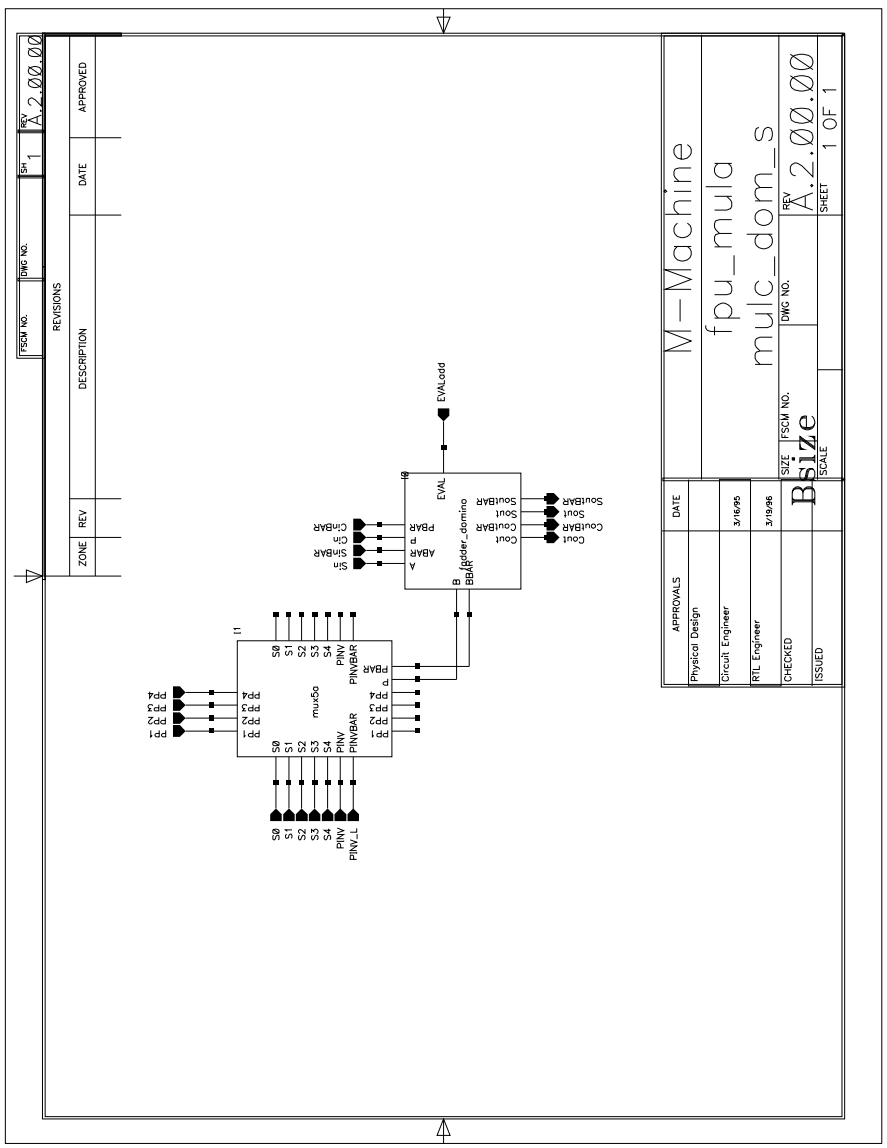
D.3.1 Multiplier Array and Subcells

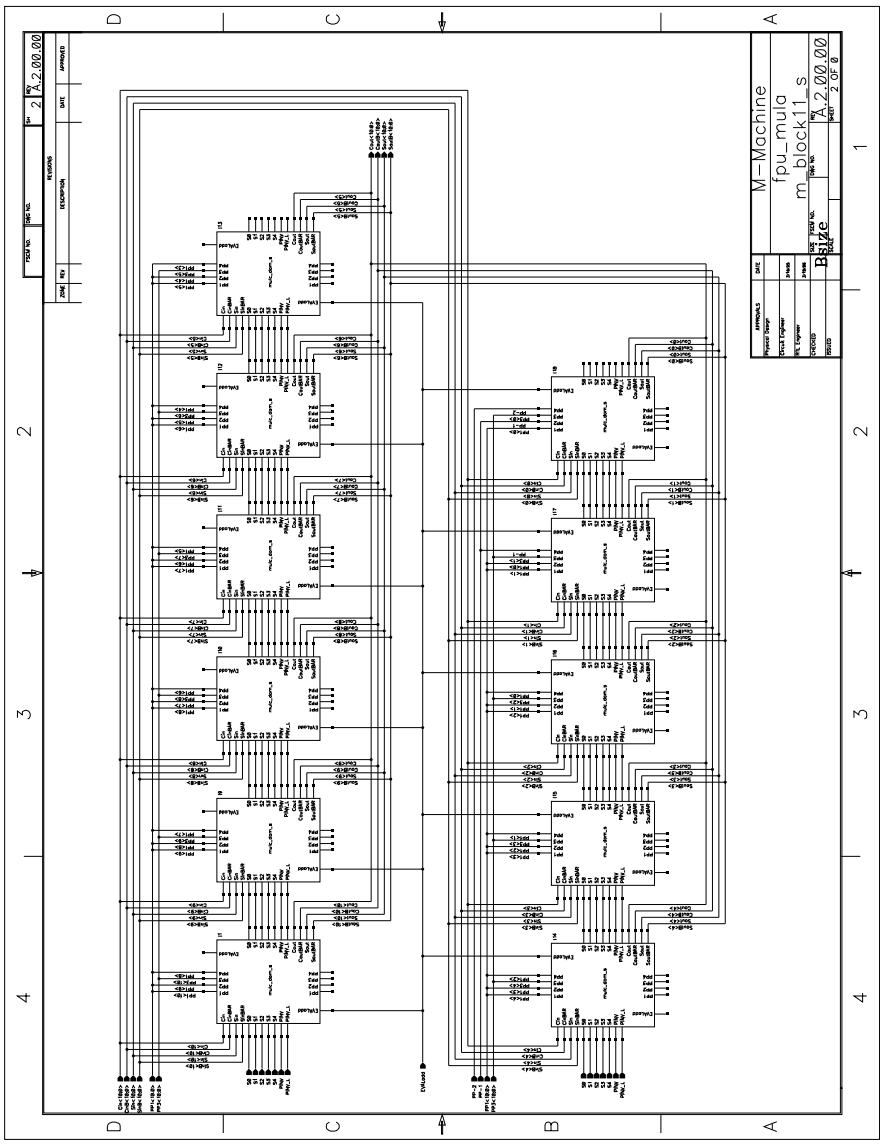



FSCM NO.
DWG NO.
SH 2
REV A.2.00.00
REVISIONS
ZONE REV DESCRIPTION DATE APPROVED
EVAL_ADD<8:0>
PP1_B<65:0>
PP3_B<65:0>
I5
I56
I4
I57
I2
I58
I55
I59
m_block66_s
m_router
EVAL_ADD<6>
EVAL_ADD<7>
EVAL_ADD<8>
PINV_B<7>
PINV_B<9>
PINV_B<8>
PINV_B<10>
I262
I94
I93
I95
Cout<21>
Cout<27>
Cout<24>
Cout<30>
I314
c_fixer
big_driver
I589<32:0>
I79<32:0>
M-Machine
fpu_mula
m_array/sheet002
APPROVALS DATE
Physical Design
Circuit Engineer 3/19/96
RTL Engineer 3/19/96
CHECKED
ISSUED
SIZE FSCM NO. DWG NO. REV A.2.00.00
Bsize
SCALE
SHEET 2 OF 2

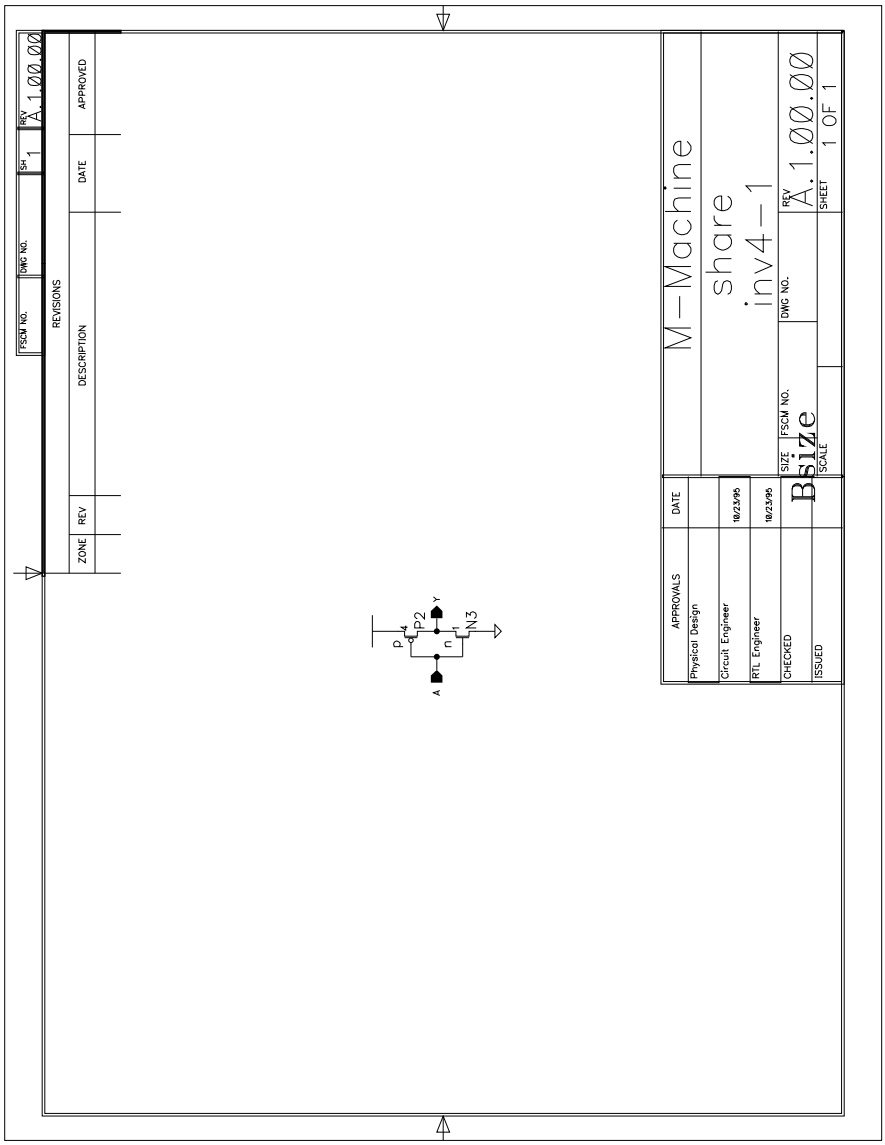

M-Machine
fpu_mula
mux5a
A.1.00.00
Bsize
1 OF 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
PBAR
P
PINVBAR
PINV
muxb
pb1
p1
pb2
p2
PP4
PP3
PP2
PP1
S4
S3
S2
S1
S0
mux

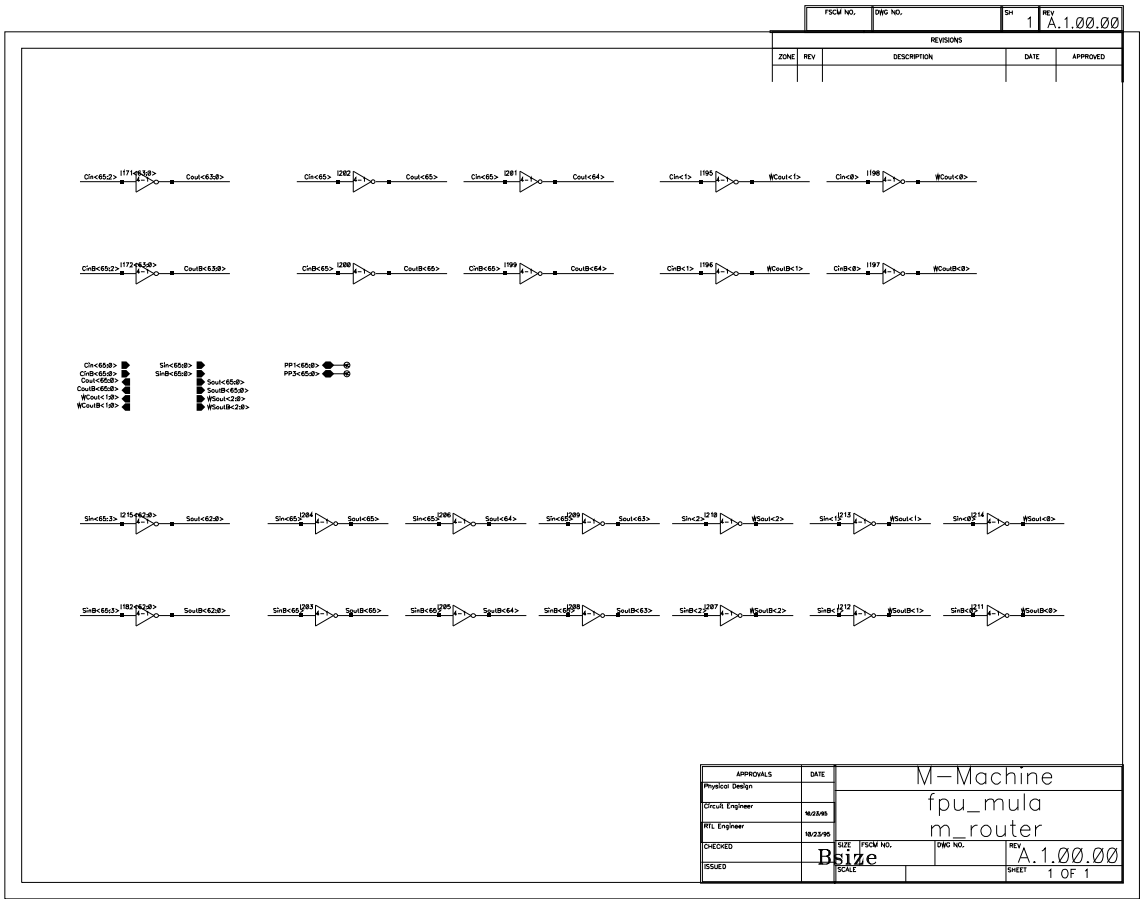

M-Machine
fpu_mula
fadder_domino
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
REV
A.1.00.00
SHEET
2 OF 2
APPROVALS
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/25/95
CHECKED
ISSUED
DATE
SIZE
B
SCALE
Cout
CoutBAR
SoutBAR
Sout
PBAR
ABAR
BBAR
EVAL
A
B

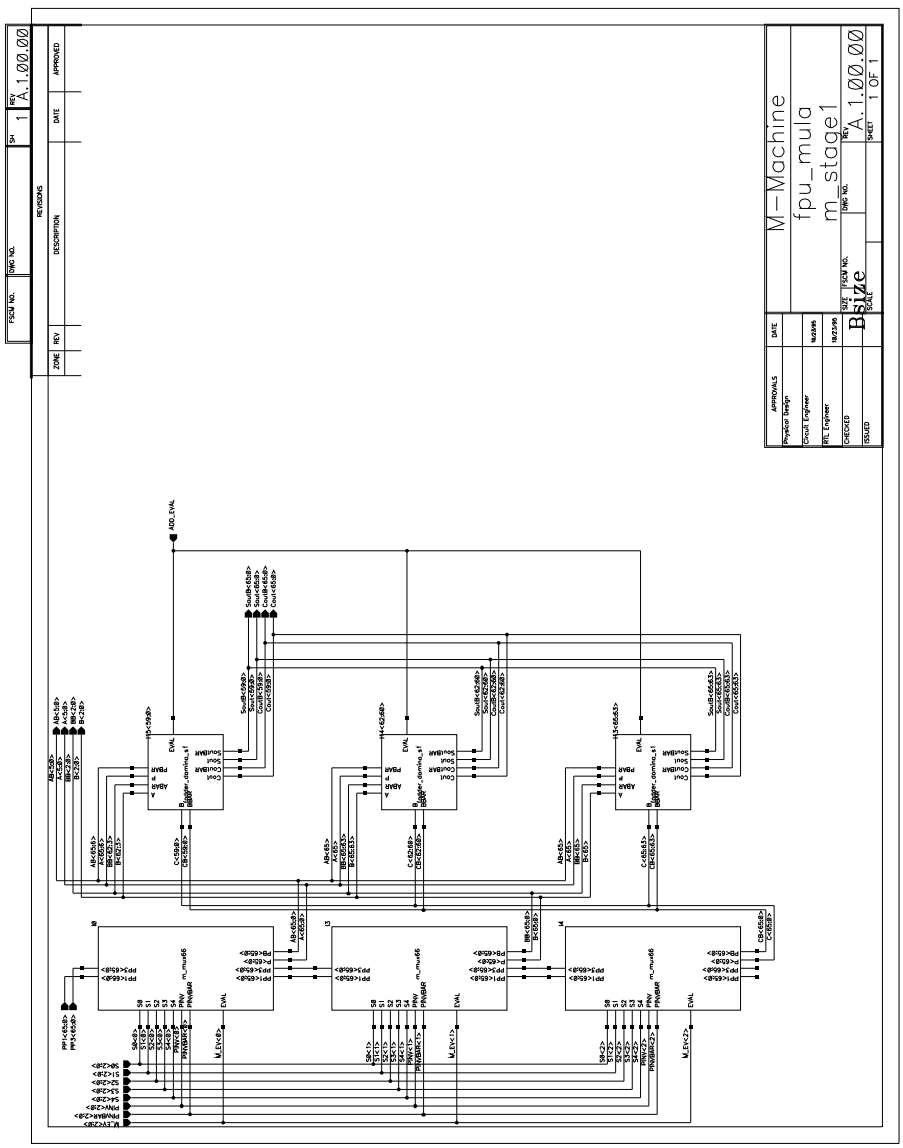

M-Machine
fpu_mula
mulc_dom_s
A.2.00.00
Bsize
1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
EVALadd
EVAL
fadder_domino
mux5o
PPI
PPJ
PPK
PPL
PPM
PINV
PINVBAR
PBAR
ABAR
BBAR
Sin
SinBAR
Cout
CoutBAR
Sout
SoutBAR

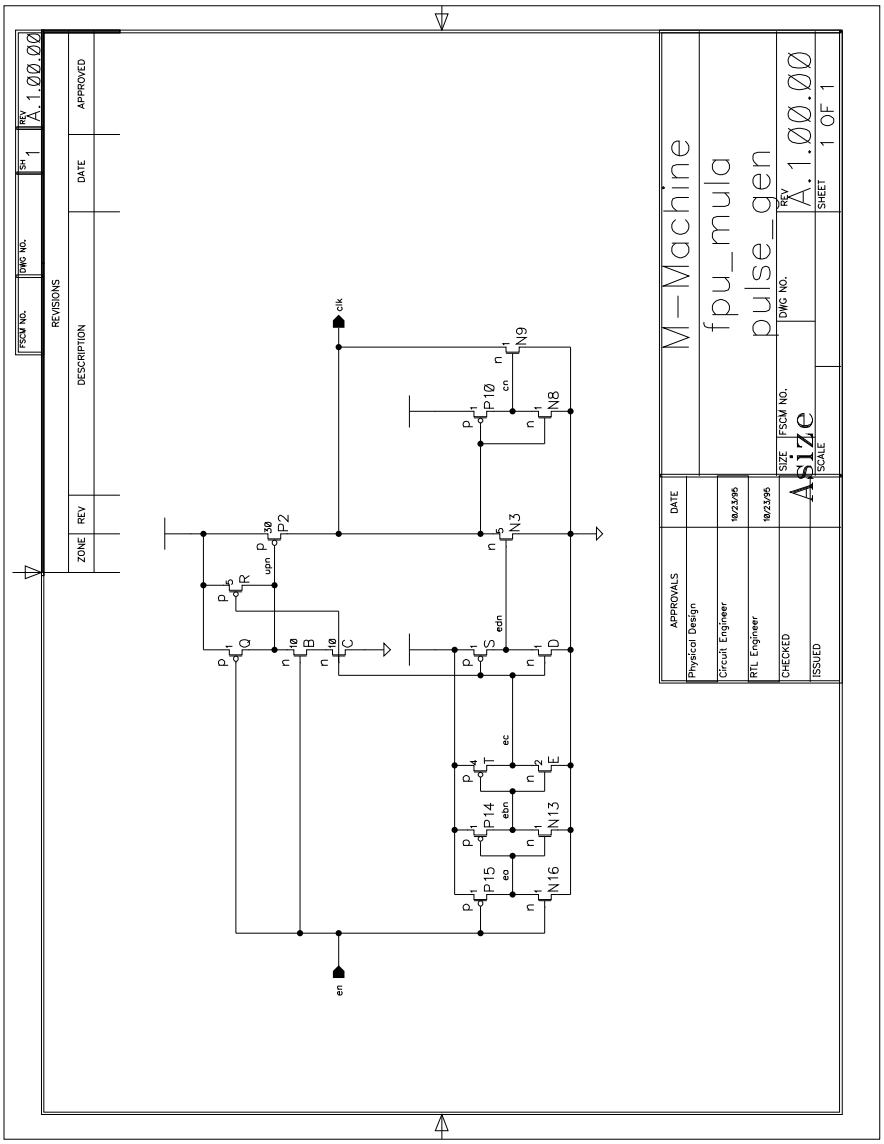

M-Machine
fpu_mula
m_block11_s
A.2.00.00
Bridge

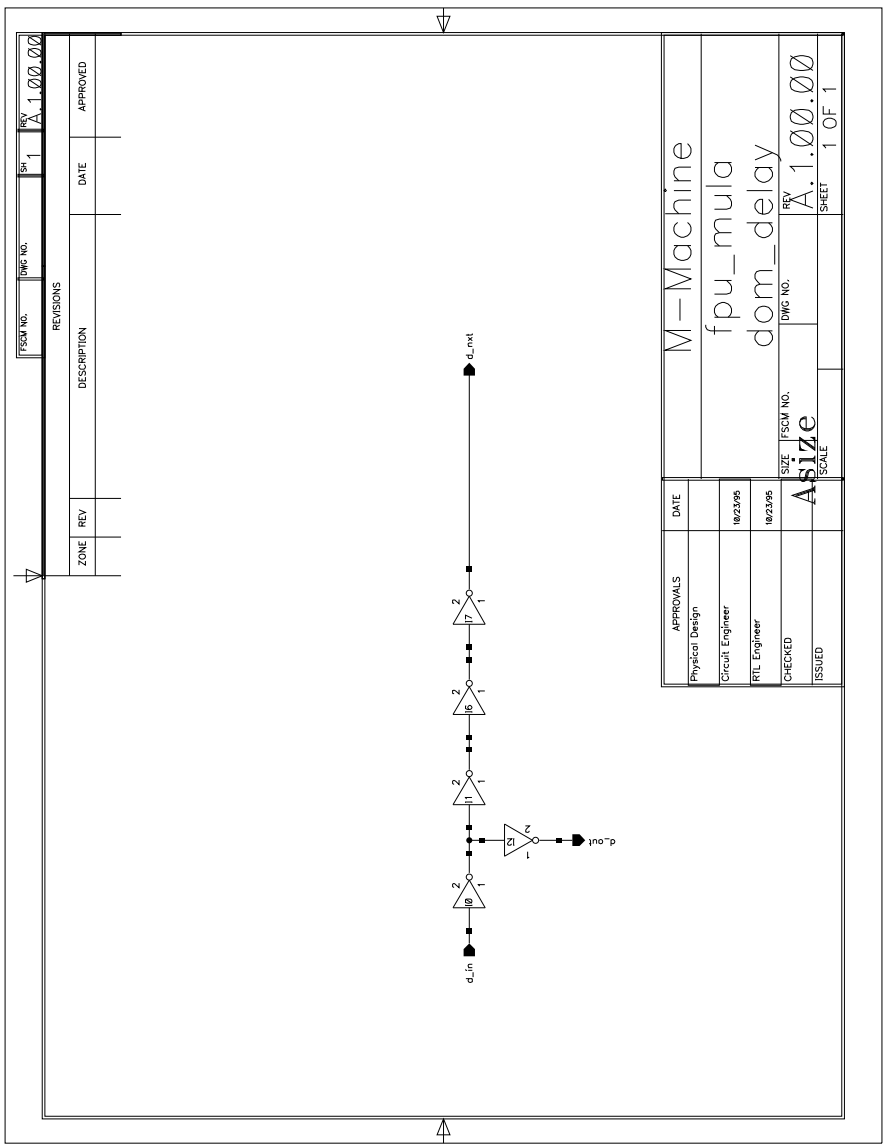
M-Machine
fpu_mula
m_block66_s
A.2.00.00
Blize

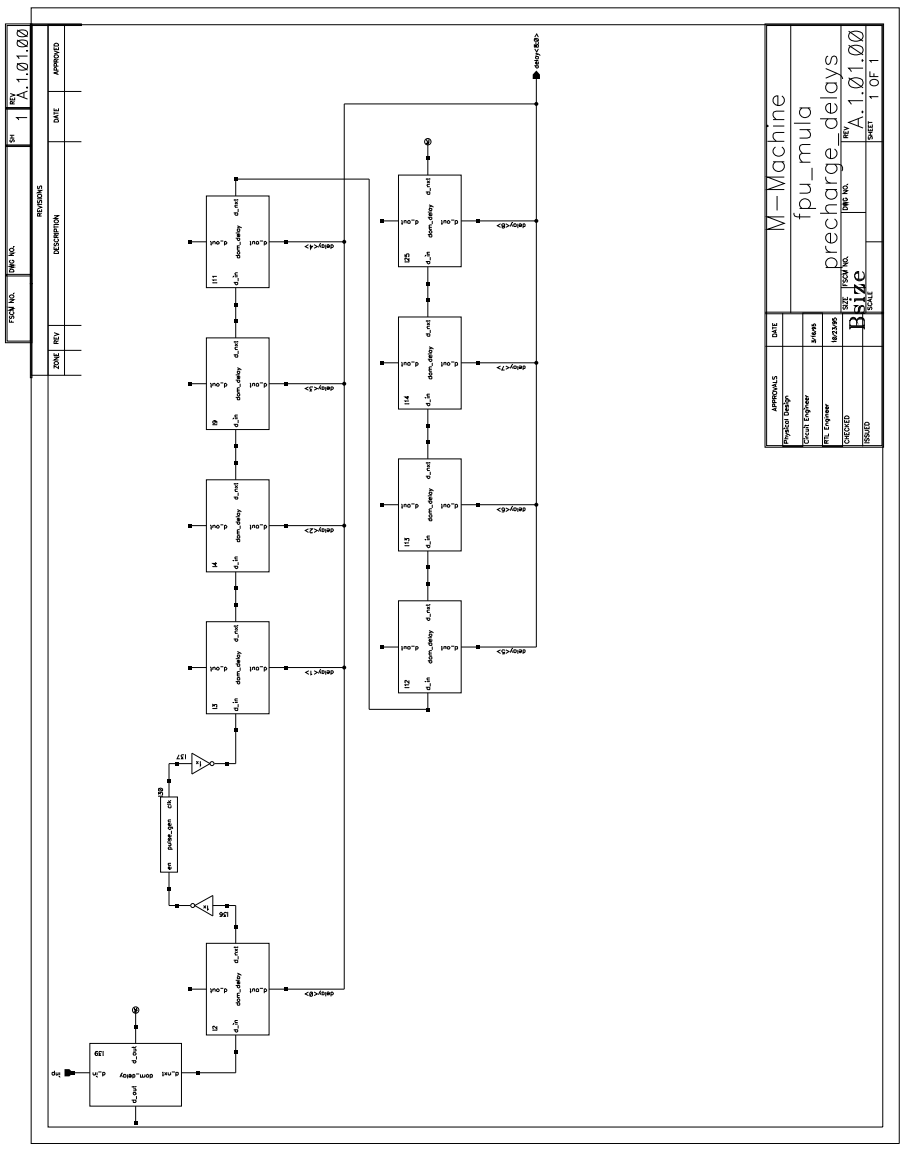

M-Machine
share
inv4-1
Bsize
A.1.00.00
1 OF 1
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/23/95
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
P2
N3
Y
A

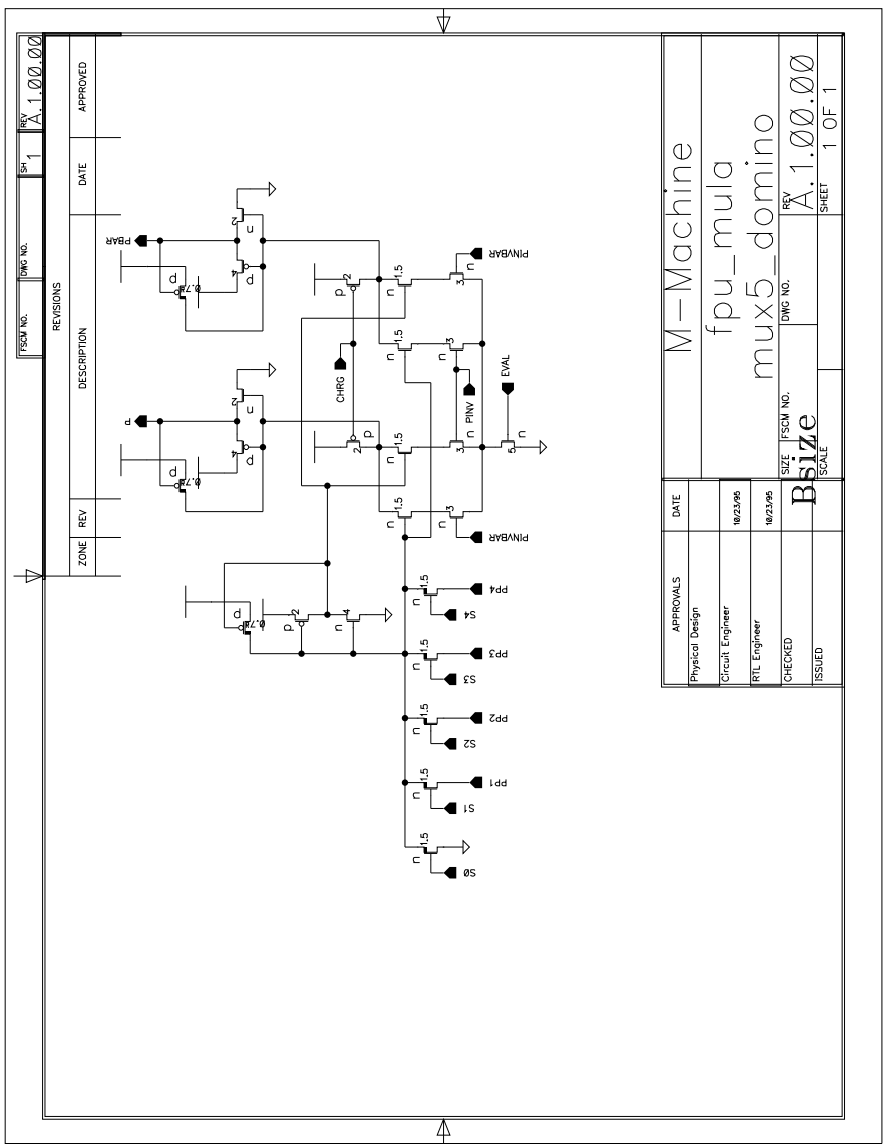

FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
REVISIONS
ZONE REV DESCRIPTION DATE APPROVED
Cin<65:2> I171<63:0> Cout<63:0>
Cin<65> I202 Cout<65>
Cin<65> I201 Cout<64>
Cin<1> I195 WCout<1>
Cin<0> I198 WCout<0>
CinB<65:2> I172<63:0> CoutB<63:0>
CinB<65> I200 CoutB<65>
CinB<65> I199 CoutB<64>
CinB<1> I196 WCoutB<1>
CinB<0> I197 WCoutB<0>
Cin<65:0>
CinB<65:0>
Cout<65:0>
CoutB<65:0>
WCout<1:0>
WCoutB<1:0>
Sin<65:0>
SinB<65:0>
Sout<65:0>
SoutB<65:0>
WSout<2:0>
WSoutB<2:0>
PP1<65:0>
PP3<65:0>
Sin<65:3> I215<62:0> Sout<62:0>
Sin<65> I204 Sout<65>
Sin<65> I206 Sout<64>
Sin<65> I209 Sout<63>
Sin<2> I218 WSout<2>
Sin<1> I213 WSout<1>
Sin<0> I214 WSout<0>
SinB<65:3> I182<62:0> SoutB<62:0>
SinB<65> I203 SoutB<65>
SinB<65> I205 SoutB<64>
SinB<65> I208 SoutB<63>
SinB<2> I207 WSoutB<2>
SinB<1> I212 WSoutB<1>
SinB<0> I211 WSoutB<0>
APPROVALS DATE
Physical Design
Circuit Engineer 10/23/95
RTL Engineer 10/23/95
CHECKED
ISSUED
M—Machine
fpu_mula
m_router
SIZE FSCM NO. DWG NO. REV A.1.00.00
Bsize
SCALE SHEET 1 OF 1

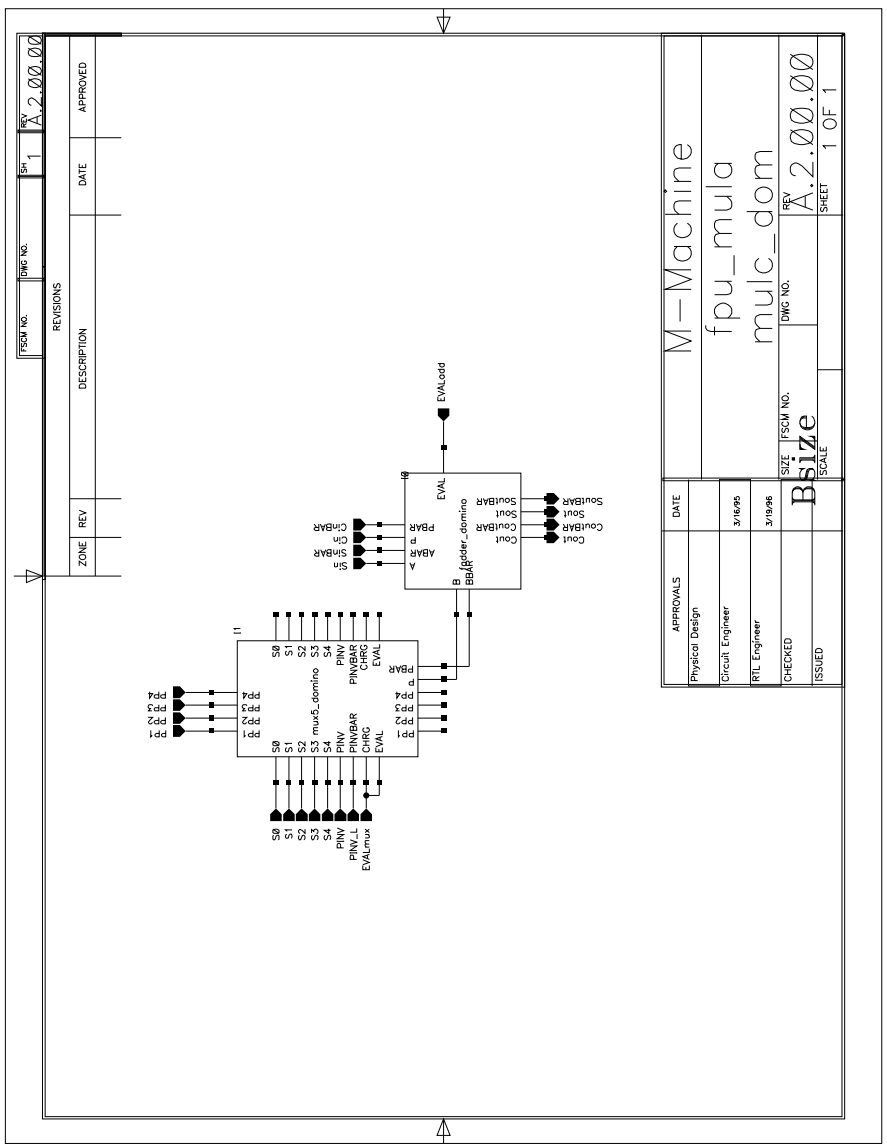

M-Machine
fpu_mula
m_stage1
A.1.00.00
B Size
1 OF 1

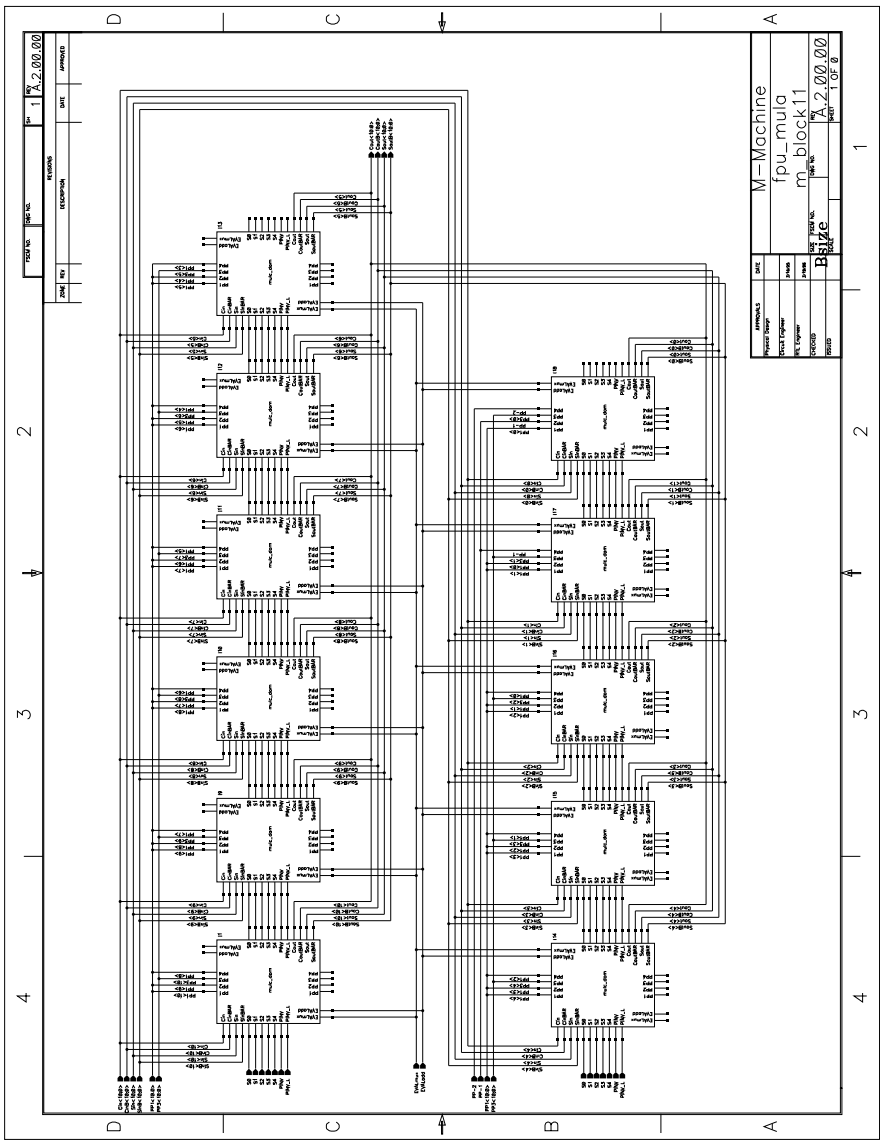

M-Machine
fpu_mula
pulse_gen
A.1.00.00
A size
SHEET 1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
clk
en
P2
N3
P10
N8
N9
P15
N16
P14
N13
P4
E
P5
R
Q
B
C
S
D
T


d_nxt
d_in
d_out
I0
I1
I2
I6
I7
M-Machine
fpu_mula
dom_delay
A.1.00.00
A size
SHEET 1 OF 1

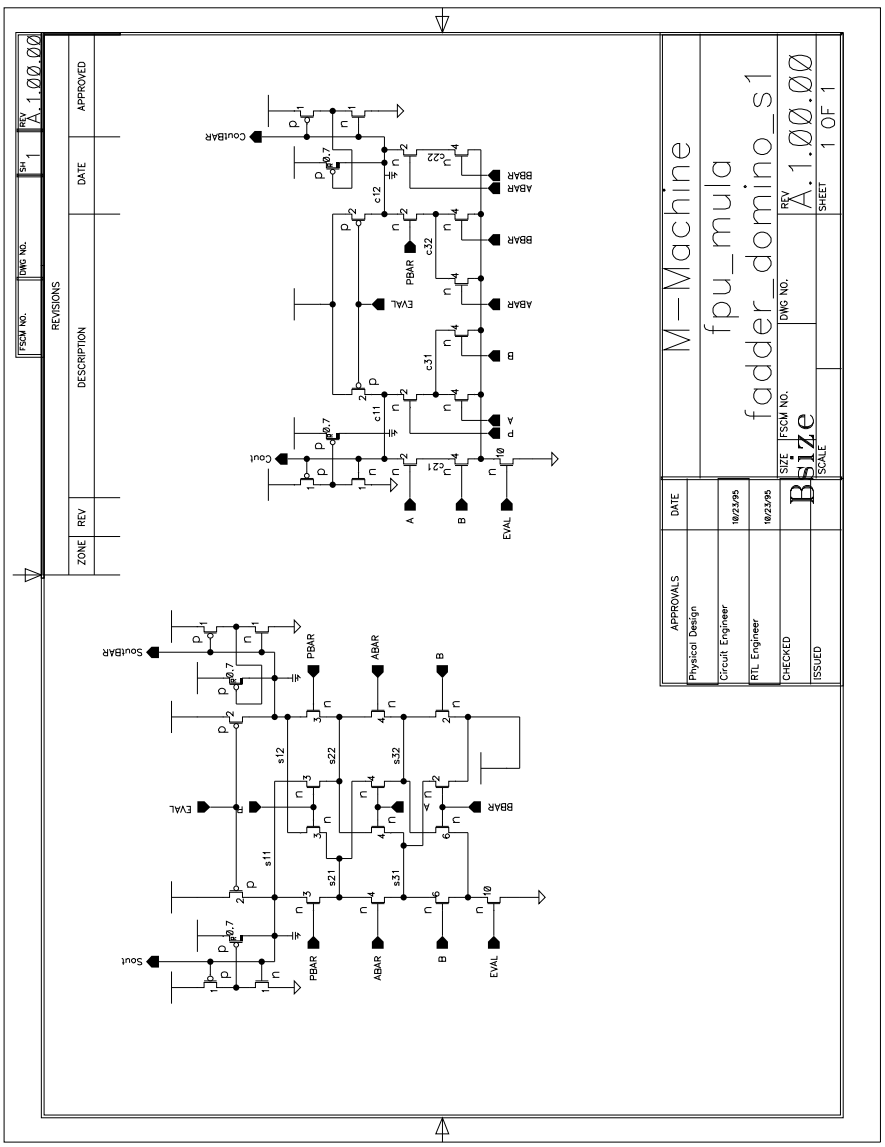

M-Machine
fpu_mula
precharge_delays
A.1.01.00
B Size
1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
dom_delay
pulse_gen
d_out
d_in
d_rst
delay<0>
delay<1>
delay<2>
delay<3>
delay<4>
delay<5>
delay<6>
delay<7>
delay<63>

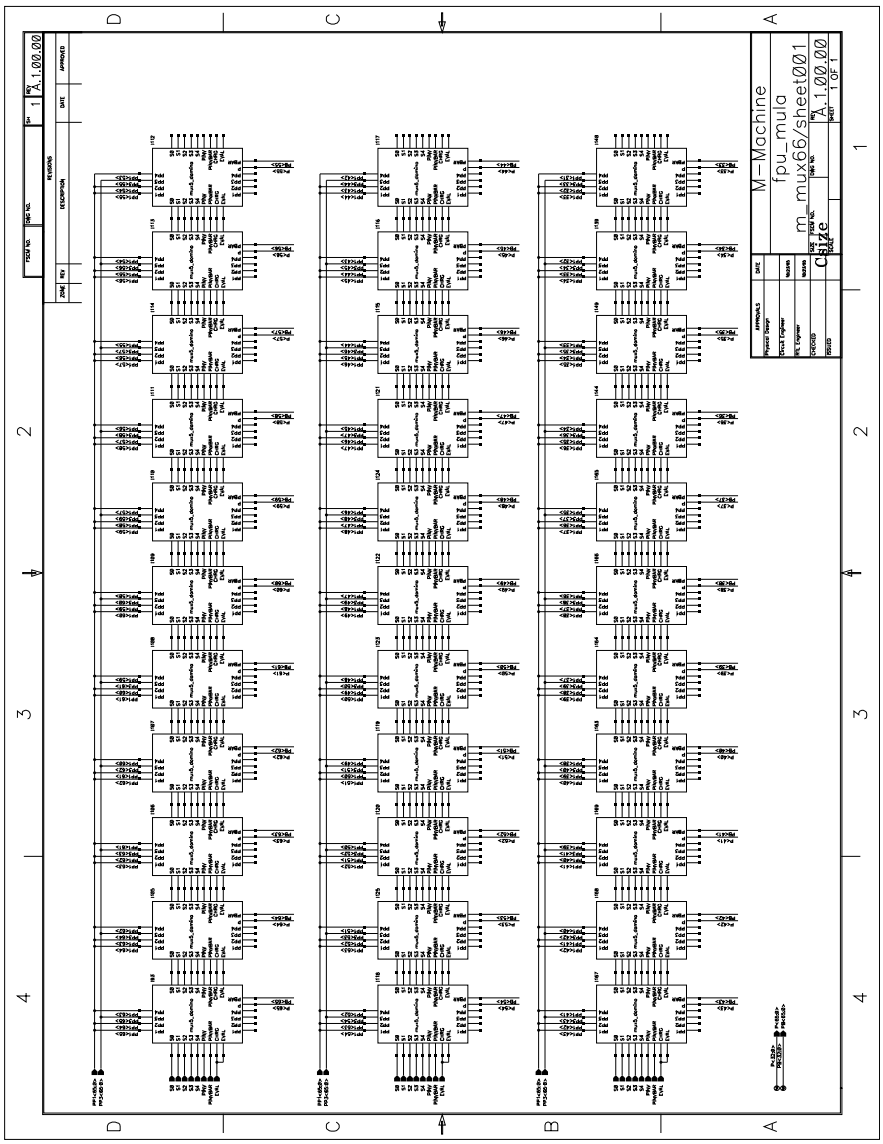

M-Machine
fpu_mula
mux5_domino
Bsize
A.1.00.00
SHEET 1 OF 1
PBAR
PINVBAR
CHRG
PINV
EVAL
pp4
pp3
pp2
pp1
S4
S3
S2
S1
S0

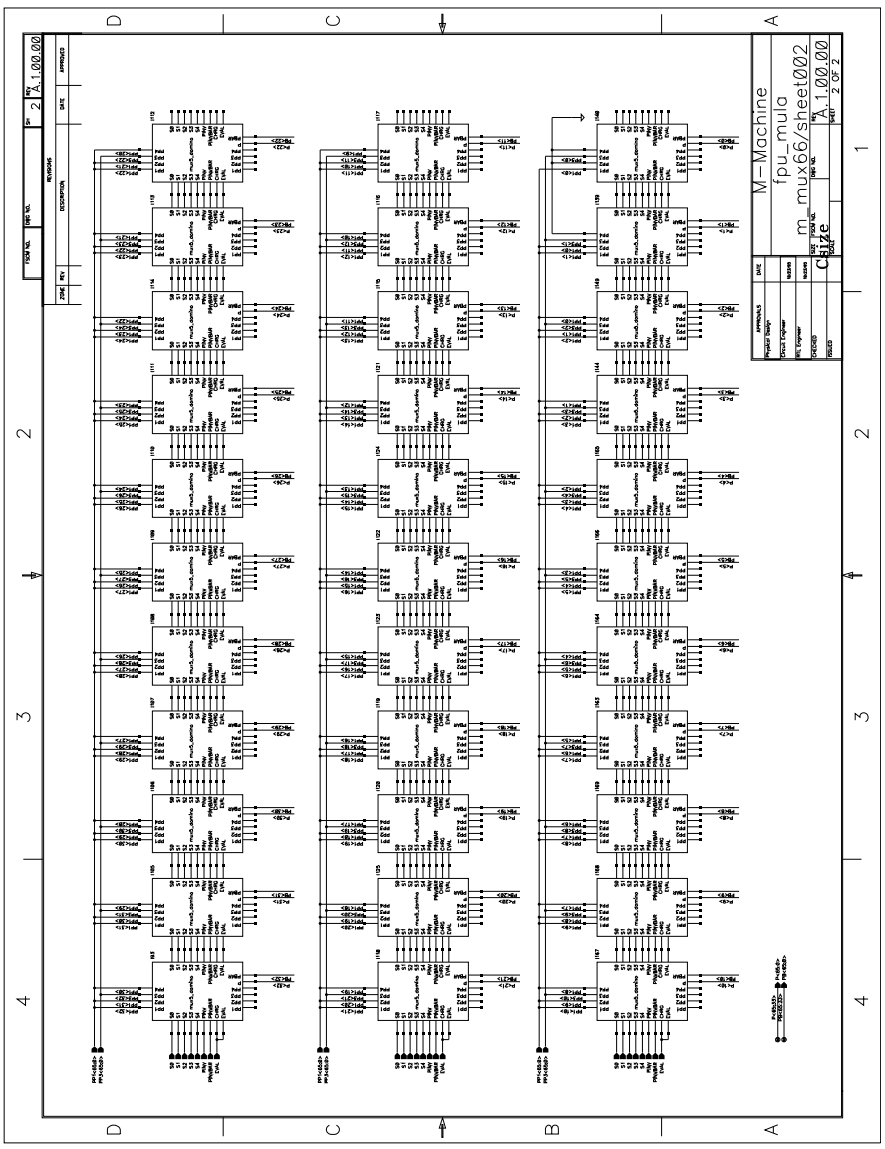

M-Machine
fpu_mula
mulc_dom
A.2.00.00
Bsize
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
3/16/95
3/19/96
EVALadd
adder_domino
mux5_domino
EVAL
PINV
PINVBAR
CHRG
PBAR
EVALmux
PINV_L


M-Machine
fpu_mula
m_block11
A.2.00.00
Bridge

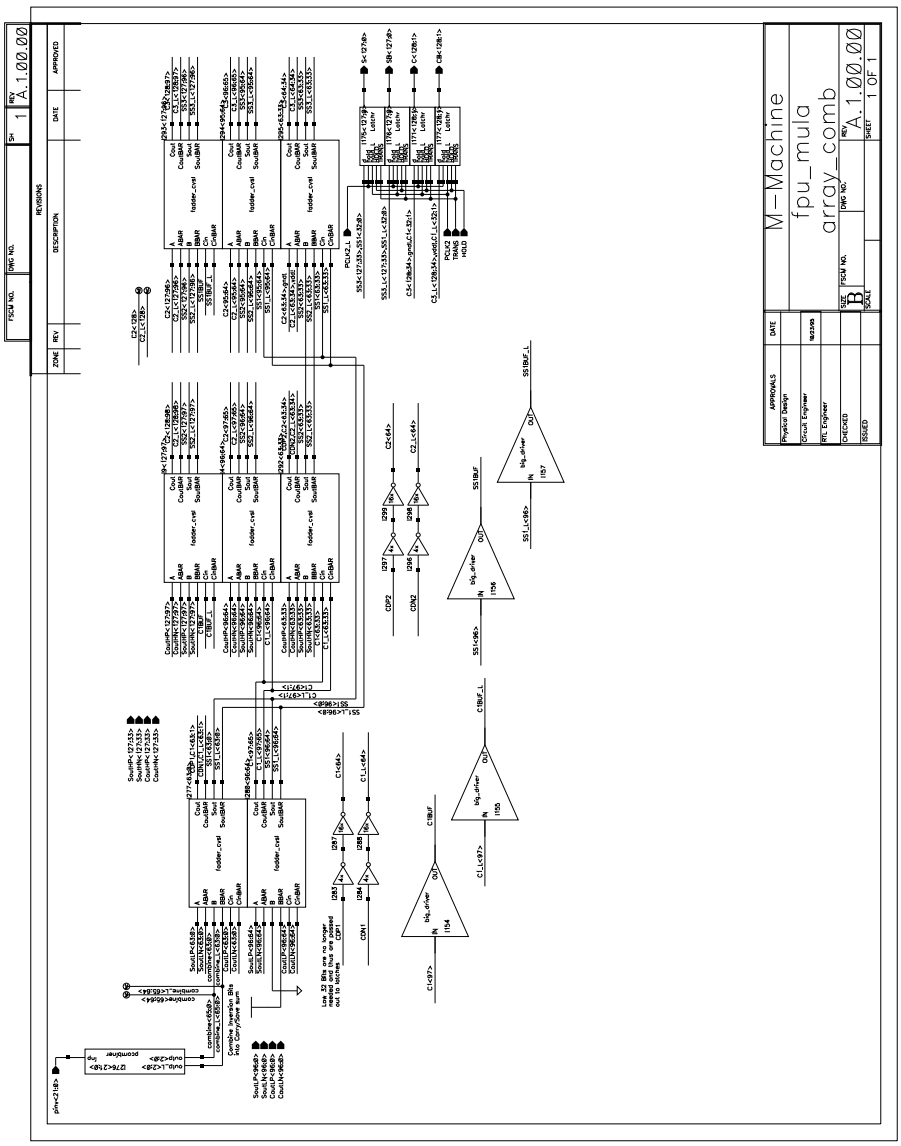
M-Machine
fpu_mula
m_block66
A.2.00.00
Blaze
1 OF 0

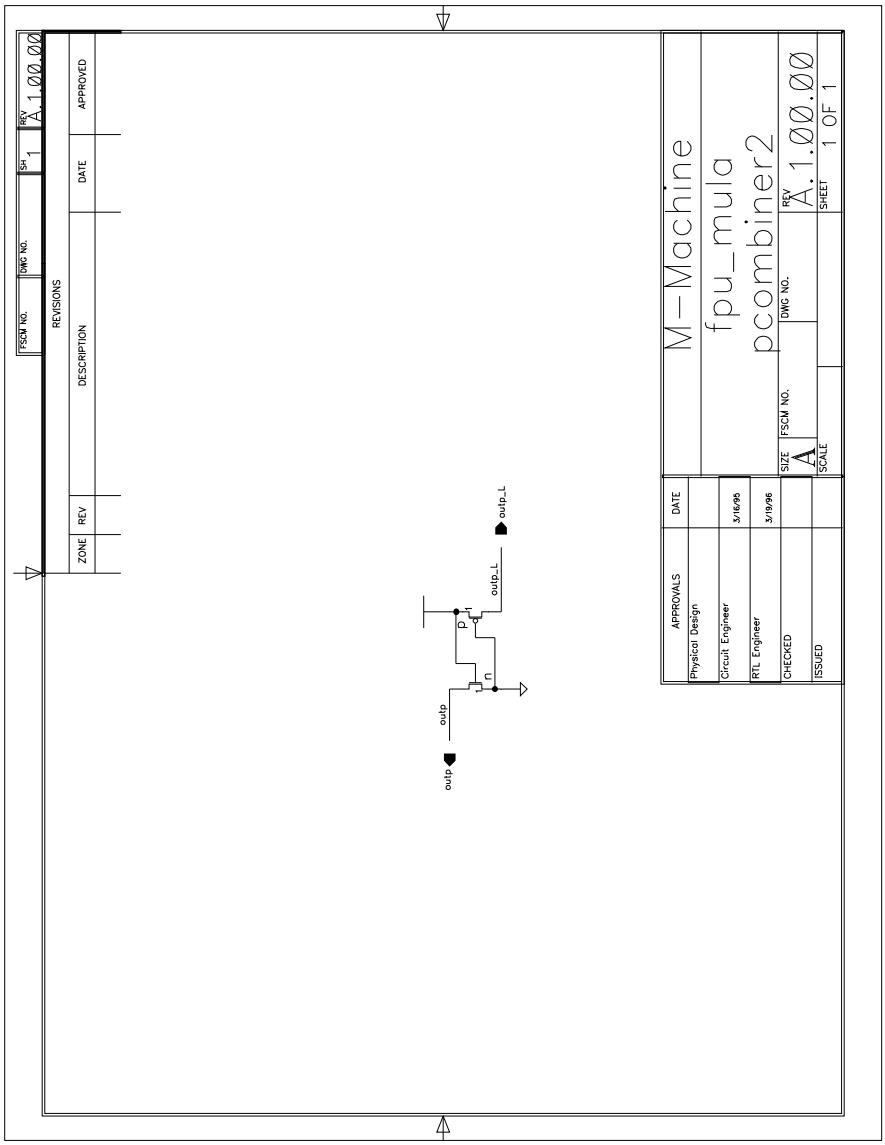

M-Machine
fpu_mula
fadder_domino_s1
A.1.00.00
B size
1 OF 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/25/95
DWG NO.
SHEET
SCALE
FSCM NO.
SIZE
A
B
EVAL
Cout
CoutBAR
SoutBAR
Sout
PBAR
ABAR
BBAR

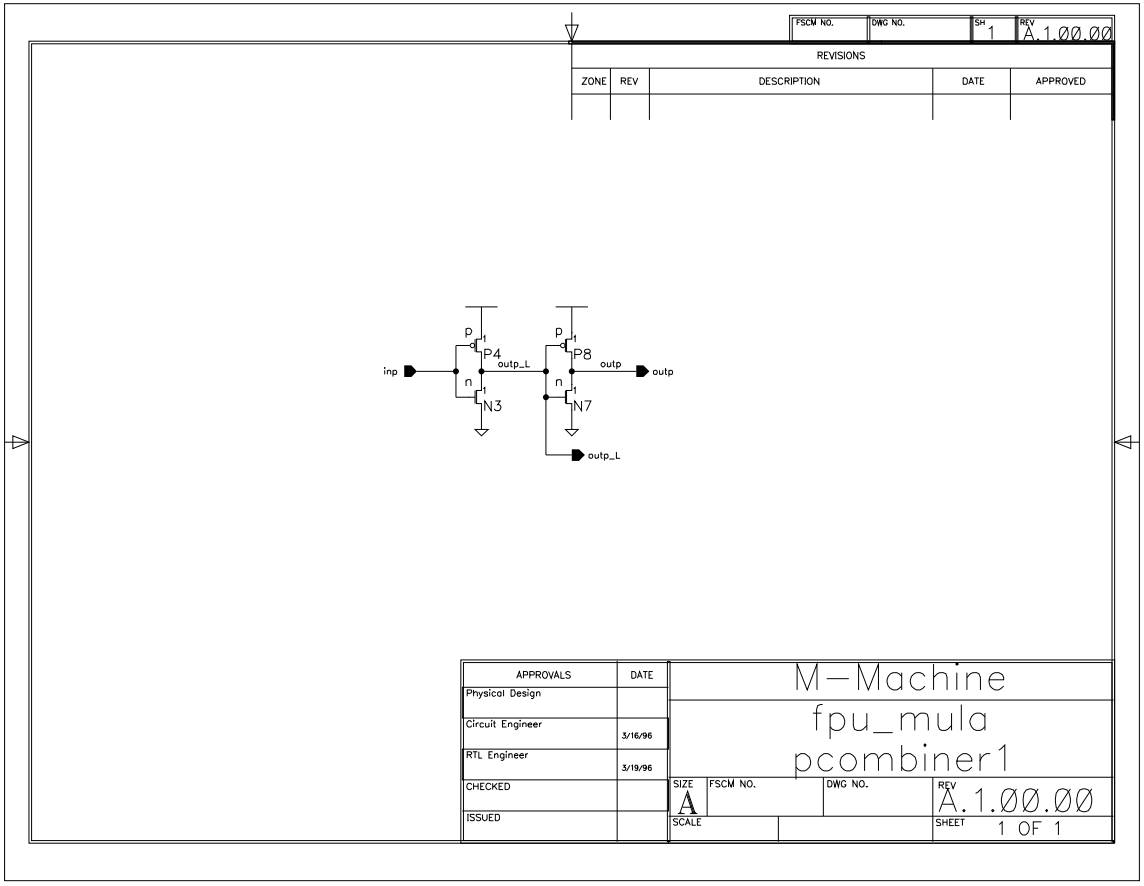

M-Machine
fpu_mula
m_mux66/sheet001
A 1.00.00

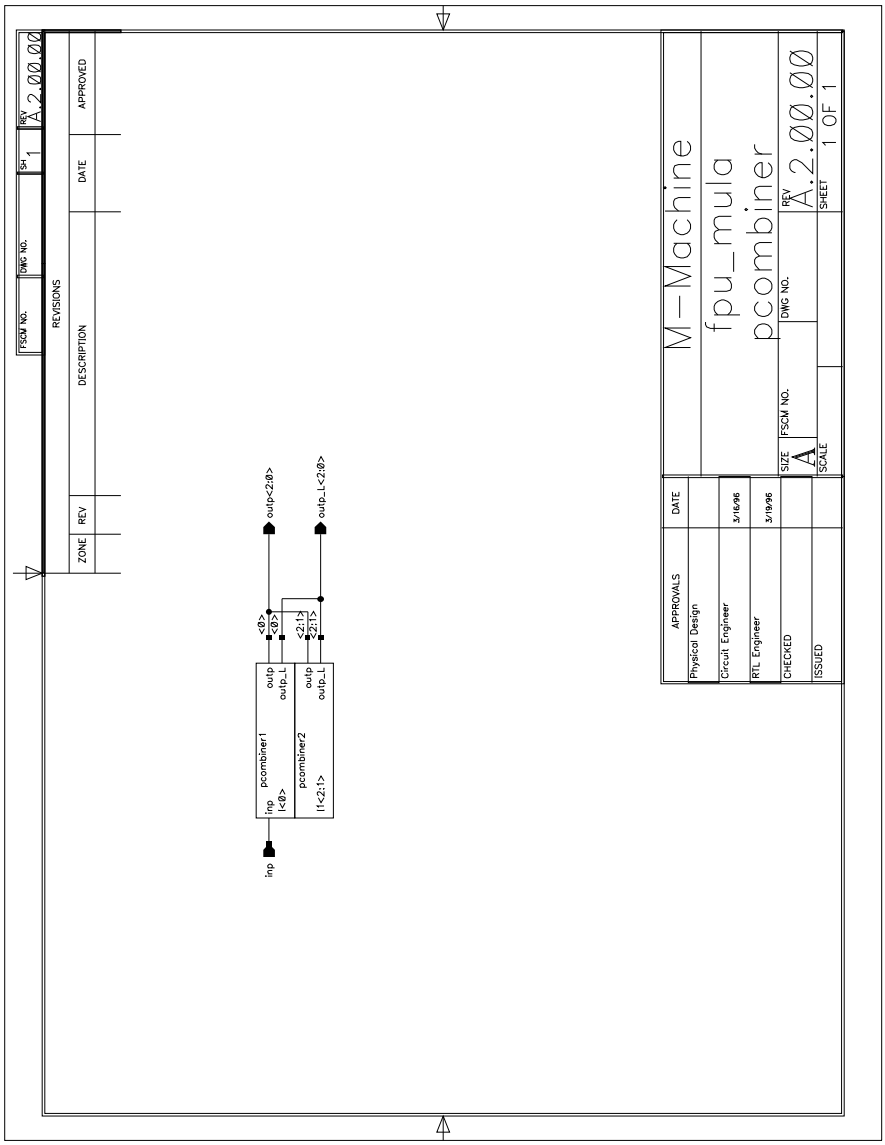

M-Machine
fpu_mula
m_mux66/sheet002
A 1.00.00
2 OF 2

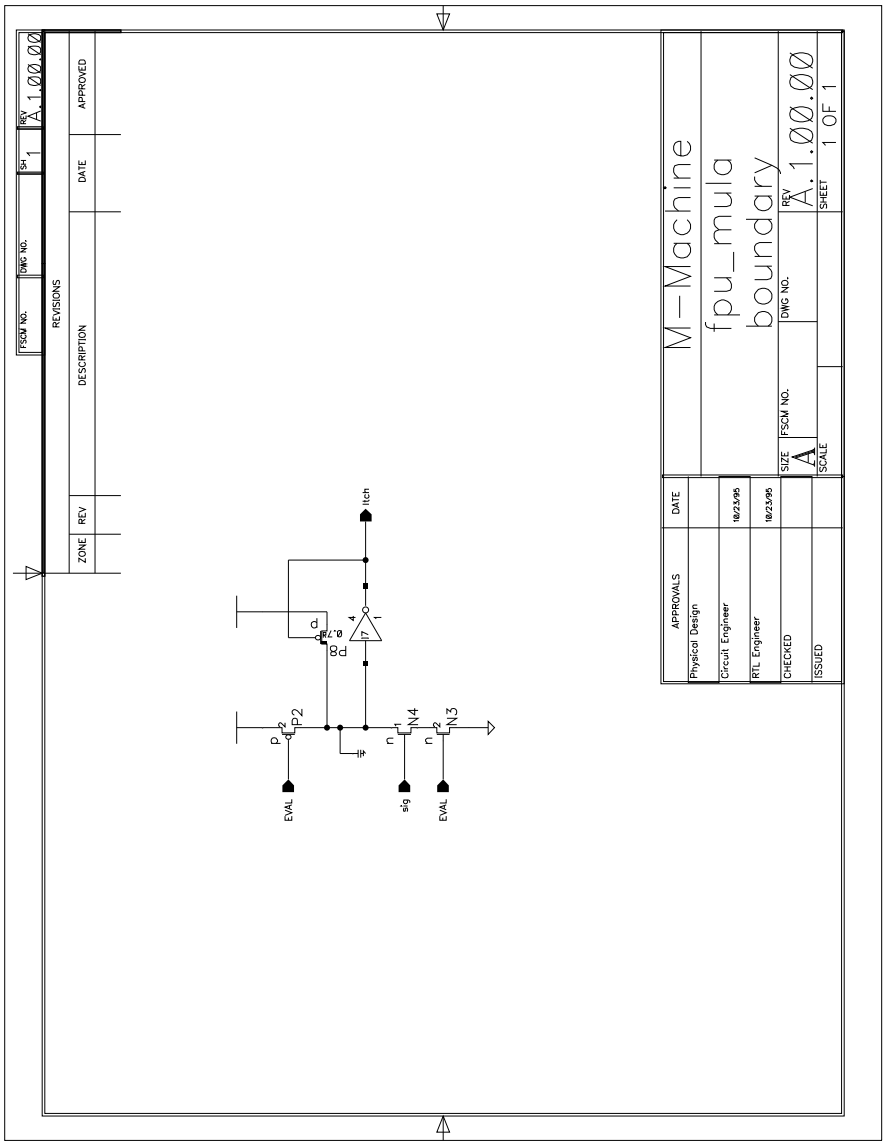
D.3.2 Array Combination and Subcells

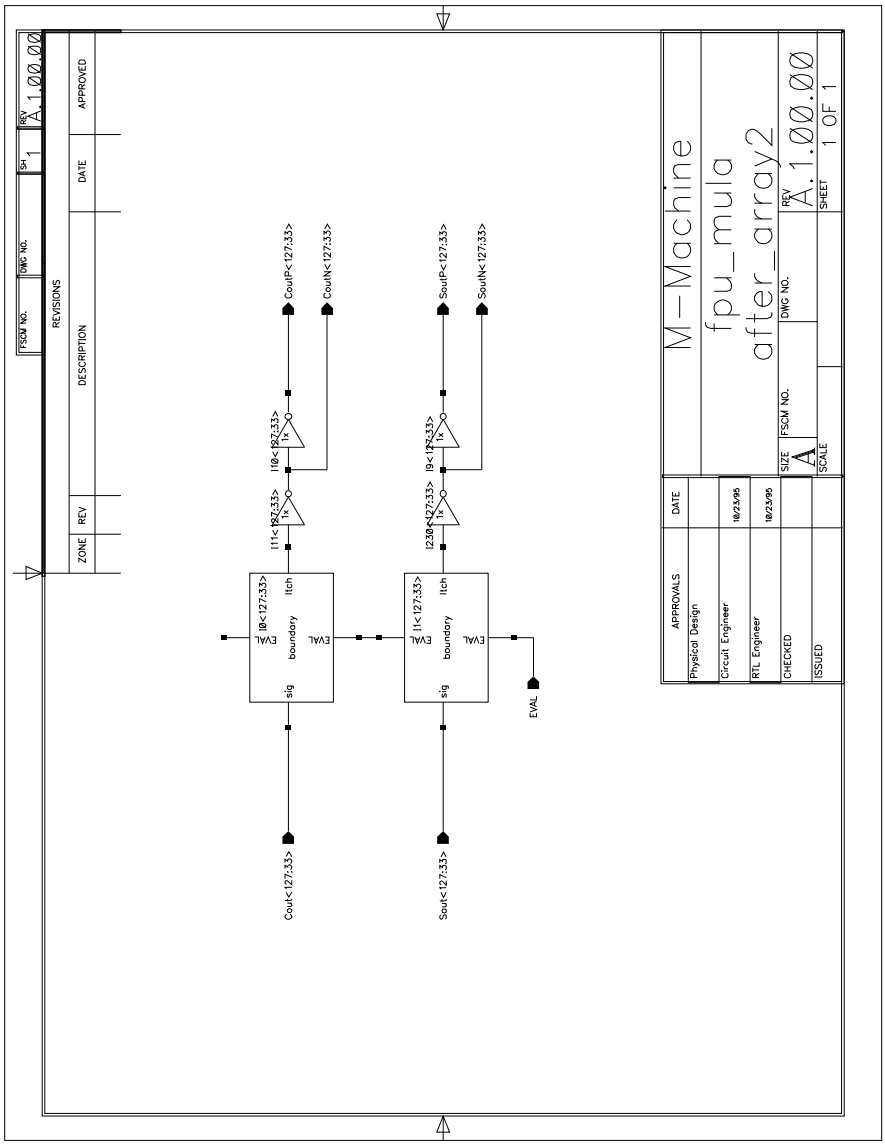


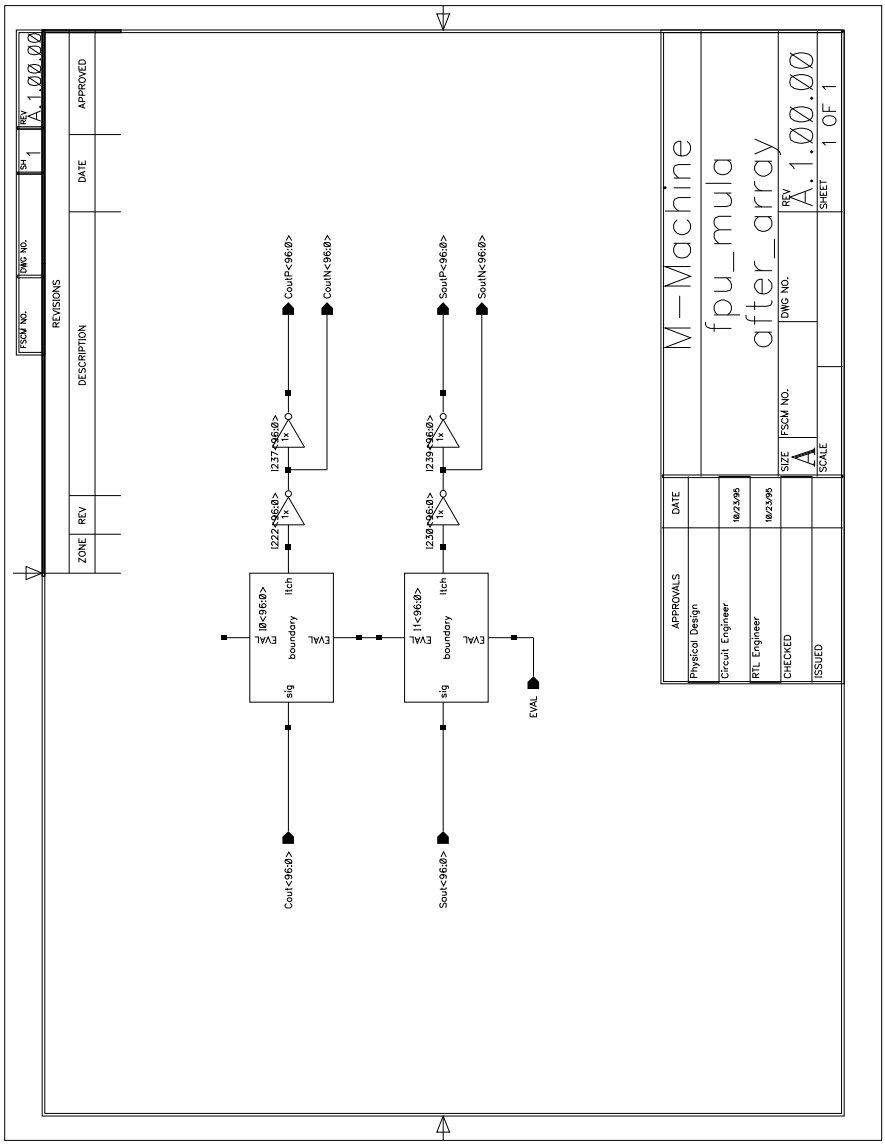

FSCM NO.
DWG NO.
REV
A.1.00.00
SH 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
M-Machine
fpu_mula
pcombiner2
APPROVALS
DATE
Physical Design
Circuit Engineer
3/16/95
RTL Engineer
3/19/95
CHECKED
ISSUED
SIZE
A
FSCM NO.
DWG NO.
REV
A.1.00.00
SCALE
SHEET
1 OF 1
outp
outp_L
P
n
outp
outp_L

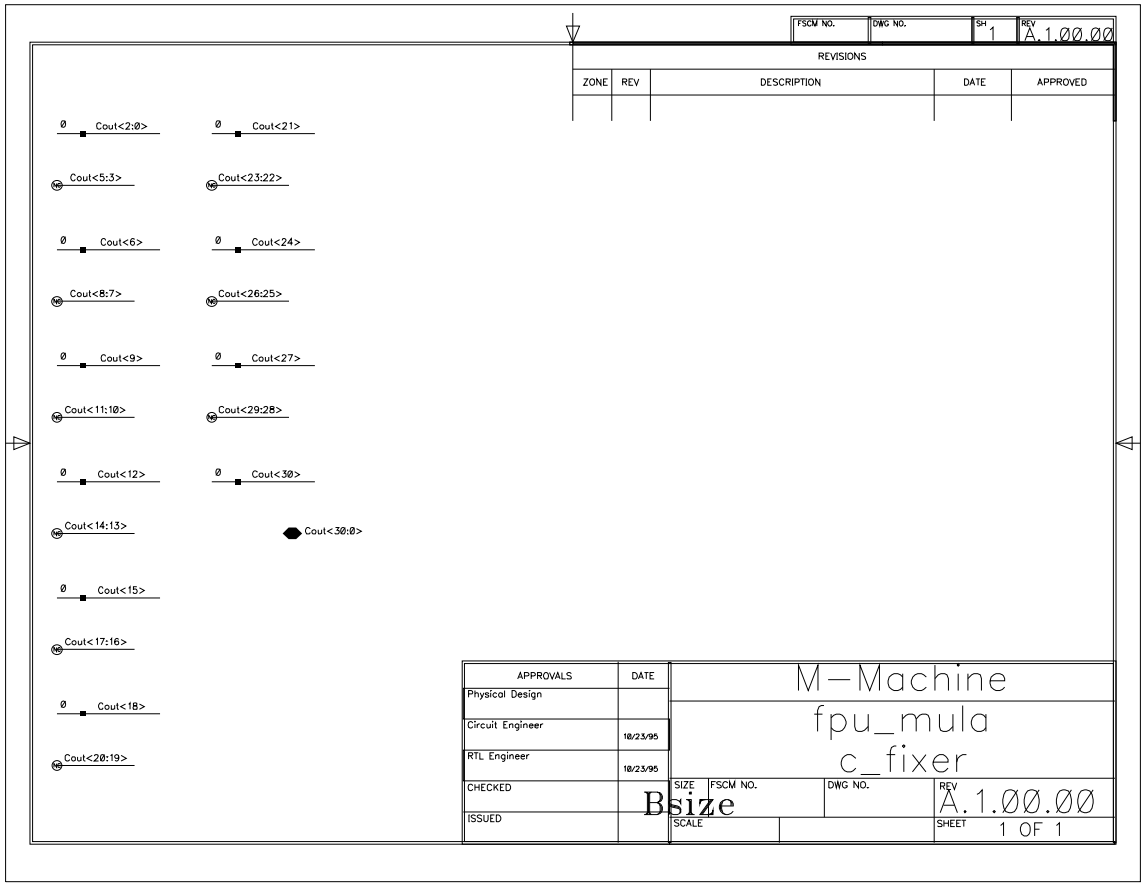

FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
p
P4
n
N3
outp_L
inp
p
P8
n
N7
outp
outp
outp_L
APPROVALS
DATE
Physical Design
Circuit Engineer
3/16/96
RTL Engineer
3/19/96
CHECKED
ISSUED
M-Machine
fpu_mula
pcombiner1
SIZE A
FSCM NO.
DWG NO.
REV A.1.00.00
SCALE
SHEET 1 OF 1


REVISIONS
FSCM NO.
DWG NO.
SH 1
REV A.2.00.00
ZONE
REV
DESCRIPTION
DATE
APPROVED
M-Machine
fpu_mula
pcombiner
APPROVALS
DATE
Physical Design
Circuit Engineer
3/16/96
RTL Engineer
3/19/96
CHECKED
ISSUED
SIZE A
FSCM NO.
DWG NO.
REV A.2.00.00
SCALE
SHEET 1 OF 1
outp<2:0>
outp_L<2:0>
<0>
<0>
<2:1>
<2:1>
inp
pcombiner1
inp
I<0>
outp
outp_L
pcombiner2
I1<2:1>
outp
outp_L
inp

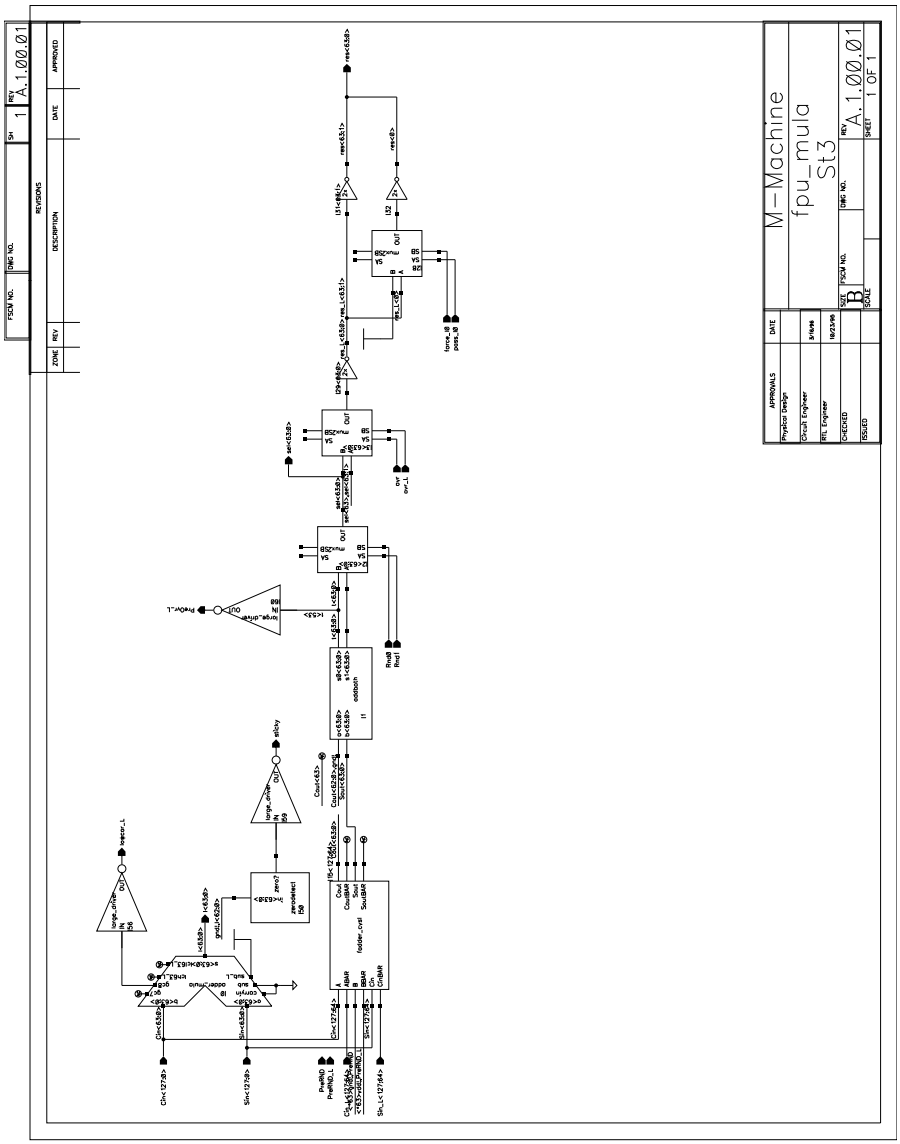

M-Machine
fpu_mula
boundary
A.1.00.00
SHEET 1 OF 1
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
SIZE
A
SCALE
FSCM NO.
DWG NO.
REV
REVISIONS
ZONE
DESCRIPTION
APPROVED
1tch
EVAL
sig
EVAL


M-Machine
fpu_mula
after_array2
A.1.00.00
1 OF 1
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
SIZE
FSCM NO.
DWG NO.
REV
SHEET
SCALE
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
CoulP<127:33>
CoulN<127:33>
SoulP<127:33>
SoulN<127:33>
Coul<127:33>
Soul<127:33>
EVAL
sig
boundary
ltch
1x

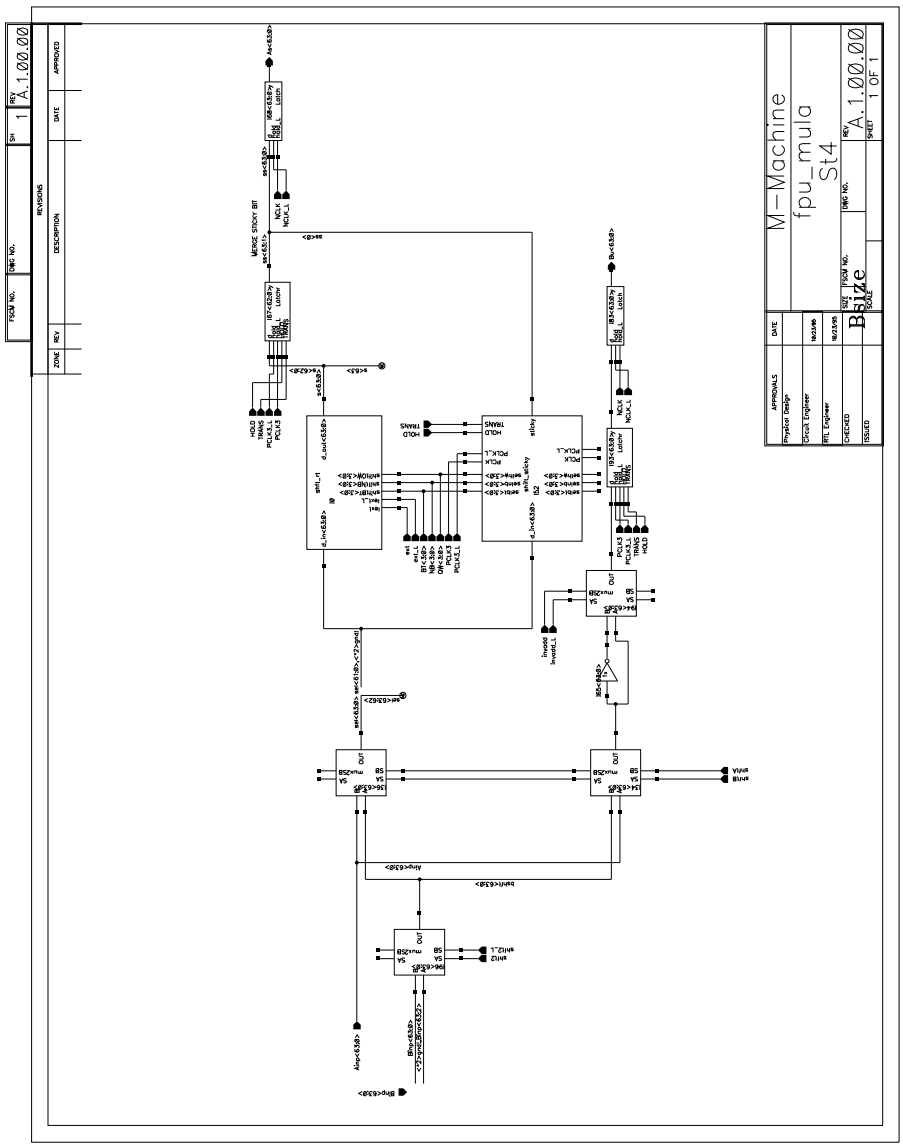

M-Machine
fpu_mula
after_array
A.1.00.00
1 OF 1
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/23/95
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
SIZE A
SCALE
SHEET
I222<96:0>
I237<96:0>
I230<96:0>
I239<96:0>
CoulP<96:0>
CoulN<96:0>
SoulP<96:0>
SoulN<96:0>
I10<96:0>
I11<96:0>
EVAL
boundary
sig
Coul<96:0>
Soul<96:0>
EVAL


FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
Ø Cout<2:0>
Ø Cout<21>
Cout<5:3>
Cout<23:22>
Ø Cout<6>
Ø Cout<24>
Cout<8:7>
Cout<26:25>
Ø Cout<9>
Ø Cout<27>
Cout<11:10>
Cout<29:28>
Ø Cout<12>
Ø Cout<30>
Cout<14:13>
Cout<30:0>
Ø Cout<15>
Cout<17:16>
Ø Cout<18>
Cout<20:19>
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
M—Machine
fpu_mula
c_fixer
SIZE
FSCM NO.
DWG NO.
REV A.1.00.00
Bsize
SCALE
SHEET 1 OF 1

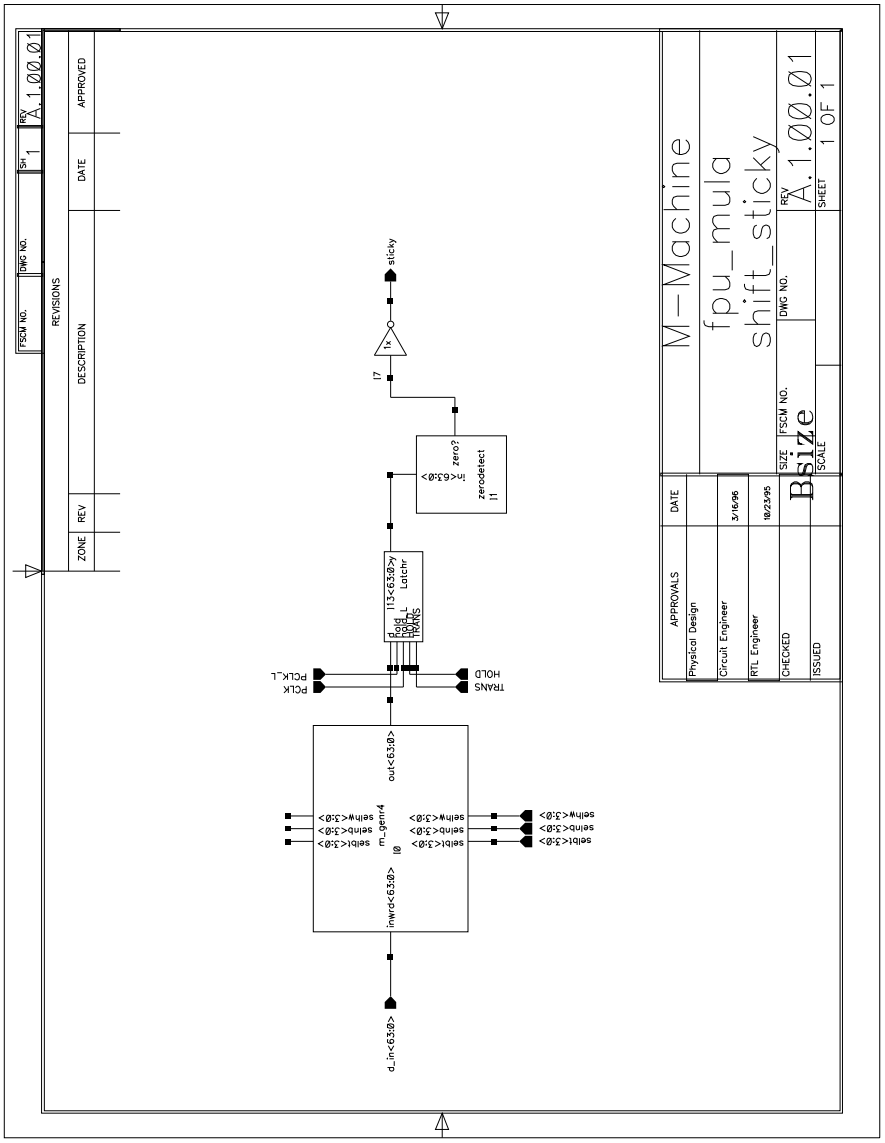
D.4 Stage 3

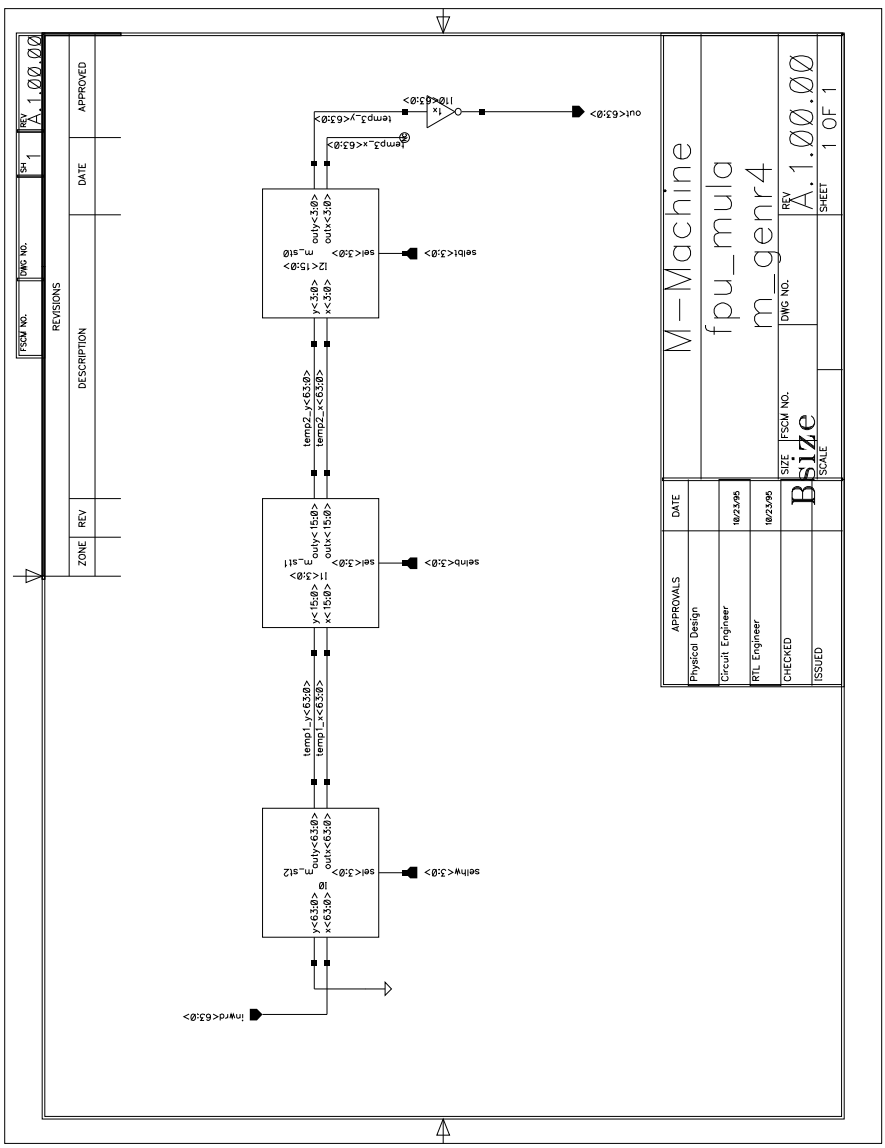


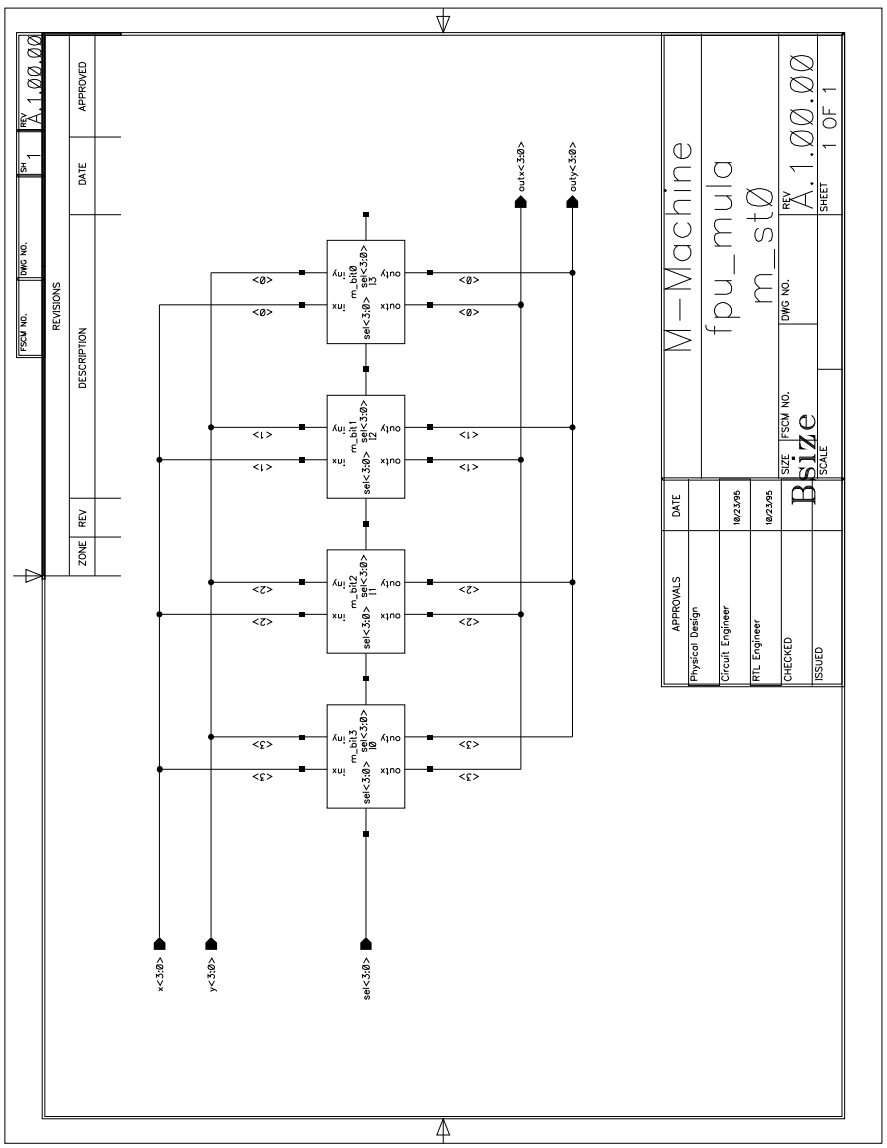
D.5 Stage 4

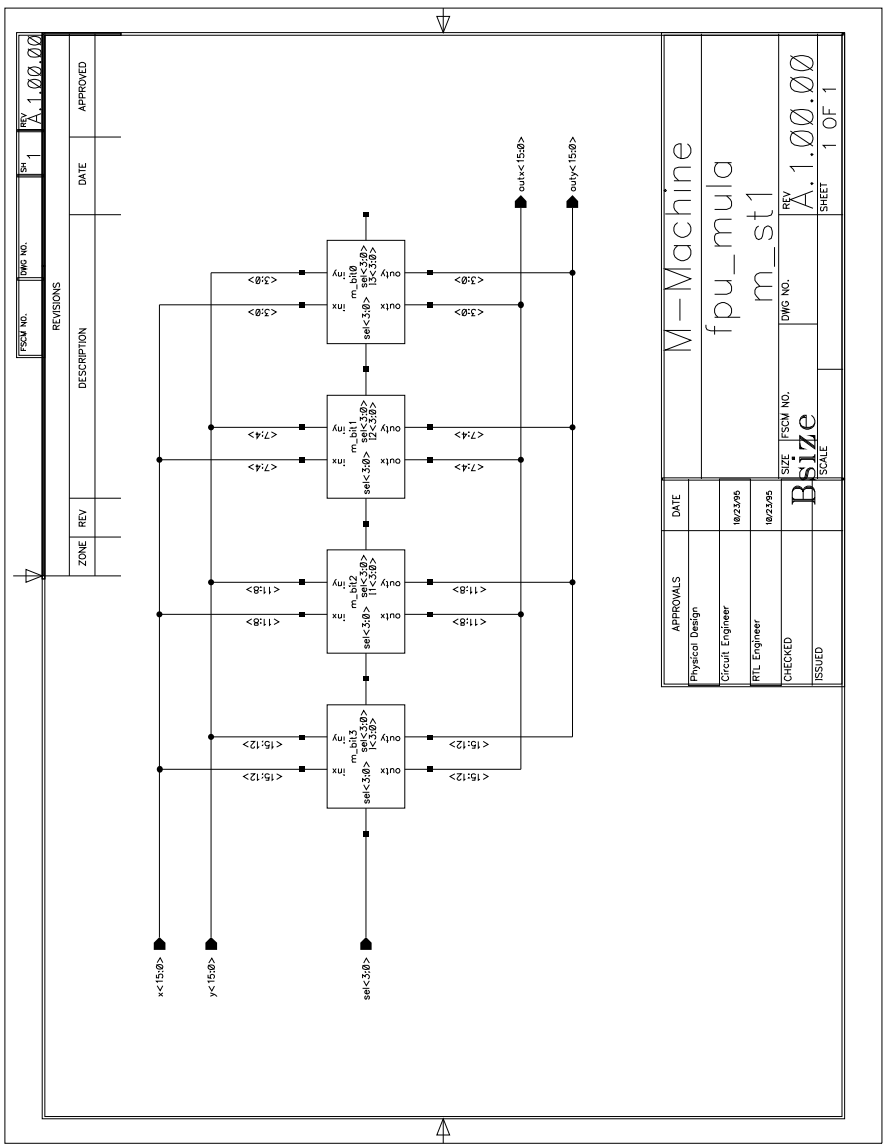


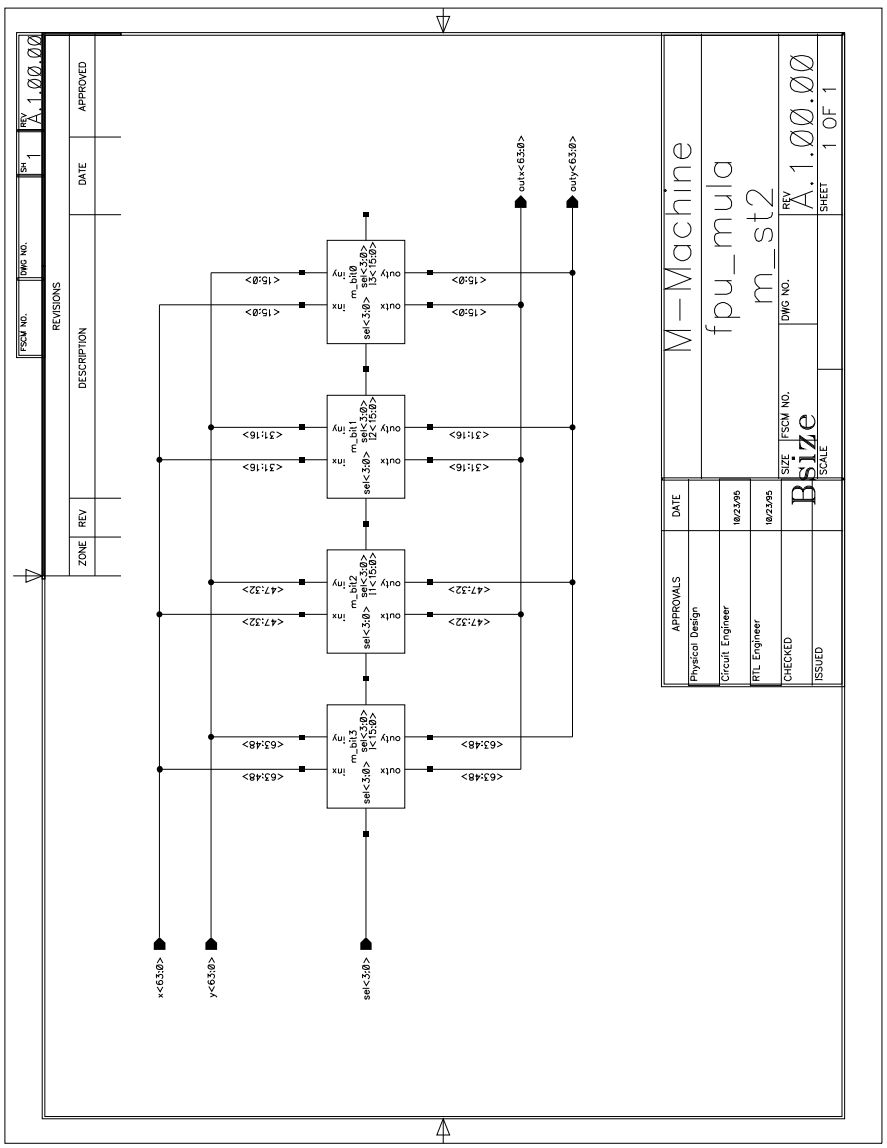
D.5.1 Shift Sticky (Mask Generator and subcells)

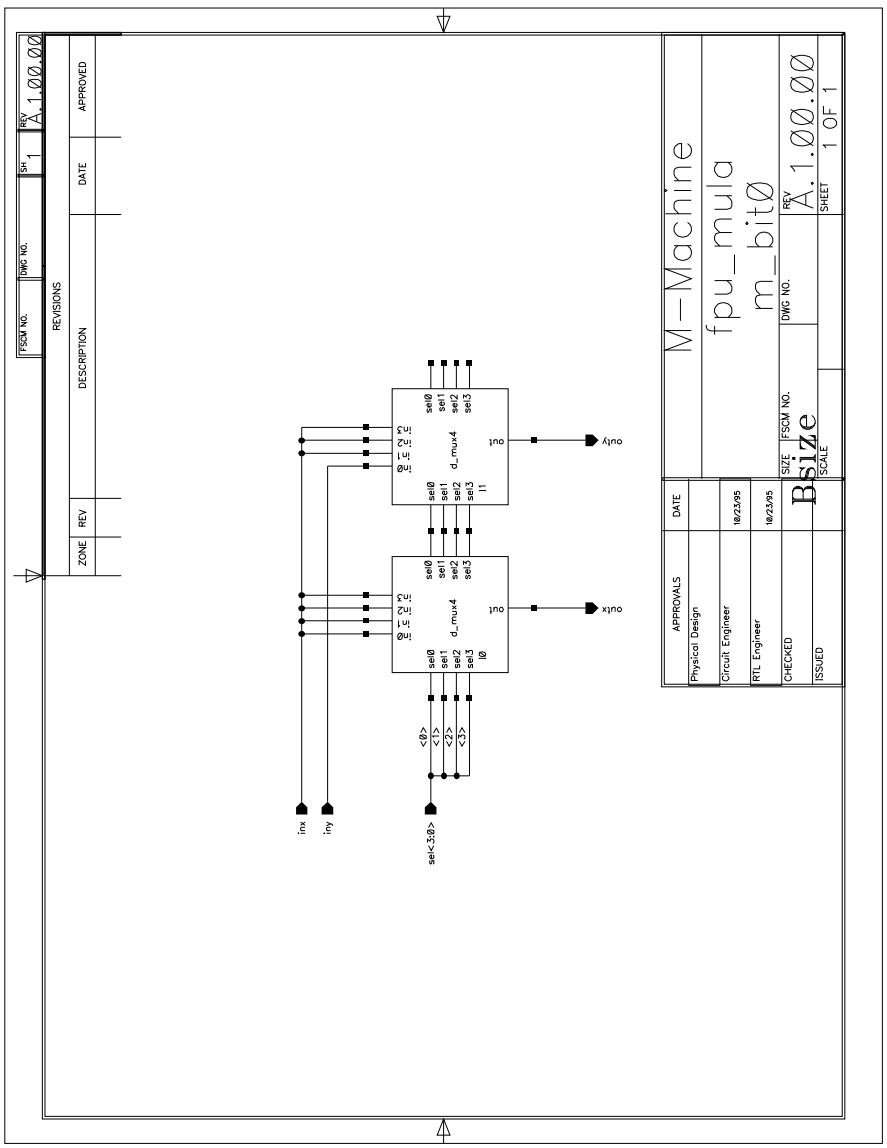


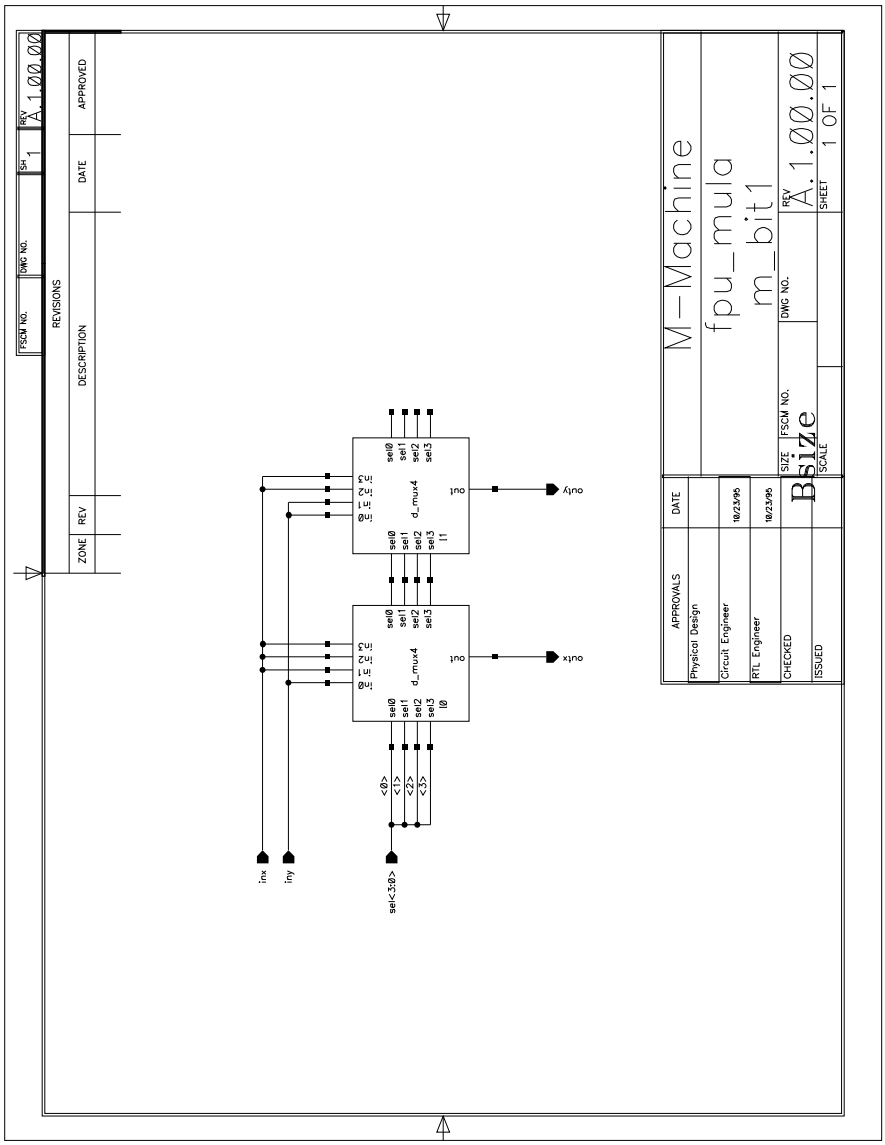

M-Machine
fpu_mula
m_genr4
A.1.00.00
Bsize
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
SIZE
FSCM NO.
SCALE
DWG NO.
REV
SHEET
1 OF 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
inwrd<63:0>
selm<3:0>
selb<3:0>
out<63:0>
temp1_x<63:0>
temp1_y<63:0>
temp2_x<63:0>
temp2_y<63:0>
temp3_x<63:0>
temp3_y<63:0>
I1<63:0>
I2<15:0>
I3<3:0>
I4<3:0>
I5<3:0>
I6<63:0>
I7<63:0>
I8<63:0>
I9<63:0>
I10<63:0>
I11<63:0>
I12<15:0>
I13<3:0>
I14<3:0>
I15<3:0>
I16<63:0>
I17<63:0>
I18<63:0>
I19<63:0>
I20<63:0>
I21<63:0>
I22<63:0>
I23<63:0>
I24<63:0>
I25<63:0>
I26<63:0>
I27<63:0>
I28<63:0>
I29<63:0>
I30<63:0>
I31<63:0>
I32<63:0>
I33<63:0>
I34<63:0>
I35<63:0>
I36<63:0>
I37<63:0>
I38<63:0>
I39<63:0>
I40<63:0>
I41<63:0>
I42<63:0>
I43<63:0>
I44<63:0>
I45<63:0>
I46<63:0>
I47<63:0>
I48<63:0>
I49<63:0>
I50<63:0>
I51<63:0>
I52<63:0>
I53<63:0>
I54<63:0>
I55<63:0>

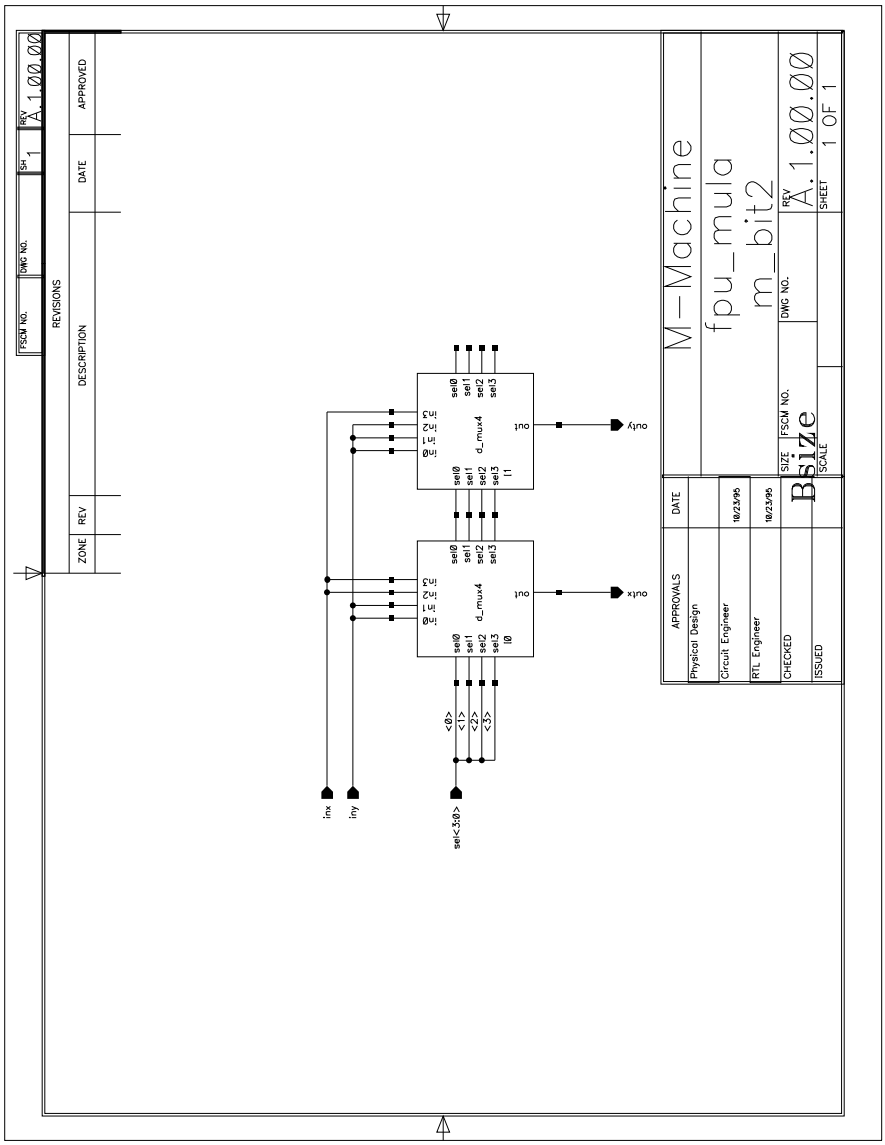

M-Machine
fpu_mula
m_st0
A.1.00.00
SHEET 1 OF 1
x<3:0>
y<3:0>
sel<3:0>
out x<3:0>
out y<3:0>
m_bit0
m_bit1
m_bit2
m_bit3

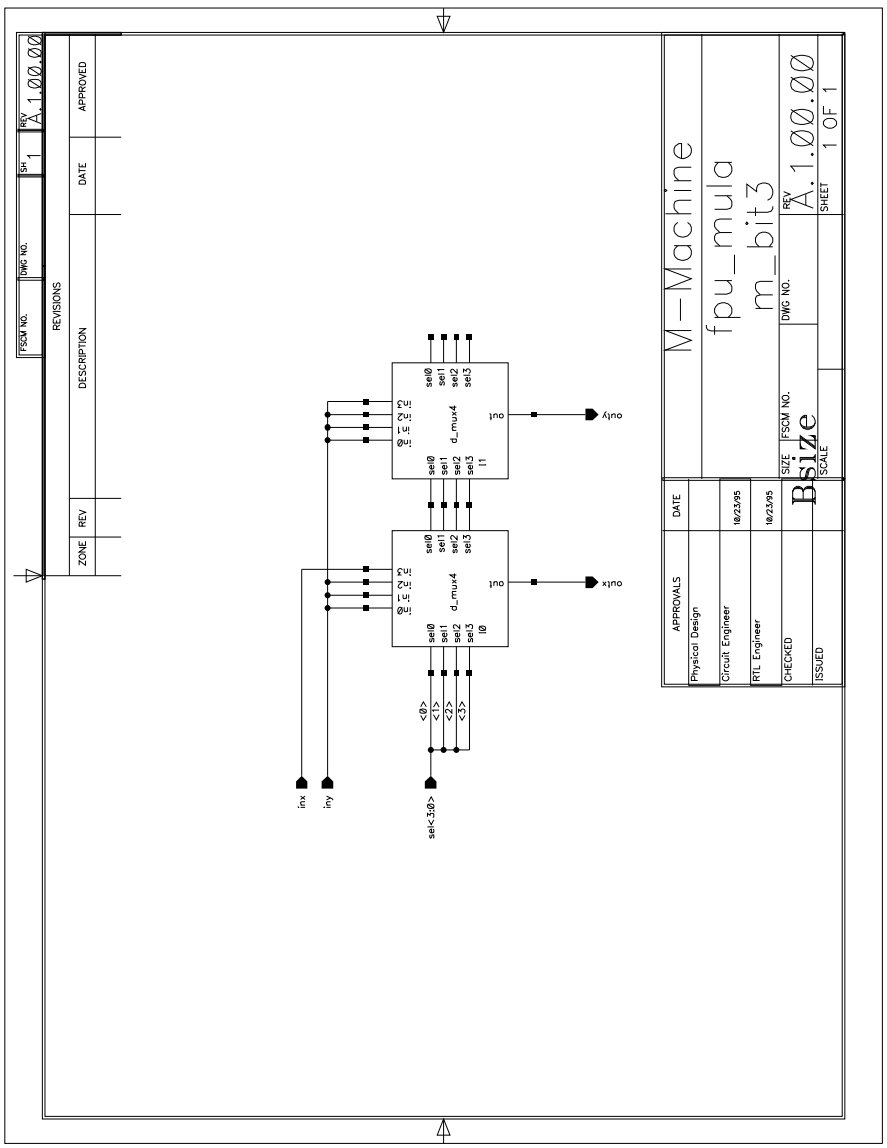

M-Machine
fpu_mula
m_st1
Bsize
A.1.00.00
REVISIONS
DESCRIPTION
APPROVED
DATE
REV
ZONE
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
SIZE
FSCM NO.
DWG NO.
REV
SCALE
SHEET
1 OF 1
m_bit0
m_bit1
m_bit2
m_bit3
sel<3:0>
inx
iny
outx
outy
x<15:0>
y<15:0>
outx<15:0>
outy<15:0>

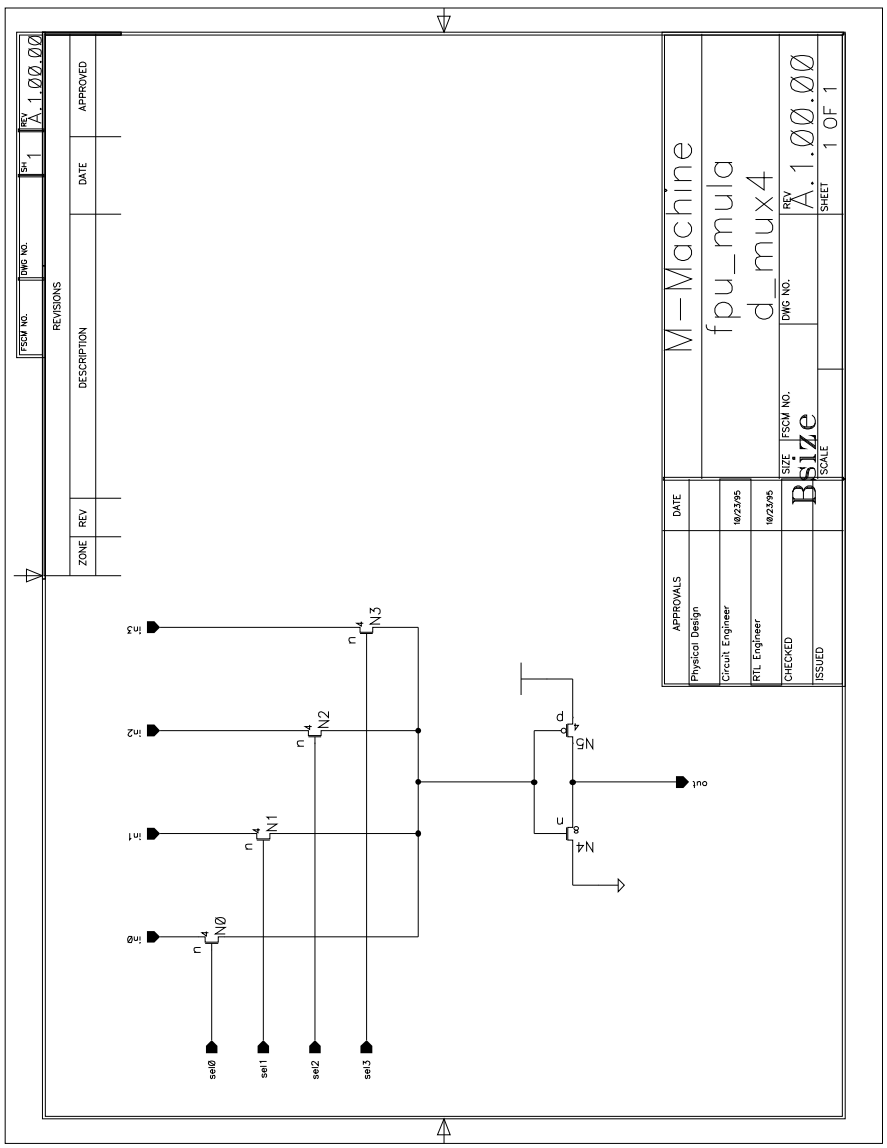

M-Machine
fpu_mula
m_st2
A.1.00.00
Bsize
SHEET 1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
m_bit0
m_bit1
m_bit2
m_bit3
x<63:0>
y<63:0>
sel<3:0>
outx<63:0>
outy<63:0>


M-Machine
fpu_mula
m_bitØ
A.1.ØØ.ØØ
d_mux4
sel0
sel1
sel2
sel3
out
inx
iny
outx
outy
REVISIONS
DESCRIPTION
DATE
APPROVED
ZONE
REV
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
SIZE
FSCM NO.
DWG NO.
REV
SCALE
SHEET
1 OF 1

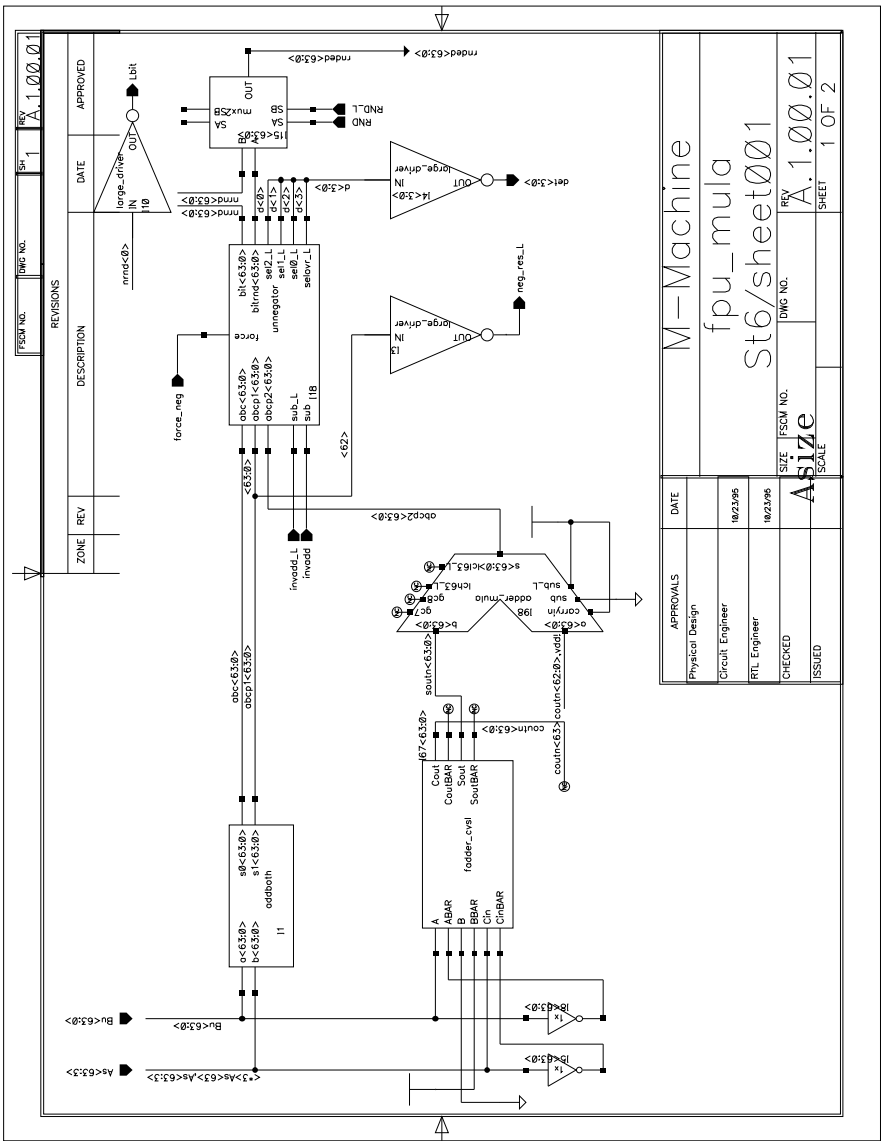

M-Machine
fpu_mula
m_bit1
A.1.00.00
Bsize
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
d_mux4
sel0
sel1
sel2
sel3
out
outx
outy
inx
iny
sel<3:0>

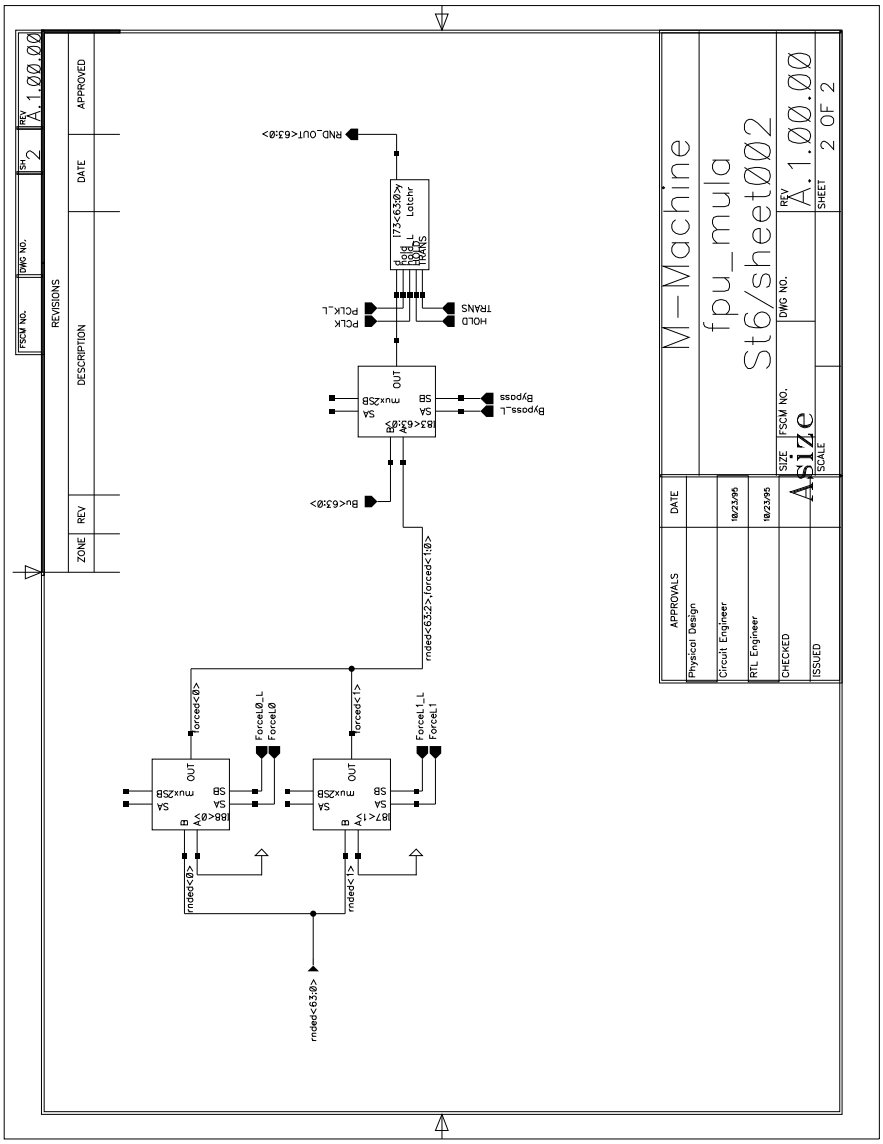

M-Machine
fpu_mula
m_bit2
A.1.00.00
d_mux4
inx
iny
sel<3:0>
outy
outx


M-Machine
fpu_mula
m_bit3
A.1.00.00
Bsize
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/23/95
d_mux4
sel0
sel1
sel2
sel3
out
outy
outx
inx
iny
sel<3:0>

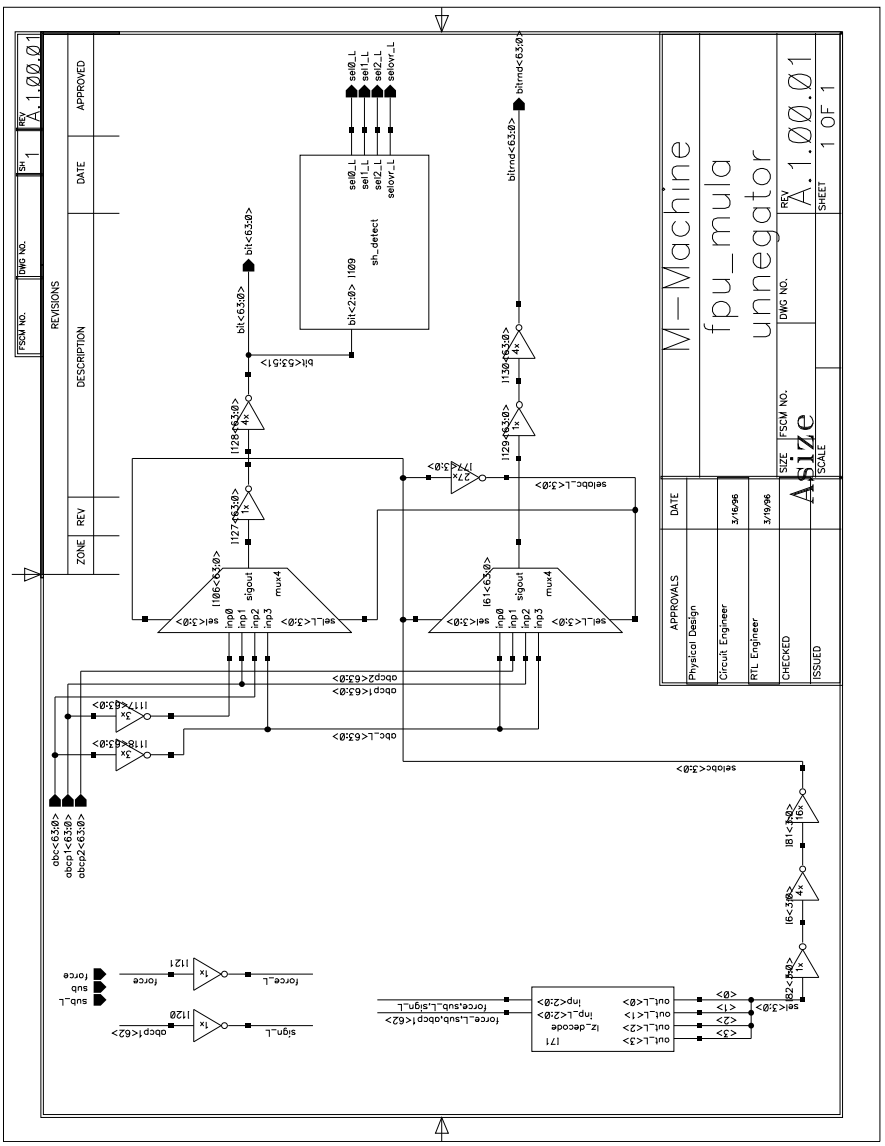

M-Machine
fpu_mula
d_mux4
A.1.00.00
Bsize
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
10/23/95
10/23/95
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
REV
SHEET
1 OF 1
SCALE
SIZE
in0
in1
in2
in3
sel0
sel1
sel2
sel3
out
N0
N1
N2
N3
N4
N5

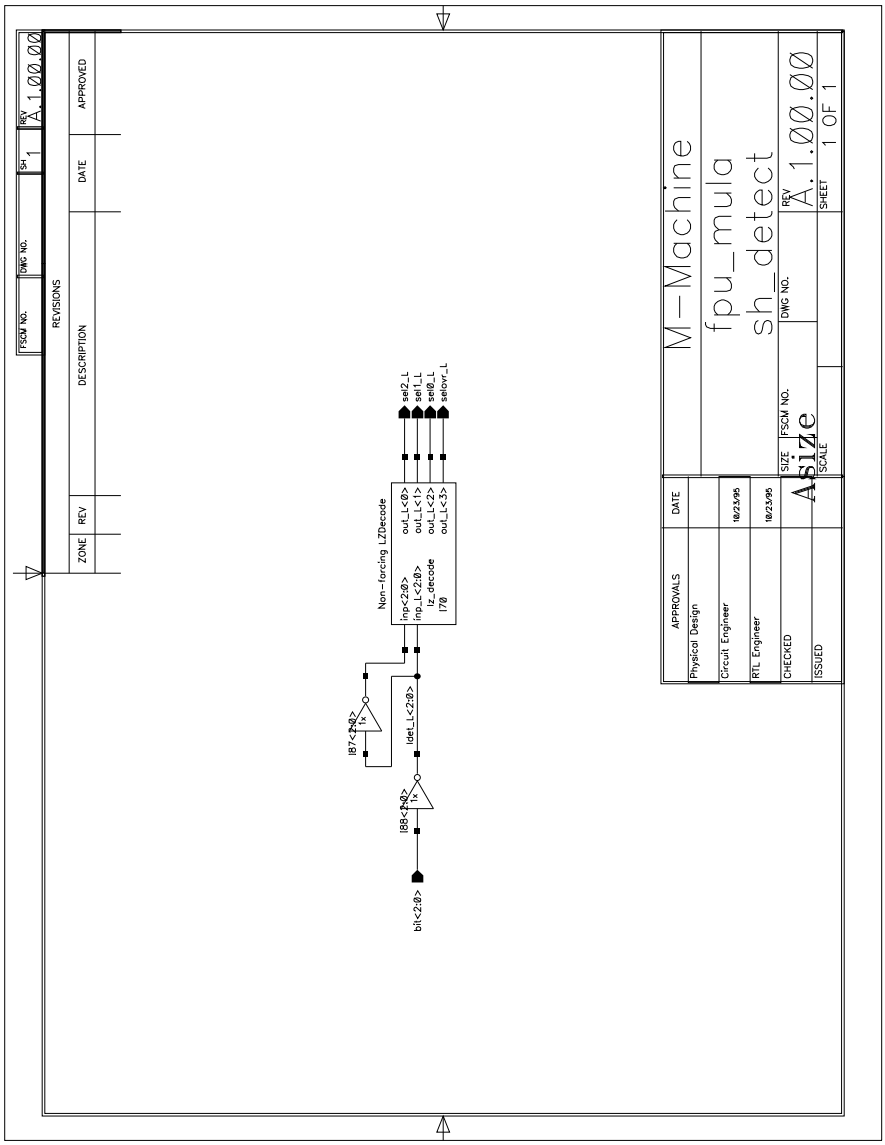
D.6 Stage 6

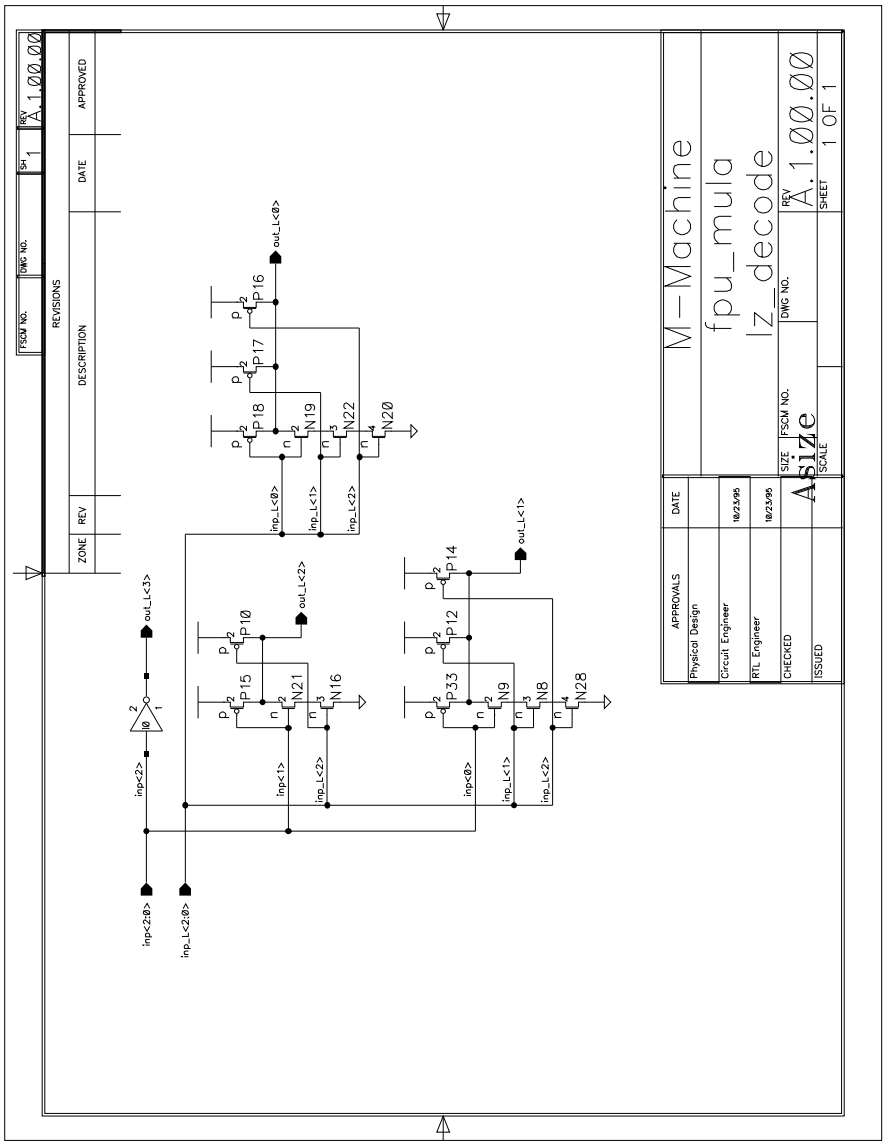

M-Machine
fpu_mula
St6/Sheet001
A.1.00.01
A size
1 OF 2
APPROVED
DATE
REVISIONS
DESCRIPTION
ZONE
REV
FSCM NO.
DWG NO.
SH
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
large_driver
oddbooth
fadder_cval
adder_mula
unnegator
rnda<63:0>
del<3:0>
neg_res_L
force_neg
invadd_L
invadd
Bu<63:0>
As<63:3>
<62>
<63:0>


M-Machine
fpu_mula
St6/sheet002
A.1.00.00
2 OF 2
Asize
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
10/23/95
REVISIONS
ZONE
REV
DESCRIPTION
APPROVED
RND_OUT<63:0>
HOLD
TRANS
PCLK
PCLK_L
Bypass
Bypass_L
Forcel0
Forcel0_L
Forcel1
Forcel1_L
rnded<63:0>

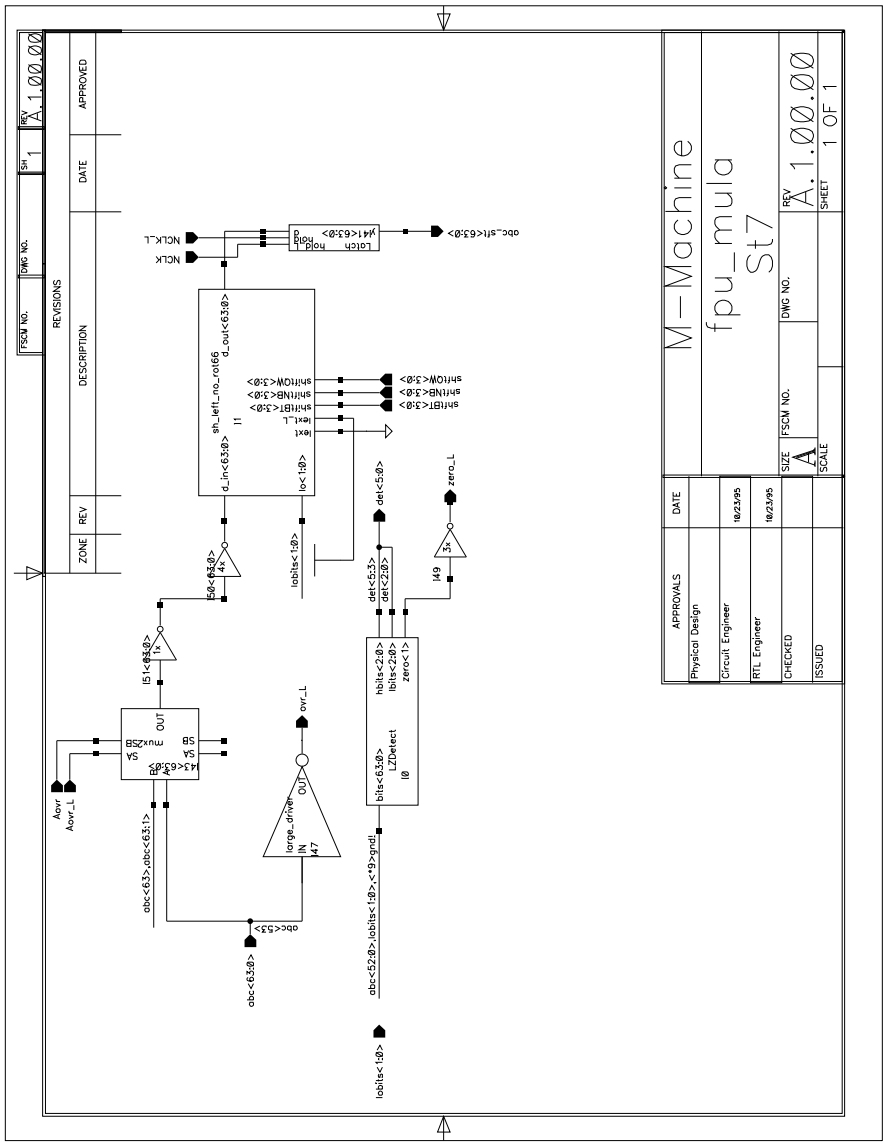
D.6.1 Stage 6 Subcells



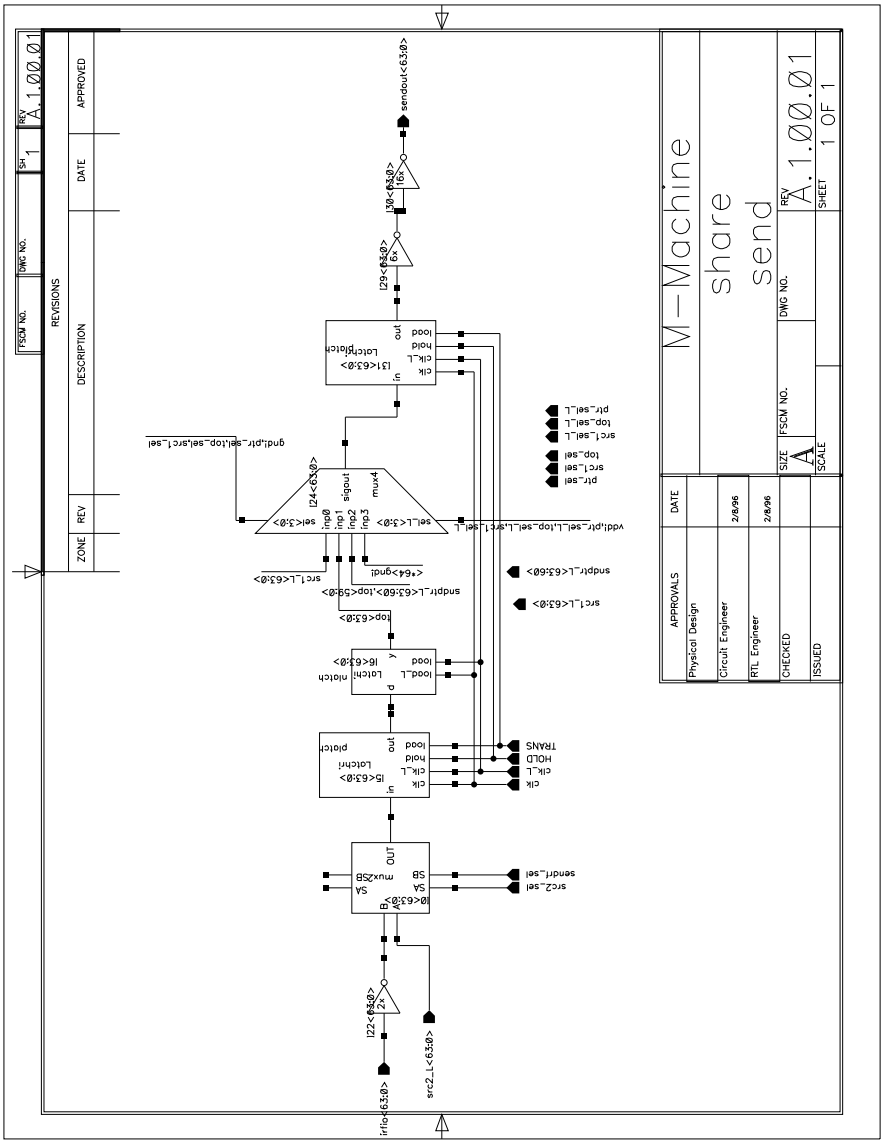

M-Machine
fpu_mula
sh_detect
A.1.00.00
A size
1 OF 1
Non-forcing LZDecode
inp<2:0>
inp_L<2:0>
lz_decode
l70
out_L<0>
out_L<1>
out_L<2>
out_L<3>
sel2_L
sel1_L
sel0_L
selovr_L
I87<2:0>
I88<2:0>
idel_L<2:0>
bi<2:0>


M-Machine
fpu_mula
lz_decode
A.1.00.00
A size
SHEET 1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
REVISIONS
DESCRIPTION
APPROVED
inp<2:0>
inp_L<2:0>
out_L<3>
out_L<2>
out_L<1>
out_L<0>
P10
P12
P14
P15
P16
P17
P18
P33
N8
N9
N16
N19
N20
N21
N22
N28

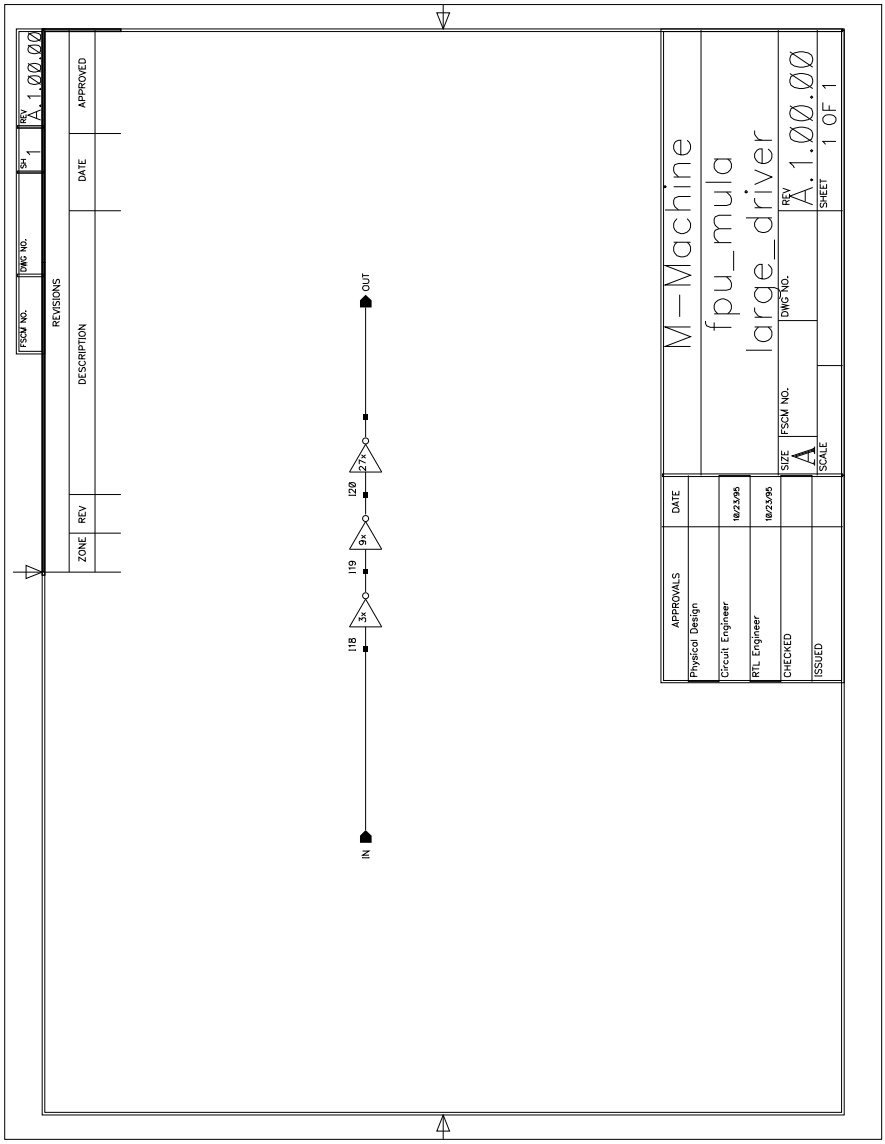
D.7 Stage 7

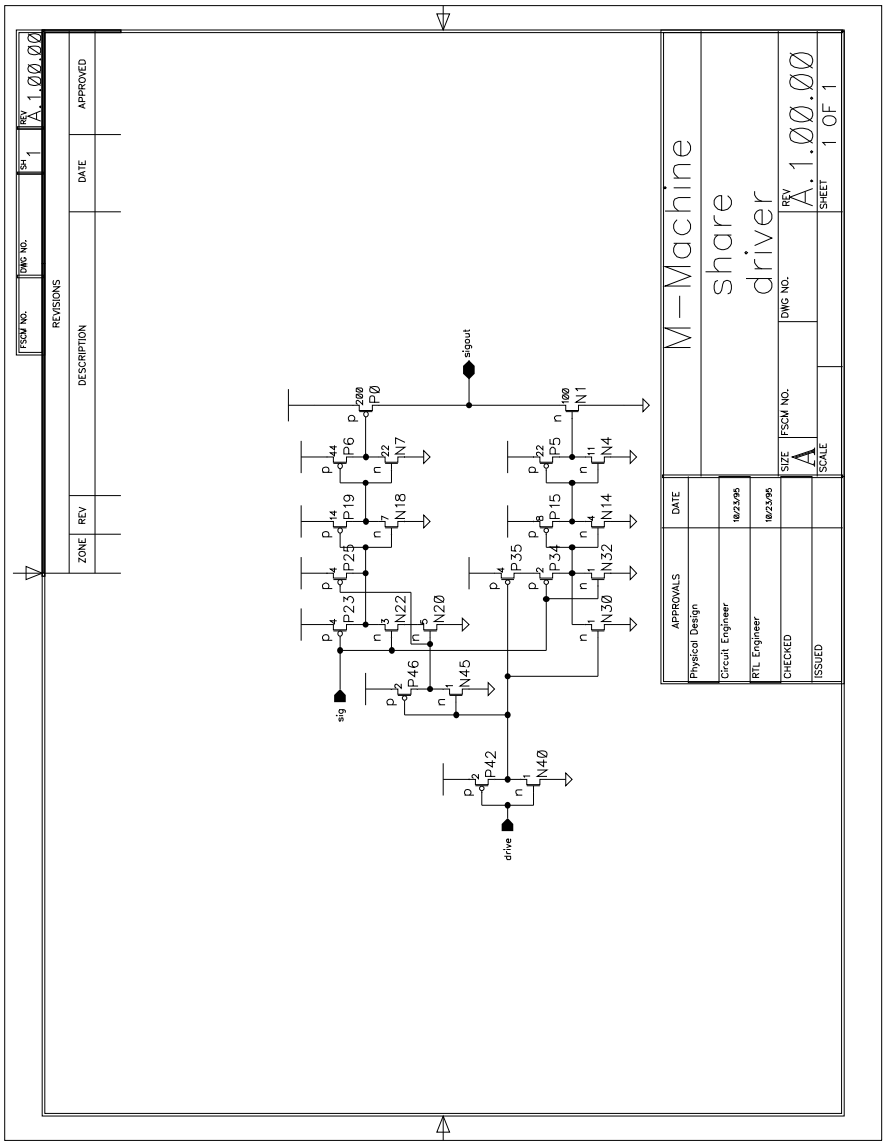

M-Machine
fpu_mula
St7
A.1.00.00
SHEET 1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
SIZE A
SCALE
FSCM NO.
DWG NO.
REV
ZONE
DESCRIPTION
APPROVED
NCLK
NCLK_L
sh_left_no_rot66
d_in<63:0>
d_out<63:0>
lo<1:0>
shift0W<3:0>
shift1B<3:0>
shift1NB<3:0>
shift1OW<3:0>
lext
lext_L
lobits<1:0>
det<5:0>
det<5:3>
det<2:0>
zero_L
hbits<2:0>
lbits<2:0>
zero<1>
bits<63:0>
ZDetect
I8
ovr_L
large_driver
IN
OUT
I47
I49
I50<63:0>
I51<63:0>
I43<63:0>
mux2SB
SA
SB
OUT
Aovr
Aovr_L
abc<63:1>,abc<63:1>
abc<53>
abc<63:0>
abc<52:0>,lobits<1:0>,<19>gnd
lobits<1:0>
abc_st<63:0>

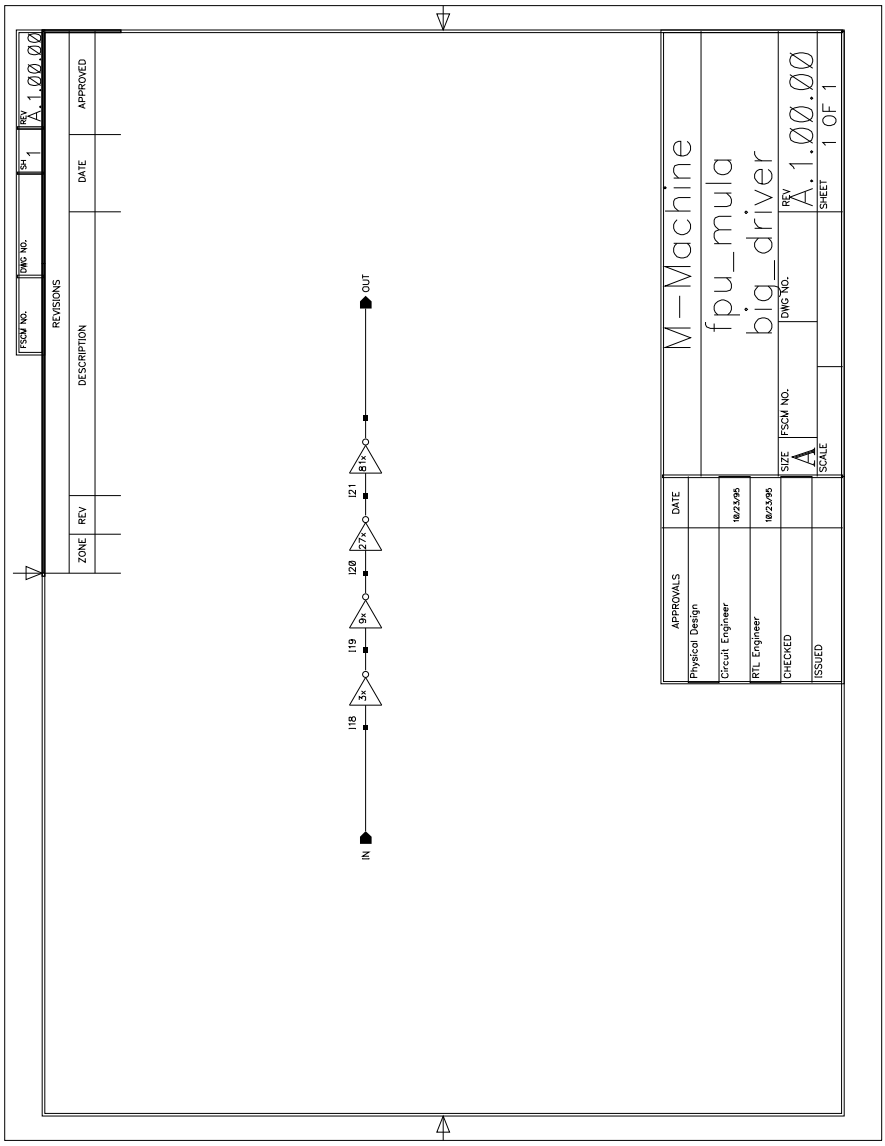
D.8 Send Unit


M-Machine
share
send
A.1.00.01
SHEET 1 OF 1
REVISIONS
APPROVED
DATE
DESCRIPTION
REV
ZONE
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
2/8/96
sendout<63:0>
I38<63:0>
I29<63:0>
I31<63:0>
latch
mux4
I24<63:0>
sel<3:0>
sel_L<3:0>
gnd;pfr_sel;top_sel;src1_sel
vdd;pfr_sel_L;top_sel_L;src1_sel_L
pfr_sel
src1_sel
top_sel
src1_sel_L
top_sel_L
pfr_sel_L
snd_pfr_L<63:60>
src1_L<63:0>
<*64>gnd!
src1_L<63:0>
snd_pfr_L<63:60>;top<59:0>
top<63:0>
I6<63:0>
I5<63:0>
latch!
TRANS
HOLD
clk_L
clk
I0<63:0>
mux2
OUT
SA
SB
send_fr_sel
src2_sel
I22<63:0>
src2_L<63:0>
irfio<63:0>

D.9 Drivers and Misc Cells

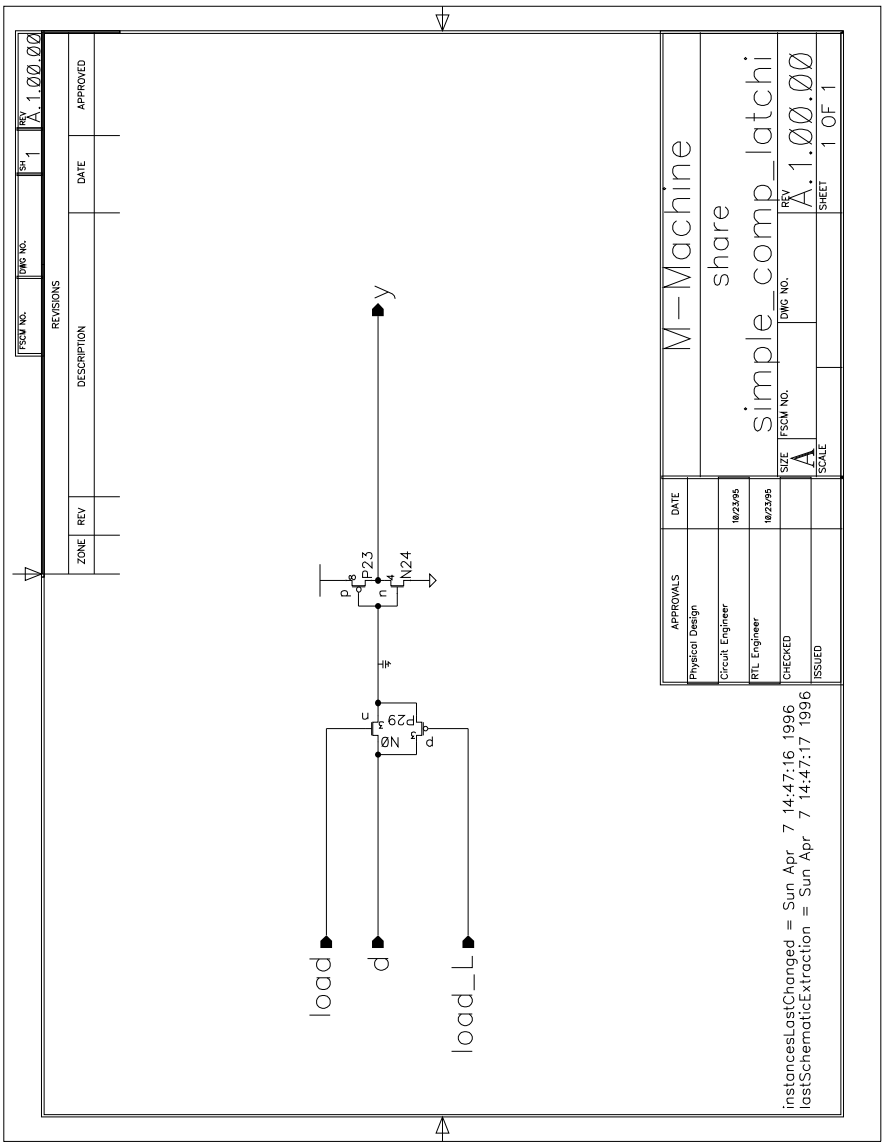


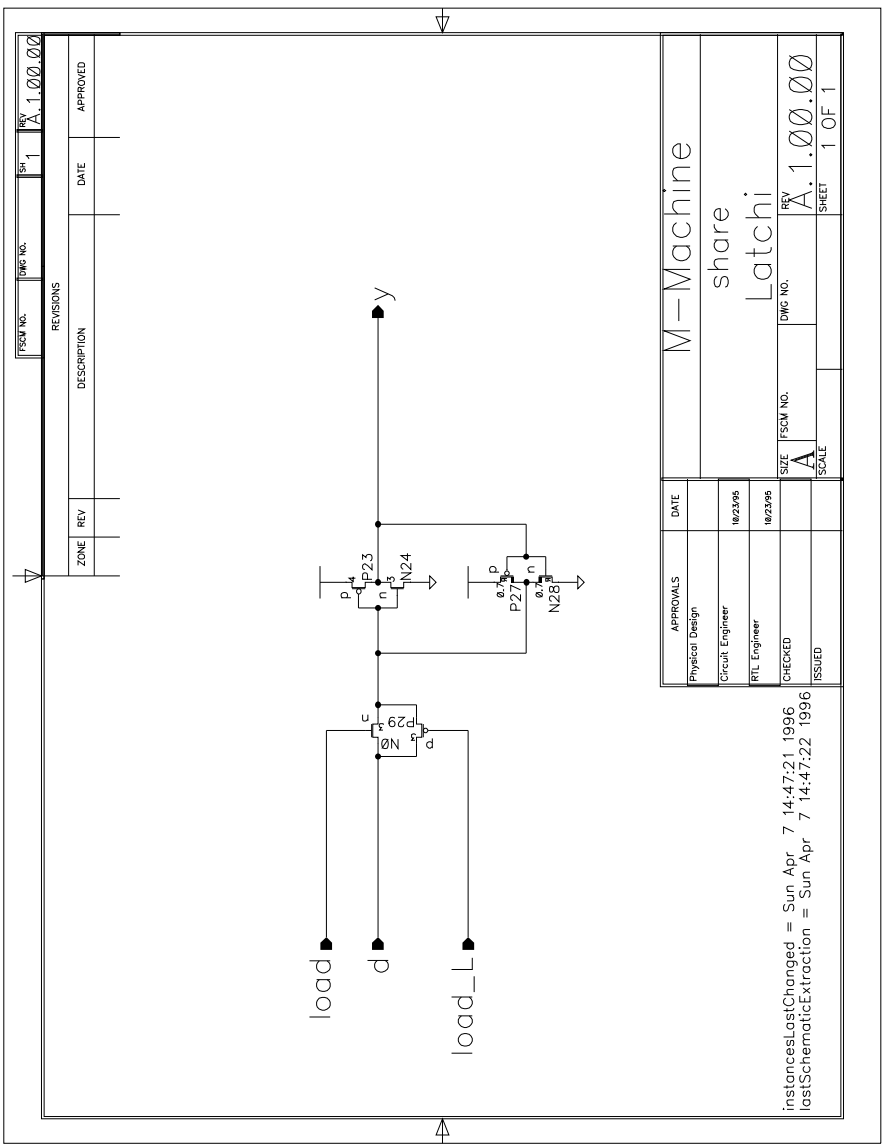

M-Machine
share
driver
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
SIZE A
FSCM NO.
DWG NO.
REV A.1.00.00
SCALE
SHEET 1 OF 1
sigout
sig
drive
P0
N1
P6
N7
P5
N4
P19
N18
P15
N14
P25
P35
P34
N32
P23
N22
N20
N30
P46
N45
P42
N40

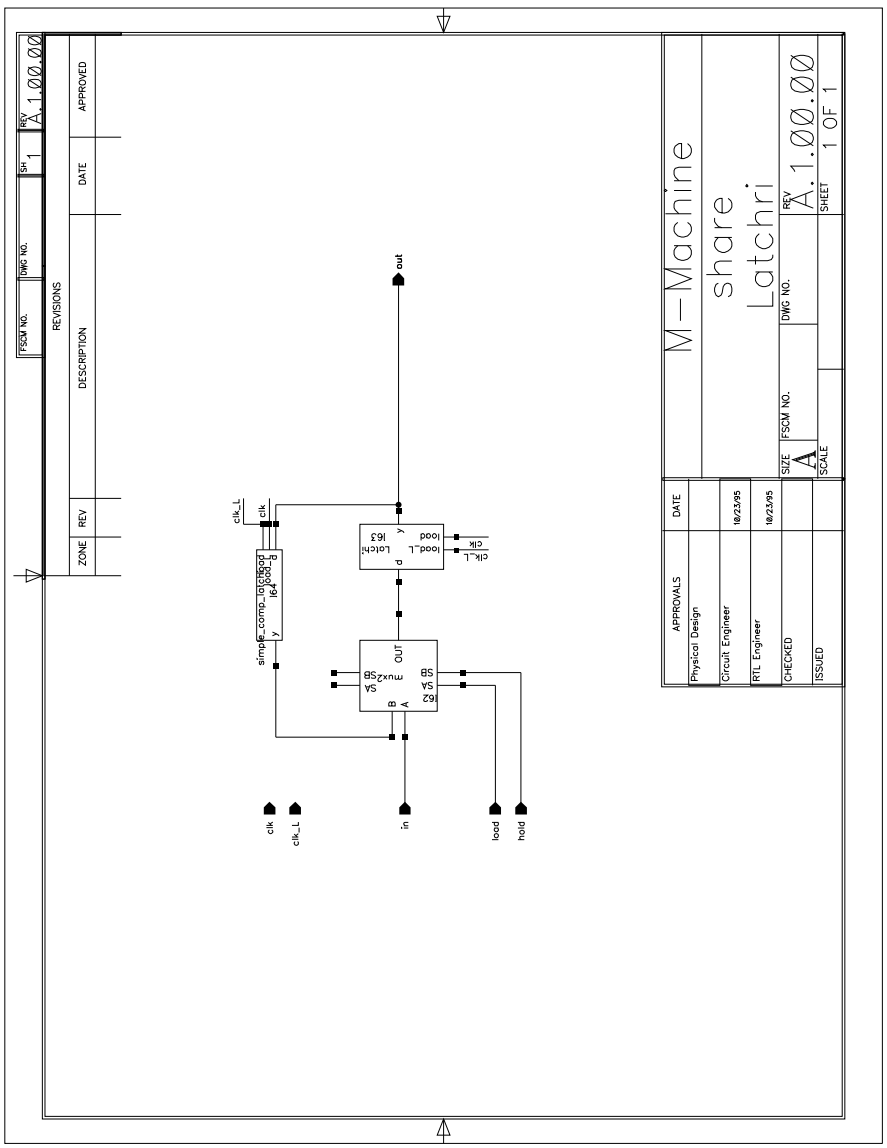

M-Machine
fpu_mula
big_driver
A.1.00.00
SHEET 1 OF 1
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
SIZE A
SCALE
FSCM NO.
DWG NO.
REV A.1.00.00
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
IN
OUT
I18
I19
I20
I21
3x
9x
27x
81x

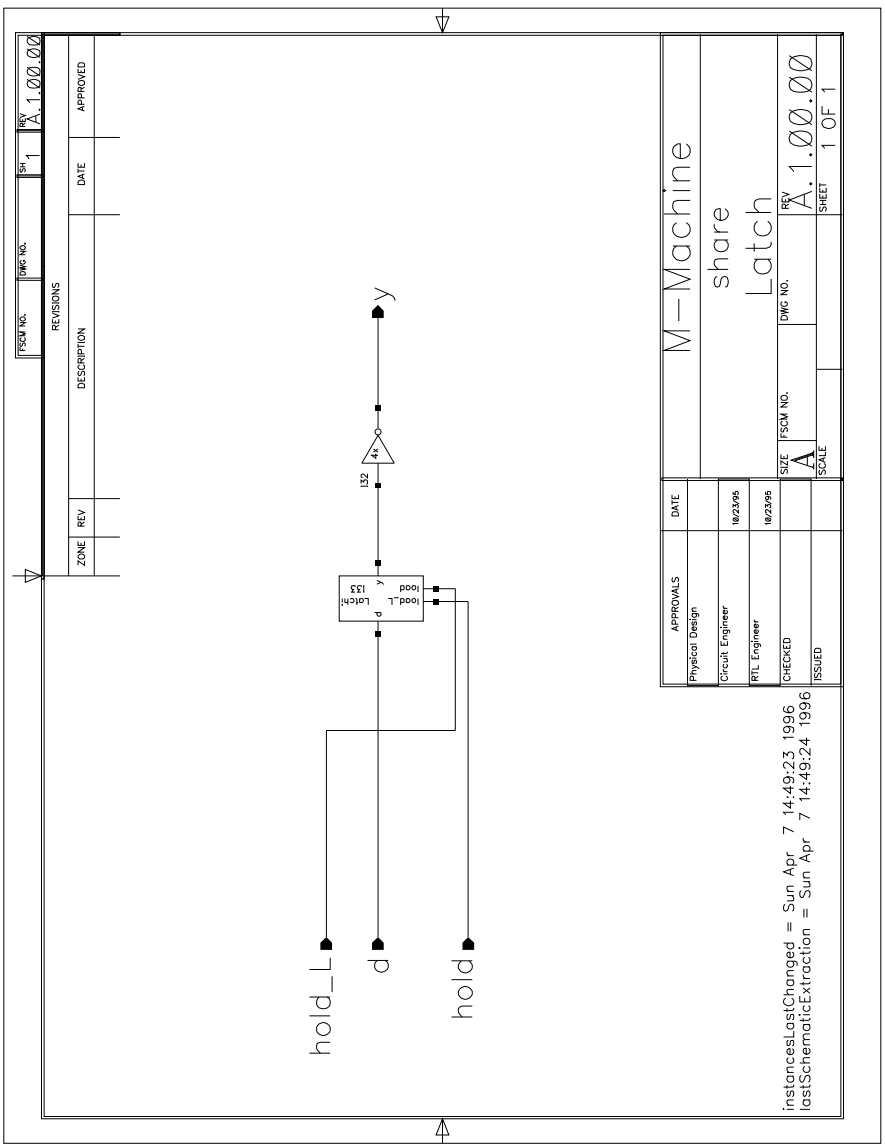
D.10 Shared Library Cells Used

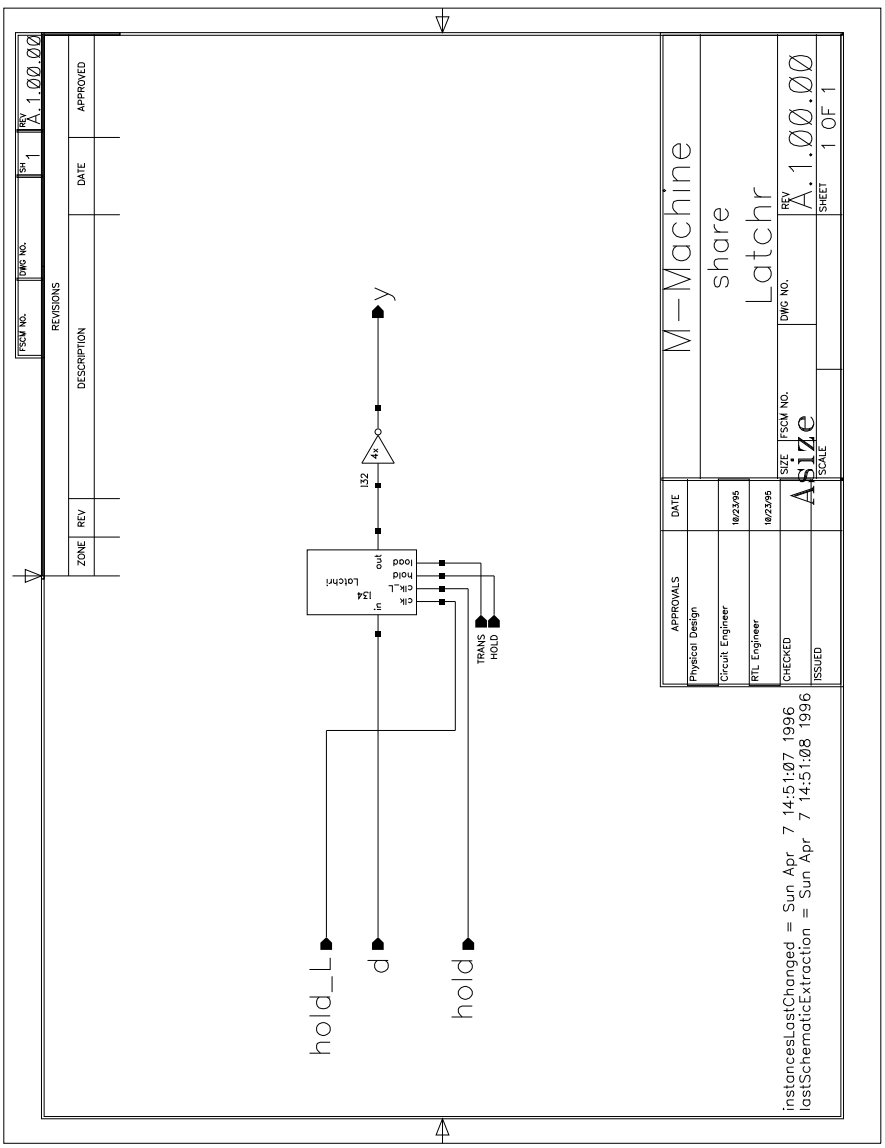
D.10.1 Latches



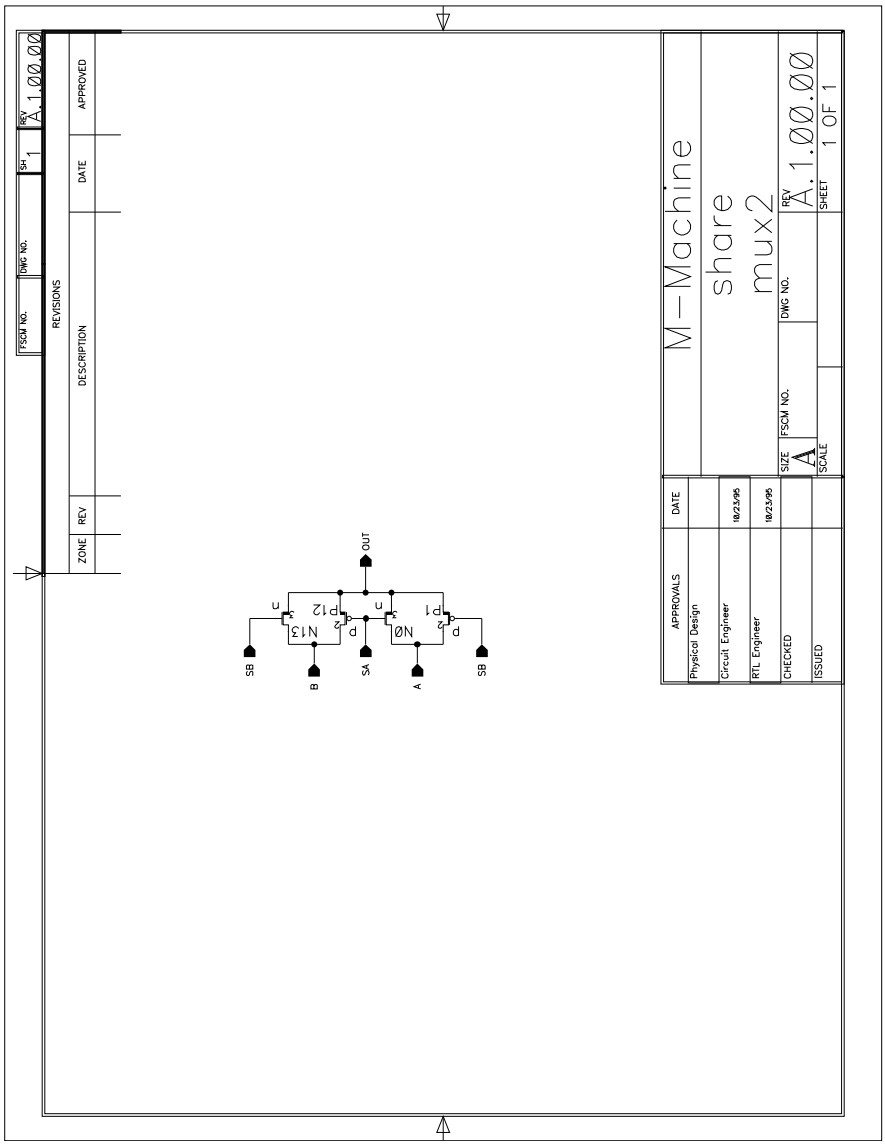

load
d
load_L
y
P23
N24
P27
N28
N29
M-Machine
share
Latchi
FSCM NO.
DWG NO.
REV A.1.00.00
SH 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
SIZE A
SCALE
SHEET 1 OF 1
instancesLastChanged = Sun Apr 7 14:47:21 1996
lastSchematicExtraction = Sun Apr 7 14:47:22 1996

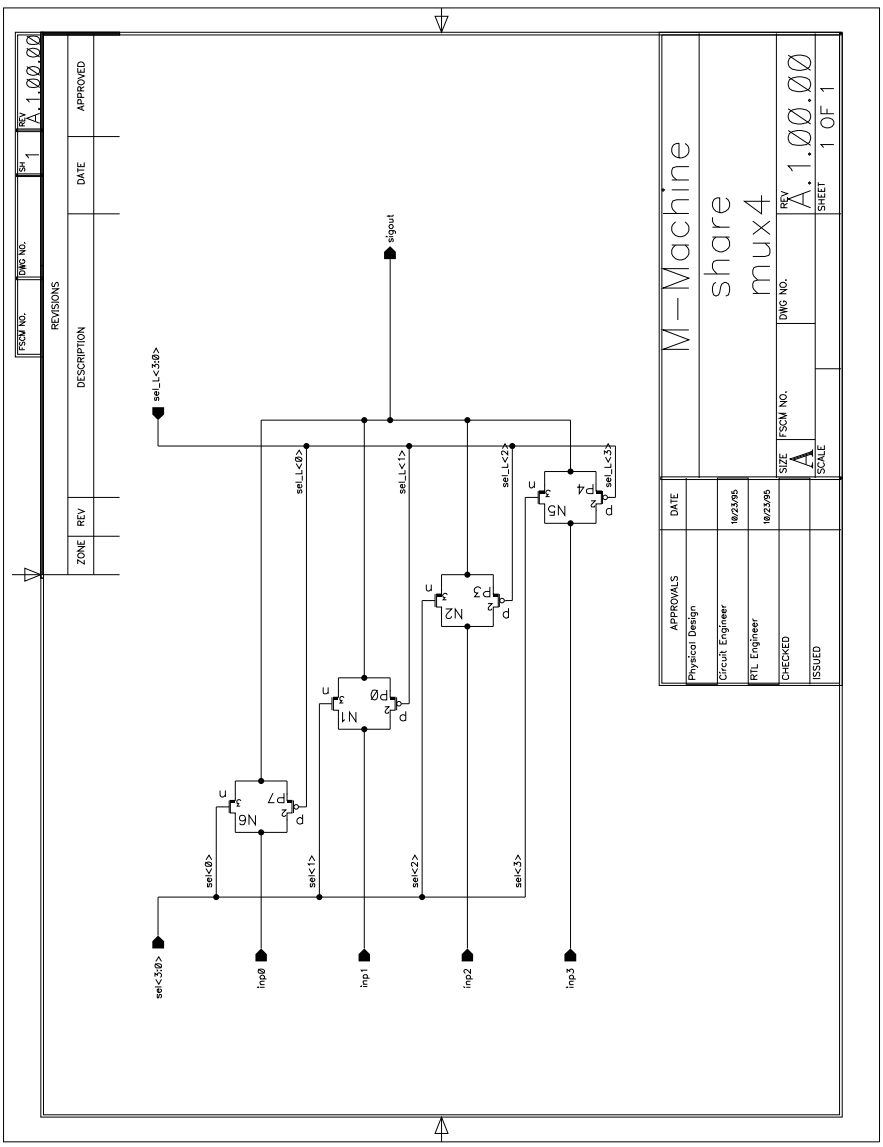

M-Machine
share
Latchri
A.1.00.00
1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
out
clk_L
clk
load_L
load
hold
in
simple_comp_latchload
mux2
OUT
SA
SB
A
B
74G2
74G3


hold_L
d
hold
y
I32
I33
Latch
M-Machine
share
Latch
REVISIONS
DESCRIPTION
DATE
APPROVED
ZONE
REV
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
10/23/95
10/23/95
SIZE A
SCALE
SHEET 1 OF 1
instancesLastChanged = Sun Apr 7 14:49:23 1996
lastSchematicExtraction = Sun Apr 7 14:49:24 1996

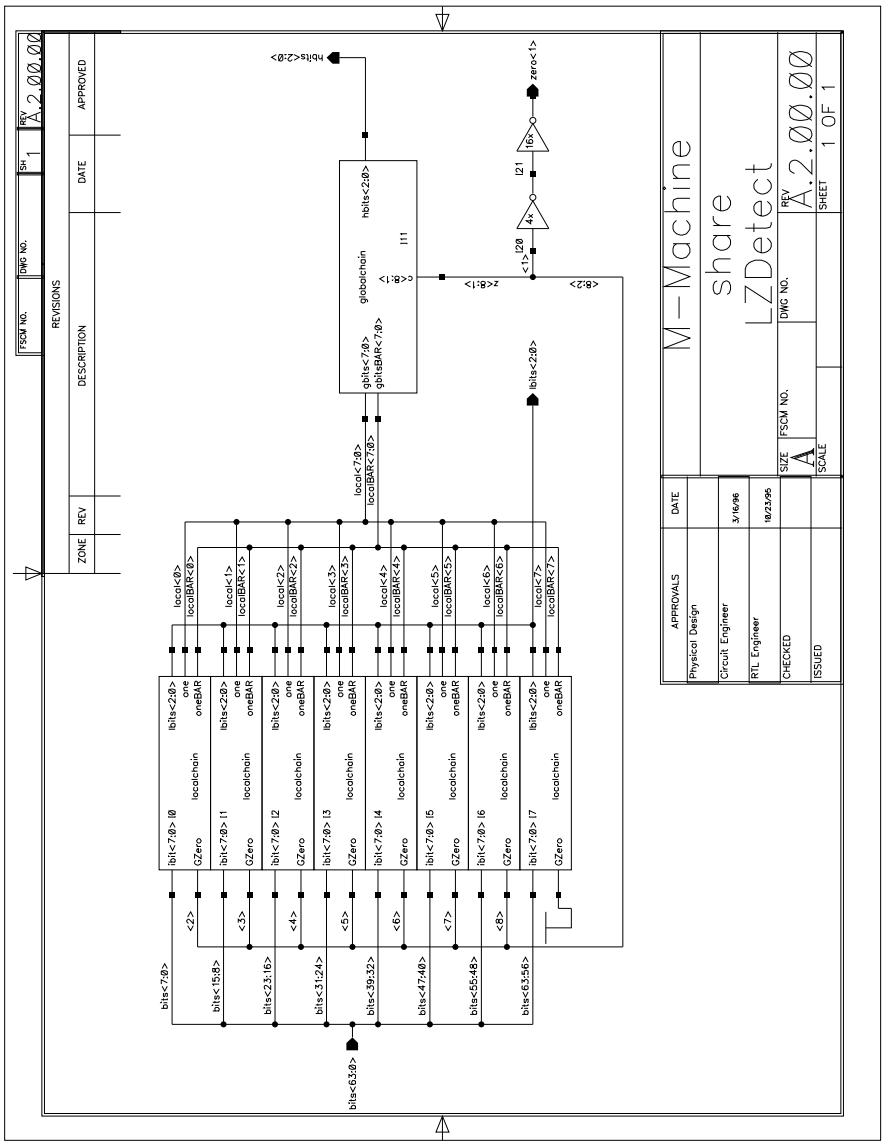

M-Machine
share
Latchr
A.1.00.00
A size
1 OF 1
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/23/95
FSCM NO.
DWG NO.
REV
SIZE
SCALE
SHEET
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH
REV
1
A.1.00.00
I32
I34
latchr
in
clk
clk_L
hold
load
out
TRANS
HOLD
hold_L
d
hold
y
instancesLastChanged = Sun Apr 7 14:51:07 1996
lastSchematicExtraction = Sun Apr 7 14:51:08 1996

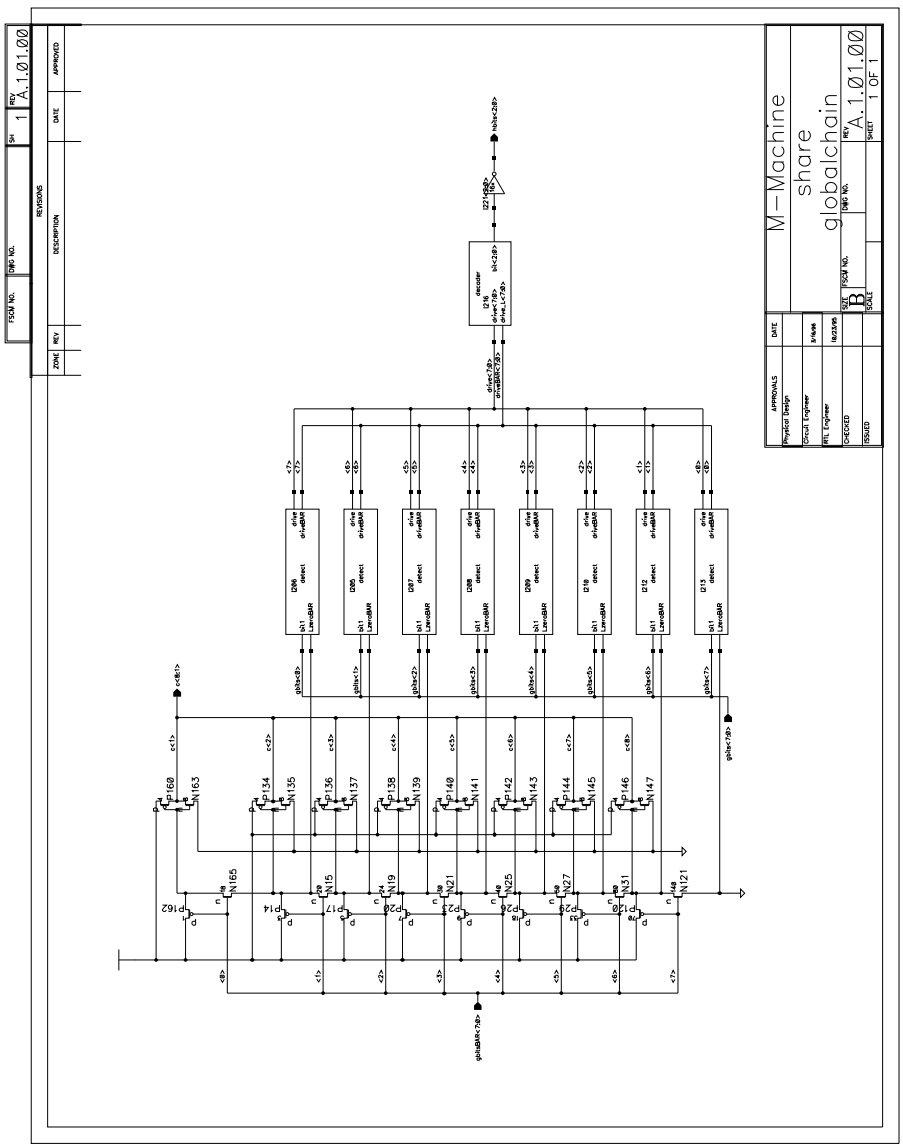
D.10.2 Muxes

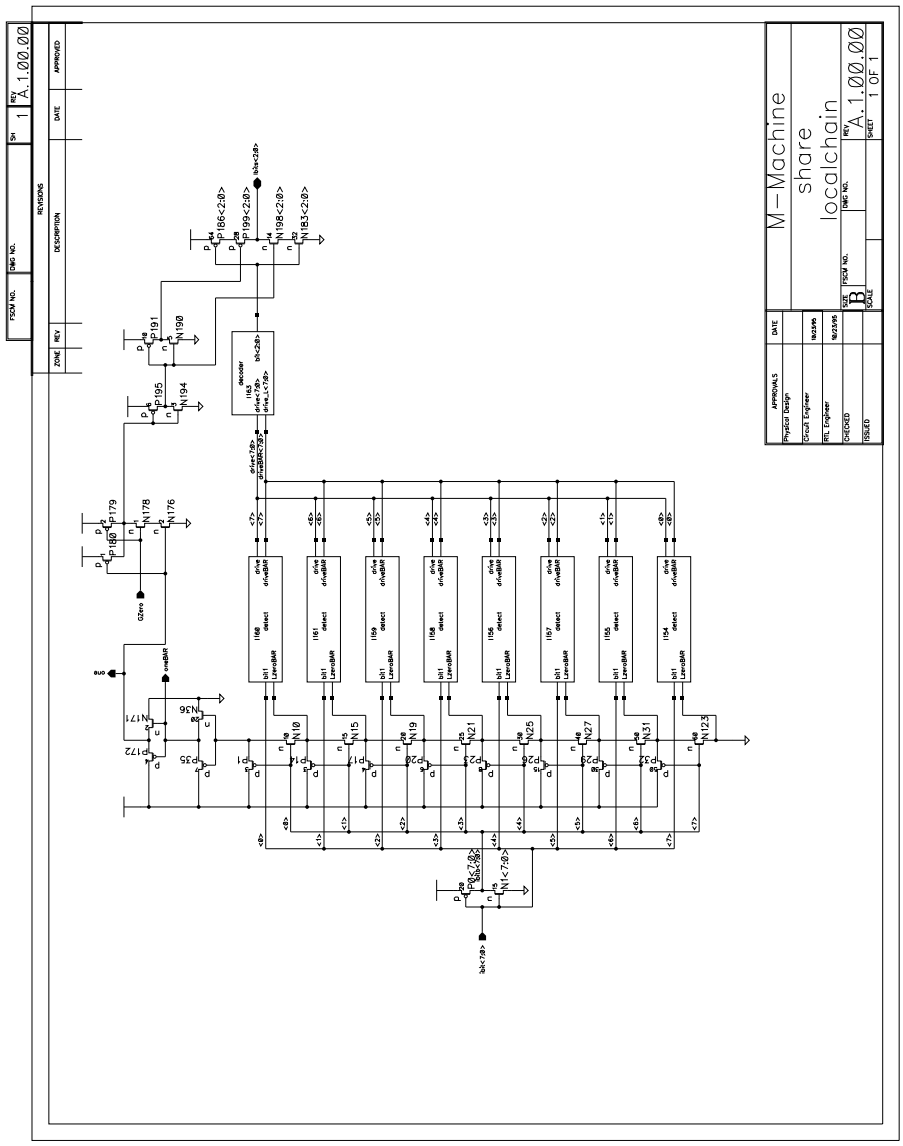

M-Machine
share
mux2
A.1.00.00
SHEET 1 OF 1
SIZE A
SCALE
FSCM NO.
DWG NO.
REV A.1.00.00
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
OUT
SB
B
SA
A
SB

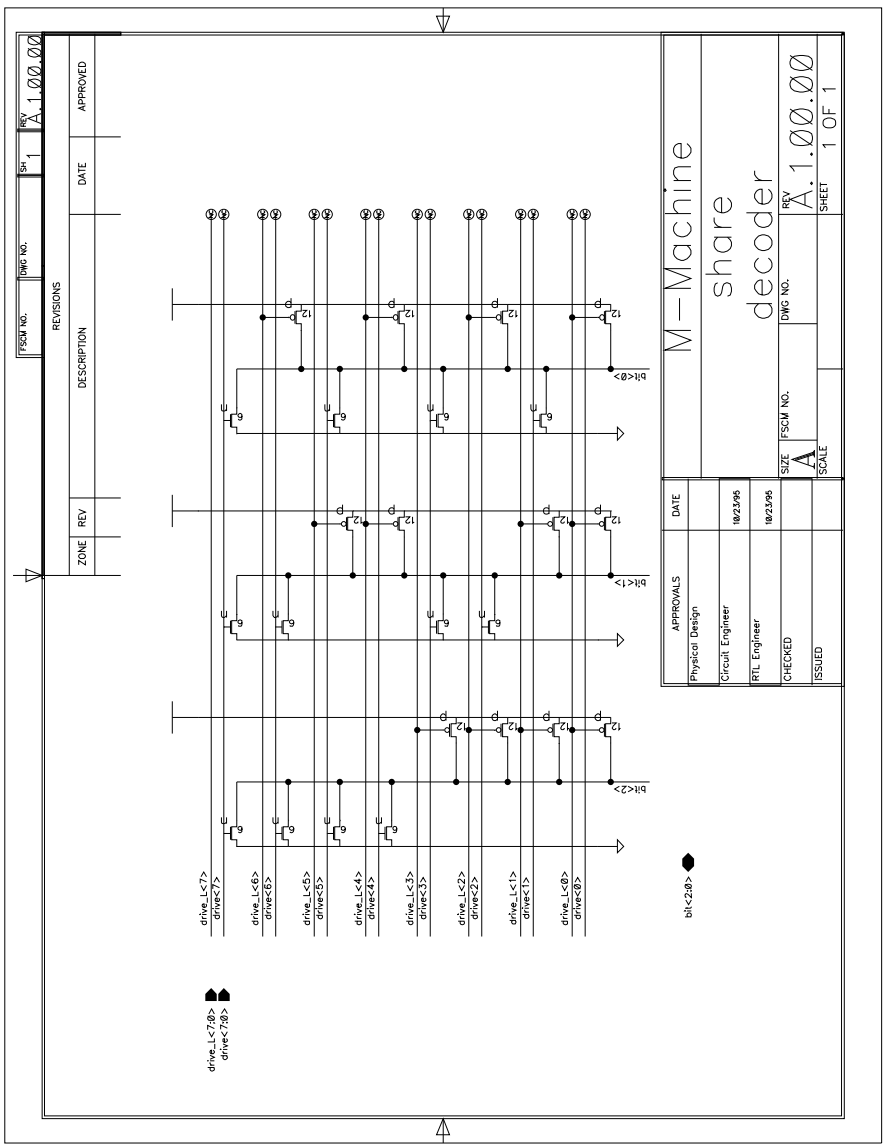

M-Machine
share
mux4
A.1.00.00
sel_L<3:0>
sigout
sel<3:0>
inp0
inp1
inp2
inp3
N6
N1
N2
N5

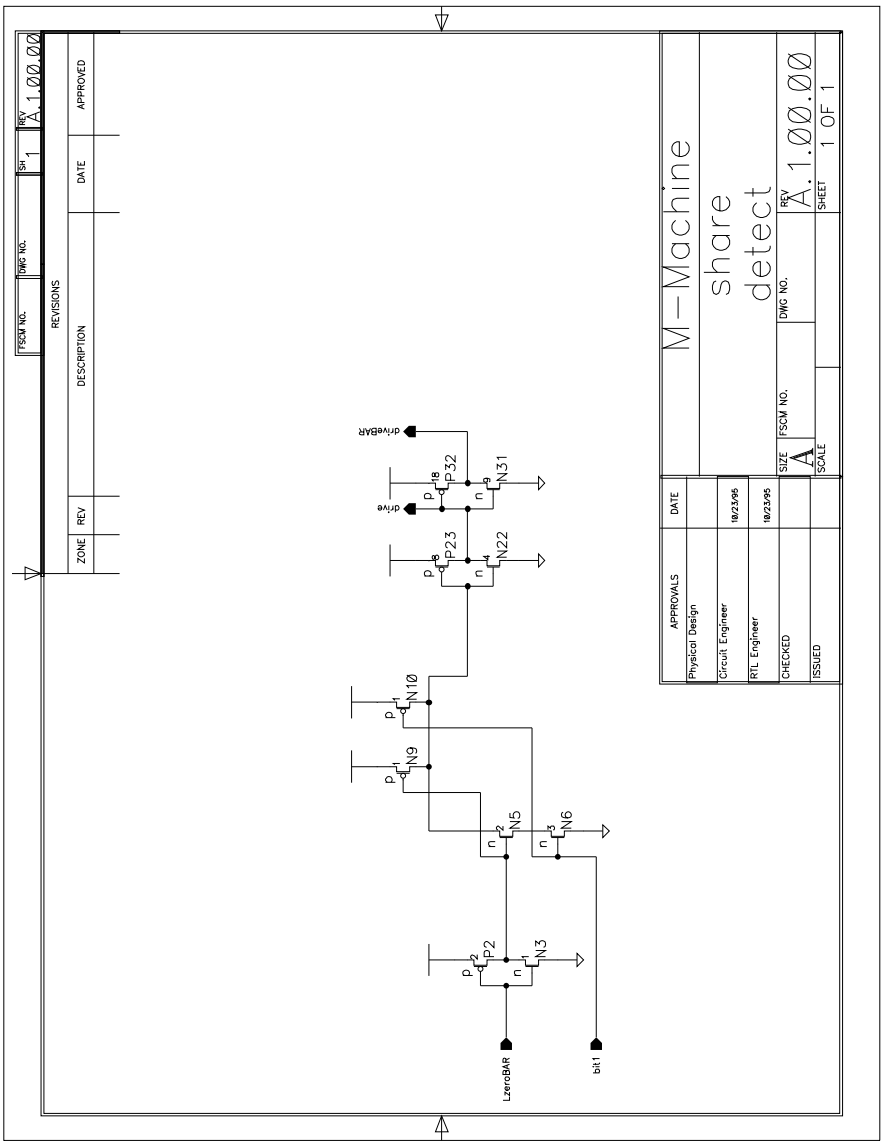
D.10.3 Leading Zero Detector




M-Machine
share
globalchain
A.1.01.00

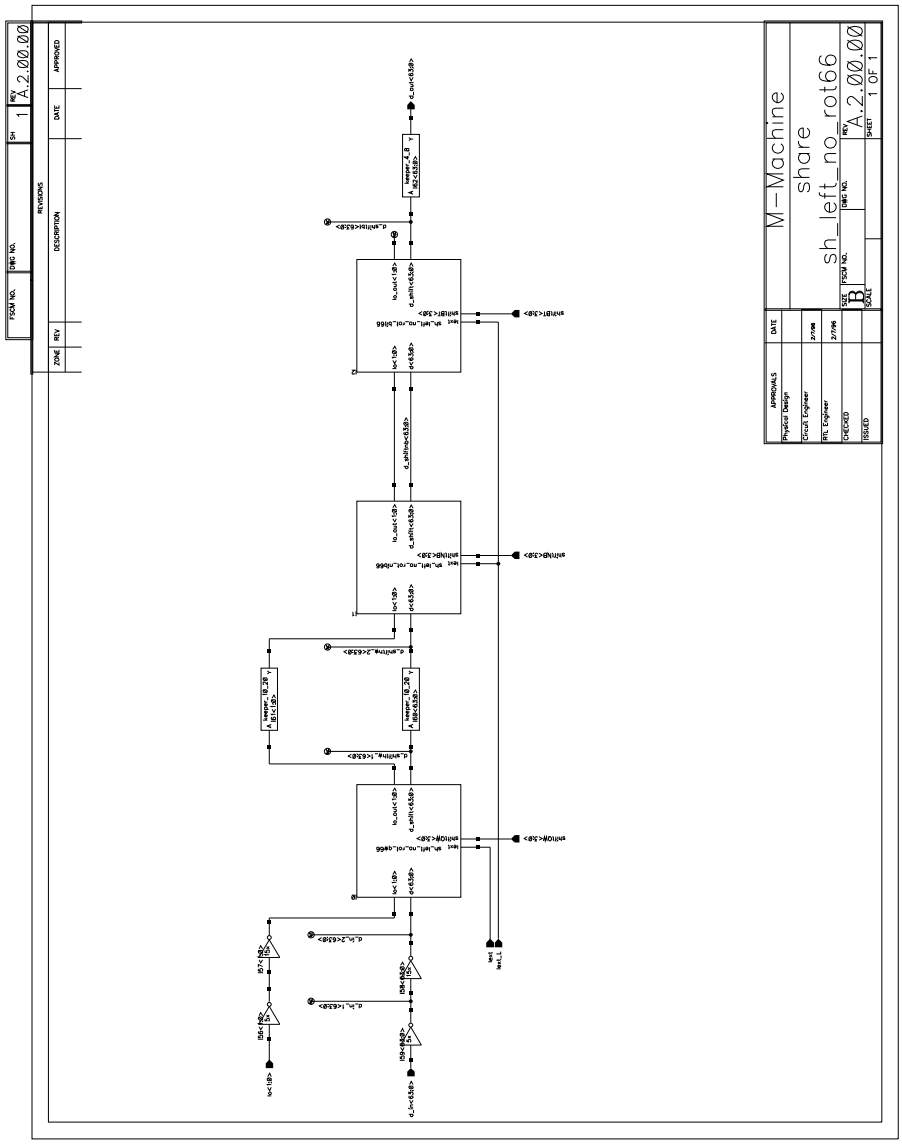

M-Machine
share
localchain
A.1.00.00
SHEET 1 OF 1

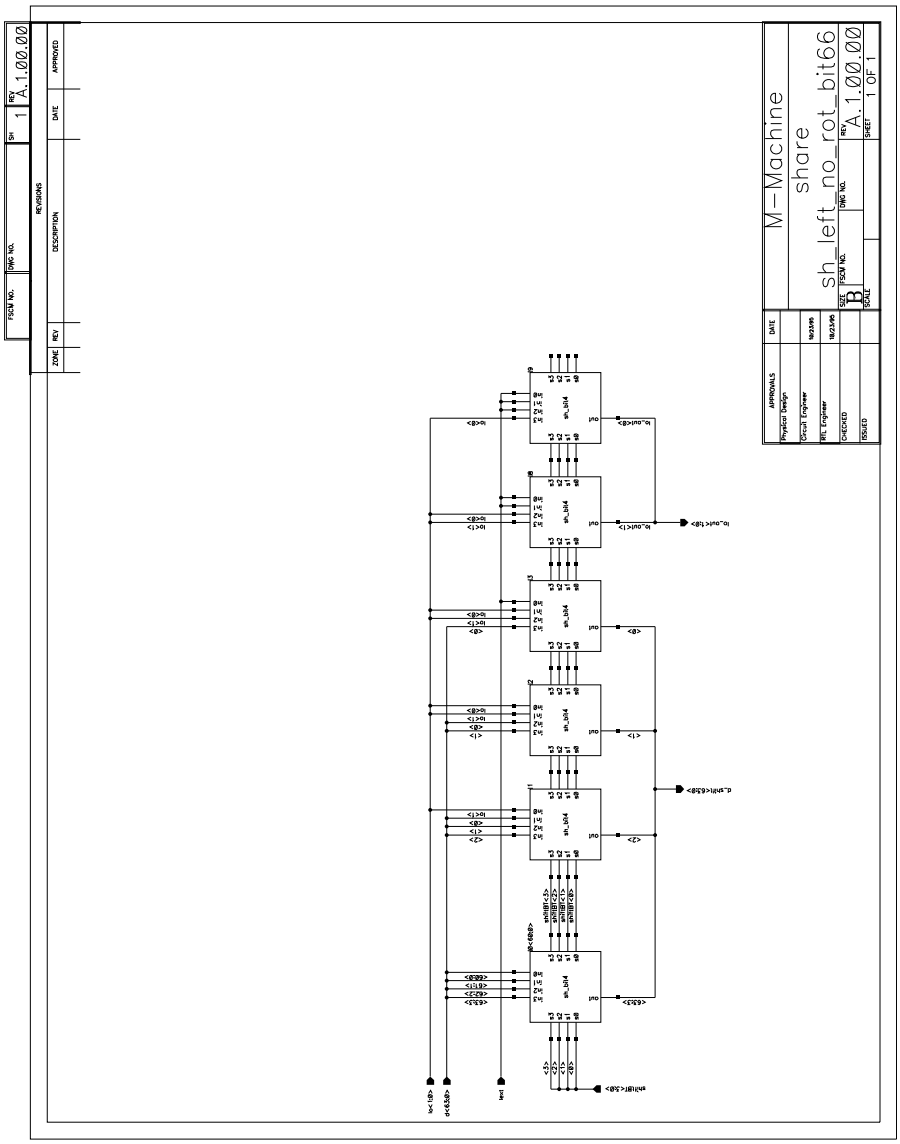

M-Machine
share
decoder
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
REV
A.1.00.00
SHEET
1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/25/95
SIZE
SCALE
bit<1>
bit<0>
bit<2:0>
drive_L<7:0>
drive<7:0>

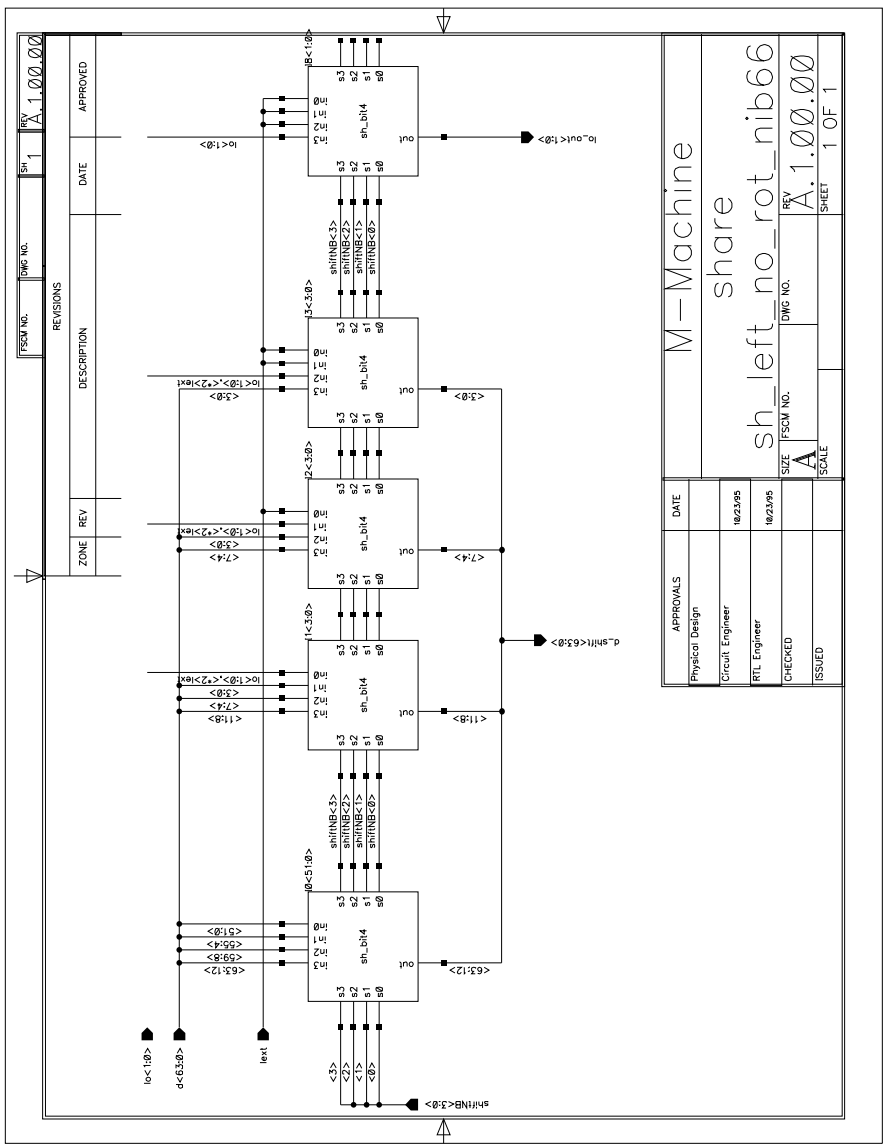

M-Machine
share
detect
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
REV
A.1.00.00
SH 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
10/23/95
10/23/95
SIZE
A
SCALE
DWG NO.
A.1.00.00
REV
SHEET 1 OF 1
driveBAR
drive
P32
N31
P23
N22
N10
N9
N5
N6
P2
N3
LzeroBAR
bit1

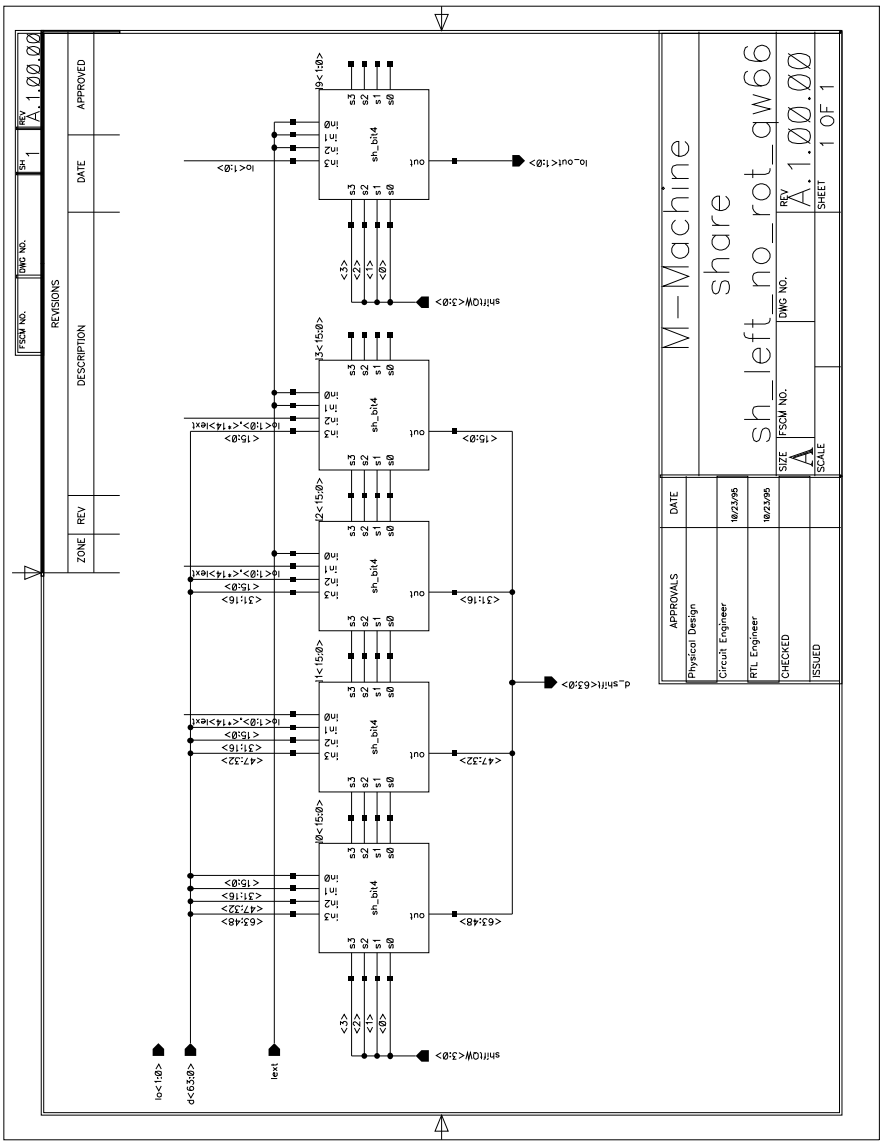
D.10.4 Shifters

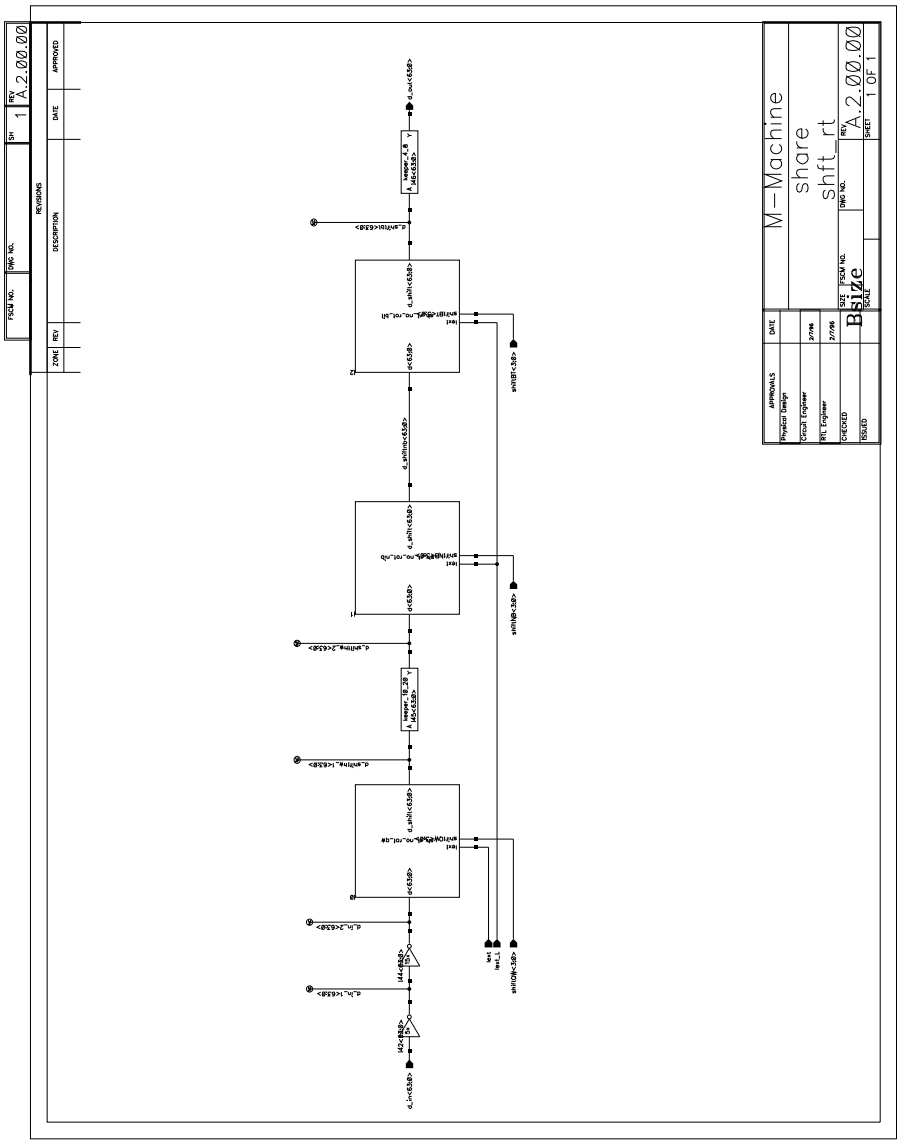
These cells were designed by Jeff Bowers, for use in the Floating Point Divide/Square-root unit.

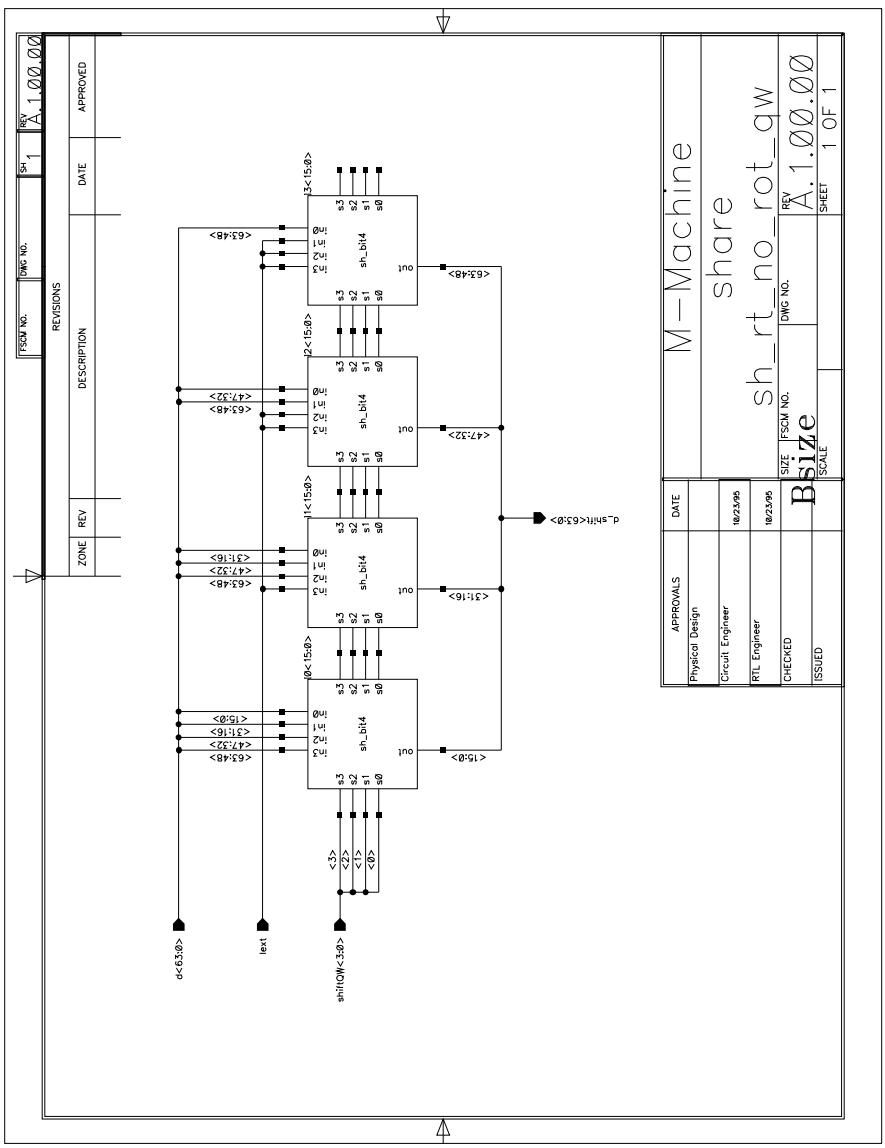


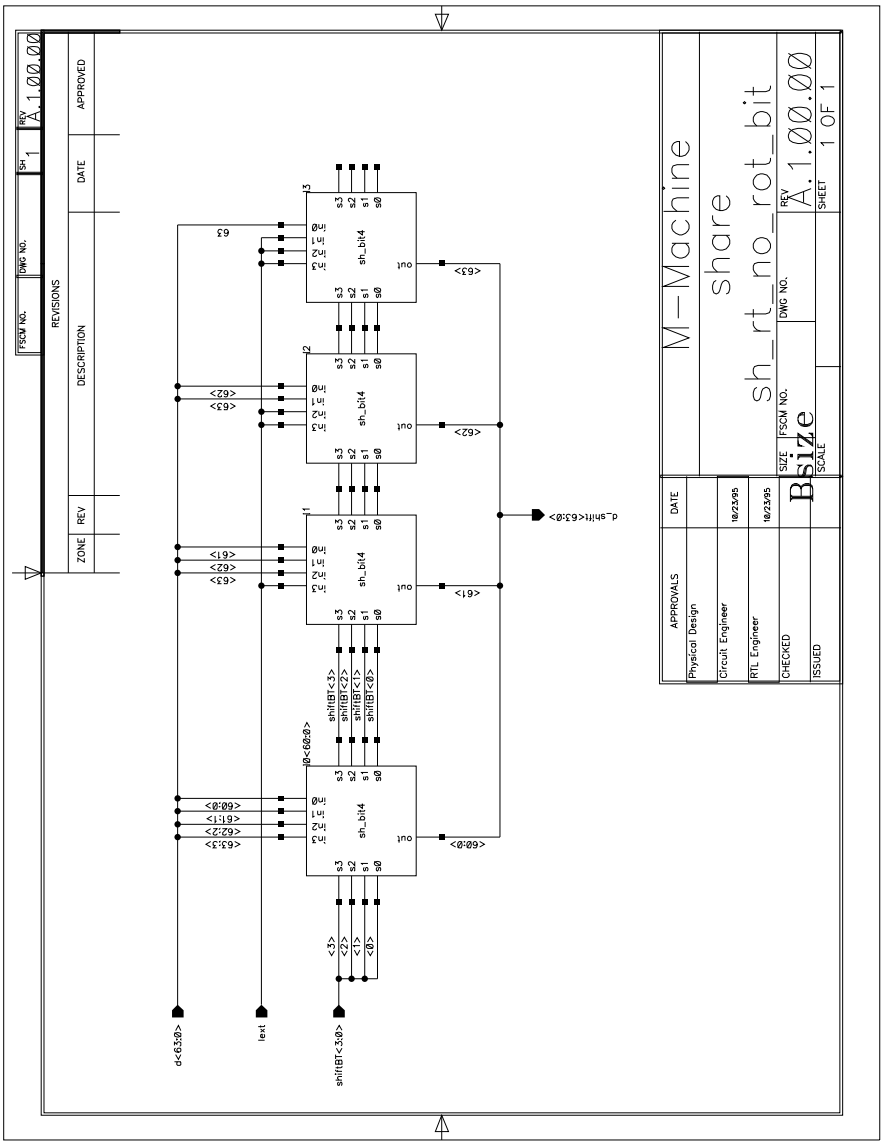

M-Machine
share
sh_left_no_rot_bit66
A.1.00.00
B
1 OF 1

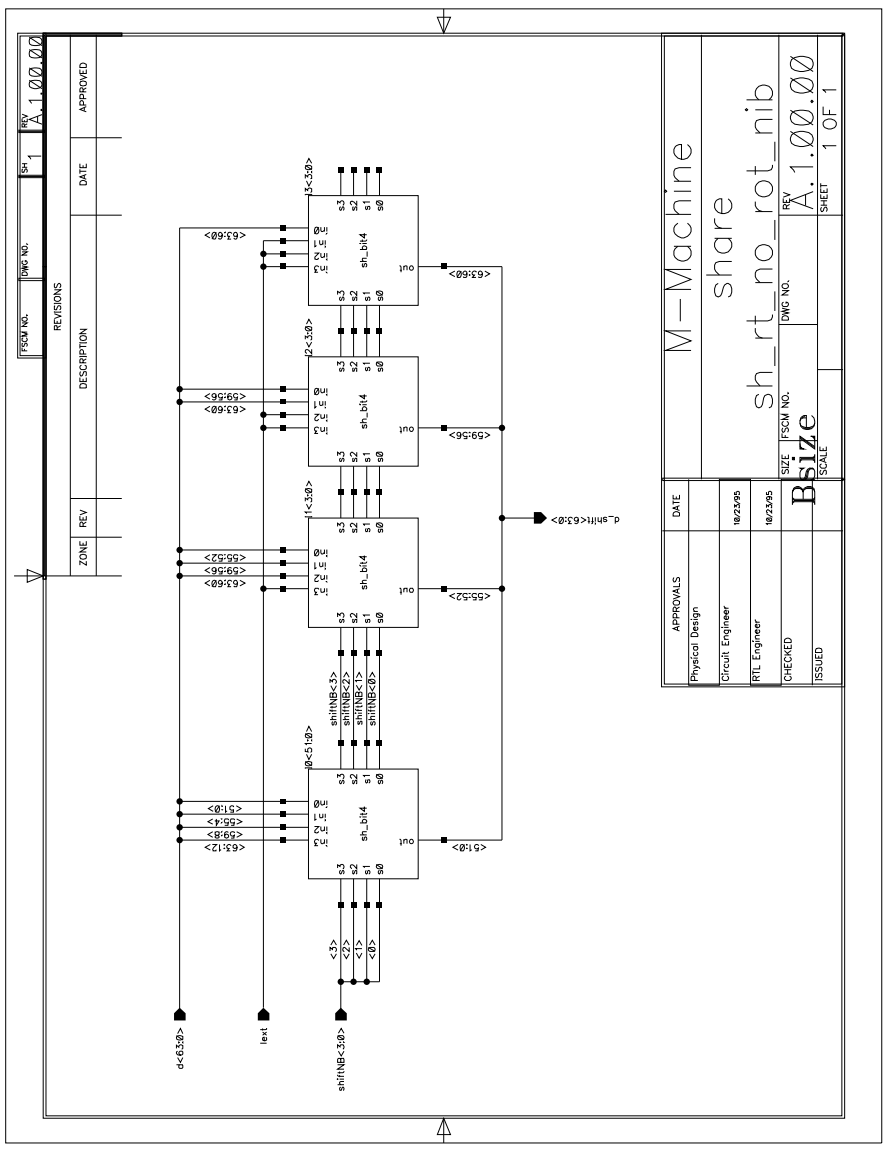

M-Machine
share
sh_left_no_rot_nib66
A.1.00.00
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
SIZE
FSCM NO.
DWG NO.
REV
SCALE
SHEET
1 OF 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
sh_bit4
io_out<1:0>
d_shft<63:0>
shftNB<3:0>

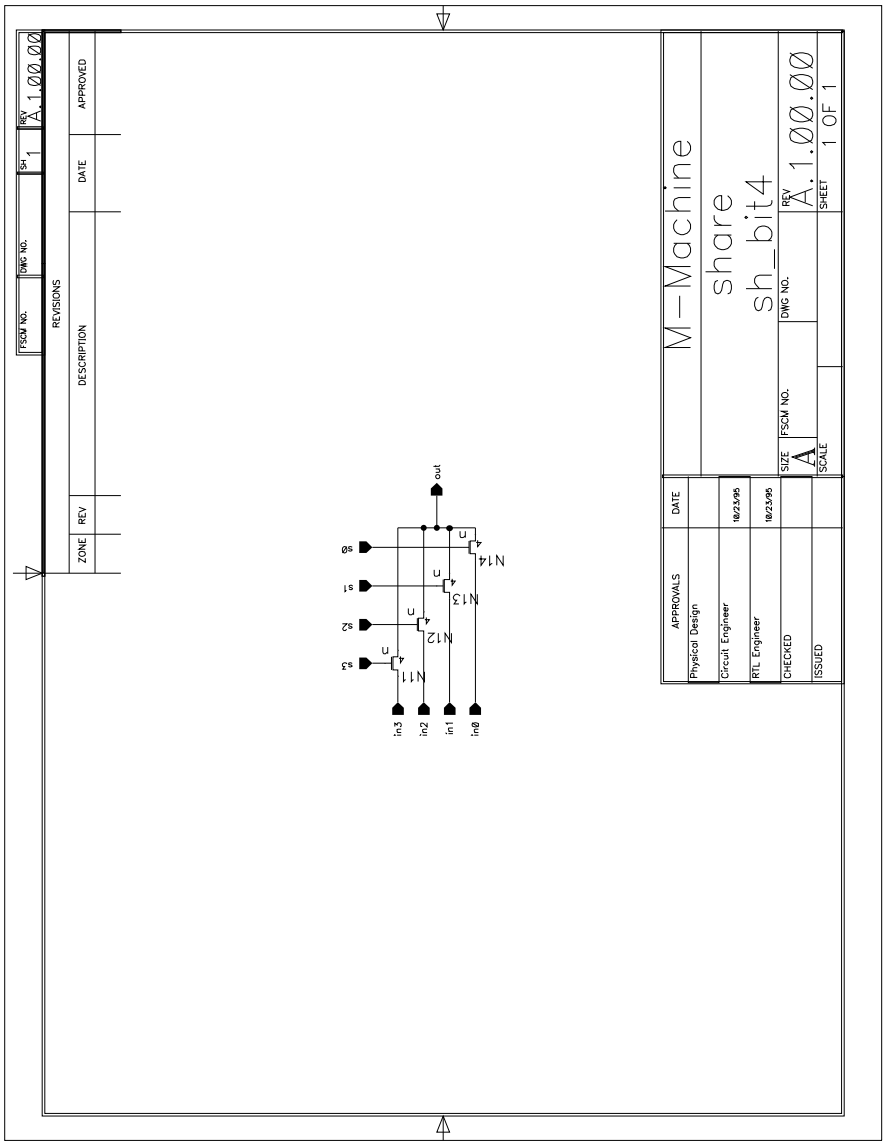

M-Machine
share
sh_left_no_rot_gw66
DWG NO.
A.1.00.00
REV
SHEET 1 OF 1
SIZE A
SCALE
FSCM NO.
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
sh_bit4
shift0W<3:0>
shift1W<3:0>
d_shift1<63:0>
io_out<1:0>

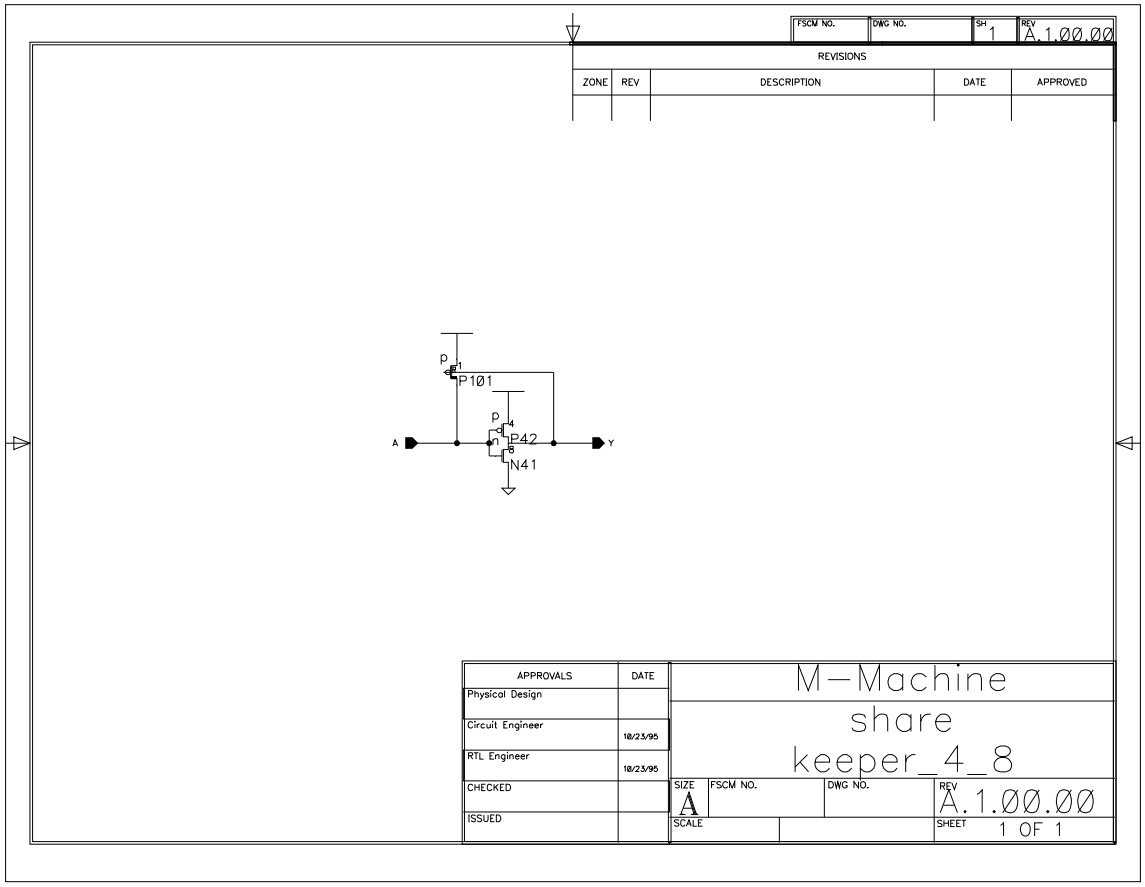

M-Machine
share
shft_rt
A.2.00.00
Bsize
1 OF 1

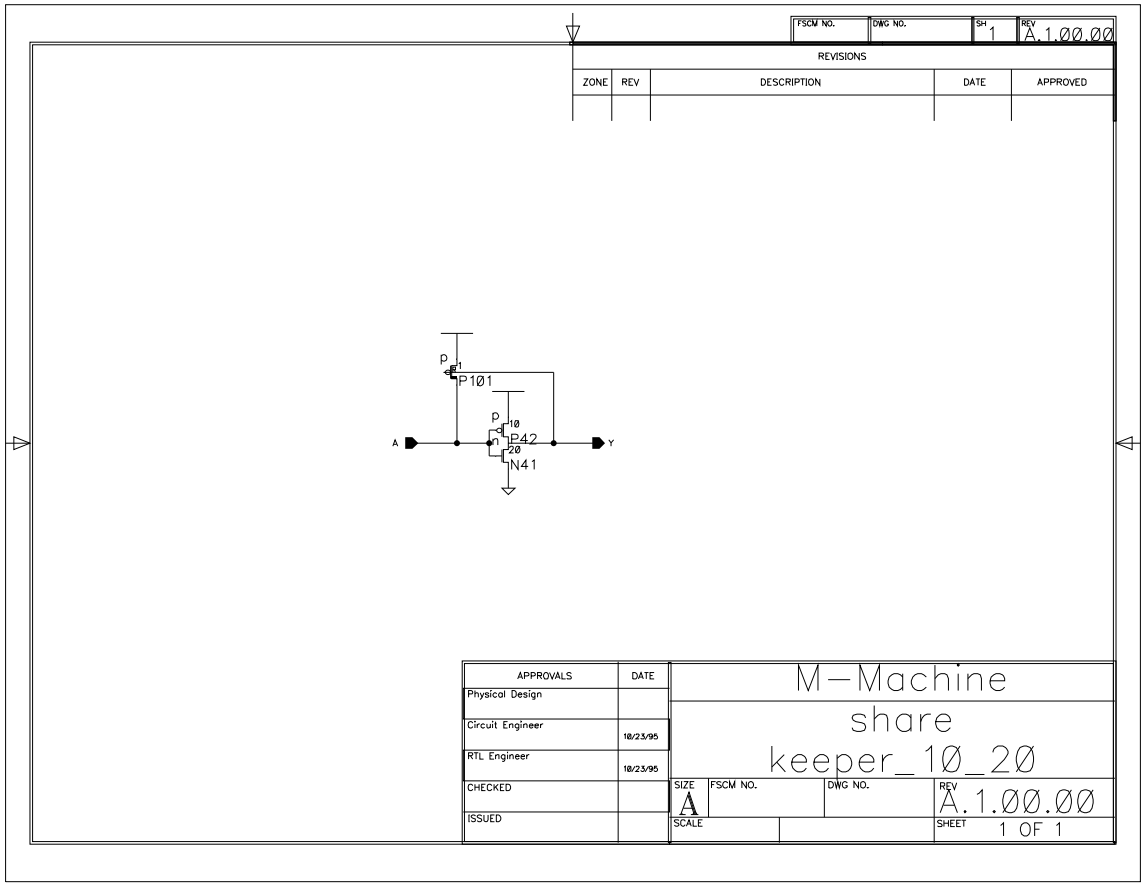

M-Machine
share
sh_rt_no_rot_qw
APPROVALS
DATE
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/23/95
SIZE
B size
FSCM NO.
DWG NO.
REV
A.1.00.00
SCALE
SHEET
1 OF 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
sh_bl4
d<63:0>
lext
shift0W<3:0>
d_shft<63:0>


M-Machine
share
sh_rt_no_rot_bit
A.1.00.00
Bsize
d_shft<63:0>
sh_bit4
out
s3
s2
s1
s0
d<63:0>
text
shiftBT<3:0>


M-Machine
share
sh_rt_no_rot_nib
A.1.00.00
Bsize
d_shft<63:0>
d<63:0>
ext
shftNB<3:0>
sh_bit4

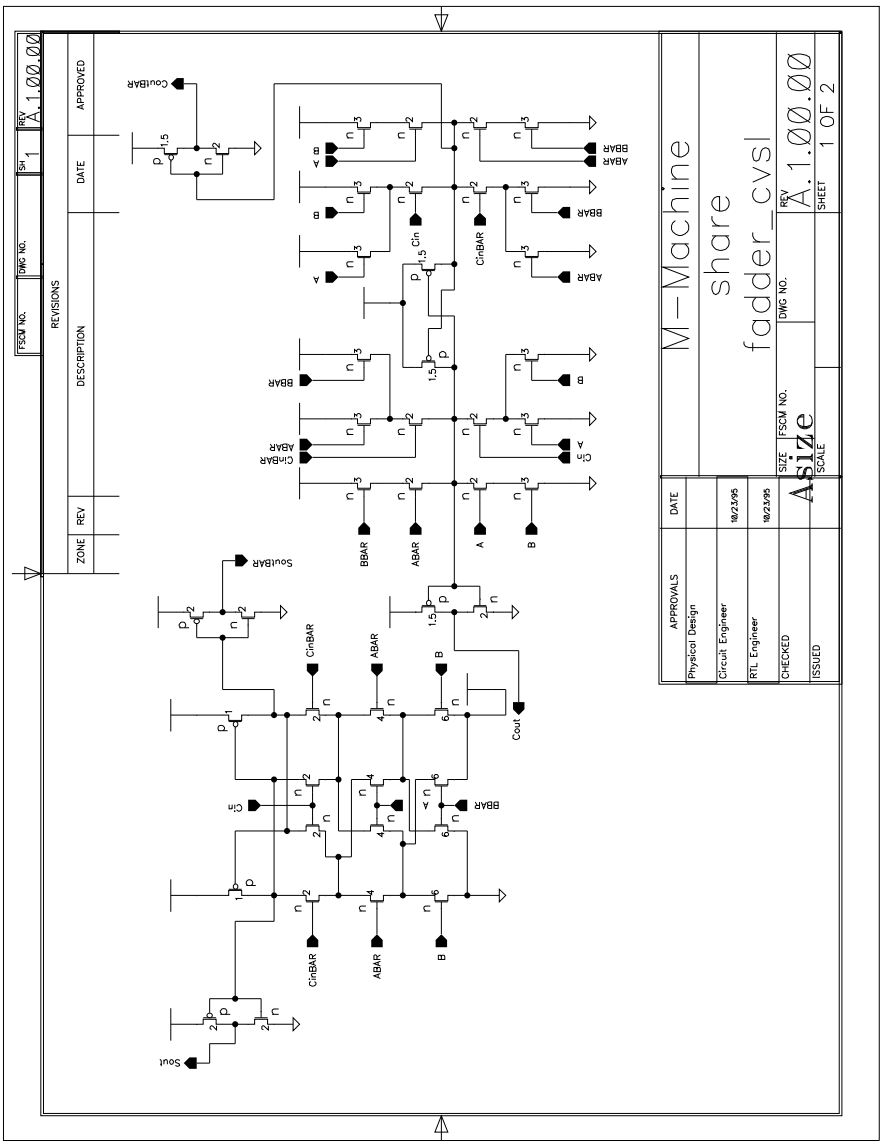

REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
REV
A.1.00.00
SH 1
M-Machine
share
sh_bit4
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
SIZE
A
FSCM NO.
DWG NO.
REV
A.1.00.00
SCALE
SHEET
1 OF 1
out
N14
N13
N12
N11
s0
s1
s2
s3
in3
in2
in1
in0


FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
P
P101
P
4
P42
8
N41
A
Y
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
M-Machine
share
keeper_4_8
SIZE
A
FSCM NO.
DWG NO.
REV A.1.00.00
SCALE
SHEET 1 OF 1


FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
P
P1Ø1
P
1Ø
P42
2Ø
N41
A
Y
APPROVALS
DATE
Physical Design
Circuit Engineer
10/23/95
RTL Engineer
10/23/95
CHECKED
ISSUED
M-Machine
share
keeper_1Ø_2Ø
SIZE A
FSCM NO.
DWG NO.
REV A.1.ØØ.ØØ
SCALE
SHEET 1 OF 1

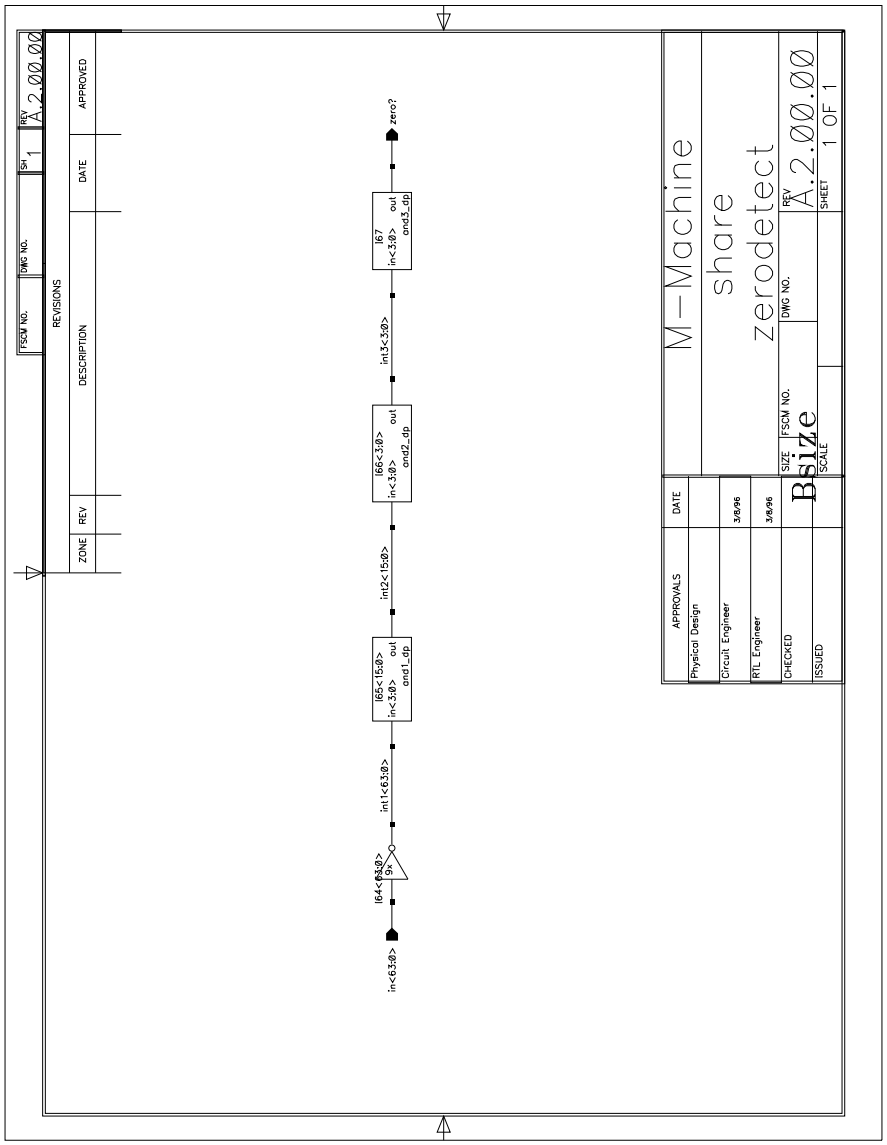
D.10.5 1 bit Adders

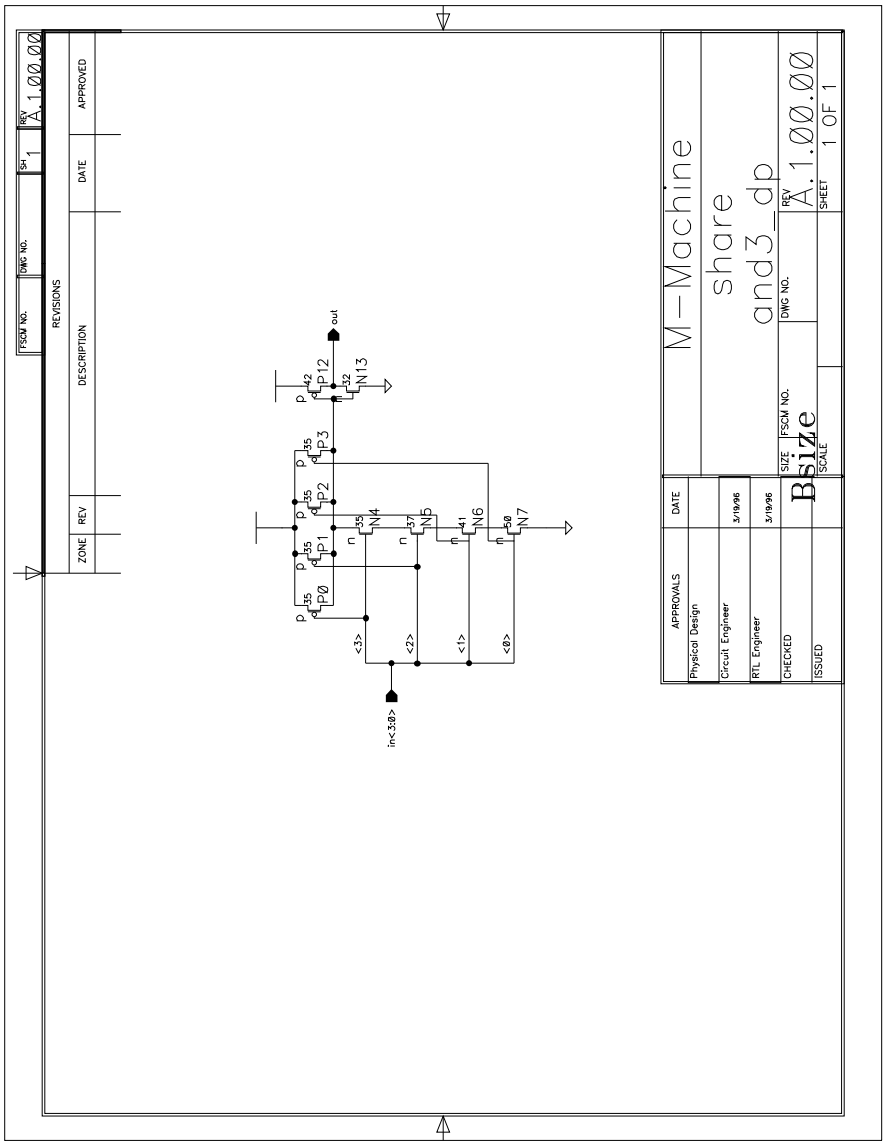
This cell was designed by myself, but modified by Jeff Bowers for use in the shared library.

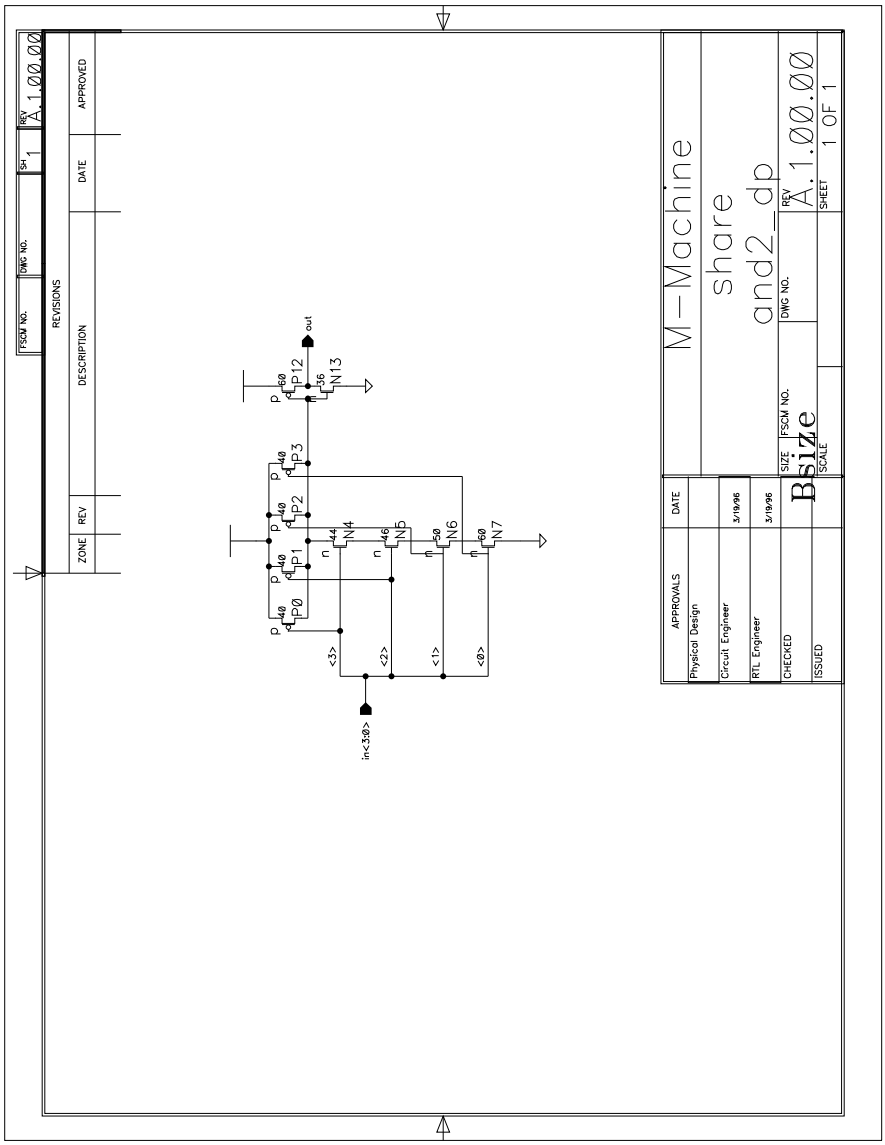


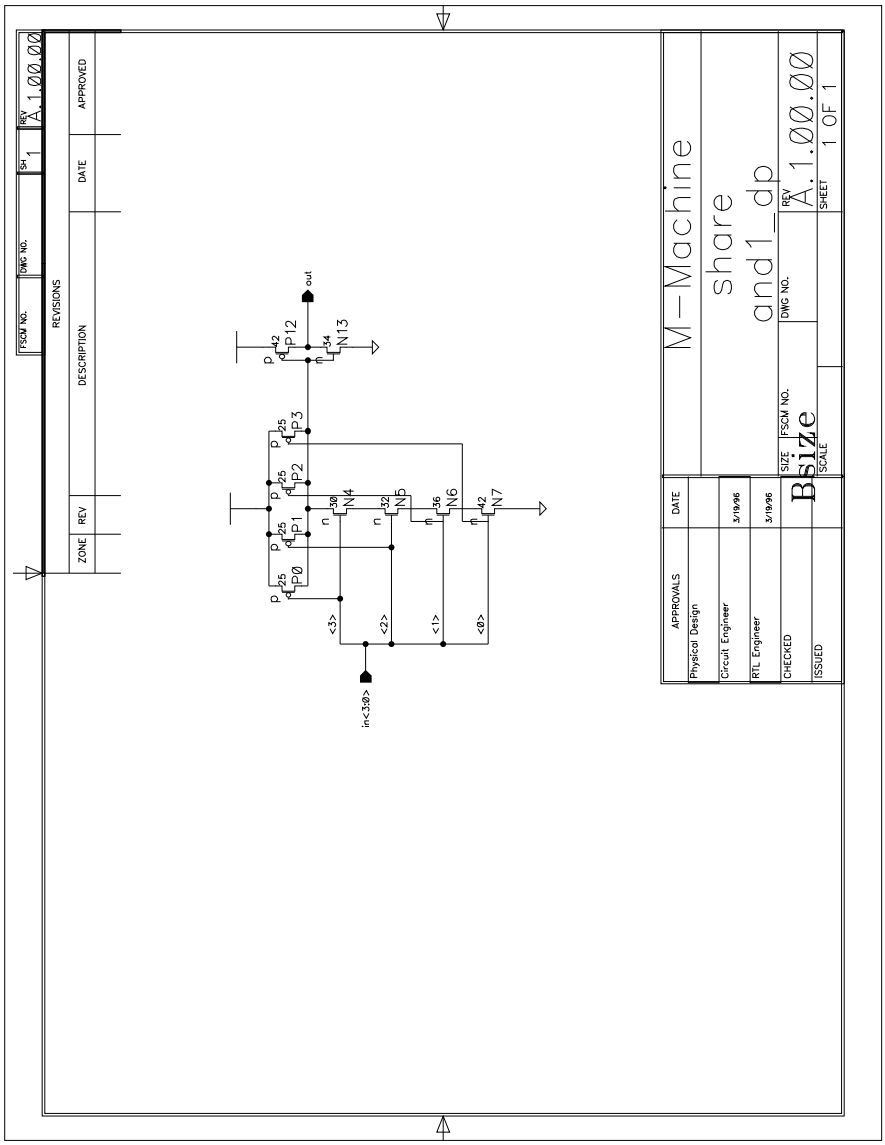
D.10.6 Zero Detector

These cells were designed by Parag Gupta [5] for the Integer Unit.



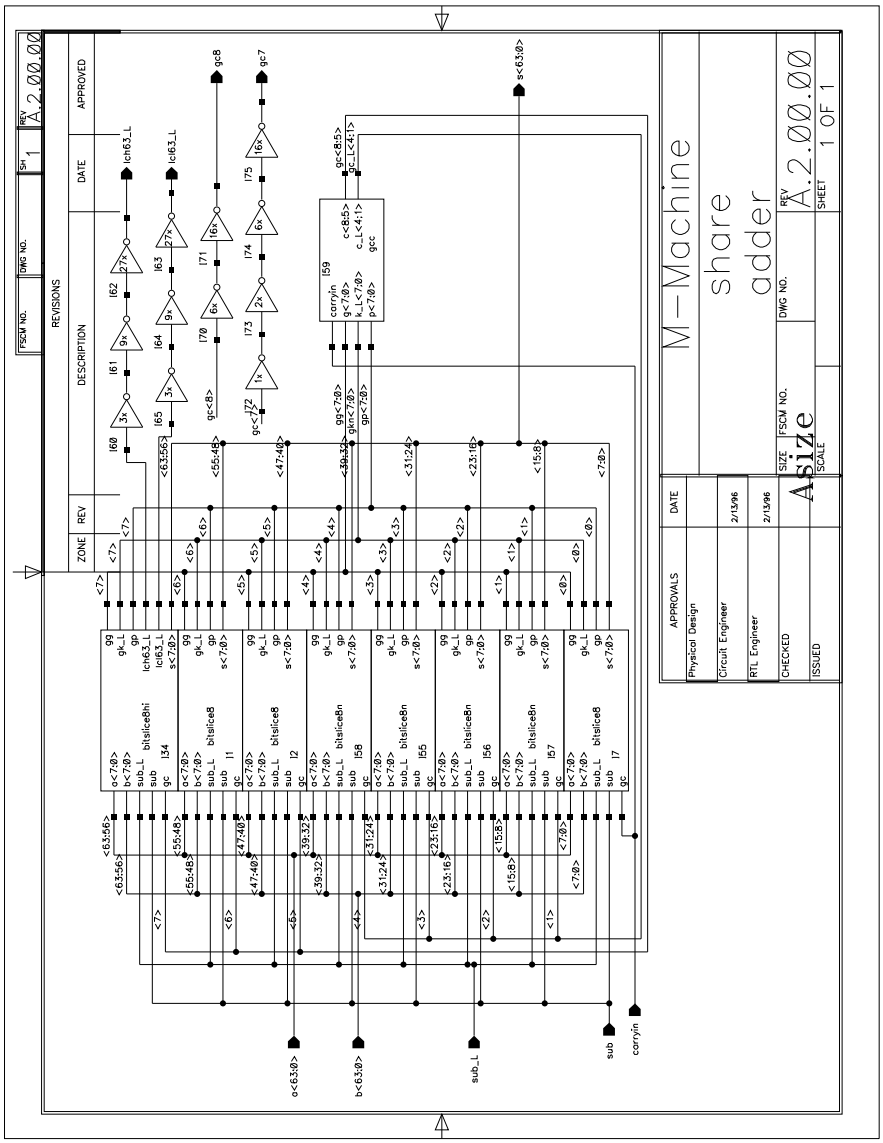

M-Machine
share
and3_dp
A.1.00.00
Bsize
1 OF 1
out
in<3:0>
P0
P1
P2
P3
P12
N4
N5
N6
N7
N13
<3>
<2>
<1>
<0>

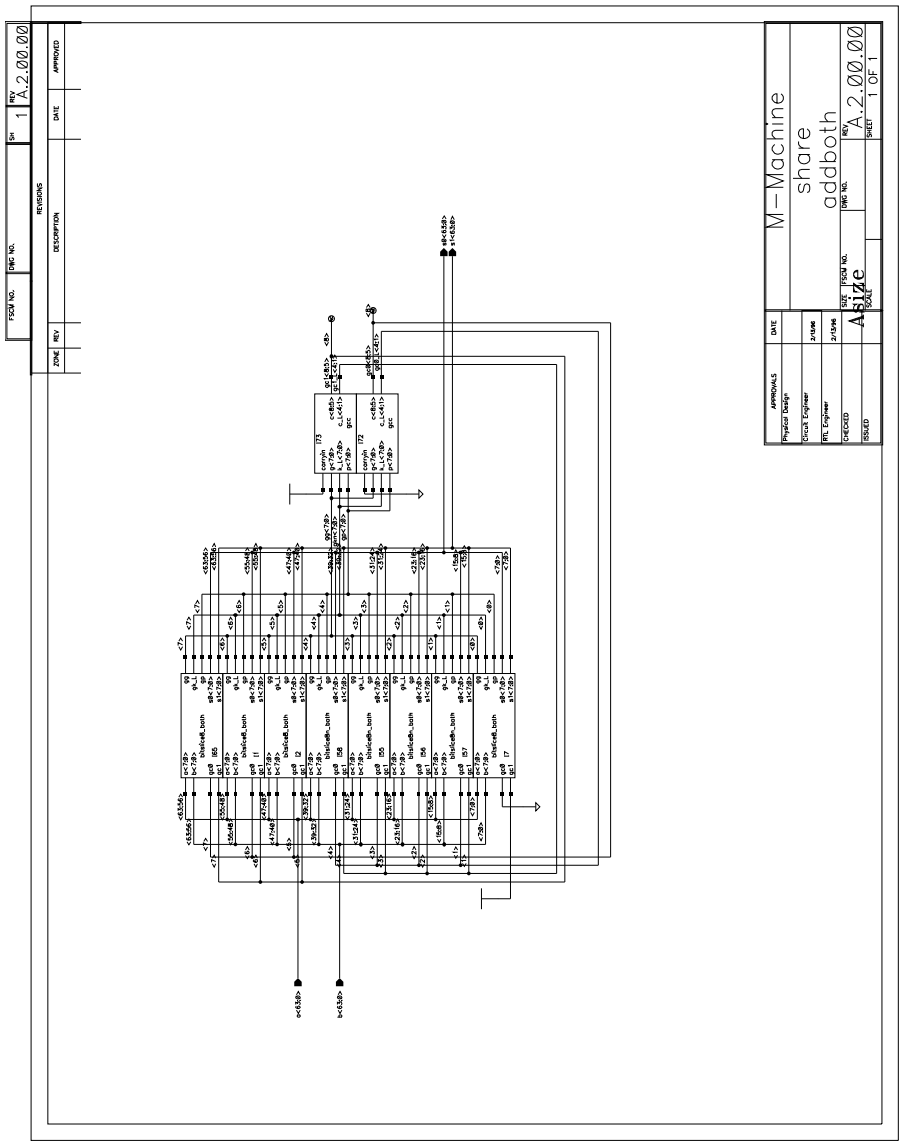

M-Machine
share
and2_dp
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
REV
A.1.00.00
SH 1
APPROVALS
DATE
Physical Design
Circuit Engineer
3/19/96
RTL Engineer
3/19/96
CHECKED
ISSUED
SIZE
B size
SCALE
SHEET
1 OF 1
out
in<3:0>
P0
P1
P2
P3
P12
N4
N5
N6
N7
N13
<3>
<2>
<1>
<0>

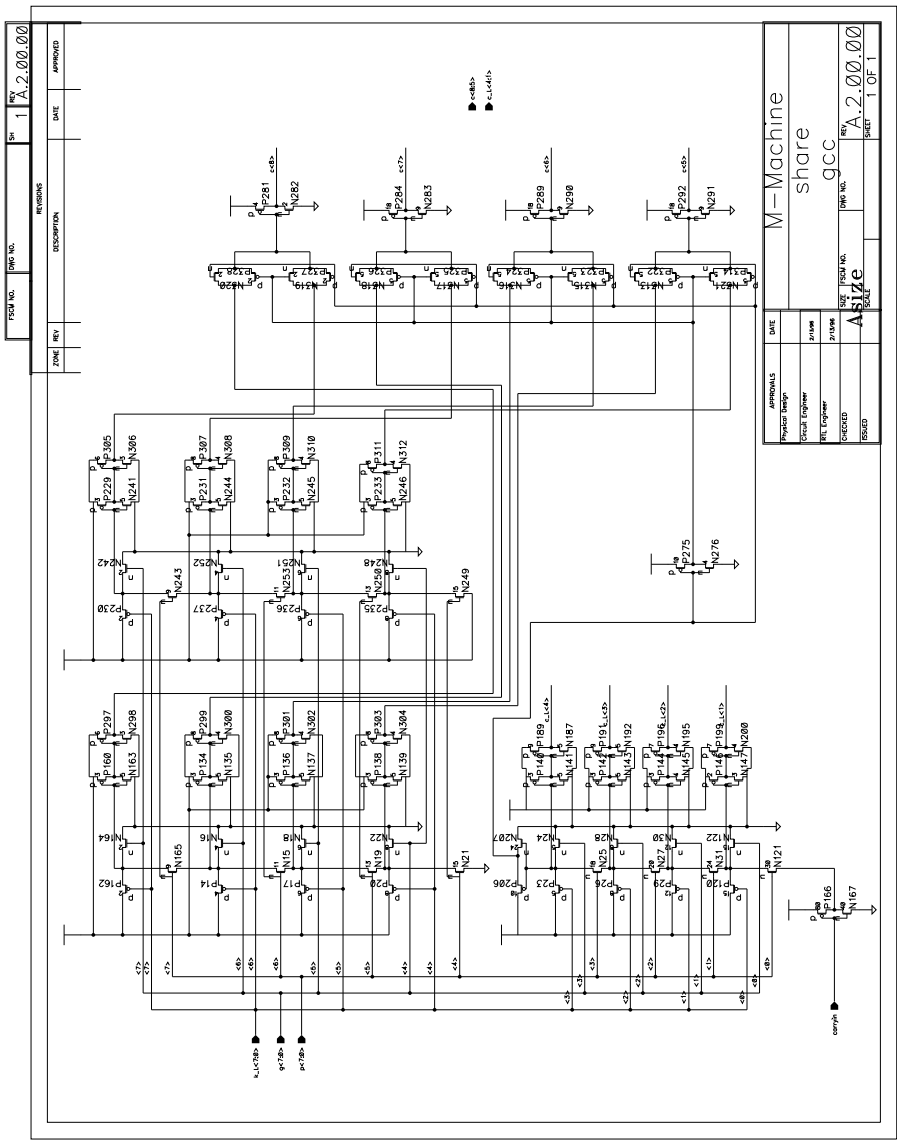

M-Machine
share
and1_dp
REVISIONS
DESCRIPTION
DATE
APPROVED
ZONE
REV
FSCM NO.
DWG NO.
REV
A.1.00.00
SH 1
APPROVALS
DATE
Physical Design
Circuit Engineer
3/19/96
RTL Engineer
3/19/96
CHECKED
ISSUED
SIZE
B size
SCALE
SHEET
1 OF 1
out
in<3:0>
P12
N13
P3
P2
N4
N5
N6
N7
P1
P0
<3>
<2>
<1>
<0>

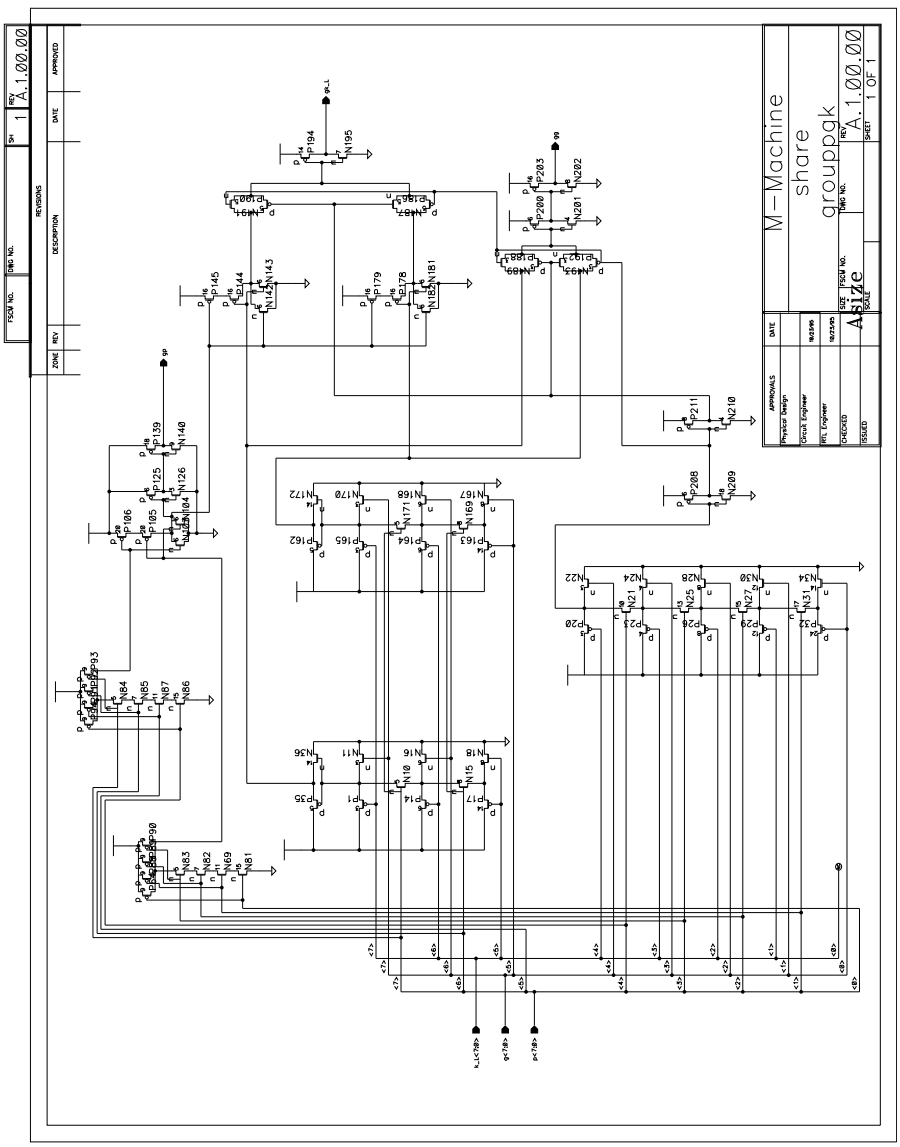
D.10.7 Adders

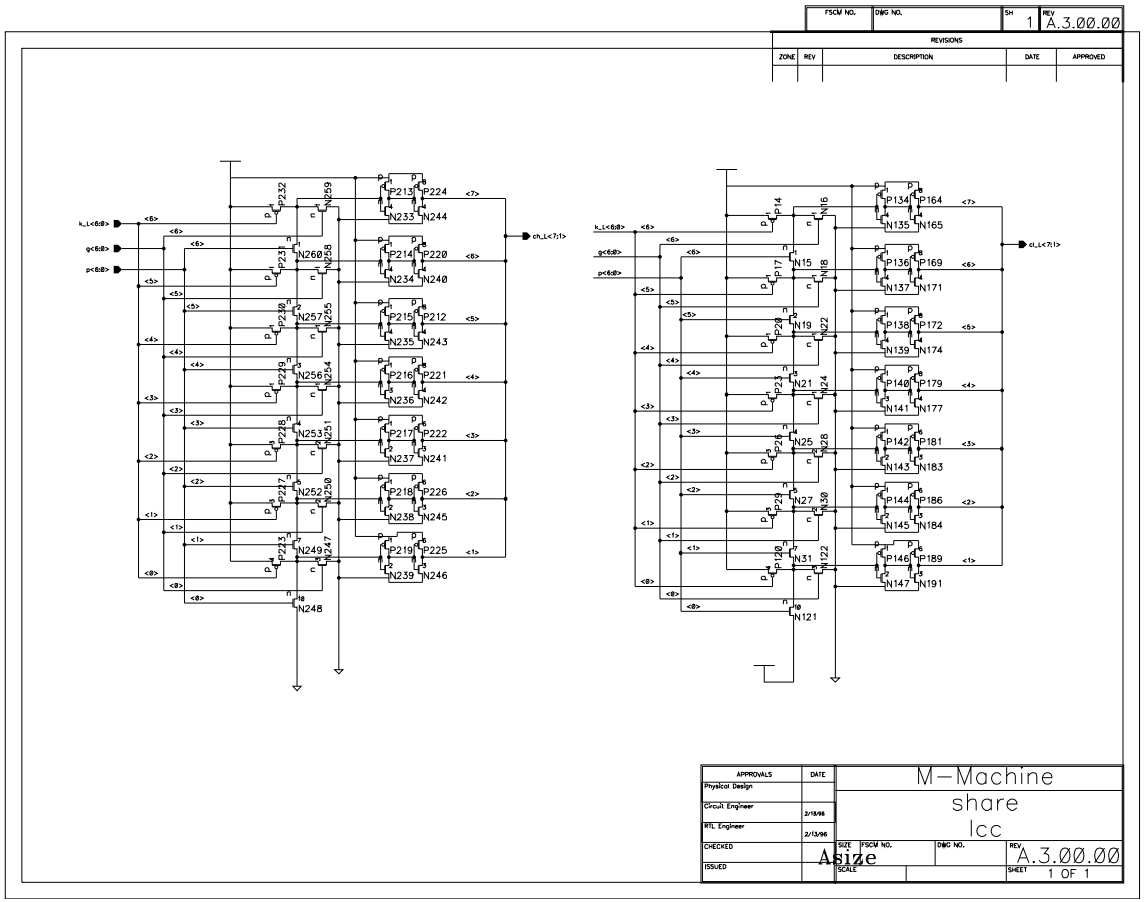
These cells were designed by Parag Gupta [5] for the Integer Unit, with the exception of the adder_both cell.

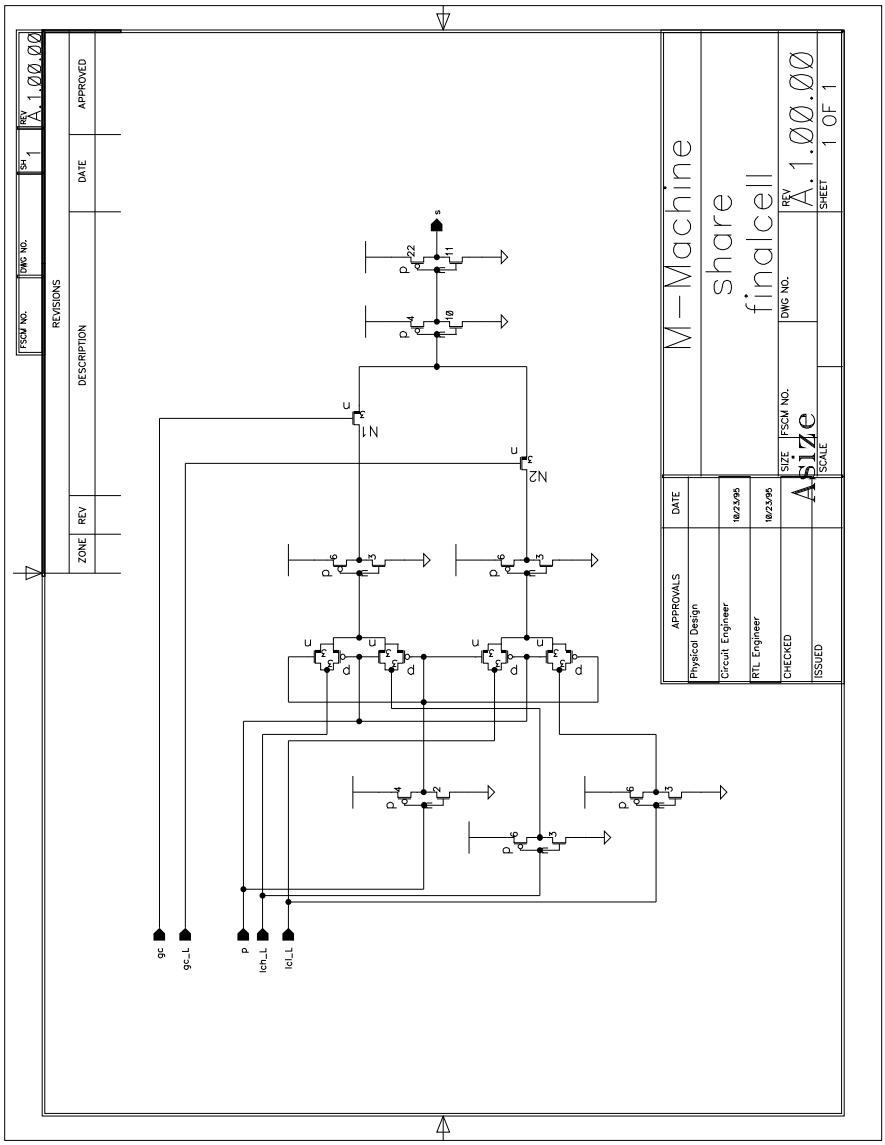


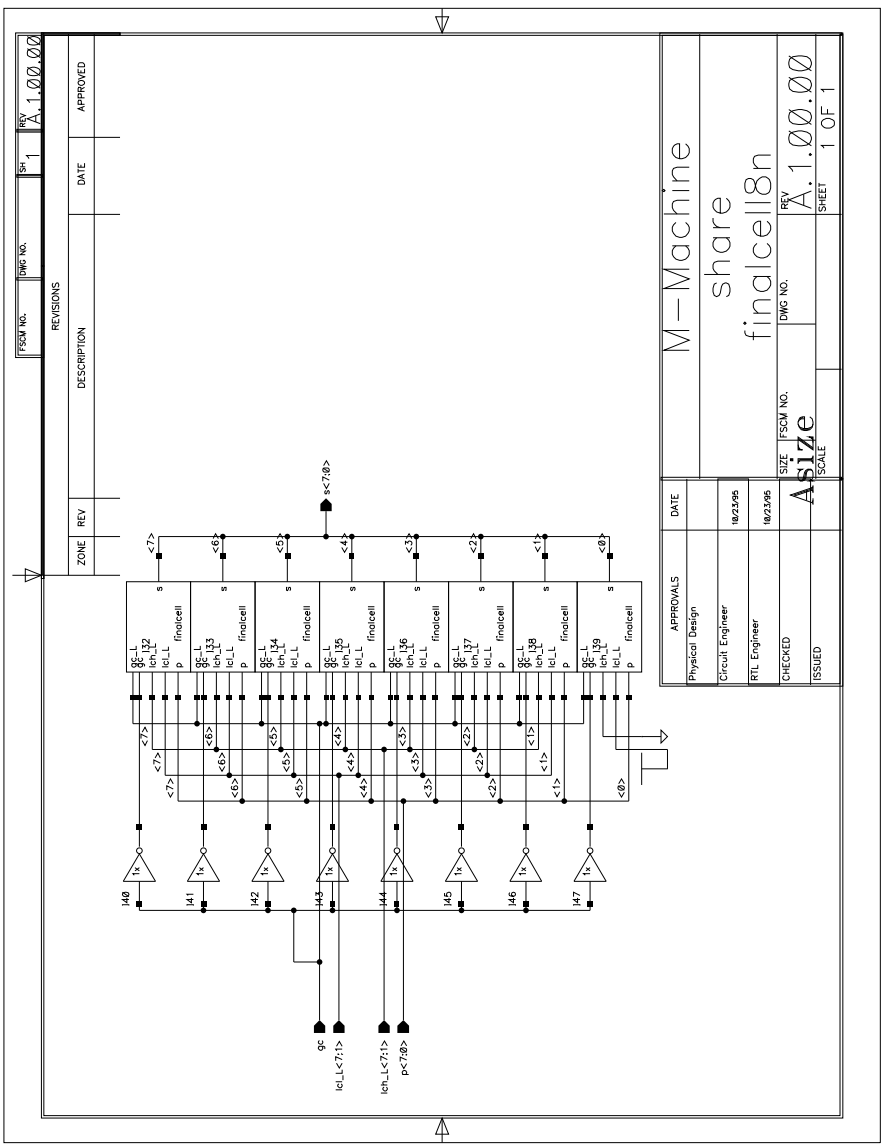

M-Machine
share
addboth
A.2.00.00
A Size
1 OF 1

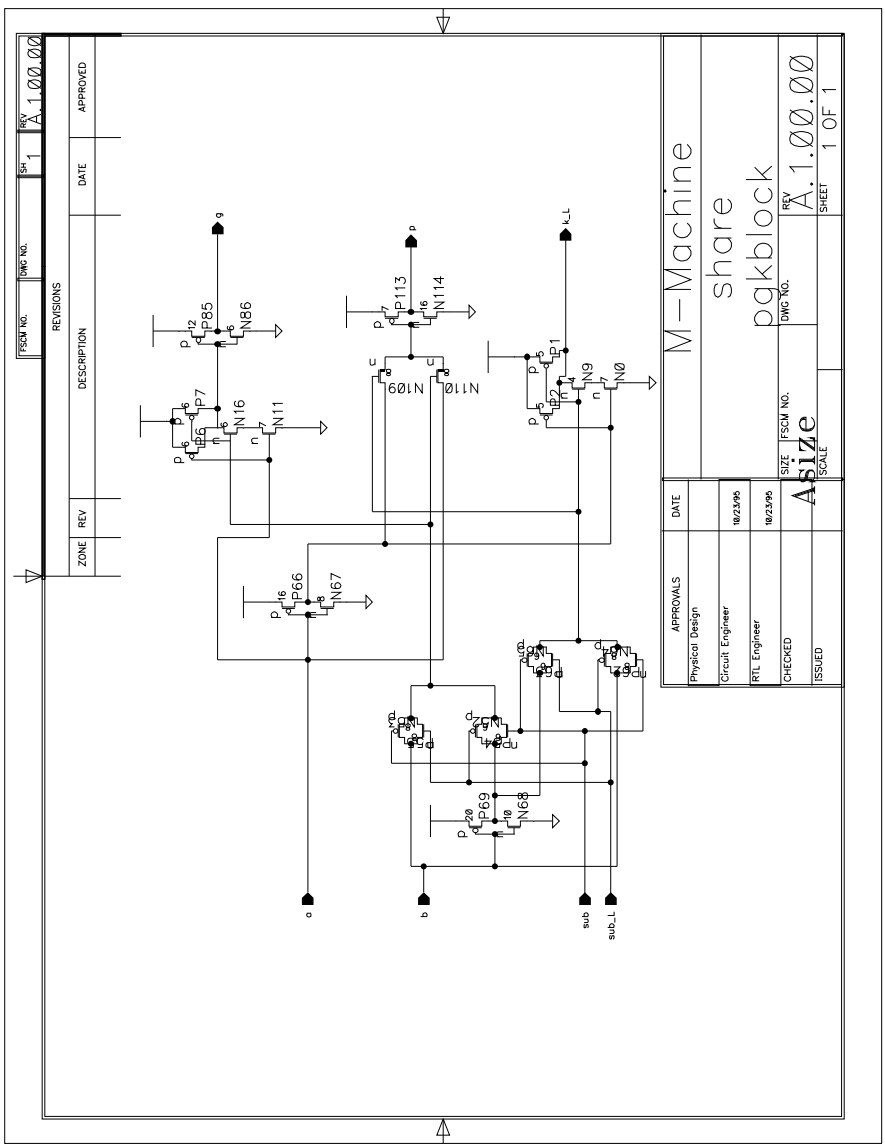

M-Machine
share
gcc
A-2.00.00
A size
1 OF 1

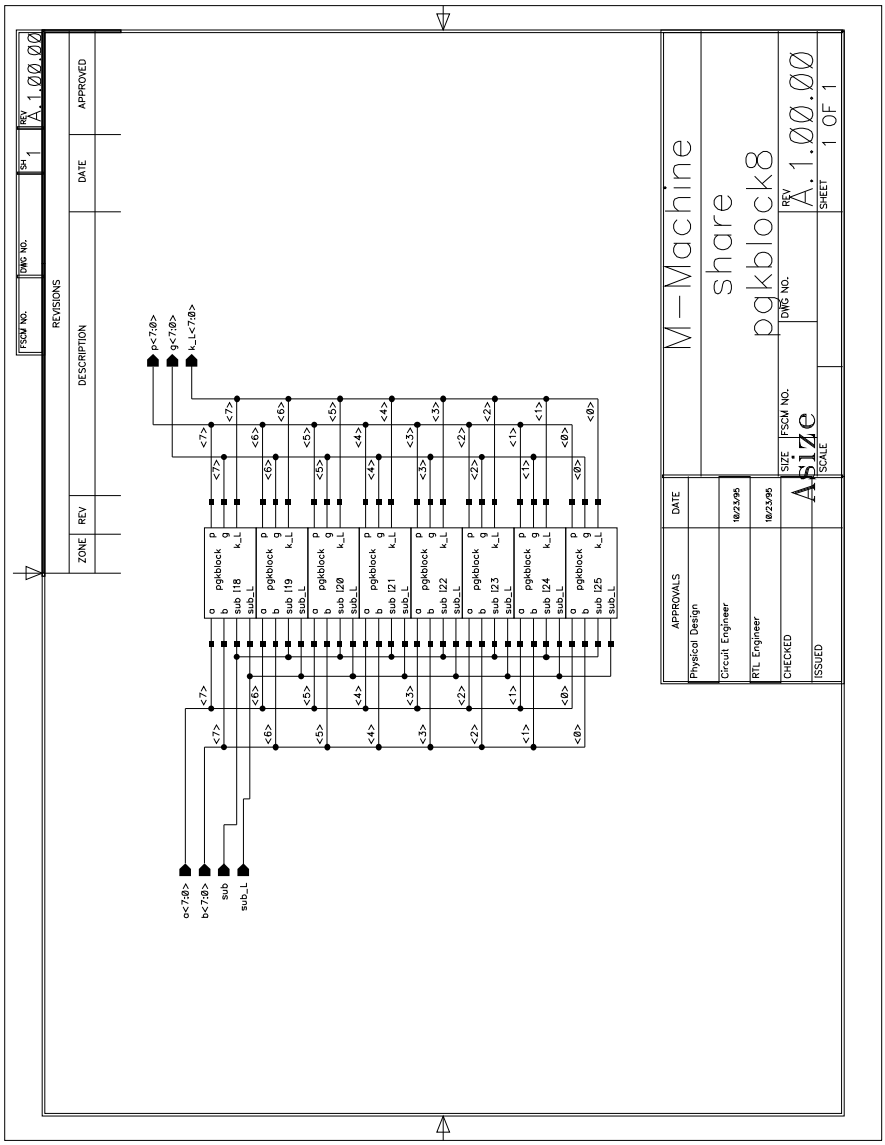

M-Machine
share
grouppak
A.1.00.00
A Size
1 OF 1

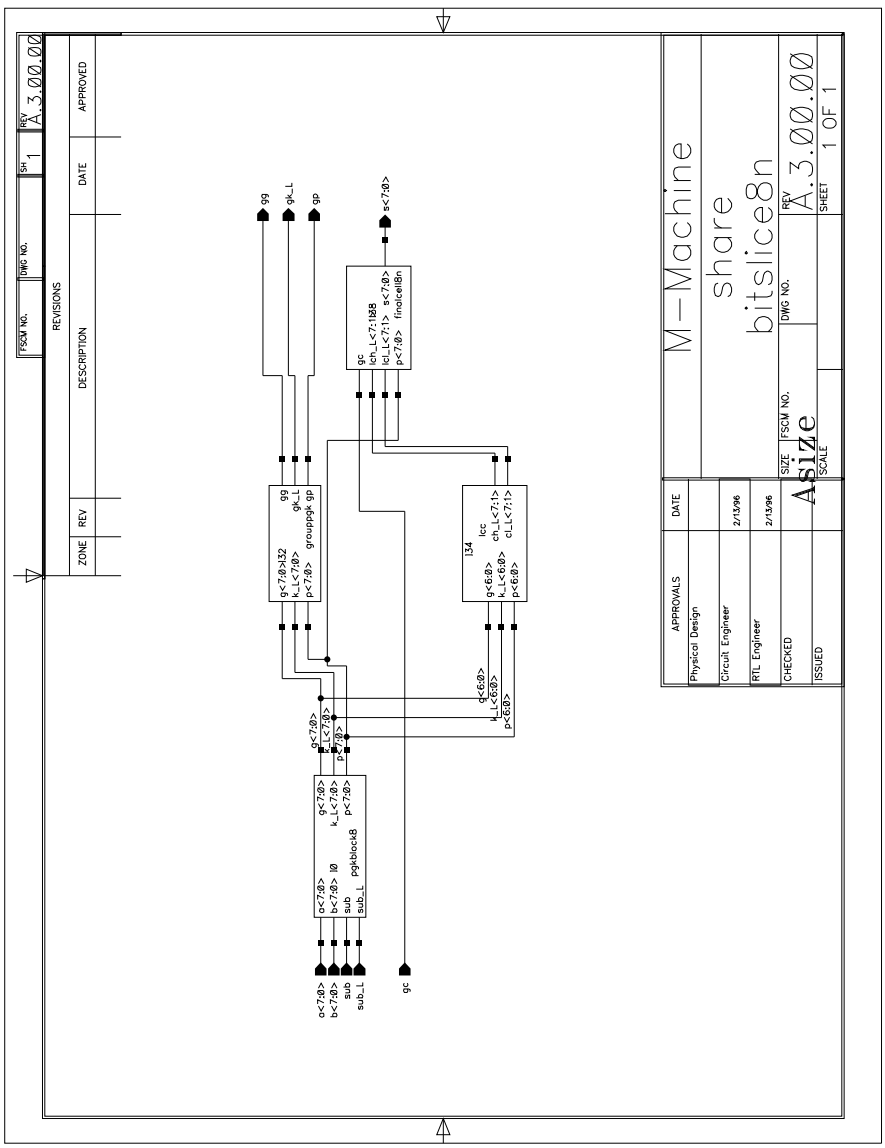

FSCM NO.
DWG NO.
SH 1
REV A.3.00.00
REVISIONS
ZONE REV DESCRIPTION DATE APPROVED
k_L<6:0>
g<6:0>
p<6:0>
ch_L<7:1>
cl_L<7:1>
APPROVALS DATE
Physical Design
Circuit Engineer 2/15/96
RTL Engineer 2/13/96
CHECKED
ISSUED
M-Machine
share
lcc
SIZE FSCM NO. DWG NO. REV A.3.00.00
Asize
SCALE SHEET 1 OF 1

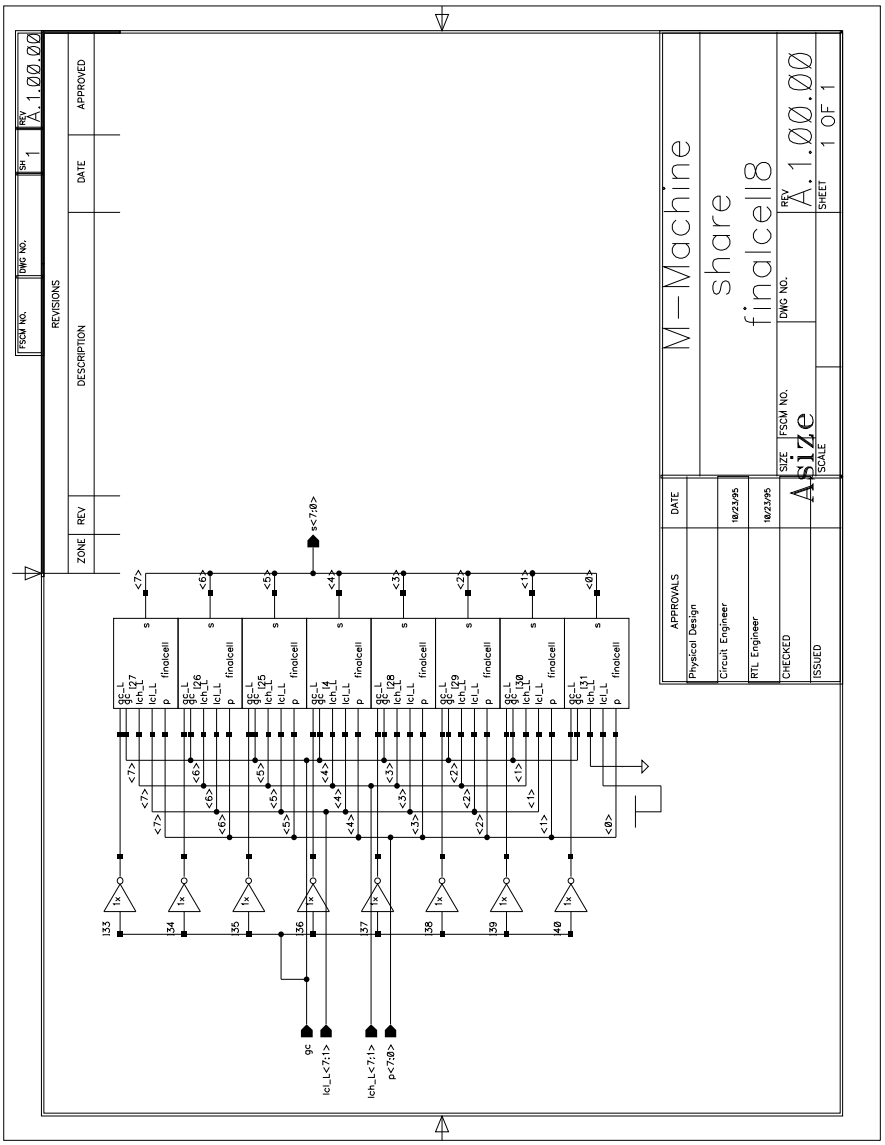

M-Machine
share
finalcell
A.1.00.00
A size
1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
10/23/95
10/23/95
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.1.00.00
SIZE
SCALE
SHEET
N1
N2
gc
gc_L
p
lch_L
lcl_L

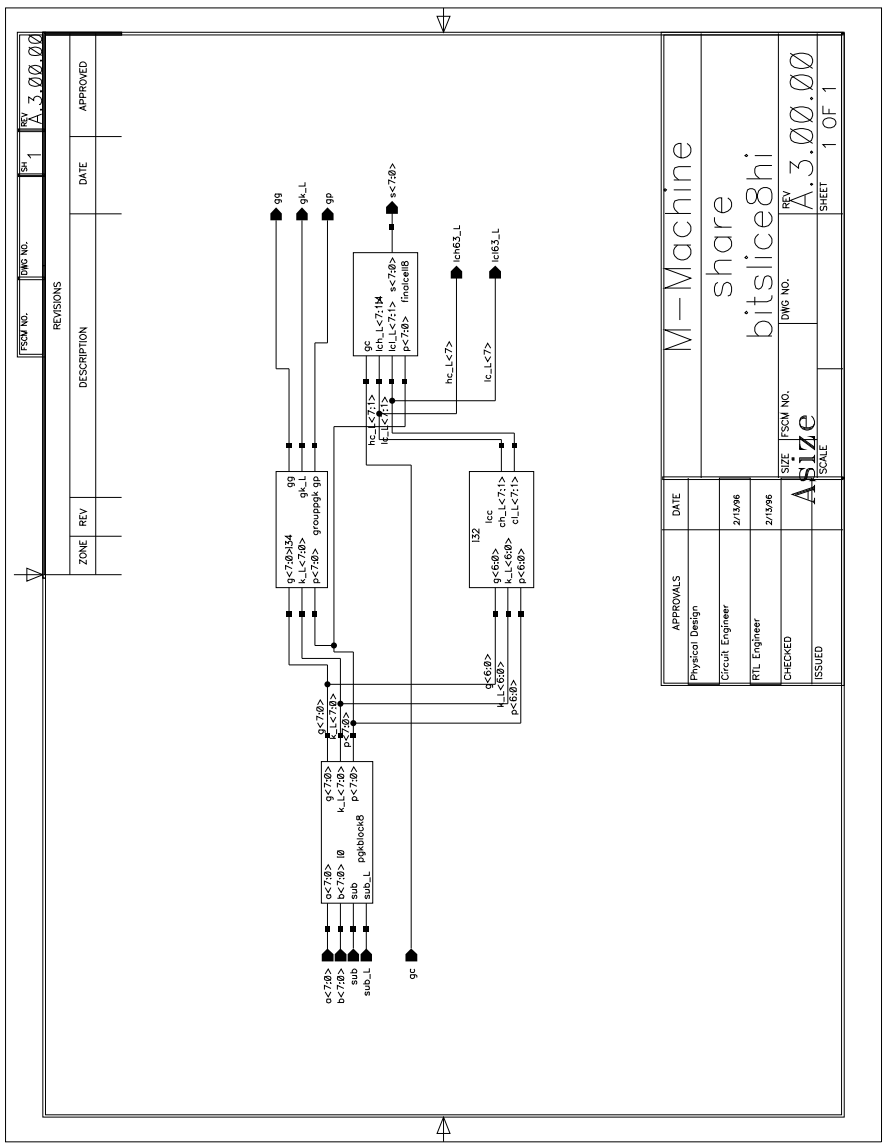

M-Machine
share
finalcell8n
A.1.00.00
A size
SHEET 1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
REVISIONS
DESCRIPTION
APPROVED
finalcell
I40
I41
I42
I43
I44
I45
I46
I47
gc
lcl_L<7:1>
lch_L<7:1>
p<7:0>

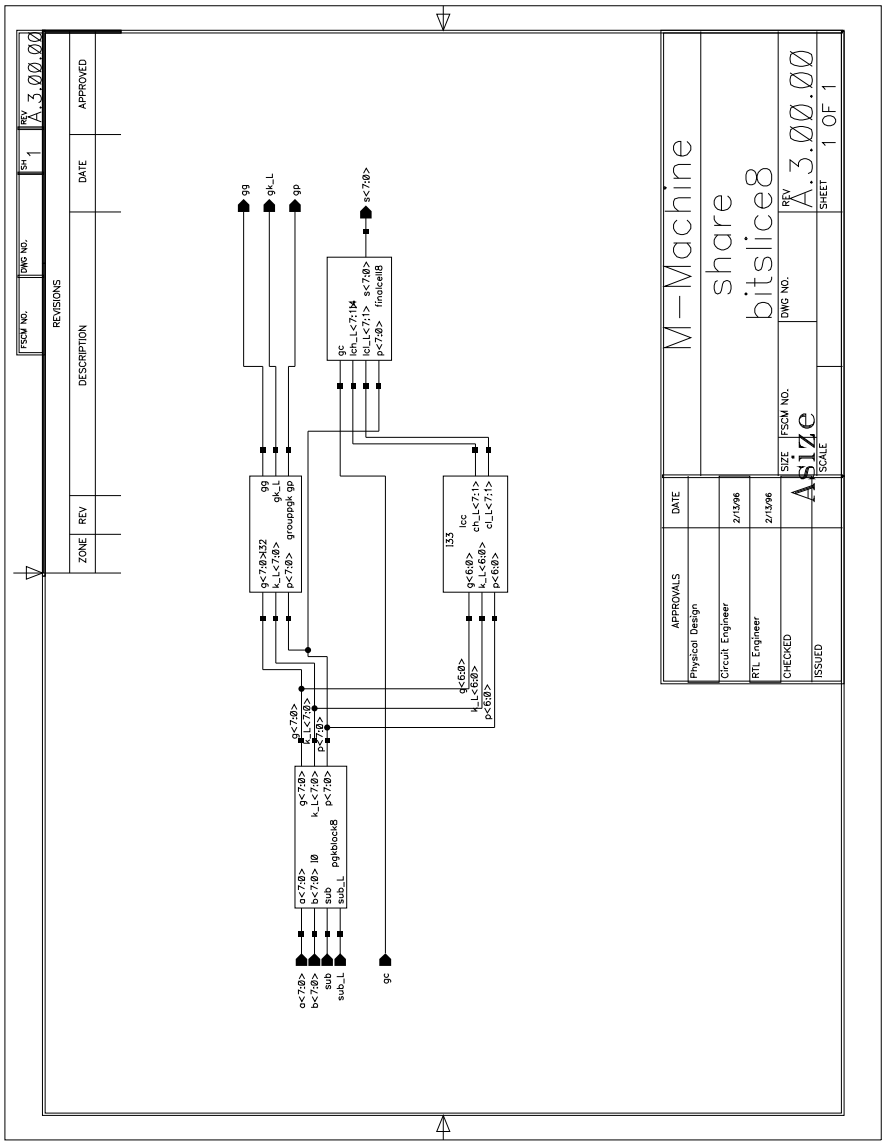

M-Machine
share
pakblock
A.1.00.00
A size
1 OF 1
REVISIONS
ZONE
REV
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
10/23/95
10/23/95
DWG NO.
FSCM NO.
SIZE
SCALE
SHEET
REV
SH
1
A.1.00.00
P85
N86
P7
N16
N11
P113
N114
N109
N110
P1
N9
N0
P66
N67
P69
N68
g
p
k_L
o
b
sub
sub_L

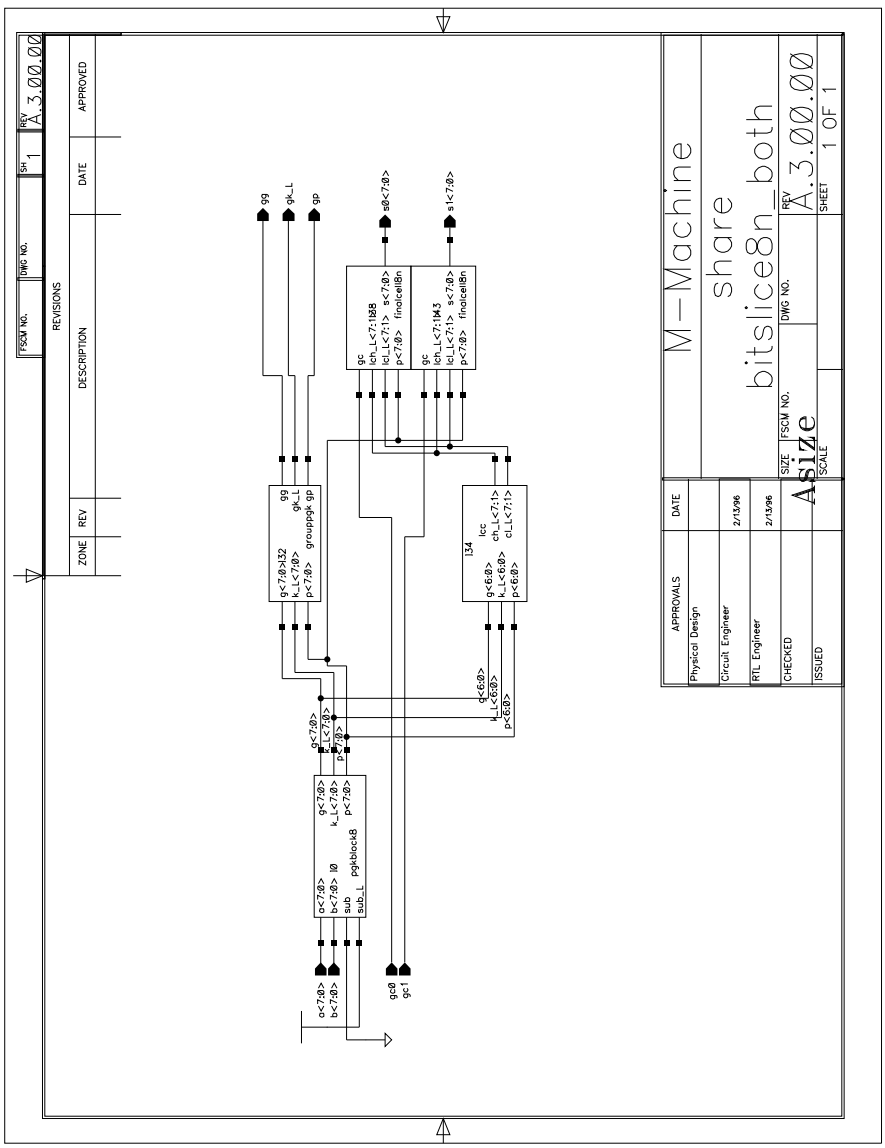

M-Machine
share
pgkblock8
A.1.00.00
A size
1 OF 1
REVISIONS
DESCRIPTION
APPROVED
p<7:0>
g<7:0>
k_L<7:0>
o<7:0>
b<7:0>
sub
sub_L
pgkblock
sub I18
sub I19
sub I20
sub I21
sub I22
sub I23
sub I24
sub I25

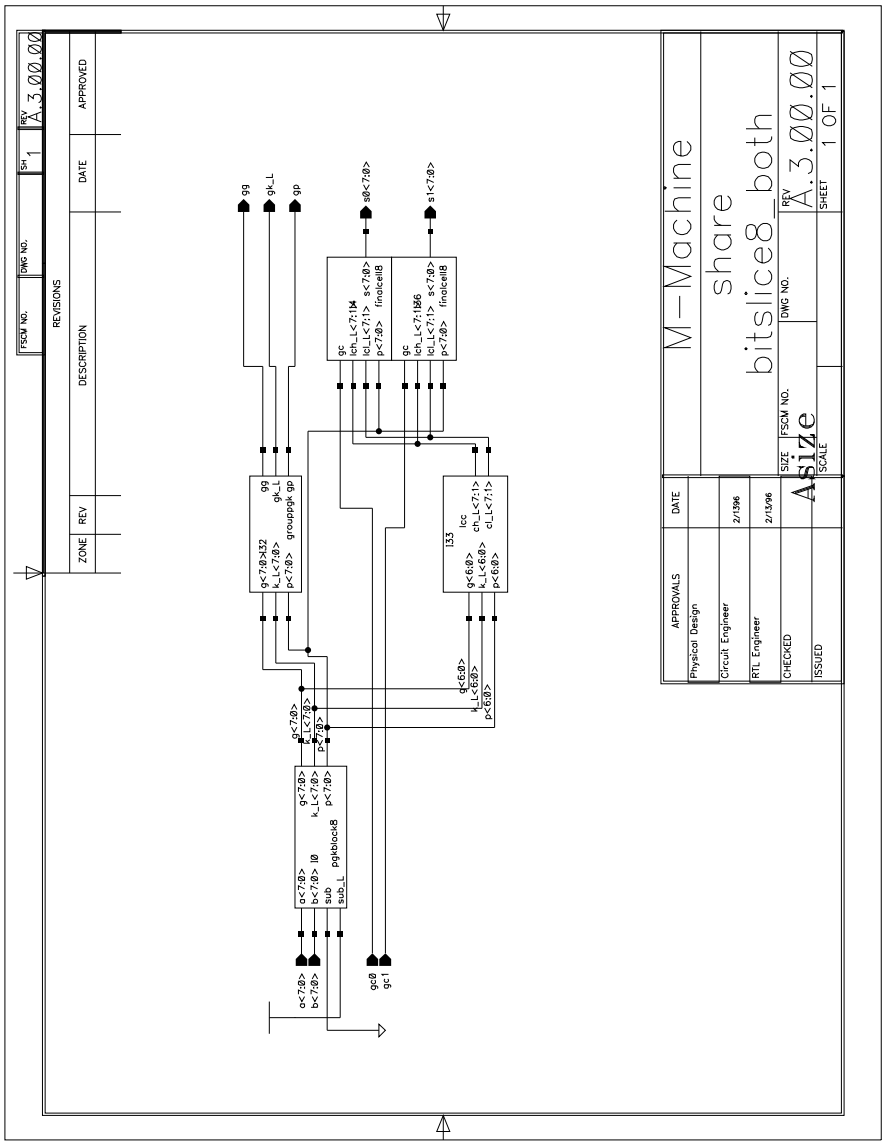

M-Machine
share
bitslice8n
A.3.00.00
A size
1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
2/13/96
2/13/96
REVISIONS
DESCRIPTION
ZONE
REV
DATE
APPROVED
FSCM NO.
DWG NO.
SH 1
REV A.3.00.00
SIZE
SCALE
SHEET
gg
gk_L
gp
s<7:0>
gc
lch_L<7:1>
lcl_L<7:1>
p<7:0>
finalcell8n
g<7:0>
k_L<7:0>
p<7:0>
grouppgk
lcc
ch_L<7:1>
cl_L<7:1>
o<7:0>
b<7:0>
sub
sub_L
pgkblock8


M-Machine
share
finalcell8
A.1.00.00
A size
1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
finalcell
gc
lch_L<7:1>
p<7:0>


M-Machine
share
bitslice8hi
A.3.00.00
1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
2/13/96
2/13/96
A size
pgblock8
grouppgk
lcc
lcn63_L
lc63_L
fmux4x8


M-Machine
share
bitslice8
A.3.00.00
A size
1 OF 1
REVISIONS
DESCRIPTION
DATE
APPROVED
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
2/13/96
2/13/96
pgkblock8
groupppgk
mux4to1_8
133


M-Machine
share
bitslice8n_both
A.3.00.00
A size
1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
2/13/96
2/13/96
REVISIONS
DESCRIPTION
APPROVED
FSCM NO.
DWG NO.
REV
SHEET
SCALE
ZONE
gg
gk_L
gp
s8<7:0>
s<7:0>
gc
ich_L<7:1188
icl_L<7:1>
p<7:0>
finalcell8n
ich_L<7:1143
g<7:0>132
k_L<7:0>
p<7:0>
groupgpk
134
icc
ch_L<7:1>
cl_L<7:1>
g<6:0>
k_L<6:0>
p<6:0>
o<7:0>
b<7:0>
sub
sub_L
pgkblock8
gc1


M-Machine
share
bitslice8_both
A.3.00.00
A size
1 OF 1
APPROVALS
Physical Design
Circuit Engineer
RTL Engineer
CHECKED
ISSUED
DATE
2/1396
2/13/96
REVISIONS
DESCRIPTION
APPROVED
gg
gk_L
gp
s0<7:0>
s1<7:0>
gc0
gc1

Bibliography

[1] Jeff Bowers. The Floorplan and Layout of the Floating Point Divide/Square-Root Unit. Technical report, Concurrent VLSI Architecture Group, 1988.

[2] Jerome Coonen. An Implementation Guide to a Proposed Standard for Floating-Point Arithmetic. In *IEEE Computer*. IEEE Computer Society Press, 1980.

[3] William Dally, Stephen Keckler, Nick Carter, Andrew Changand Marco Fillo, and Whay Lee. M-machine architecture v1.0. MIT Concurrent VLSI Architecture Memo 58, Massachusetts Institute of Technology, MIT/AI Lab, August 1994.

[4] William J. Dally, Stephen W. Keckler, Nick Carter, Andrew Chang, Marco Fillo, and Whay S. Lee. *The MAP Instruction Set Reference Manual v1.4*. Concurrent VLSI Architecture, MIT A.I. Laboratory, 1996.

[5] Parag Gupta. Design and Implementation of the Integer Unit Datapath of the MAP Cluster of the M-Machine. Master's thesis, Massachussets Institute of Technology, 1996.

[6] Kamran Eshraghian Neil H. E. Weste. *Principles of CMOS VLSI Design, Second Edition*, chapter 8.2. Addison-Wesley, 1993.

[7] Randy L. Steck Robert P. Colwell. A 0.6um BiCMOS Processor with Dynamic Execution. In *ISSCC Proceedings, February 1995*. Academic Press, 1995.

[8] M. P. Santoro, G. Bewick, and M. A. Horowitz. Rounding algorithms for IEEE multipliers. In *Proceedings of 9th Symposium on Computer Arithmetic*. IEEE Computer Society Press, 1989.